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## **Supporting Information**

## High-throughput Computational Prediction of the Cost of Carbon Capture using Mixed Matrix Membranes

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- S1. Widom particle insertion method
- S2. Molecular dynamics (MD) simulations
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## S1. Widom particle insertion method

Gas adsorption (CO<sub>2</sub>, N<sub>2</sub>) in MOFs at low partial pressures was modelled by calculating the Henry's Law constants for single-component adsorption via the Widom particle insertion method<sup>1</sup> as implemented in RASPA<sup>2</sup> at 298 K. The workflow was automated by means of python scripts. One thousand configurational-biased insertions were performed. The cutoff used for the van der Waals and electrostatic energies was 12 Å, and the Ewald summation was used to handle long range electrostatic interactions. Each simulation cell was replicated in three dimensions so as to obey the minimum image convention. For simulations in which the standard deviation of the Henry's Law constant was larger than 40%, the number of configurational-biased insertions was increased to 10,000. If the CO<sub>2</sub> Henry's Law constant was less than 0.001 cm<sup>3</sup> (STP)/cm<sup>3</sup> or the standard deviation of the Henry's Law constant was larger than the calculated Henry's Law constant, the MOF was removed from our material set.

## S2. Molecular dynamics (MD) simulations

The molecular dynamics package LAMMPS<sup>3</sup> was used to compute the self-diffusivities of  $CO_2$  and  $N_2$  in the MOFs in the hypothetical and CoRE databases at 298 K. The cutoffs for the van der Waals and electrostatic energies and the size of the unit cell were the same as was used for the Widom particle insertion method. The initial configurations were generated using the software package PACKMOL<sup>4</sup> with 10  $CO_2$  or  $N_2$  molecules inside the MOF framework structures, to approximate the infinite dilution condition. VMD<sup>5</sup> was used to generate input data files for LAMMPS. Random veolocities were assigned to the gas molecules and the system was equilibrated for 200 ps in the canonical (NVT) ensemble, in which the temperature was maintained using the Nose-Hoover thermostat<sup>6</sup> with a damping factor of 0.1 ps. The equilibration simulation was followed by a production run of 2 ns in the microcanonical (NVE) ensemble. A 1 fs time-step was used and velocities were recorded every 0.1 ps. Long-range electrostatics were handled using the particle-particle-mesh Ewald method.<sup>7</sup>The self-diffusion coefficients of  $CO_2$  and  $N_2$  in the MOF structures were computed from the NVE trajectories using the Green-Kubo relation,<sup>8</sup> as shown in equation 1.

$$D = \int_0^\infty \frac{1}{\mathrm{d}N} \sum_{i=1}^N \langle \vec{v}_i(t) . \vec{v}_i(0) \rangle dt \tag{1}$$

where  $\vec{v}_i(t)$  and  $\vec{v}_i(0)$  are the center of mass (COM) velocities of the adsorbates at time *t* and *t*=0, respectively, d is the dimensionality of the system, and N is the total number of adsorbates. The term in the brackets is the velocity auto correlation function (VACF). However, the VACF has noise in the long time tail, which makes integration difficult. Therefore, to predict self-diffusion coefficients, an empirical exponential decay function (equation 2) was fit to the asymptotic part of the running integral of the VACF,<sup>9</sup>

$$D(t) = D + a\mathrm{e}^{-bt} \tag{2}$$

where D(t) is the running integral in equation 1 and D, b and a are fitting parameters. The standard deviation in D was computed from the covariance matrix of the fit. As an example, the normalized VACF of CO<sub>2</sub> in hypothetical MOF number 3164 and 100002 are shown in Figures 1 (a) and 1 (c), and the numerical integration and exponential fit are shown in Figures 1 (b) and 1 (d). In some of the MOFs, the VACF of the gas had large oscillations or noise, possibly due to gas molecules getting caught in the cavities, and the exponential fit yielded negative values of self-diffusion coefficients. These MOFs were removed from our database. Also, the MOFs for which the self-diffusion coefficients were smaller than the uncertainties were rejected.



**Figure 1** Normalized velocity autocorrelation function (VACF) of MOF 3164 (a) and MOF 100002 (c) and exponential fits ((b),(d)) used to calculate self-diffusivity for gases.

Nanoporous materials have pore networks that can be 1, 2 or 3 dimensional with geometric variations along different directions leading to anisotropic diffusion. For this work, we defined the diffusion of gases to be isotropic if the MOF had 3 dimensional channels, and anisotropic for MOFs with 2 or 1 dimensional channels. In making such an assumption, we have assumed that the channels in MOFs are like highways with no side streets, and no tortuosity. So, the value of d in equation 1 was assigned to be 3, 2 or 1 based on the dimensionality of channels in MOFs. Even though this is a simplified definition of diffusion anisotropy, it provides us an efficient way of estimating the self-diffusion coefficient of gases while taking diffusion anisotropy into account.

