

# Supporting Information

## **Novel bonding patterns and optoelectronic properties of the two-dimensional Si<sub>x</sub>C<sub>y</sub> monolayers**

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**Table S1** | Calculated lattice constants, bond lengths, and cohesive energy of the predicted low-energy 2D SiC monolayers at GGA (PBE) level.

	Lattice constant Å	Bond lengths Å	Property	Cohesive energy eV/atom
<b>Graphene</b>	a=b=2.46	C-C 1.42	DF	7.94
<b>L-SiC<sub>4</sub></b>	a= 6.25 b=2.45 buckling 0.95	Si-Si 2.45 Si-C 1.89 C-C 1.42	DF	6.91
<b><math>\delta</math>-silagraphyne</b>	a=6.26 b=4.10	Si-C 1.77 & 1.85 C-C 1.34 & 1.26	SM	6.55
<b>g-SiC<sub>2</sub></b>	a=b=5.02	Si-C 1.80 C-C 1.45	DB	6.46 <sup>a</sup>
<b>L-SiC<sub>2</sub></b>	a= 2.48 b=8.58 buckling 0.63	Si-Si 2.48 Si-C 1.97 C-C 1.42	IDB	6.20
<b><math>\alpha</math>-silagraphyne</b>	a=b=8.25	Si-C 1.76 C-C 1.24	DF	6.09
<b>pt-SiC</b>	a=2.86, b=3.88	Si-C 1.92 C-C 1.33	M	6.04 <sup>b</sup>
<b><math>\beta</math>-silagraphyne</b>	a=b=11.78	Si-Si 2.20 Si-C 1.78 C-C 1.24	DF	5.84
<b>O-Si<sub>2</sub>C<sub>3</sub></b>	a=6.79 b=3.06	Si-C 1.75 C-C 1.33	SM	5.81
<b>t-SiC</b>	a=3.67 b=3.21 buckling 1.42	Si-C 1.92 & 1.87	DB	5.55
<b><math>\gamma</math>-silagraphyne</b>	a=b=9.27 buckling 0.48	Si-Si 2.23 Si-C 1.79 C-C 1.23	DS	5.36
<b>L-silagraphyne</b>	a=5.03 b=7.24 buckling 0.65	Si-Si 2.28 Si-C 1.86 & 1.73 C-C 1.35 & 1.25	SM	5.35
<b>t-Si<sub>2</sub>C</b>	a=2.79 b=9.09	Si-Si 2.44 Si-C 1.89	SM	4.85
<b>T-silagraphyne</b>	a=3.17 b=10.58	Si-C 1.82 C-C 1.40 & 1.24	IDB	4.50
<b>Silicene</b>	a=b=3.87	Si-Si 2.28	DF	3.93

\* DF: Dirac Fermions. DB: Direct band gap. IDB: Indirect band gap.

\* SM: Semi-metallic. M: metallic

\* a: Ref.[17] b:Ref.[16]

**Table S2** | Calculated elastic constants, in-plane stiffness and Poisson's coefficients for predicted low-energy 2D SiC monolayers.\*<sup>1</sup>

	C <sub>11</sub> / GPa	C <sub>22</sub> / GPa	C <sub>12</sub> / GPa	C <sub>66</sub> / GPa	In-plane stiffness/ GPa·nm	Poisson's ratio
Graphene	358	358	65	147	346.73	0.18
Silicene	69	69	22	23	61.88	0.32
<i>t</i> -SiC	152	123	22	95	105(a)* <sup>2</sup> 119(b)* <sup>2</sup>	0.18(a)0.14(b)
<i>t</i> -Si <sub>2</sub> C	153	173	24	60	150(a)169(b)	0.14(a)0.16(b)
L-SiC <sub>4</sub>	121	292	12	67	121(a)291(b)	0.04(a)0.10(b)
L-SiC <sub>2</sub>	254	139	7	49	253(a)139(b)	0.05(a)0.03(b)
O-Si <sub>2</sub> C <sub>3</sub>	219	125	46	26	202(a)115(b)	0.37(a)0.21(b)

\*<sup>1</sup>: Calculated by equations in Reference: Zhang, S., et al. PNAS, 112.8(2015):2372-7. where C<sub>11</sub>, C<sub>12</sub>, C<sub>21</sub> and C<sub>22</sub> represent elastic contacts (GPa) calculated by VASP.

\*<sup>2</sup>: a direction and b direction of 2D BC compounds.

