

## SUPPORTING INFORMATION

### A study of conductive hydrogel composites of pH-responsive microgels and carbon nanotubes

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## I. Figures

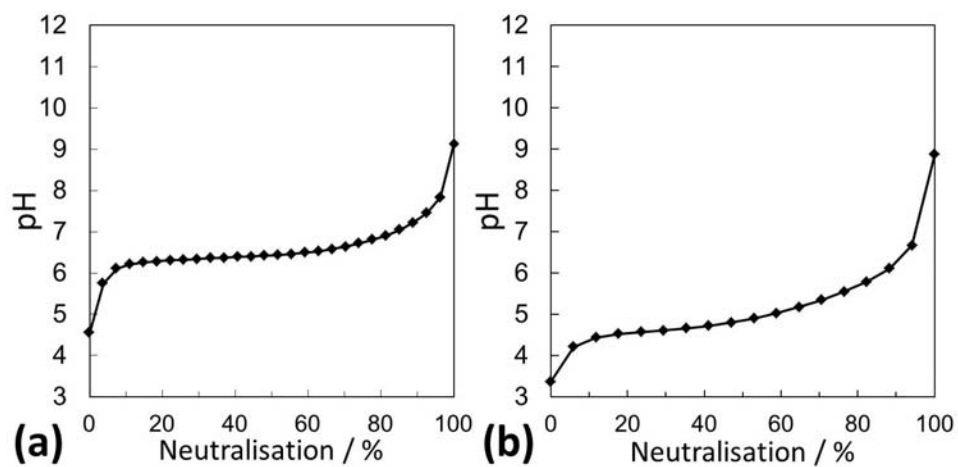


Fig. S1. Potentiometric titration data for MG1 (a) and MG2 (b).

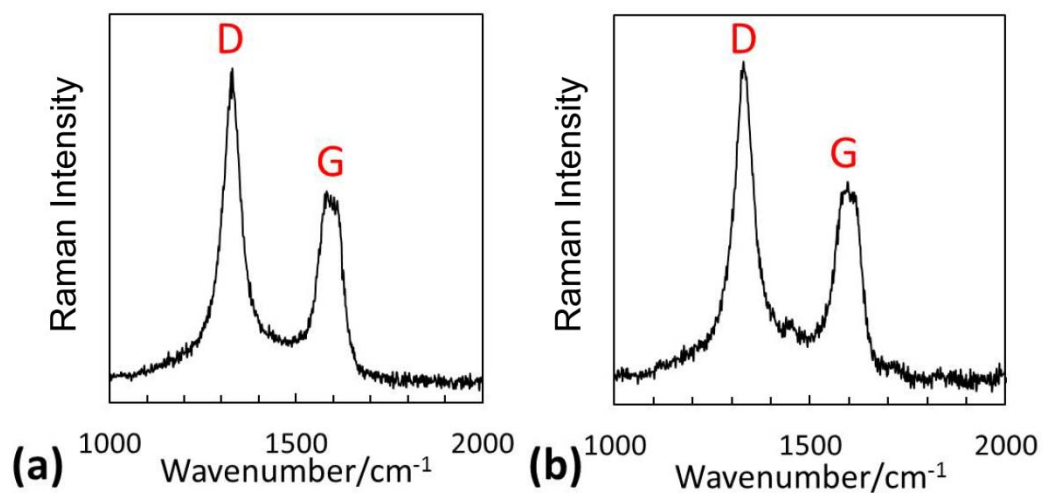
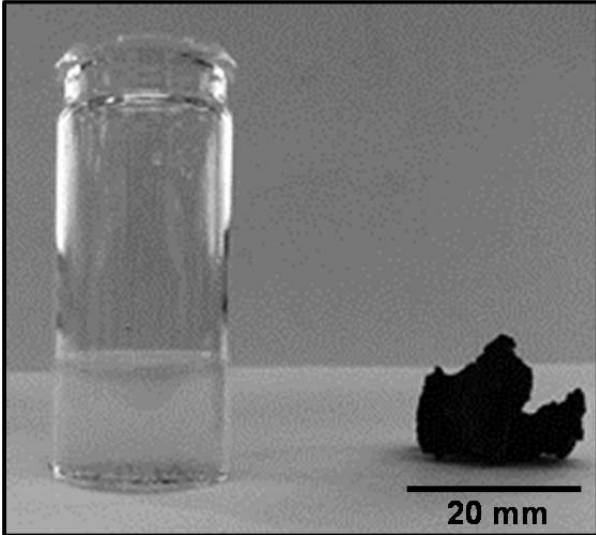
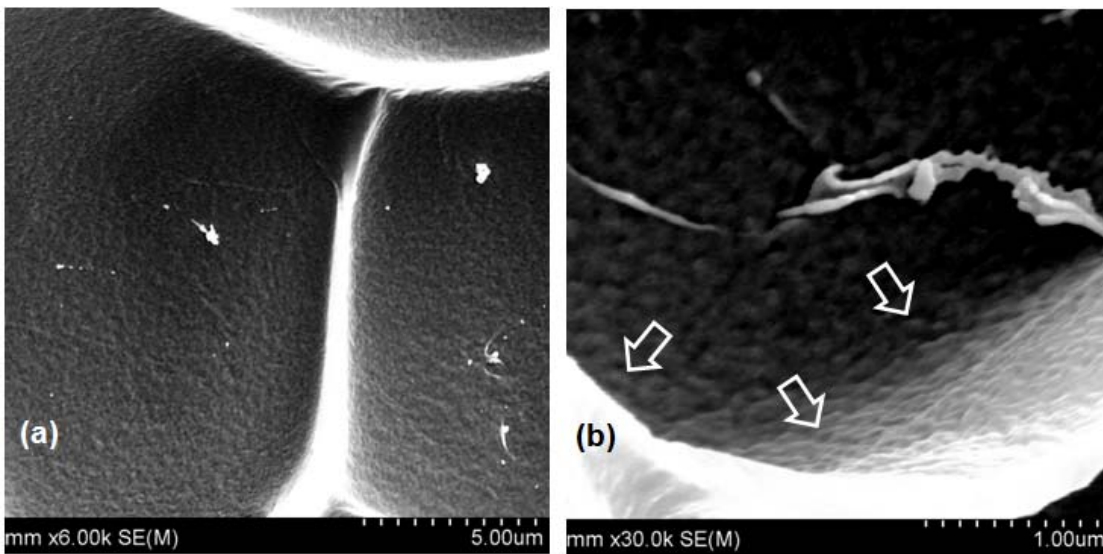


