

## Supplementary Text

### Ultra-Thin Membrane Characterization Theory

To obtain predictive estimation of the wavelength, amplitude and number of wrinkles, we consider the 1D out-of-plane displacement of an initially flat sheet of area ( $W \times L$ , where  $W$  is width and  $L$  is length) as a function of spatial dimension ( $\xi(x,y)$ ) (supplementary figure 1 (b)). The thickness of the sheet,  $t$ , is much smaller than  $W$  and  $L$ , where  $0 < y < W$ , for simplicity,  $W \ll L$ . When a stretching strain  $\varepsilon$  is applied in the  $x$  direction, then the total energy of the system is:

$$U = U_B + U_S - L \quad (1)$$

Here  $U_B$  is the bending energy due to deformation in the  $y$  direction:

$$U_B = \frac{1}{2} \int B (\partial y^2 \xi)^2 dA \quad (2)$$

where  $B$  is the bending stiffness.  $U_S$  is the stretching energy in presence of tension  $T(x)$ :

$$U_S = \frac{1}{2} \int T(x) (dx \xi)^2 dA \quad (3)$$

As the sheet wrinkles in the  $y$  direction under the action of a small compressive stress, it satisfies the condition of inextensibility,

$$\int_0^L \left[ \frac{1}{2} (\partial y^2 \xi)^2 - \frac{\Delta(x)}{w} \right] dy = 0$$

This constraint is found in the final term of equation 1,

$$L = \int_A b(x) \left[ (\partial y \xi)^2 - \frac{\Delta(x)}{W} \right] dA \quad (4)$$

where  $b(x)$  is the Lagrange multiplier and  $\Delta(x)$  imposed the compressive transverse displacement.

Boundary Conditions:

$$\xi(0,y) = 0 \quad \xi(L,y) = 0$$

After applying boundary conditions we determine:

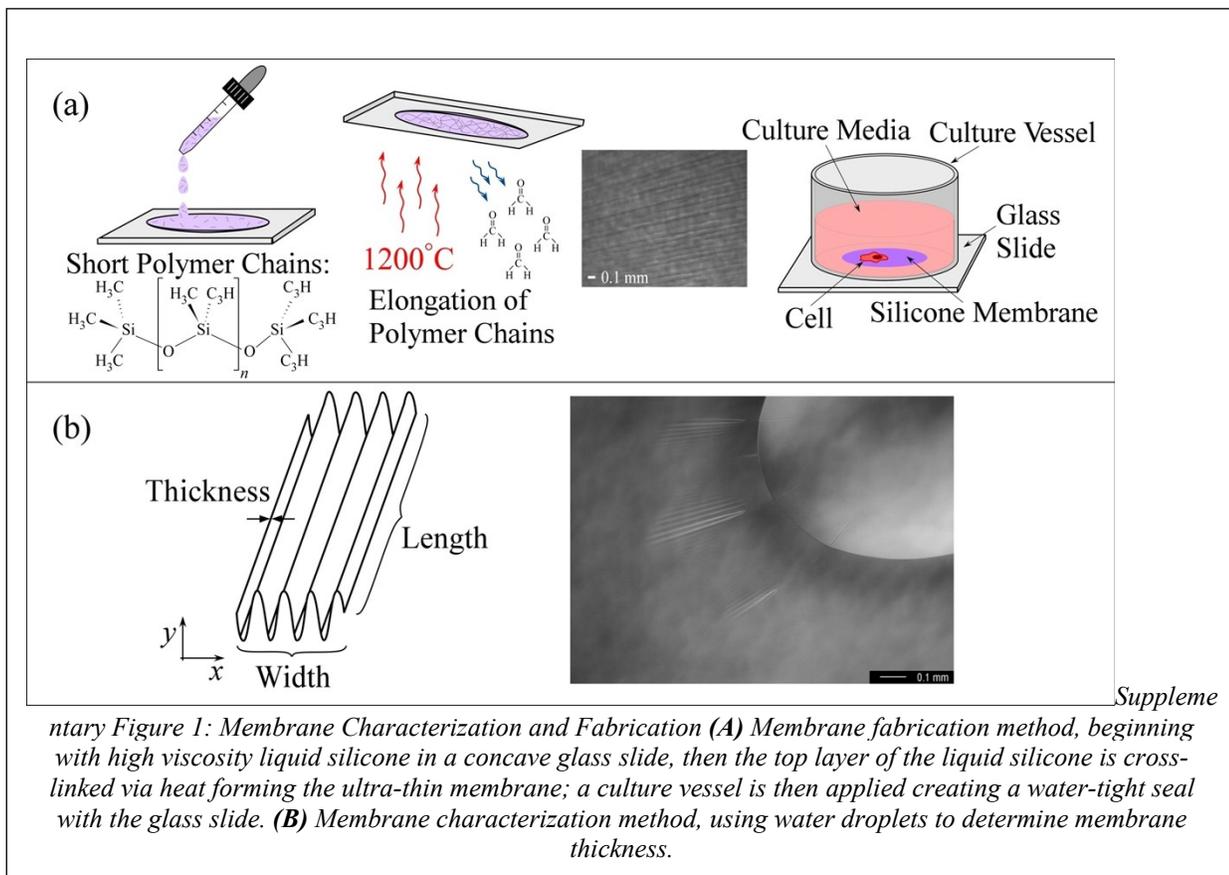
$$\lambda = \frac{\sqrt{2\pi Lt}}{(3(1 - \nu^2)\varepsilon)^{1/4}} \quad (5)$$