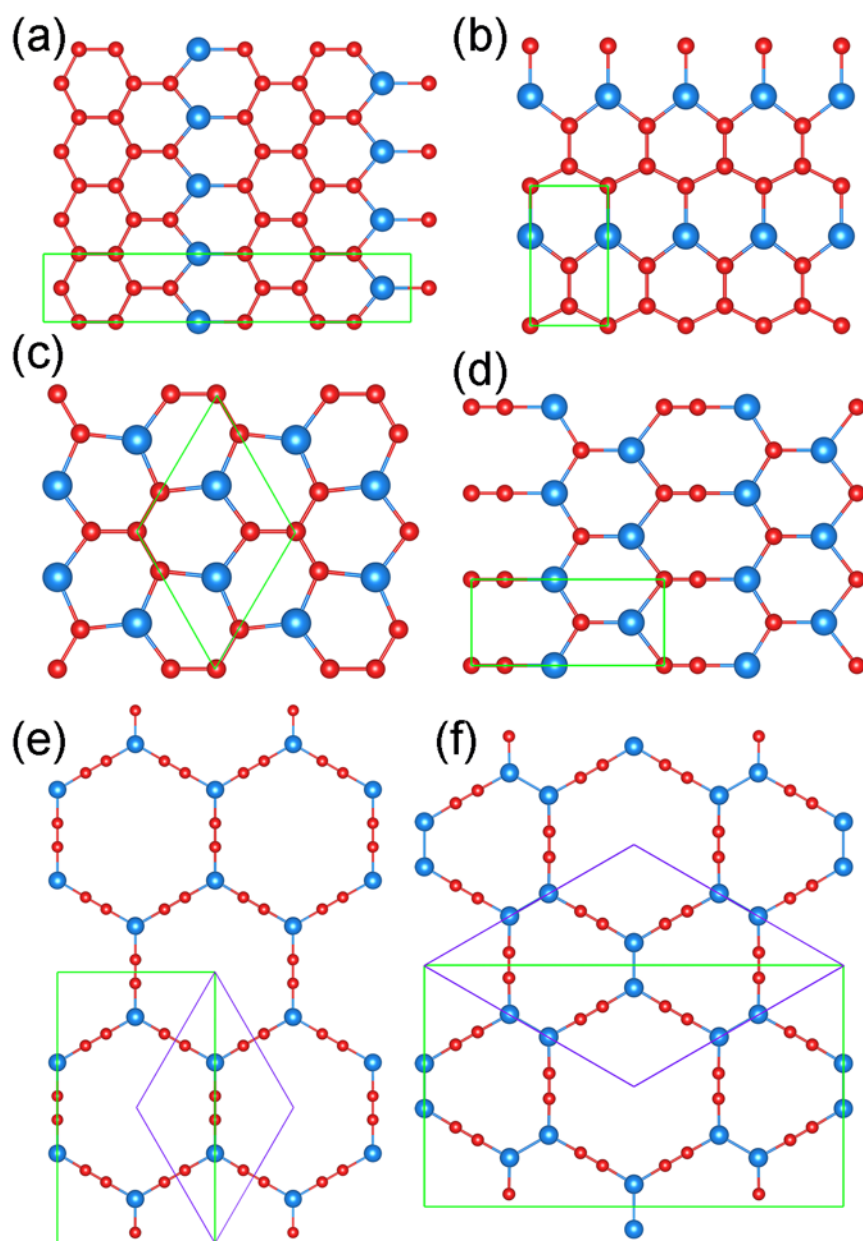
**Table S3** | Calculated elastic constants, in-plane stiffness and Poisson's coefficients for predicted low-energy 2D SiC monolayers.

	C <sub>11</sub> / GPa	C <sub>22</sub> / GPa	C <sub>12</sub> / GPa	C <sub>66</sub> / GPa	In-plane stiffness/ GPa·nm	Poisson's ratio
<b>α-graphyne</b>	96	96	81	7	27.03(21.00 <sup>ref1</sup> )	0.85(0.88 <sup>ref1</sup> )
<b>β-graphyne</b>	130	130	88	21	70.80(73.07 <sup>ref2</sup> )	0.68(0.67 <sup>ref2</sup> )
<b>γ-graphyne</b>	196	196	83	56	160.25(162.1 <sup>ref3</sup> )	0.43(0.429 <sup>ref3</sup> )
<b>α-silagraphyne</b>	61	61	55	3	17.00	0.89
<b>β-silagraphyne</b>	68	68	53	8	26.36	0.78
<b>γ-silagraphyne</b>	76	76	47	15	47.55	0.61
<b>δ-silagraphyne</b>	253	105	32	7	243(a)101(b)	0.30(a)0.13(b)
<b>T-silagraphyne</b>	95	242	35	9	90(a)229(b)	0.14(a)0.37(b)
<b>L-silagraphyne</b>	39	87	9	1	38(a)84(b)	0.10(a)0.23(b)

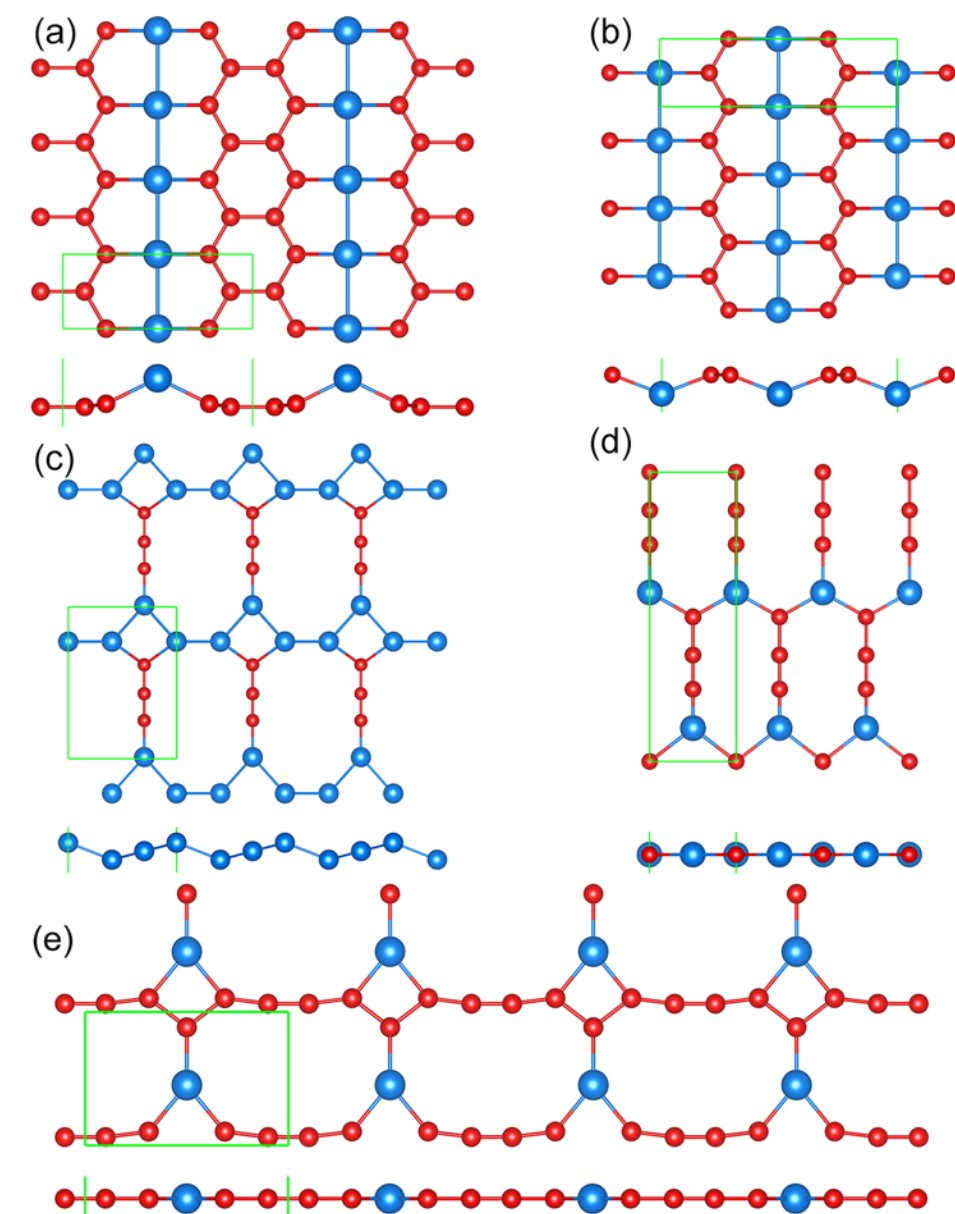
**Ref<sup>1</sup>**: Journal of Physical Chemistry C 117.5 (2013): 2175-2182.

