

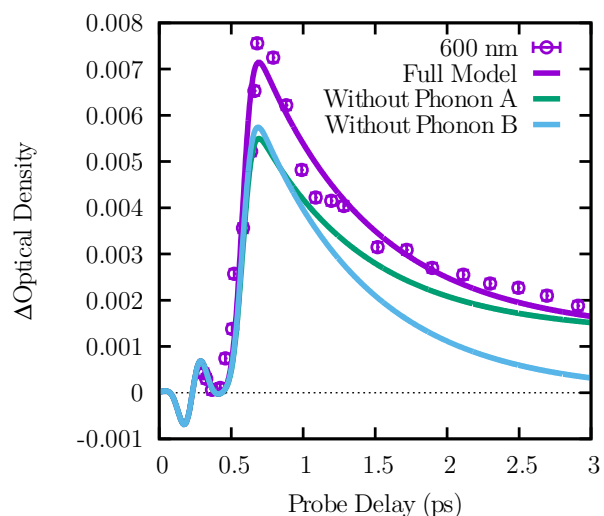
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## Supplementary information: Seeing the invisible plasma with transient phonons in cuprous oxide

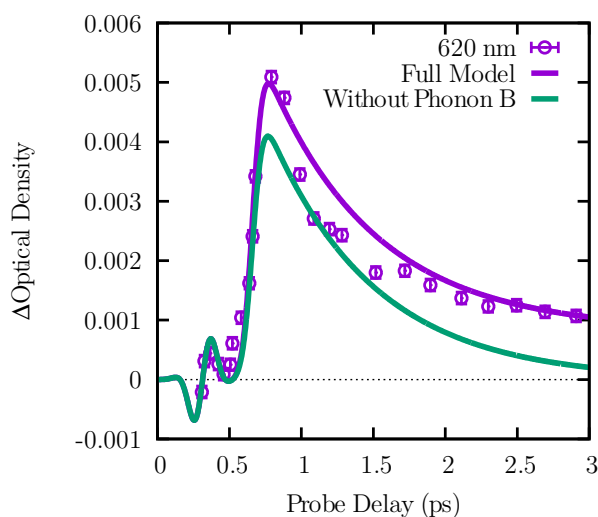
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### 1 Amplitudes of transitions are substantial

To demonstrate that there is a substantial contribution to phonon-to-exciton transitions from each of the two phonons, Figures 1 and 2 show a small sample of the data. The curves show the full model and the model with one phonon deleted. The model is determined from the full transient absorption spectrum of 113,894 data points. In Figure 1, both phonons contribute. In Figure 2, only the B phonon contributes to phonon-to-exciton transitions. Since the B phonon has more energy, it induced absorption further below the bandgap.



**Fig. 1** Points: Transient absorption data at 600 nm taken from Fig. 3 in the main text. Curves: Model, with and without the contributions of the A and B phonons.



**Fig. 2** Points: Transient absorption at 620 nm. Curves: Model, with and without the contribution of the B phonon.

### 2 Evaluation of calculated standard errors

We calculated lifetimes and standard errors using a regression and 113,894 measurements of transient absorption. To demonstrate that the calculated standard errors are reasonable, we simulated 100 experiments by recalculating the lifetimes and standard errors from random samples of 25,000 (22%) measurements out of the full data set. The results are not normally distributed because time constants are non-negative. The result from a random sample was judged to have a good standard error if the sample time constant was within two sample standard errors of the overall time constant:

$$\tau_{n=113,894} < \tau_{n=25,000} + 2\Delta\tau_{n=25,000} \quad (1)$$

and

$$\tau_{n=113,894} > \tau_{n=25,000} - 2\Delta\tau_{n=25,000} \quad (2)$$

For  $\tau_A$ , the two criteria were met 59% of the time. For  $\tau_B$ , the criteria were met 95% of the time. Therefore we conclude that the standard errors are reasonably reliable. In Figure 3 we show how the calculated value of  $\tau_A$  varies for different sample sizes.

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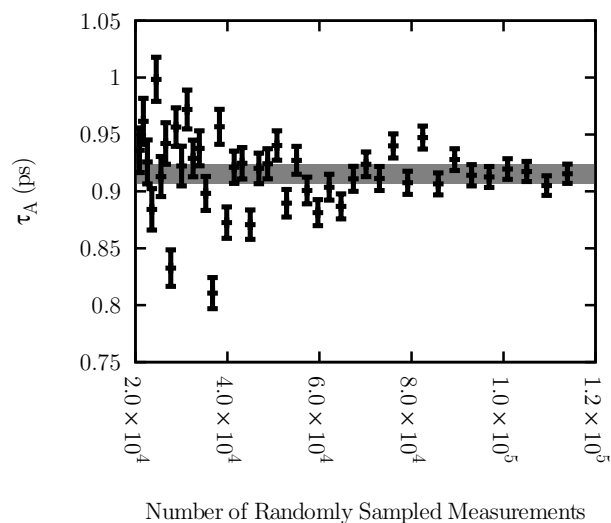
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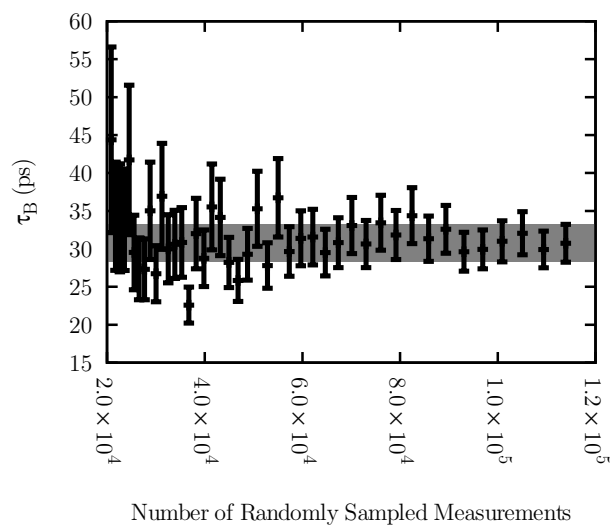
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Figure 4 shows the same information for  $\tau_B$ . If the sample size is less than about 20,000, the model may not converge owing to insufficient information.



**Fig. 3** The value of  $\tau_A$  computed for various random sample sizes.



**Fig. 4** The value of  $\tau_B$  computed for various random sample sizes.