$$A = \sqrt{\nu Lt} \left( \frac{16\varepsilon}{3\pi^2(1 - \nu^2)} \right)^{1/4} \quad (6)$$

where  $\lambda$  is the wavelength and  $A$  is the amplitude of the sinusoidal wrinkling (supplementary figure 1 (b)),  $L$  is the length of the membrane,  $t$  is the thickness of the membrane,  $\nu$  is the Poisson's ratio of the membrane, and  $\varepsilon$  is the strain of the membrane (Cerdea and Mahadevan, 2003). We approximated the number of wrinkles by dividing the wavelength of the wrinkle pattern by the circumference of the water droplet ( $\pi d/\lambda$ ), where  $d$  is the diameter of the droplet.

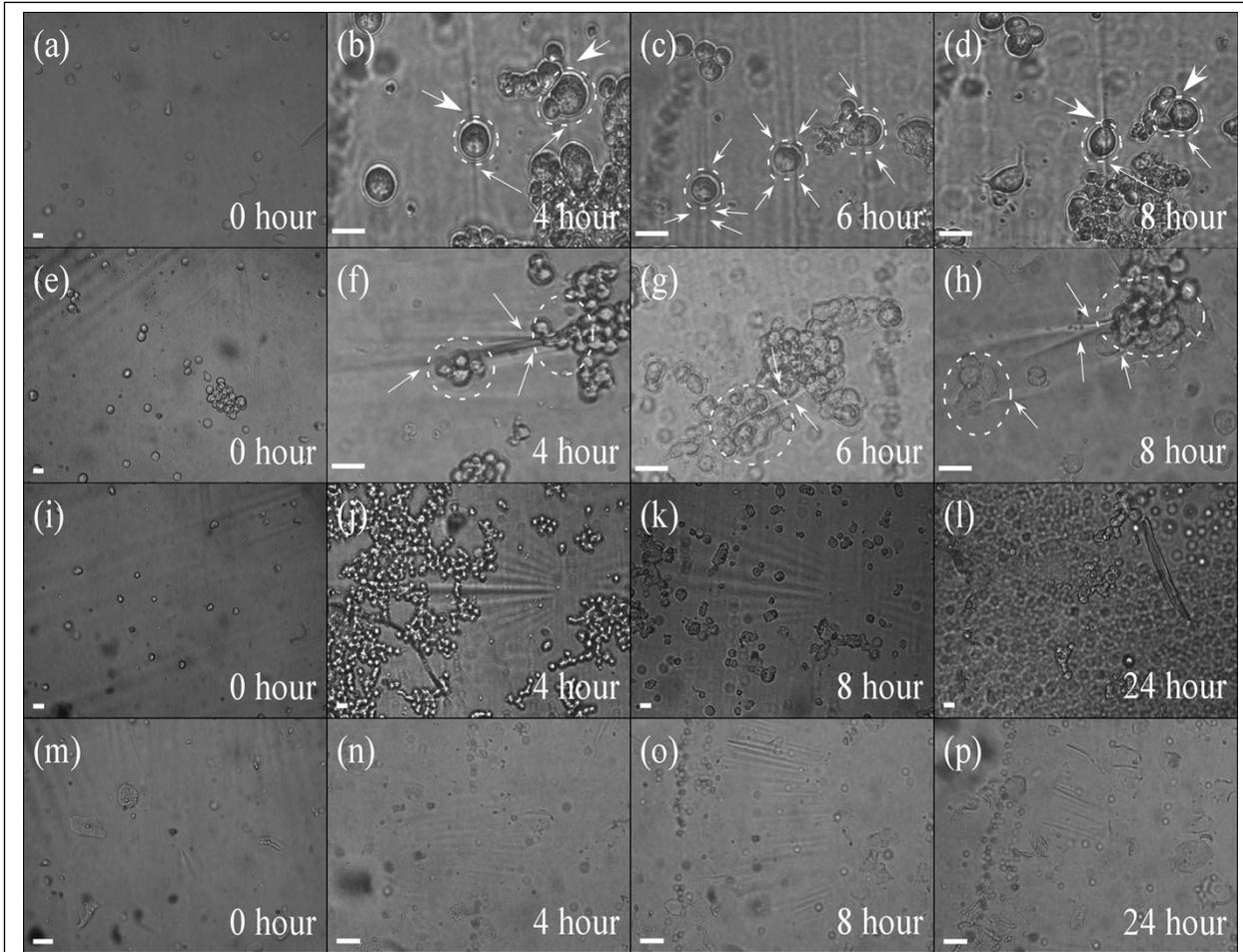
Cerdea E., Mahadevan L., 2003. *Phys. Rev. Lett.* 90, 074302.