**Ref<sup>2</sup>**:Carbon 96 (2016): 879-887.

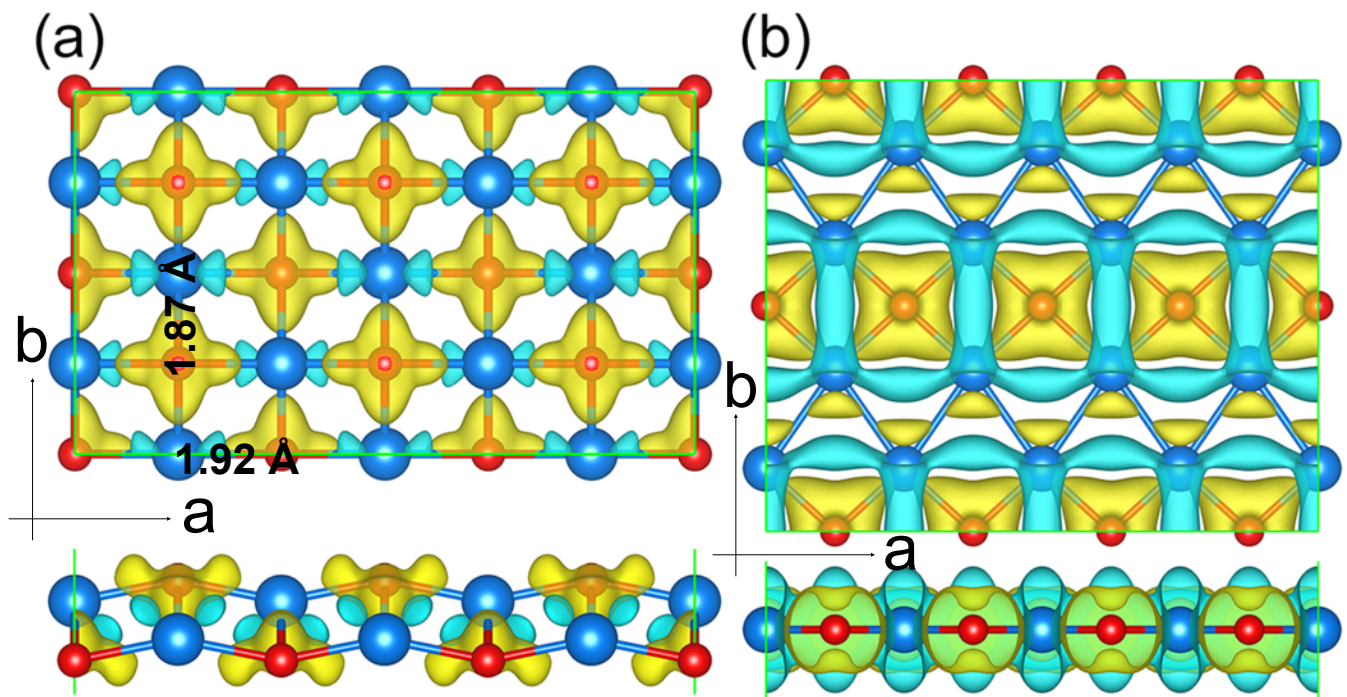
**Ref<sup>3</sup>**: Physical Chemistry Chemical Physics 14.38 (2012): 13385-13391.



**Fig S1** | Crystal structure of  $h$ -SiC<sub>5</sub>,  $h$ -SiC<sub>3</sub>,  $h$ -SiC<sub>2</sub>, O-Si<sub>2</sub>C<sub>3</sub>,  $\alpha$ -silagraphyne and  $\beta$ -silagraphyne from top view. The blue and red balls represent Si and C atoms, respectively. The green lines denote a unit cell.