Fig. S2. Raman spectra for as-made and dispersed CNTs. (a) as-supplied CNT and (b) CNTs dispersed using MG1.



**Fig. S3. Colloidal instability of mixed MG1/CNT dispersions at pH 5.0.** After mixing, the MG and CNTs formed a macroscopic aggregate.



**Fig. S4. SEM images showing the morphology of DX MG2/CNT<sub>1.0</sub> gel composite.** Individual MG2 particles can be seen from both images and are highlighted with arrows for (b).

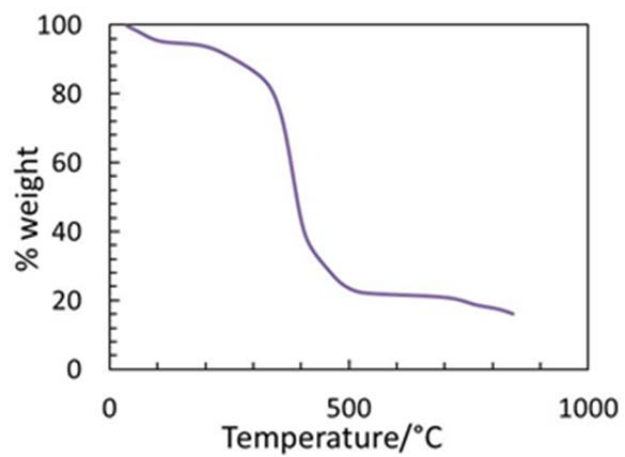
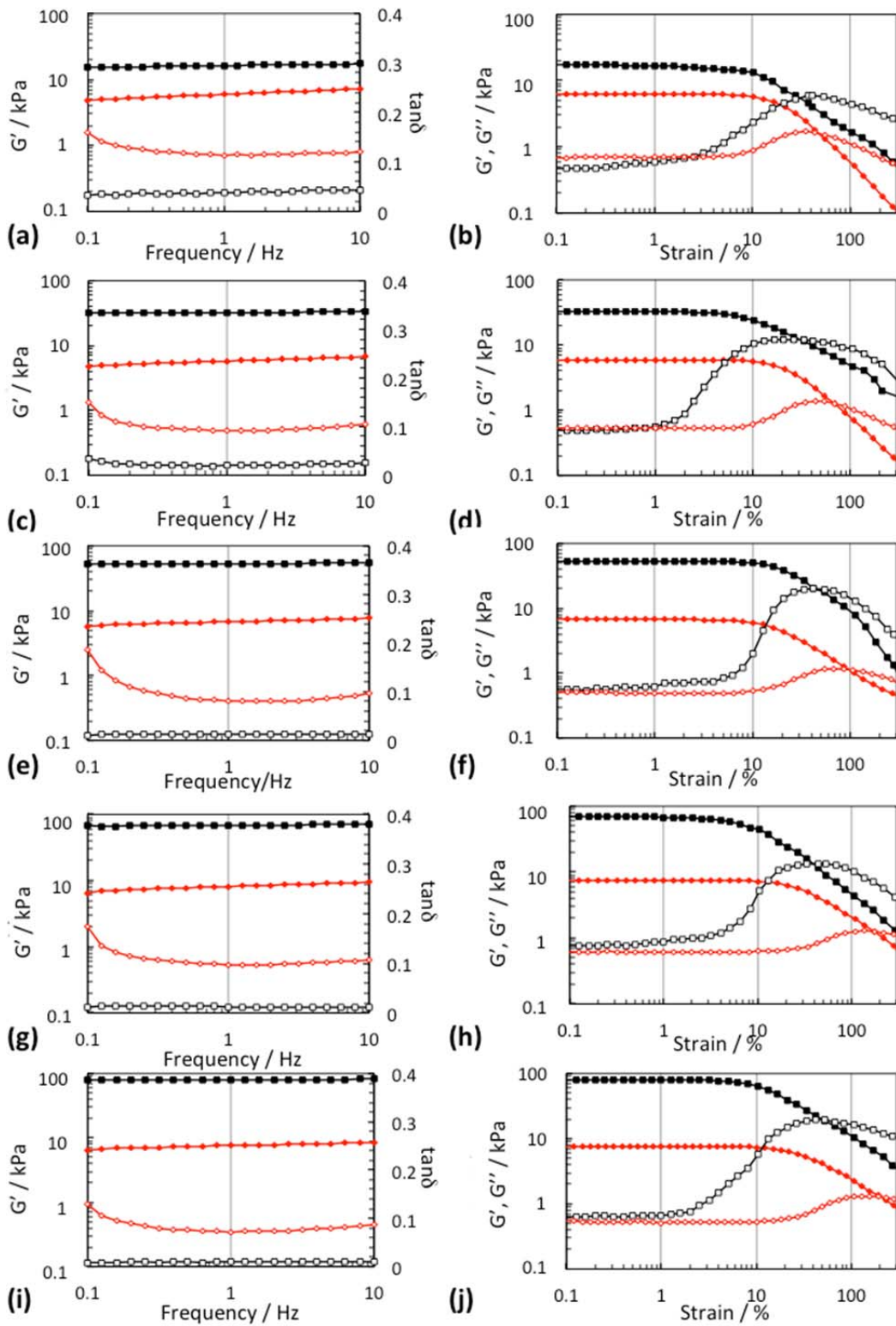
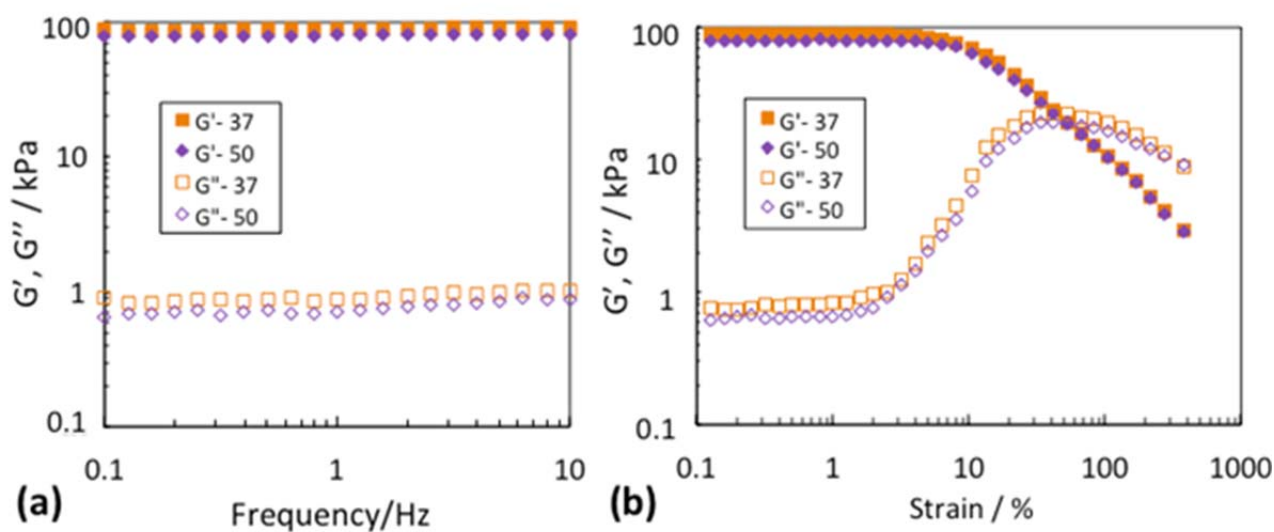


Fig. S5. TGA data for DX MG1/CNT<sub>0.5</sub>. The data were obtained by heating in a N<sub>2</sub> atmosphere at a rate of 10 °C/ min.