Self-diffusion coefficients of CO<sub>2</sub> and N<sub>2</sub> as a function of LCD and PLD are shown in Figure 13. It is observed that the MOFs with LCD and PLD < 10 Å show larger variations in the self diffusion coefficients of both the CO<sub>2</sub> and N<sub>2</sub>, ranging from zero to the maximum while MOFs with LCD or PLD > 10 Å show self diffusion coefficients in excess of  $10^{-9}$  m<sup>2</sup>/s to the maximum. In general, the gas diffusivities of gases tend to increase increasing pore size.



Figure 2 Self-diffusion coefficients of  $CO_2$  and  $N_2$  in MOFs as a function of LCD and PLD.

# **S3.** Polymer properties

#### Table 1 Polymer properties

Polymer Abbv.	Full Name	CO <sub>2</sub> /N <sub>2</sub> Selectivity	CO <sub>2</sub> Permeability (barrer)	Temp	Ref.
PTMSP	poly[1-(trimethylsilyl)- 1-propyne]	10.74	29000	23 °C	10
PTMGP	poly[1- (trimethylgermyl)- 1-propyne]	14	14000	23 °C	10
PIM-1	polymers of intrinsic microporosity-1	19.3	4700	40 °C	11
PDMS	polydimethylsiloxane	9.5	3800	35 °C	12
modified-PDMS	2,6-diisopropylphenyl amino-hydroxy func- tionalized polydimethy- lsiloxane	34.17	2050.4	35 °C	13
PIM-7	polymers of intrinsic microporosity-7	26.19	1100	30 °C	14
6FDA-durene	2,2'bis(3,4'- dicarboxyphenyl) hexafluoroporpane dianhydride - 2,3,5,6- tetramethyl-1,4- phenylenediamine	17.51	678	35 °C	15
MEEP	poly[bis(2-(2- methoxyethoxy)ethoxy)] polyphosphazene	62.5	250	30 °C	16
Matrimid-5218	5(6)-1-(4' aminophenyl)-1,3,- trimethylindane	8.5	29	22 °C	17

# S4. Process modelling

To assess the market competitiveness of the hypothetical mixed matrix membranes (MMMs), we have conducted techno-economic analyses of potential optimized carbon capture processes based on MMMs. The goal of our process modelling was to estimate a cost of carbon capture (CCC) for any membrane based on its  $CO_2/N_2$  selectivity and  $CO_2$  permeance. The techno-economic evaluation was based on a  $CO_2$  capture rate of 90%, which is the basis for the U.S. Department of Energy (DOE) carbon capture cost targets.<sup>18</sup> In this study, the capture process was based on a 650 MWe super critical pulverized coal power plant.<sup>18</sup>

The evaluation was performed making use of the three-stage membrane configuration depicted in Figure 3. This NETL-variant configuration is based on the work of Merkel et al.<sup>19</sup> The flue gas is sent to a compressor and then cooled to 38 degree Celsius to achieve the desired driving force and temperature prior to entering the  $1^{st}$  stage membrane. The composition of the gas stream is given in Table 2. The retentate from the  $1^{st}$  stage is then sent to the 2nd stage for further separation before being released. A fraction of the boiler air feed is used as sweep gas in the second membrane to increase the driving force sufficiently to remove enough CO<sub>2</sub> to achieve 90% capture. This sweep gas causes some  $CO_2$  to be recycled to the boiler, thus increasing driving force across the 2nd membrane. The oxygen depletion in the boiler is replenished by secondary air. It is essential that the model consider the impact of this larger system interaction.

Gas	Flue gas (from Boiler)	Inlet flue gas (1st stage)	Inlet flue gas (2nd	Inlet flue gas (3rd
	prior to compressors	(mole fraction)	stage) (mole frac-	stage) (mole frac-
	(mole fraction)		tion)	tion)
Ar	0.0069	0.0078	0.0087	0.0042
CO <sub>2</sub>	0.2323	0.2625	0.1955	0.5965
H <sub>2</sub> O	0.1544	0.0445	0.0282	0.0001
N <sub>2</sub>	0.5716	0.6459	0.7236	0.3778
<b>O</b> <sub>2</sub>	0.0348	0.0393	0.0440	0.0214

Table 2 Ga	as stream o	composition
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After passing through the vacuum pump, the permeate from the 1<sup>st</sup> stage membrane is compressed using a multistage compressor with inter-stage cooling and sent to a liquefaction unit where it is cooled. The pressure of the resulting liquid stream (>96 mole % purity CO<sub>2</sub>) is increased to 152 bar by a centrifugal pump to be sent via pipeline to a sequestration site. The non-condensable gas mixture from the liquefaction unit is fed to the third stage membrane. The permeate stream from the third stage is recycled to the multistage compression train, and the CO<sub>2</sub>-depleted retentate stream is depressurized by an expander and fed into the second stage membrane.