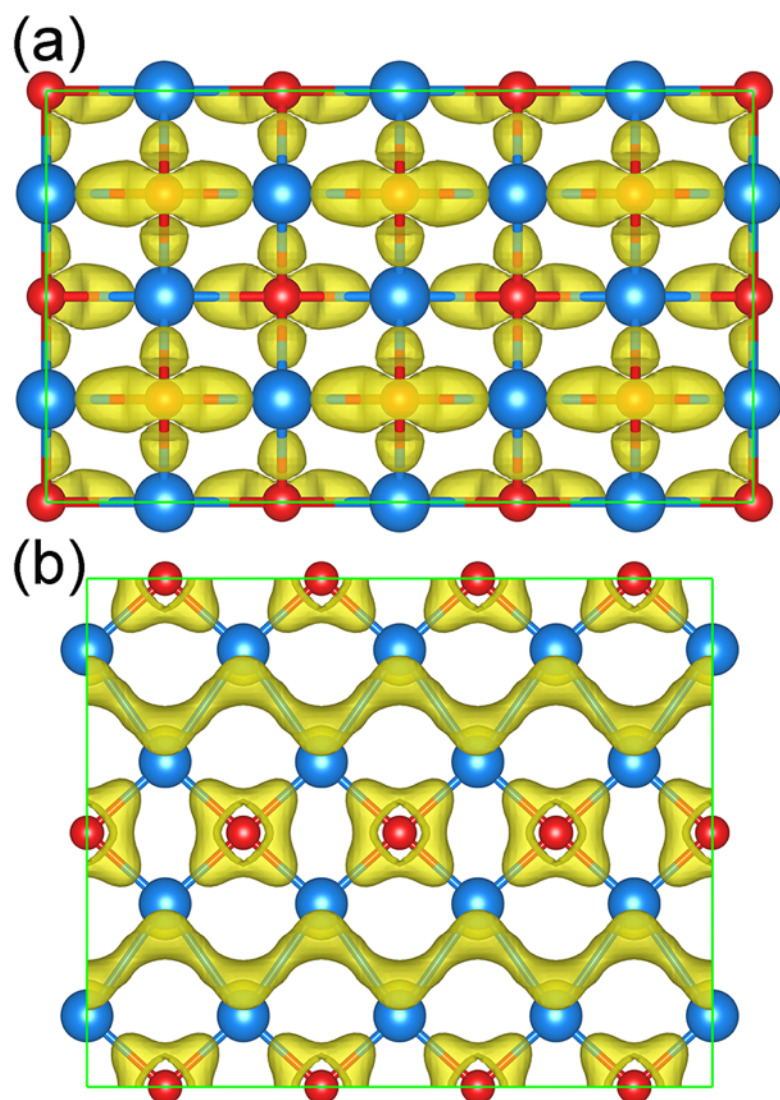


**Fig S2** | Top (upper) and side (lower) views of geometric structure of (a) L-SiC<sub>4</sub>, (b) L-SiC<sub>2</sub>, (c) L-silagraphyne, (d) T-silagraphyne and (e)  $\delta$ -silagraphyne. The green lines denote a unit cell. The blue and red balls represent Si and C atoms, respectively.



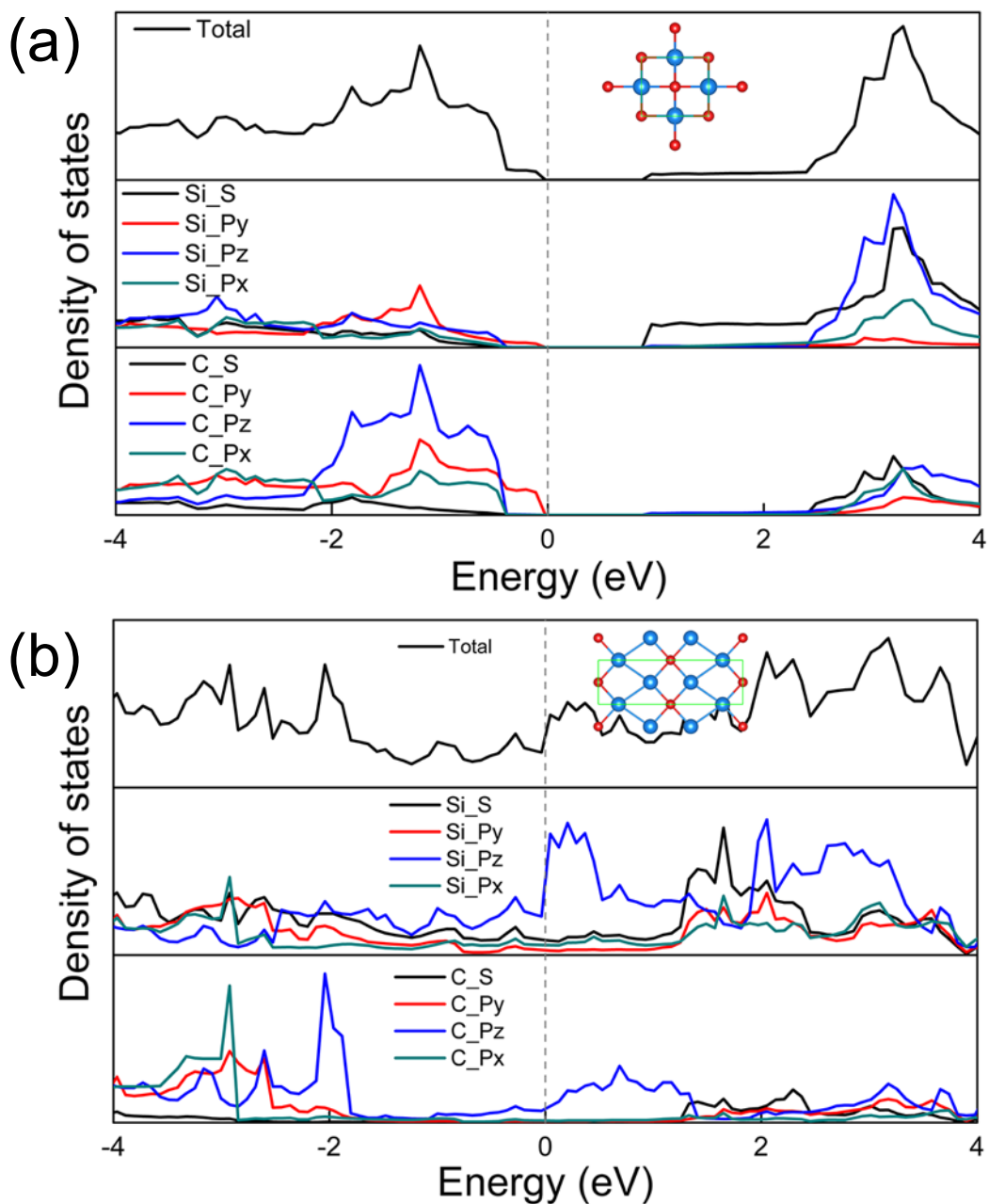
**Fig S3** | Deformation charge density of (a) *t*-SiC and (b) *t*-Si<sub>2</sub>C monolayer. Yellow and blue refer to electron accumulation and depletion regions, respectively. The blue and red balls represent Si and C atoms, respectively. The isosurface value is 0.02 and 0.005 e/au. The transferred electrons mainly originated from the Si atoms of *t*-SiC. The Si-C bond length in the buckled structure is 1.92 and 1.87 Å along **a** and **b** direction, due to the different degree of the localization of electronic states on Si-C bonds.