### Supplementary Figures

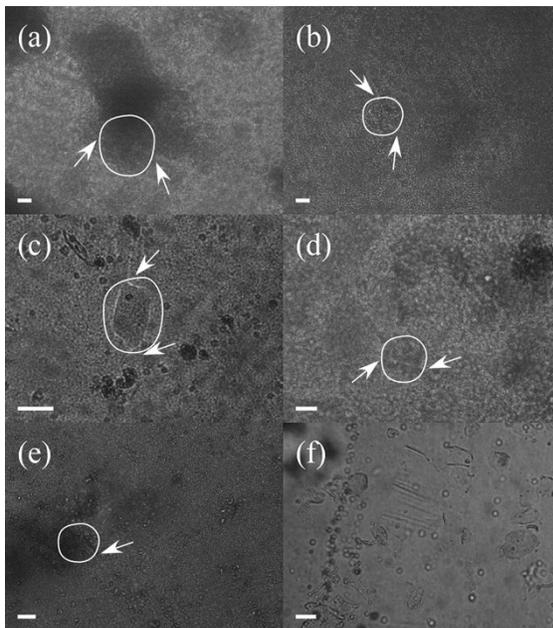




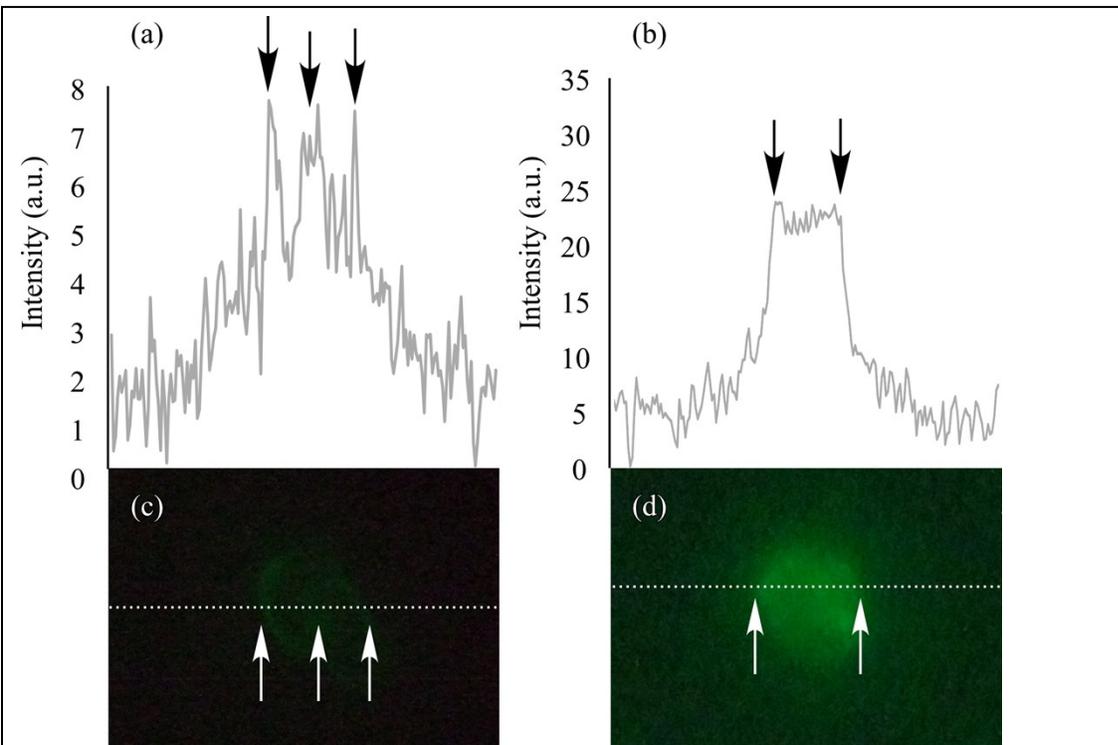
*Supplementary figure 2: Overall imaging set-up for the observation of wrinkle patterns generated by cancerous cells. Inset shows 6 devices which each contain ultra-thin membranes, culture media and cells.*



Supplementary Figure 3: Time Lapse of Wrinkle Pattern Formation in All Cell Types (a) – (d) RT4 cells at 0, 4, 6, & 8 hours, generating 2 wrinkle patterns, (e) – (h) T24 cells at 0, 4, 6, & 8 hours, generating 2 wrinkle patterns, (i) – (l) T24 cells at 0, 4, 8, & 24 hours, generating 2 wrinkle patterns, (m) – (p) healthy donor control at 0, 4, 8, & 24 hours, no wrinkle patterns are present. All scale bars are 20  $\mu\text{m}$ .



Supplementary Figure 3: Wrinkle Patterns Formed by Clinical Patient Samples (a) wrinkle pattern generated by patient 1 after 24 hours (b) wrinkle pattern generated by patient 2 after 24 hours (c) wrinkle pattern generated by patient 5 after 12 hours (d) wrinkle pattern generated by patient 3 after 24 hours (e) wrinkle pattern generated by patient 4 after 12 hours (f) no wrinkle patterns generated by healthy donor control. All scale bars are 20  $\mu\text{m}$ .



Supplementary Figure 4: Fluorescent Intensity Traces Comparing F-Actin in T24 & HEK293f Cells  
**(A)** & **(B)** are intensity traces which follow the dashed white lines in **(C)** and **(D)** respectively, **(C)** is a fluorescently stained T24 cell and **(D)** is a fluorescently stained HEK293f cell. Arrows indicate spikes the corresponding areas responsible for spikes in the intensity traces. All scale bars are 20  $\mu\text{m}$ .