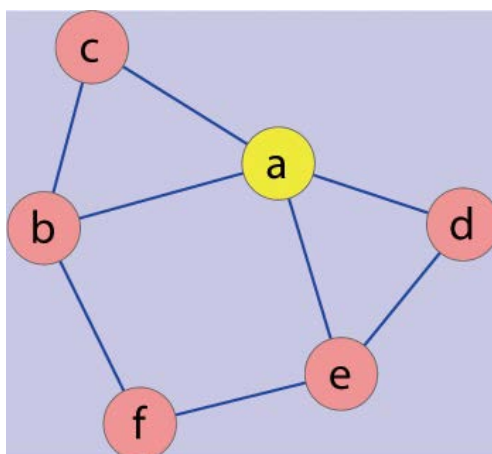


## Supporting information

Here we introduce some basic network parameters that characterize the networks.



### Degree and degree distribution

The node degree is the number of edges linked to the node. For example, in the above network, node *a* has degree  $k=4$ . The degree distribution is the statistical analysis of all the degree of nodes in a network. With the degree distribution, we could distinguish between different classes of networks. For example, in a random network, the node degrees follow a Poisson distribution which means most nodes have approximately degrees and no highly connected nodes exist. However, a power-law degree distribution indicates that the network is a scale-free network.

### Scale-free network and the exponent of power law

The characteristic of scale-free network is that its degree distribution follows a power law, which means a few hubs in the network hold together many other small nodes. This typical characteristic applies to most biological networks like metabolic networks; therefore they are all scale-free networks. The exponent of power law is closely related to many properties of the network. When the exponent  $\gamma > 3$ , the hubs in

the network are insignificant. When  $2 < \gamma < 3$ , the central hub will connect with a small part of all nodes. When the exponent is smaller, the central hub will connect with a large part of all nodes. In general, only for  $\gamma < 3$ , the scale-free network will be useful. And with a smaller exponent, the hubs in the network will be more important.

### **Path length**

The path length is the numbers of edges/steps we need to pass through between two nodes and the smaller number we call the shortest path length. The shortest path length distribution may indicate small-world properties, such as the information transfer efficiency and the overall navigability of the network. For example, in above network, the shortest path length between  $a$  and  $d$  is 1.

### **Clustering coefficient**

In above network, the clustering coefficient  $C$  of a node is defined as  $C = 2e/(k(k-1))$ , where  $k$  is the number of node neighbors and  $e$  is the number of connected pairs between all node neighbors. In brief, the clustering coefficient of a node is the number of triangles (3-loops) that pass through this node, relative to the maximum number of 3-loops that could pass through the node. For example, in above network, there are two triangles that pass through node  $a$  ( $abc$ ,  $ade$ ). The maximum number of triangles that could pass through node  $a$  is six ( $abc$ ,  $abd$ ,  $abe$ ,  $acd$ ,  $ace$ ,  $ade$ ). So the clustering coefficient of node  $a$  is  $1/3$ .

**Figure S1. Network modules.**

**Table S1. Total of 558 proteins were derived from reports.**

**Table S2. Topological properties of ten sub-networks.**

**Table S3. Differentially expressed genes in each pathway after treated with DHA.**

**Table S4. Topological parameters of potential drug target proteins.**