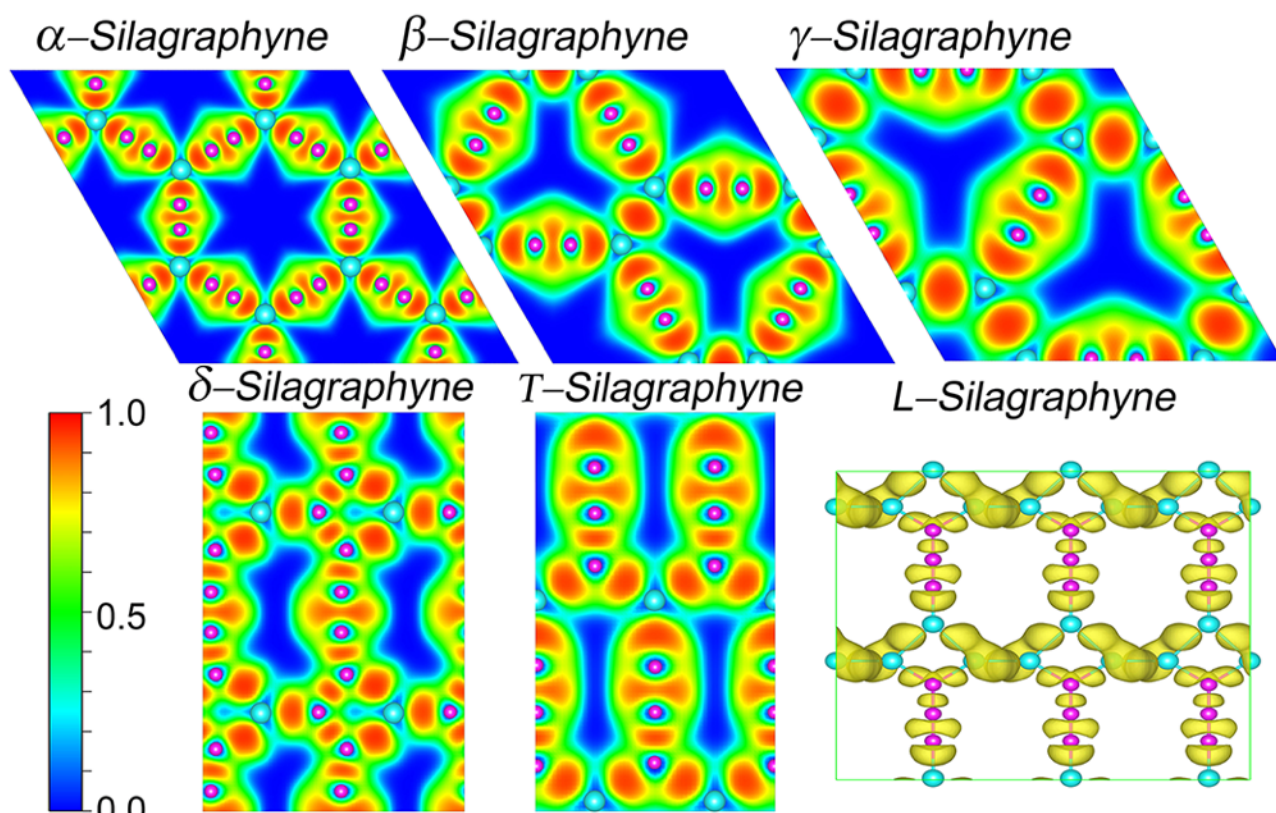


**Fig S4** | Isosurfaces of electron location function plotted with the value of 0.80 and 0.75 au for *t*-SiC and *t*-Si<sub>2</sub>C monolayer, respectively.

