# Stereodynamic control of star-epoxy/anhydride crosslinking actuated by liquid-crystalline phase transitions

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#### I. Materials and general methods

#### Methods and sample preparation:

The tri-component formulation has been prepared by finely grounding the monomer (TriaEP), the crosslinker (SA) and the initiator (2MI) together followed by a re-crystallization from acetone. The mixture has been dried under vacuum at 50°C for 3H. Then the resulting powder has been immediately used for DSC, rheology, optical microscopy and FT-IR as uncured mix. The polymer has been cured for 1h at 160°C and 1h at 180°C for X-ray and FT-IR experiments.

## II. FT-IR apparatus description and polymer characterization

An infrared Perkin Elmer Spectrum BX II spectrophotometer was used in Attenuated Total Reflectance (ATR) mode, with a diamond crystal. The spectrum of air was recorded as background. A total of 120 scans with a resolution of 1cm<sup>-1</sup> have been done for both background and samples.



Figure S1. FT-IR on TriaEP/SA uncured mix and TriaEP/SA cured polymer 1h at 160°C and 1h at 180°C

#### III. Thermokinetic theoretical statement

 $\begin{aligned} A_{\leftarrow}^{\rightarrow}B & v_1, K_1, \Delta_r G_1^0 \\ B \to C & v_2, k_2, E_2 \\ \hline \\ \hline \\ A \to C & v_{app}, k_{app}, E_{app} \\ K_1 &= \frac{C_B}{C_A} \Leftrightarrow C_B = K_1 C_A \\ v_2 &= k_2 C_B = k_2 K_1 C_A = \frac{dC_C}{dt} \\ v_{app} &= k_{app} C_A = \frac{dC_C}{dt} \\ k_{app} C_A &= k_2 K_1 C_A \\ K_1 &= \exp\left(-\frac{\Delta_r G^0}{RT}\right) = \exp\left(-\frac{\Delta_r H^0 - T\Delta_r S^0}{RT}\right) \end{aligned}$ 

$$\begin{aligned} k_2 &= A_2 \exp\left(-\frac{E_2}{RT}\right) \\ k_{app} &= k_2 K_1 = A_2 \exp\left(-\frac{E_2}{RT}\right) \exp\left(-\frac{\Delta_r G^0}{RT}\right) \\ k_{app} &= A_{app} \exp\left(-\frac{E_{app}}{RT}\right) \\ A_{app} &\exp\left(-\frac{E_{app}}{RT}\right) = A_2 \exp\left(-\frac{E_2}{RT} - \frac{\Delta_r G^0}{RT}\right) \\ E_{app} &= E_2 + \Delta_r G^0 \end{aligned}$$

This shows that if the absolute value of  $\Delta_r G^\circ$  is higher than that of  $E_2$  and its value negative, then  $E_{app}$  will be negative.