## Protein structural robustness to mutations: an in silico investigation

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The electronic supplementary Information contains: supplementary method, supplementary Figure S1 and the Amino Acid rank pseudo-code.

## Supplementary methods.

*Fold X.* The run parameters are as followed. The PDB of CtxB5 is 1EEI and only two chains (Chains D and E) are considered for generating the mutation. Backbone and side chain atoms were allowed to move as well as neighbour atoms upon mutation (parameter moveNeighbours set to true). The "pdbHhydrogens" option was set to false so that hydrogen atoms were not included in the PDB output, because the positions of hydrogen atoms are not always calculated in a X-ray structure. Temperature was set to 298 K, the pH to 7.0, the ionic strength to 0.05M. The "crystalwaters" parameter was set to true, so crystallographic water bridges are considered in the PDB output if available in the crystal. OutPDB was set to true in order to generate a mutated PDB. Complex with DNA was set to false.



**Supplementary Figure S1.** Spheres of influence as seen on the X-ray structures of the 58 mutants. Two adjacent chains of the CtxB<sub>5</sub> are shown in strands, the interface is shown in dark and light grey ribbons to distinguish both chains (PDB WT 1EEI). The hotspots modified by the mutation are shown in spacefill, the mutated residue in red. The mutations are ordered per type of amino acids and decreasing arankr values within each type.

Amino Acid Rank Pseudocode.

The following procedure is used to define the hotspot network G = (V, E)where V and E are the vertice set (also called hotspot node set) and the edge set (also called link set) respectively and the weighted adjacency matrix  $W = (w_{i,j})$ and the adjacency matrix  $A = (a_{i,j})$ .

## Function SpectralPro(Protein PDB).

```
for Chain in Protein do
    for Residue i in Chain do
       for Residue j in {Protein \ Chain} do
           w = 0
           w = Cardinality of the set \{(atom, atom') \mid atom \in Residue i, atom' \in Cardinality of the set \}
Residue j
            and dis(atom, atom') \leq 5\mathring{A}
           if w > 0 then
               Residue i \in V, Residue j \in V and edge(Residue i, Residue j) \in
E, w_{i,j} = w and a_{i,j} = 1
           else w_{i,j} = 0 and a_{i,j} = 0
           end if
       end for
    end for
end for
return G, W, A
```

In the algorithm Residue j in {Protein  $\setminus$  Chain} means Residue j belongs to a different chain than Residue i.

Next, we present the procedure to define the difference matrix  $D_r$  in order to compute the structural changes induced by a single hotspot mutation at position r. The terminology wt and mut is used to refer to the wild-typeprotein weighted adjacency matrix  $W^{wt}$  and the mutated-protein adjacency matrix  $W_r^{mut}$  associeted with a mutation of residue in position r.

Function  $\operatorname{Arank}(W^{wt}, W^{mut}_r)$ .

for (i, j) in  $N \times N$  do  $d_{i,j} = w_{i,j}^{mut} - w_{i,j}^{wt}$ end for  $arank_r = \sum_{i,j} |d_{i,j}|$   $local_r = \sum_j |d_{r,j}|$ return  $D_r, arank_r, local_r$  Finally, we state the procedure to define the function backup,  $B = (b_{i,j})$ where  $(i, j) \in E(G^{wt})$  (The set of edges of the wild type protein graph). Be careful the set of nodes  $C_1$  and  $C_2$  are amino acids along 2 given chains of the whole protein. The PDB of the protein gives the numbering from the first to the last amino acid of the protein. And we define  $\sigma$  the renumbering of amino acid in the hotspot network from 1 to N. Namely a hot spot amino acid in position n in the whole sequence has position  $\sigma(n)$  in the hot spot networks. If we have a non hot spot residue m in  $C_1$  then the value  $a_{\sigma(m),\sigma(n)}^{wt}$  is 0 in the sum below or if we have a non hot spot residue n in  $C_2$  then the value  $a_{\sigma(m),\sigma(n)}^{wt}$  is 0 in the sum below .

**Function Backup**( $ProteinPDB, G^{wt}$ ).

 $\begin{array}{l} \text{for } (i,j) \text{ in } E(G^{wt}) \text{ do} \\ C_1 &= \{ Residue \ i-4, \ldots, Residue \ i, \ldots, Residue \ i+4 \mid \sigma(Residue \ i) \in V(G^{wt}) \} \\ C_2 &= \{ Residue \ j-4, \ldots, Residue \ j, \ldots, Residue \ j+4 \mid \sigma(Residue \ j) \in V(G^{wt}) \} \\ b_{i,j} &= -1 + \sum_{m \in C_1, n \in C_2} a_{\sigma(m), \sigma(n)}^{wt} \\ \text{end for} \end{array}$ 

return B

Remark that residues i and j belong to different chains and therefore  $C_1 \cap C_2 = \emptyset$  for any two vertices i, j.