In the Merkel configuration, the retentate from the third membrane unit is recycled to the flue gas feed. The NETL variation avoids dilution of the flue gas into the first stage, leading to an increased driving force in the first stage and a slightly lower COE.<sup>20</sup> Transport across the polymeric selective





layer is assumed to follow the solution-diffusion model as described by Baker.<sup>21</sup> An ideal CO<sub>2</sub> selective

membrane was modelled and the permeability of a component is the product of its solubility and diffusivity in the selective material. The driving force for gas permeation is the difference in component partial pressure across the dense skin.

$$N_i = \frac{Q_{CO_2}}{\alpha_i} \left( P_{ret} Z_{ret,i} - P_{per} Z_{per,i} \right)$$
(3)

where N<sub>i</sub>, Q,  $\alpha_i$ , P<sub>*ret*</sub>, P<sub>*per*</sub>, Z<sub>*ret*,*i*</sub>, Z<sub>*per*,*i*</sub> are component molar flux (kmol/hr), permeance (kmol/m<sup>2</sup>hrbar), membrane selectivity, pressure in the retentate (bar), permeate pressure (bar), mole fraction of gas component in shell side (kmol/kmol), and mole fraction of gas composition in fiber bore side (kmol/kmol), respectively.<sup>22</sup>

The total molar flux  $(N_t)$  is given by

$$N_t = \sum_{i}^{n} N_i \tag{4}$$

And the selectivity is given by

$$\alpha_i = \frac{Q_{CO_2}}{Q_i} \tag{5}$$

All the equations for the membrane module and other associated equipment such as the boiler, compressor, pumps, expanders and vacuum pumps were developed in Aspen Custom Modeler (ACM) v8.4. Properties were configured via Aspen Properties using the Peng-Robinson equation of state with the Boston-Mathias modifications (PR-BM). The cost of the membrane modules was assumed to be U.S.  $50/m^2$ , including the membrane, frame, valves and piping.<sup>19,23</sup> This cost is the same as has been adopted for previous analysis based on pure polymer membranes. The addition of MOF material would contribute very little in terms of material cost. The reason is that for a square meter of selective membrane, the selective layer is typically on the order of a micron. Thus the selective layer for one square meter amounts to about one cubic centimeter. Assuming a MOF density on the order of  $1g/cm^3$ , it would take only 0.3 grams of MOF to make the selective layer for a MMM with 30 weight percent MOF. In a recent paper, the authors discuss large-scale MOF production and synthesis scale up, and prices on the order of \$10 to \$100 per kg of MOF are quoted.<sup>24,25</sup> This translates to a cost of \$0.03 per square meter of mixed matrix membrane selective layer to account for the MOF material. This argument addresses only the cost of the MOF material. It is true that the process of making a thin selective membrane out of a mixed matrix membrane rather than a neat polymer membrane might be more complicated and difficult to scale up. Recently, however, companies have created effective methods for optimizing the production of MOFs on a large scale and at lower cost.<sup>26</sup> The purchase costs for all the associated equipment were estimated using correlations in Seider et al.<sup>27</sup> A chemical engineering (CE) cost index of 527 was used in this study. The sum of all purchased costs was multiplied by a delivered cost of 1.05 and a Lang factor of 5.04 to yield total capital cost for the capture and compression system.<sup>28</sup> Cost correlations for all the equipment, maintenance cost and operating cost were developed within the Microsoft Excel platform.

Equation 6 was used to estimate the cost of  $CO_2$  captured (CCC) and the reference cost of electricity ( $COE_{ref}$ ) was assumed to be \$70/MWh for a power plant without carbon capture.<sup>18</sup> The contributions to the cost of electricity (COE) for a power plant with carbon capture (CC),<sup>29</sup> as shown in Equation 7, are: Total Overnight Cost ( $TOC_{CC}$ ) for CC, operating variable cost ( $OC_{VAF_{CC}}$ ) for CC and parasitic load ( $MWh_{Parasitic load}$ ) due to compression work and other associated processes in the carbon capture plant. The capital cost factor (CCF) and capacity factor (CF) in Equation 7 are 0.124 and 0.85 respectively.<sup>30</sup> The other terms ( $TOC_{ref}$ ,  $TOC_{FIX}$ ,  $TOC_{VAR_{ref}}$ ,  $MWh_{ref}$ ) for the reference plant without



Figure 4 Methodolgy for design of CO<sub>2</sub> membrane processes based on techno-economic optimization.

capture are total overnight cost, fixed operating cost, variable operating cost and net power generated from power plant without carbon capture respectively.

