

## SUPPORTING INFORMATION

### **Effects of amphiphilic block copolymers on the equilibrium lactone fractions of camptothecin analogues at different pHs**

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## 1. Phase diagram of F127 PBS solutions

The phase diagram was determined by the vial-inverting method. Briefly, 0.8 mL sample solutions were added into the tube in water bath. The equilibrium temperature was started at 10 °C with the increasing rate 1 °C per 15 min. The gel state was defined as no flow of the sample within 30 s.

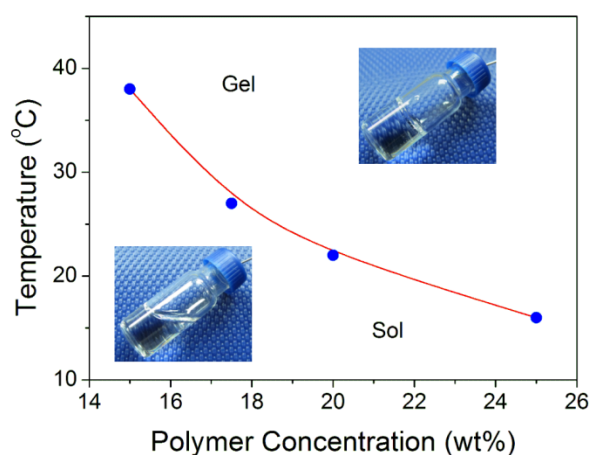


Fig. S1 Phase diagram of the F127/PBS system determined by the vial-inverting method.

## 2. Deduction of $\text{pH}_{\text{opt}}$

For Henderson-Hasselbalch (HH) equation

$$f(\text{pH}) = f_{\infty} + \frac{f_{-\infty} - f_{\infty}}{1 + 10^{n(\text{pH} - \text{pH}_{1/2})}}$$

we just discussed the simplest case with  $n = 1$  and  $f_{-\infty} - f_{\infty} = 1$ . After denoting  $x = \text{pH}$ ,

$a = \text{pH}_{1/2, \text{PBS}}$  and  $b = \text{pH}_{1/2, \text{polymer}}$ , we obtained

$$y = \Delta f_{\text{lactone}} = f_2(x) - f_1(x) = \frac{1}{1 + 10^{(x-b)}} - \frac{1}{1 + 10^{(x-a)}}$$

So,

$$\frac{dy}{dx} = f_2'(x) - f_1'(x) = \frac{-(\ln 10)10^{(x-b)}}{[1 + 10^{(x-b)}]^2} - \frac{-(\ln 10)10^{(x-a)}}{[1 + 10^{(x-a)}]^2}$$

This equation was reduced as

$$y' / \ln 10 = \frac{1}{\frac{1}{10^{(x-a)}} + 2 + 10^{(x-a)}} - \frac{1}{\frac{1}{10^{(x-b)}} + 2 + 10^{(x-b)}}$$

In the case of the optimal pH,  $y' = 0$ . Considering  $a \neq b$ , so

$$\frac{1}{10^{(x-a)}} = 10^{(x-b)}$$

Resolving this equation led to

$$x = \frac{1}{2}(a + b)$$

That is equation (5) in the main manuscript

$$\text{pH}_{\text{opt}} = \frac{1}{2}(\text{pH}_{1/2,\text{PBS}} + \text{pH}_{1/2,\text{polymer}})$$