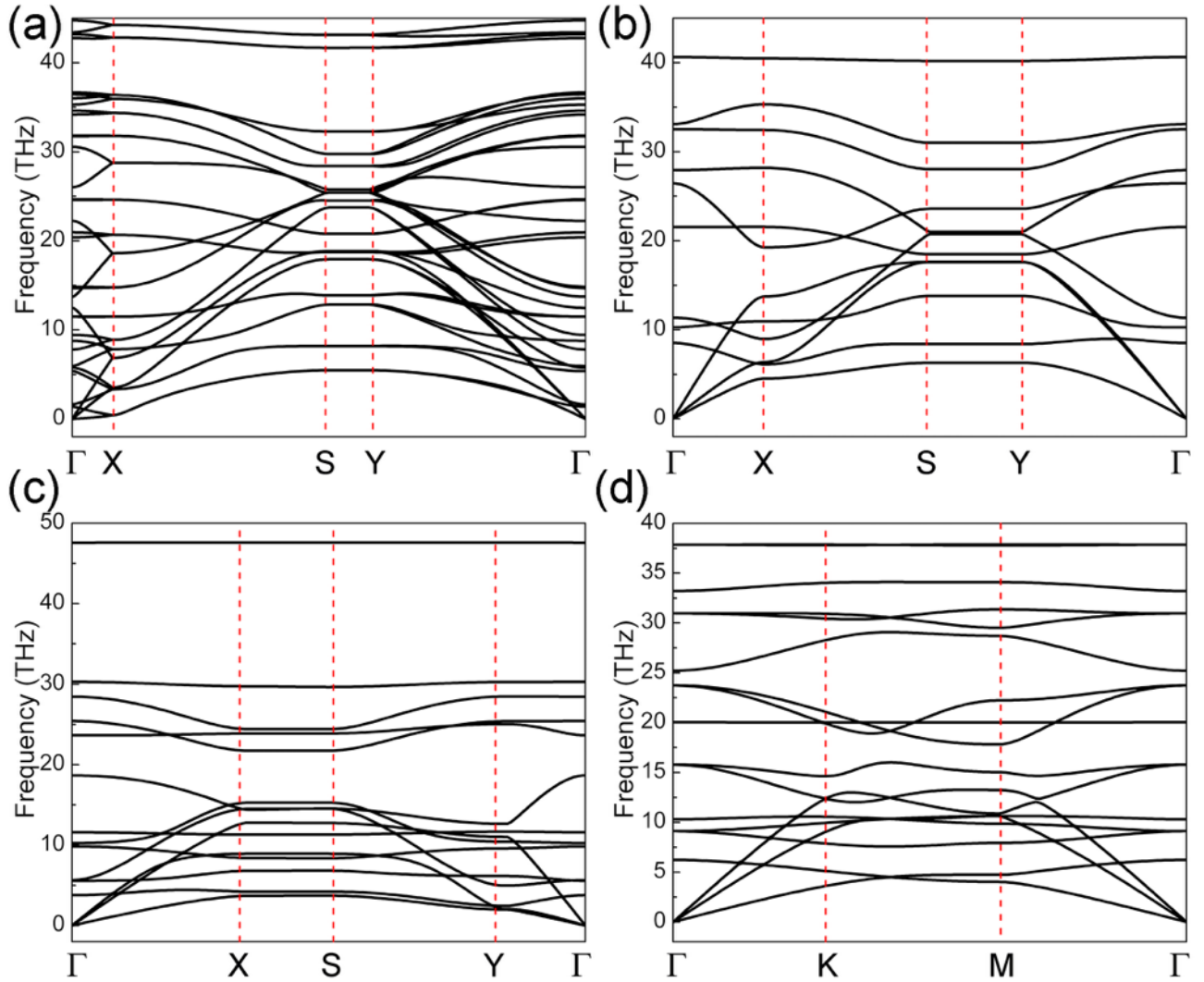




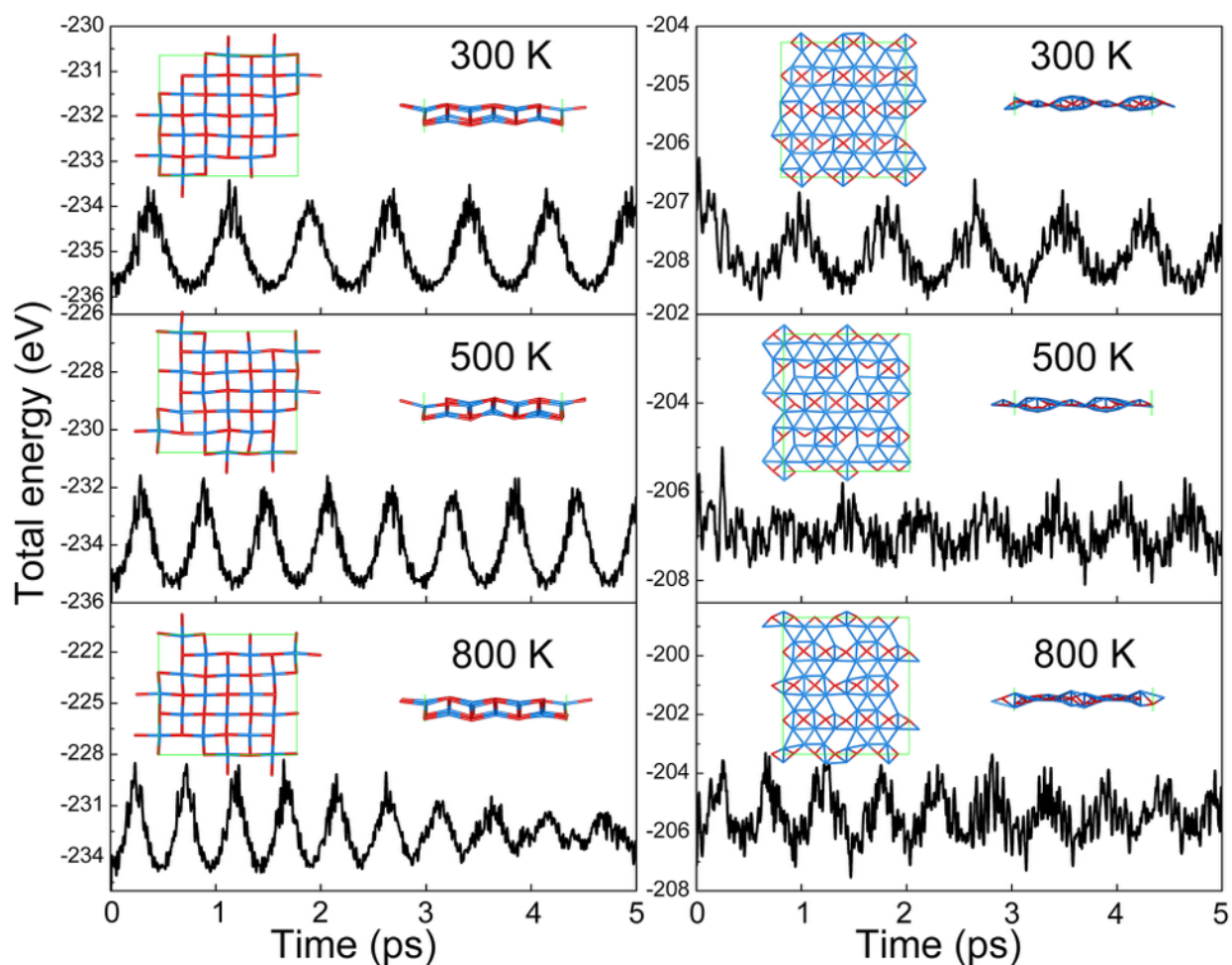
**Fig S5** | Computed Partial density of states for (a) *t*-SiC and (b) *t*-Si<sub>2</sub>C sheets. Calculated at the PBE level of theory and the vertical dashed lines denote the Fermi level.



**Fig S6** | Calculated ELF of different silagraphyne. The cyan and pink balls represent Si and C atoms, respectively. For L-silagraphyne, the isosurface value is set as 0.75.