**Fig. S6. Dynamic rheology data for various hydrogel composites.** Black and red symbols apply to DX MG1/CNT and SX MG1/CNT, respectively. Frequency-sweep data are shown in the left hand column. The closed and open symbols are  $G'$  and  $\tan \delta$ , respectively. Strain-sweep data are shown in in the right hand column. The closed and open symbols are  $G'$  and  $G''$ , respectively. The concentrations of CNT used to prepare the composite gels were 0 ((a) and (b)), 0.25 ((c) and (d)), 0.50 ((e) and (f)), 0.75 ((g) and (h)) and 1.0% ((i) and (j)).



**Fig. S7.** Comparison of rheology data for DX MG1/CNT<sub>1.0</sub> prepared at 37 °C and 50 °C. (a) Frequency-sweep data. (b) Strain-sweep data. For both figures  $G'$  and  $G''$  values are shown as closed and open symbols, respectively. The legends show the temperatures used (° C).

## II. Table

**Table S1 characterisation data for the microgels**

Abbreviation	Mol.% MAA <sup>a</sup>	Mol.% GMA <sup>a</sup>	$d_{n(SEM)}$ <sup>b</sup> / nm	$d_{h(4)}$ <sup>c</sup> / nm	$d_{h(10)}$ <sup>c</sup> / nm	$Q_{MG(10)}$ <sup>d</sup>	$pK_a$ <sup>e</sup>
MG1	38.2	8.0	74 (12)	77	278	47	6.3
MG2	27.4	8.3	111 (17)	121	402	37	4.9

<sup>a</sup> Calculated from potentiometric titration data. <sup>b</sup> Number-average diameters determined from SEM. The number in brackets is the coefficient of variation. <sup>c</sup> The hydrodynamic diameters ( $d_h$ ) at pH 4.0 and 10.0. <sup>d</sup> Swelling ratio calculated at pH 10.0 using  $Q_{MG} = (d_{h(10)}/d_{h(4)})^3$ . <sup>e</sup> The apparent  $pK_a$  values were determined from potentiometric titration data.

### III. Derivation of equation for maximum average fractional coverage of MGs by CNTs

A simple derivation is given for an equation for the maximum average fractional coverage of MG particles by CNTs, i.e.,  $\theta_{MG(max)}$ . The collapsed and swollen diameters for the MG particles are  $D_{MG(coll)}$  and  $D_{MG}$ , respectively. The MG particles are present in the gel composite with a total dry volume fraction of  $\phi_{MG(T)}$ . The volume swelling ratio for the MG particles is  $Q_{MG} (= (D_{MG}/D_{MG(coll)})^3)$ . The average length and diameter of the CNTs are  $L_{CNT}$  and  $D_{CNT}$ , respectively, and the CNTs are present in the composite with a volume fraction of  $\phi_{CNT(T)}$ . Because of their very high aspect ratios CNT end effects are ignored in the following. The steps for deriving an expression for  $\theta_{MG(max)}$  are to obtain expressions for the total surface areas of the MG particles ( $A_{MG(T)}$ ) and the CNTs ( $A_{CNT(T)}$ ) and then to use those expression to obtain the final equation for  $\theta_{MG(max)}$ .

An expression for  $A_{MG(T)}$  can be obtained using the product of the number of MG particles present in the gel ( $N_{MG}$ ) and the surface area for each MG particle ( $A_{MG}$ ). An expression for  $N_{MG}$  can be found from the ratio of total dry volume of MG particles to the volume of an individual MG particle in the collapsed state.

$$N_{MG} = \frac{6\phi_{MG(T)}V_T}{\pi D_{MG(coll)}^3} \quad (S1)$$

For equation S1,  $V_T$  is the total volume of the composite gel. The following expression for  $A_{MG(T)}$  can be found using equation S1,  $A_{MG} (= \pi D_{MG}^2)$  and the equation for  $Q_{MG}$  (above).

$$A_{MG(T)} = \frac{6\phi_{MG(T)}V_T Q_{MG}^{2/3}}{D_{MG(coll)}} \quad (S2)$$

An equivalent approach was used for the CNTs to that described above which gave the following.

$$A_{CNT(T)} = \frac{4\phi_{CNT(T)}V_T}{D_{CNT}} \quad (S3)$$

From the ratio of equations S2 and S3 we obtain the final equation:

$$\theta_{MG(max)} = \frac{2\phi_{CNT(T)}D_{MG(coll)}}{3\phi_{MG(T)}D_{CNT}Q_{MG}^{2/3}} \quad (S4)$$