

Ser86	3	2					
Asp87	1						
Ile88	1						
Thr89	2	1	1				
Ala90	1	1	1	1	1	1	
Ser91	4	3	3	4	4	3	
Val92							
Asn93	1	1					
Cys94							
Ala95							
Lys96	2	3					
Lys97	3	3					
Ile98							
Val99							
Ser100							
Asp101							
Gly102	1	1			1		
Asn103	3	3	1			2	
Gly104	1	1	1		1	1	
Met105							
Asn106	4	3					
Ala107							
Trp108	1	1	1	1	1		
Val109		2	1				
Ala110	1	1	1				
Trp111							
Arg112	5	4	2	1			
Asn113	2	1	1				
Arg114	6	6	4				
Cys115							
Lys116	2	3					
Gly117	1	1	1				
Thr118	1						
Asp119		1	1				
Val120							
Gln121	2	3	3	1			
Ala122							
Trp123	1	1	1	1	1	1	
Ile124							
Arg125	3	3	2				
Gly126	1	1					
Cys127							
Arg128	7	4					
Leu129	1						

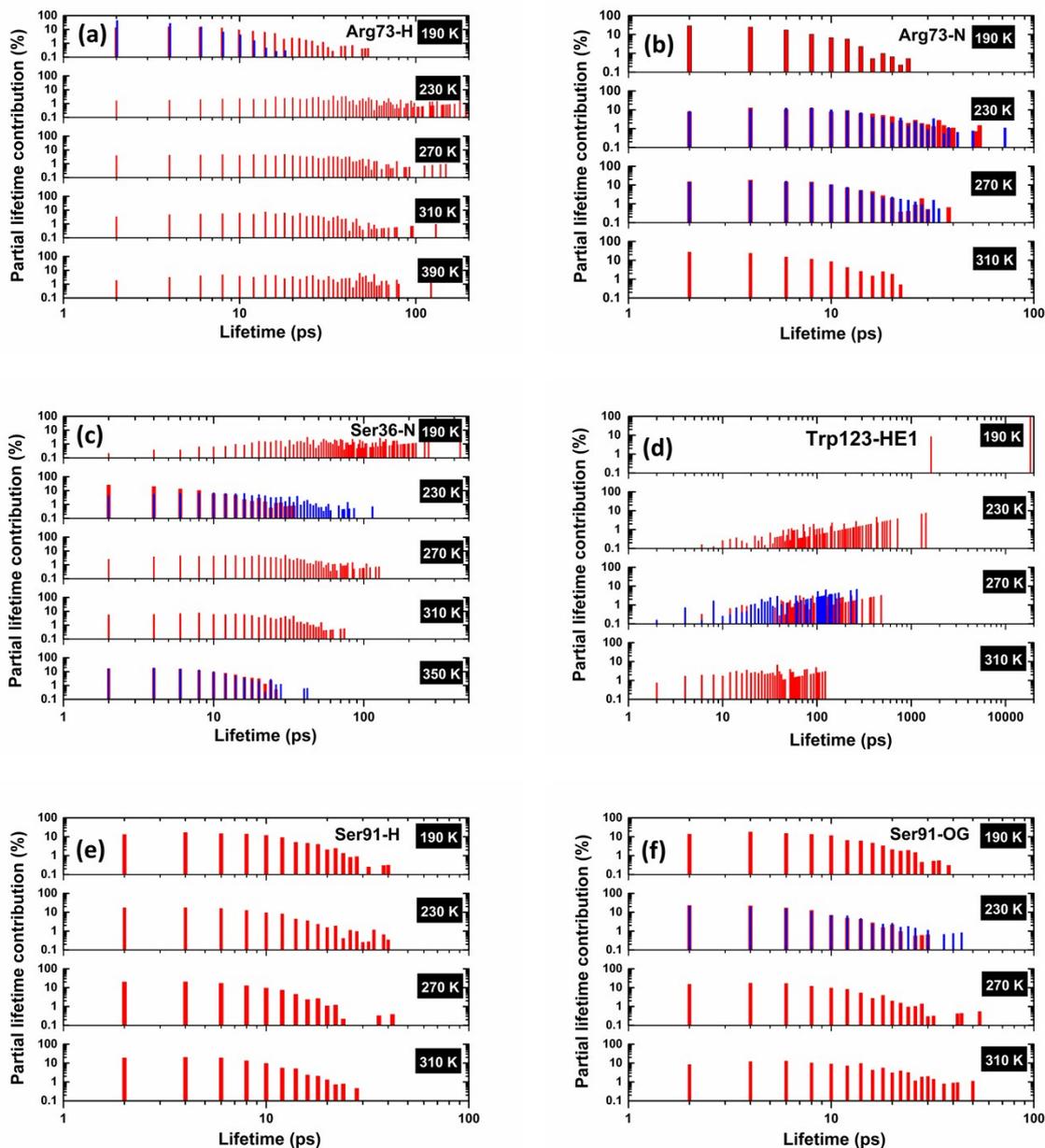


Figure S1. Partial lifetime contribution (PLC) for (a,b) Arg73, (c) Ser36, (d) Trp123, and (e,f) Ser91. Partial lifetime contribution is defined as *the proportion of time it contributes to the occupation time of that particular hydrogen bond (in percentage terms)*.

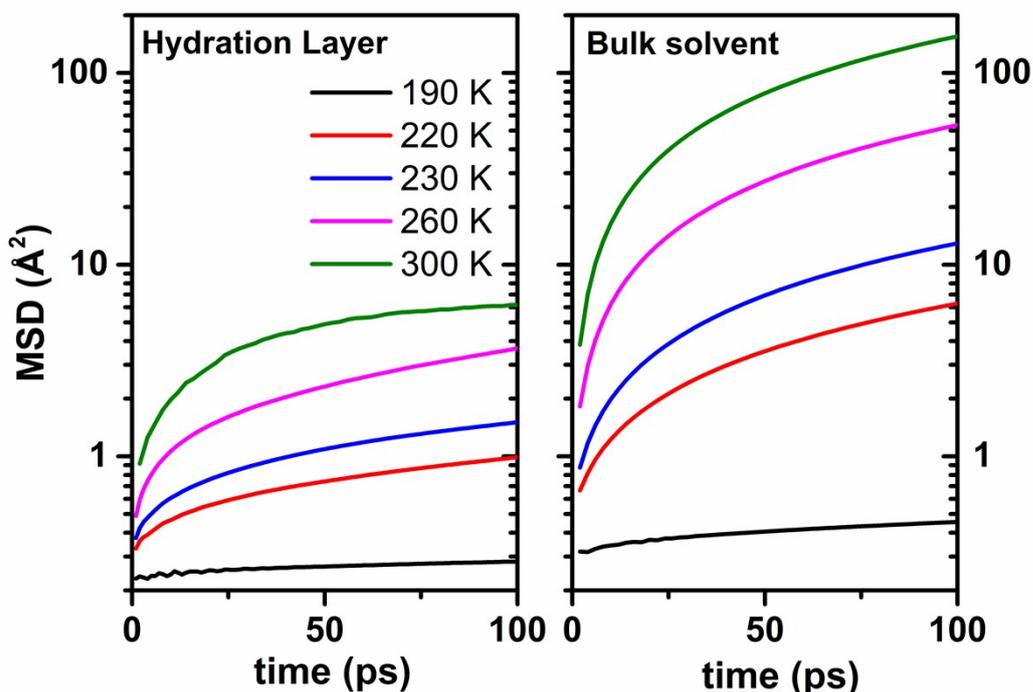


Figure S2. Comparison of mean square displacements of water in the hydration layer (left panel) and water consisting the rest bulk part of the solvent (right panel). It is quite evident that hydration layer MSDs are almost one order in magnitude less than the bulk. It clearly indicates that the water in the hydration layer are subject to spatial confinement.

Calculation of probability density associated to hydrogen bond lifetime (in Fig. 6):

The horizontal axes in Fig. 6, representing hydrogen-bond lifetime, is divided into ‘*N*’ number of bins with a fixed ‘*binwidth*’ (in *ps*). Here, each bin represents a particular value of lifetime for which the associated probability density, for the *i*th bin, is given by the following:

$$probability\ density\ (i) = prefactor \times\ bincount(i) \dots\dots\dots(1)$$

where,

$$prefactor = \frac{total\ probability}{\sum_{i=1}^N (bincount(i) \times binwidth)} \dots\dots\dots(2)$$

In this work, we choose to express the total probability as the occupation time expressed in percentage proportion of the total simulation time. If ‘*OccpTime*’ is the occupation time of a hydrogen bond, and ‘*SimlTime*’ be the total length of the simulation, then the total probability is expressed as follows:

$$total\ probability = (OccpTime/SimlTime) \times 100 \dots\dots\dots(3)$$