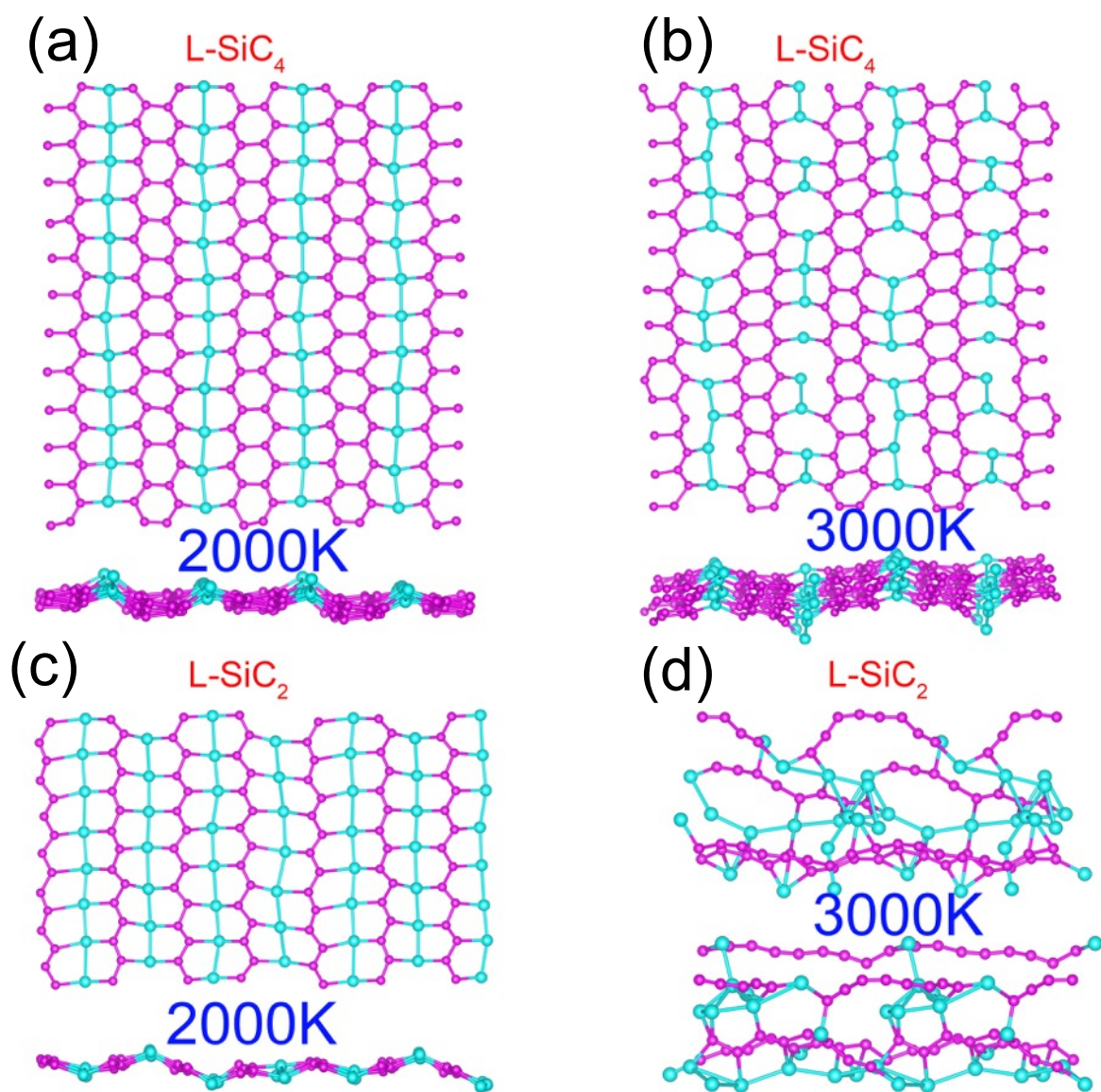


**Fig S7** | Phonon band structures of (a)  $h$ -SiC<sub>5</sub> (b)  $h$ -SiC<sub>3</sub> (c)  $h$ -SiC<sub>2</sub> and (d) O-Si<sub>2</sub>C<sub>3</sub> silagraphene calculated by linear response theory.  $\Gamma$  (0, 0, 0), X (1/2, 0, 0), S (1/2, 1/2, 0), Y (0, 1/2, 0) and K(-1/3, 2/3, 0) represent the symmetry points in the first Brillouin zone in reciprocal space.