$$CCC (\$/tonne_{CO_2}) = \frac{COE_{cc} - COE_{ref}}{CO_{2_{captured}}}$$
(6)

$$COE = \frac{(CCF)(TOC_{ref} + TOC_{cc}) + (TOC_{FIX}) + (CF)(TOC_{VAR_{ref}} + TOC_{VAR_{CC}})}{(CF)(MWh_{ref}MWh_{parasitic load})}$$
(7)

As shown in Figure 4, the techno-economic optimization was set up within Framework for Optimization, Quantification of Uncertainty and Sensitivity (FOQUS), which involves using Aspen Custom Modeler for the membrane process model and an excel-based cost estimation for the equipment cost, cost of electricity and other associated costs. A detailed description of the FOQUS software can be found in Eslick et al.<sup>31,32</sup> Table 3 presents the process variables subjected to optimization and the variables were constrained to certain bounds based on experience from previous runs.

#### Table 3 Bounded Optimization Variables

Variable	Range	
Molar flow rate of sweep air into $2^{nd}$ stage membrane (kmol/hr)	10,000-120,000	
Carbon capture fraction in 1 <sup>st</sup> stage membrane	0.10 – 0.9	
Carbon capture fraction in 2 <sup>nd</sup> stage membrane	0.40 – 0.99	
Carbon capture fraction in 3 <sup>rd</sup> stage membrane	0.50 – 0.99	
Discharge pressure of the feed gas prior to $1^{st}$ stage membrane (bar)	1.00 - 5.00	
Vacuum pressure at the permeate discharge of $1^{st}$ stage membrane (bar)	0.18 – 0.8	
Discharge pressure of the compression train prior to liquefaction (bar)	20.0 - 35.0	
Liquefaction temperature (°C)	(-35.0) – (-20.0)	

The design and operating conditions of the capture process were optimized to minimize COE while maintaining 90% capture for twelve discreet simulations. Each simulation was carried out based on specific membrane properties; namely  $CO_2/N_2$  selectivities of 18, 35, 68 or 250 and  $CO_2$  permeances of 34, 1170 or 8000 GPU. The  $CO_2/Ar$  and  $CO_2/O_2$  selectivity was set equal to the  $CO_2/N_2$  selectivity and the  $CO_2/H_2O$  selectivity was set to 0.5. The cost of carbon capture for the twelve optimized systems (presented in Table 4) were used as input to develop a linear correlation to enable the rapid estimation of the cost of carbon capture as a function of  $CO_2$  permeance and  $CO_2/N_2$  selectivity for any arbitrary membrane. The values for permeance and selectivity were chosen such that they bound the region of interest.

CO <sub>2</sub> Permeance	34 GPU			
$CO_2/N_2$ selectivity	18	35	68	250
Compression cost (\$/MWh)	60.99	51.26	47.43	43.7
Vacuum pump cost (\$/MWh)	8.12	6.4	5.68	5.06
Membrane area cost (\$/MWh)	237.83	231.19	226.16	223.9
Liquefaction cost (\$/MWh)	3.61	3.05	2.81	2.72
Cost of Electricity (COE) (%)	385.68	359.31	346.08	336.4
Net Power Output (MWe*)	483	507	517	527
Cost of CO <sub>2</sub> Captured (\$/ton)	243.72	238.24	233.94	231.98
CO <sub>2</sub> Permeance	1170 GPU			
$CO_2/N_2$ selectivity	18	35	68	250
Compression cost (\$/MWh)	33.64	29.17	26.48	25.29
Vacuum pump cost (\$/MWh)	4.46	4.24	4.04	4.33
Membrane area cost (\$/MWh)	31.23	27.51	26.16	22.64
Liquefaction cost (\$/MWh)	3.23	2.99	2.81	2.64
Cost of Electricity (COE) (%)	101.1	87.39	80.41	72.71
Net Power Output (MWe*)	527	541	549	556
Cost of $CO_2$ Captured (\$/ton)	69.63	61.8	57.71	52.88
CO <sub>2</sub> Permeance	8000 GPU			
$CO_2/N_2$ selectivity	18	35	68	250
Compression cost (\$/MWh)	36.34	25.06	21.55	19.2
Vacuum pump cost (\$/MWh)	4.16	3.45	3.29	3.31
Membrane area cost (\$/MWh)	14.55	13.96	12.98	12.44
Liquefaction cost (\$/MWh)	3.59	3.03	2.87	2.5
Cost of Electricity (COE) (%)	91.24	68.11	59.18	53.06
Net Power Output (MWe*)	507	540	553	561
Cost of CO <sub>2</sub> Captured (\$/ton)	60.47	48.1	42.78	38.92

Table 4 Performance Indicators for each of the 12 optimizations

\*Gross power output of base plant is 650 MWe

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