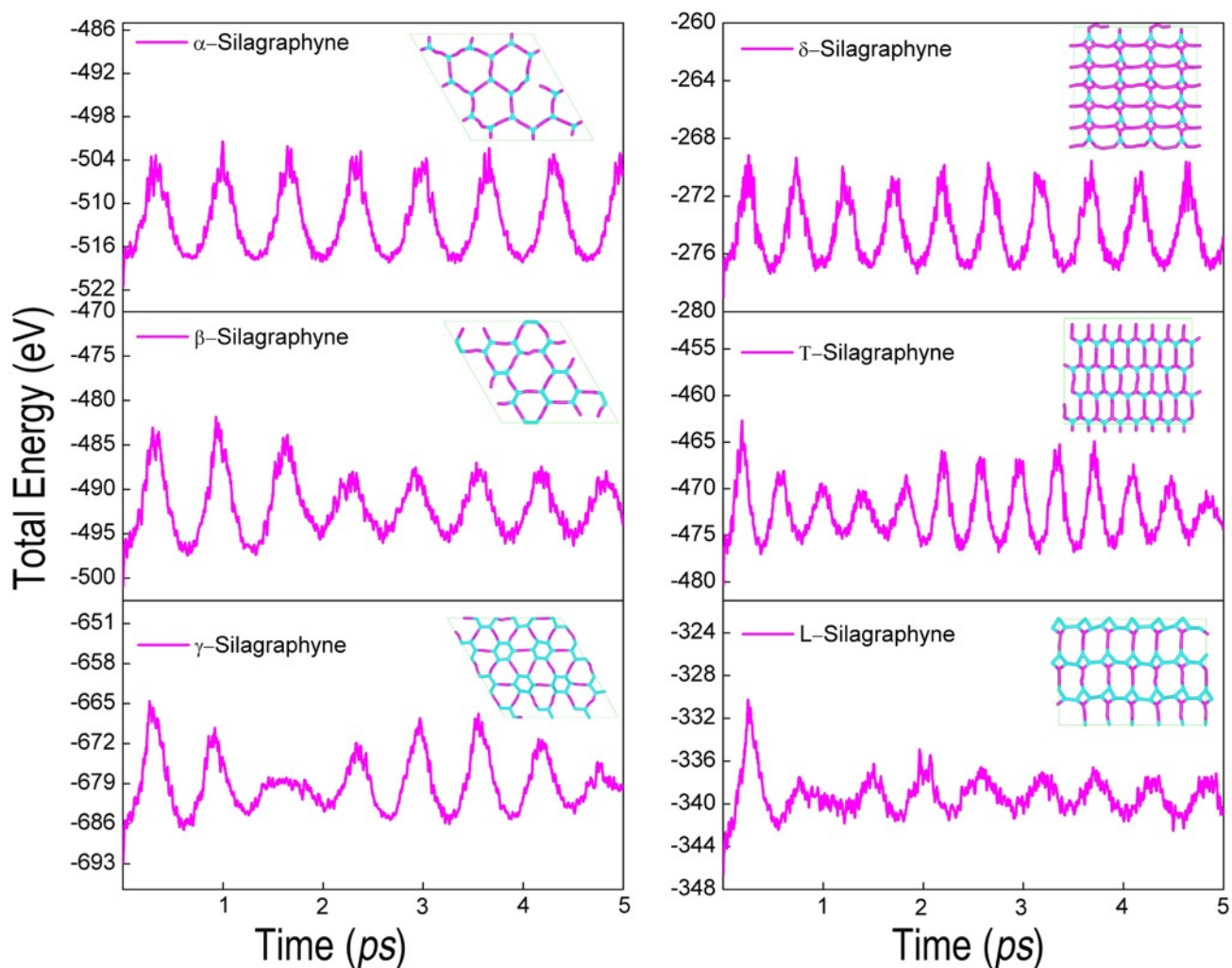


**Fig S8** | Energy fluctuation of  $t$ -SiC (left) and  $t$ -Si<sub>2</sub>C (right) with respect to time in AIMD simulations at different temperature. Inset drawing shows the the final geometrical structure of each AIMD simulation (top and side views).

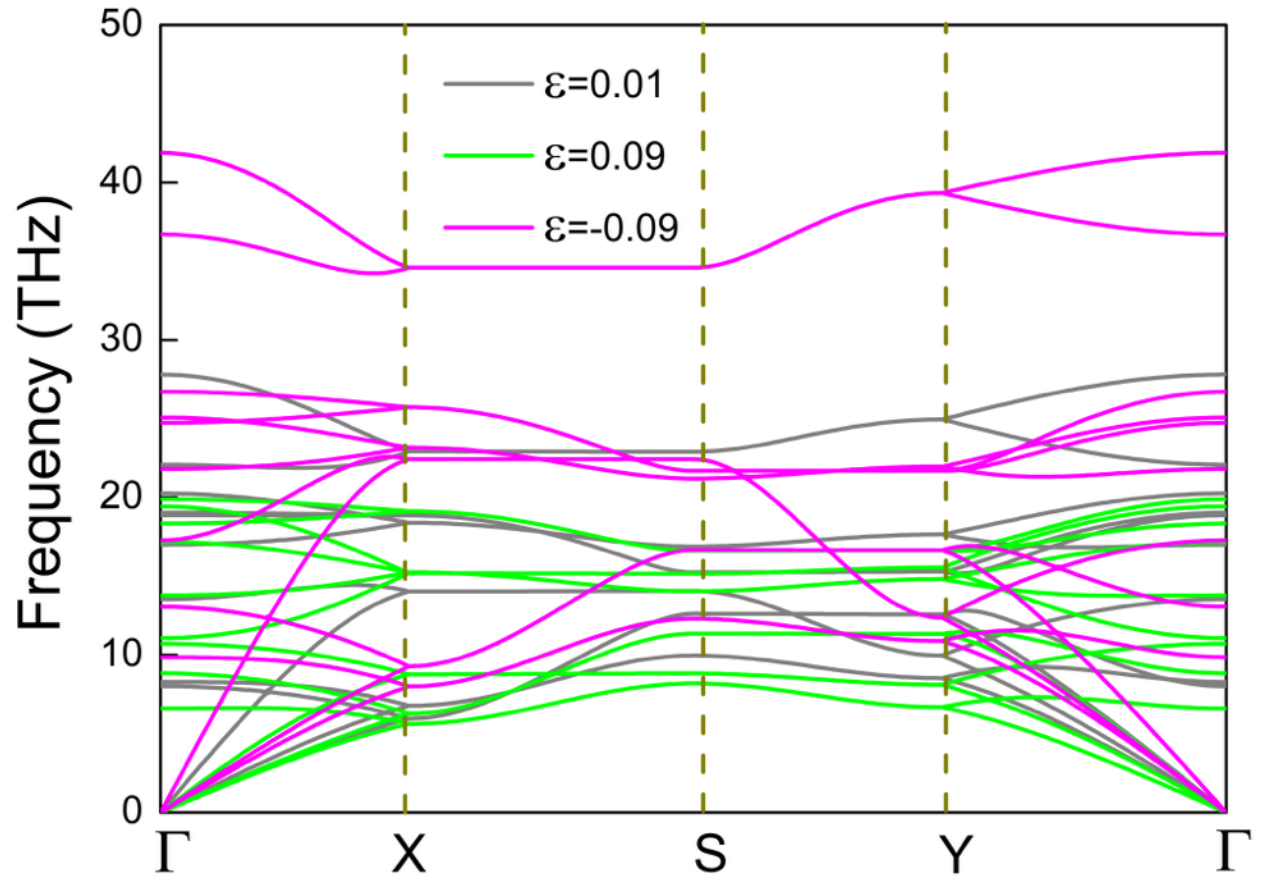




**Fig S9** | Snapshots of the final frame of each AIMD simulation from 2000 to 3000 K (top and side views).

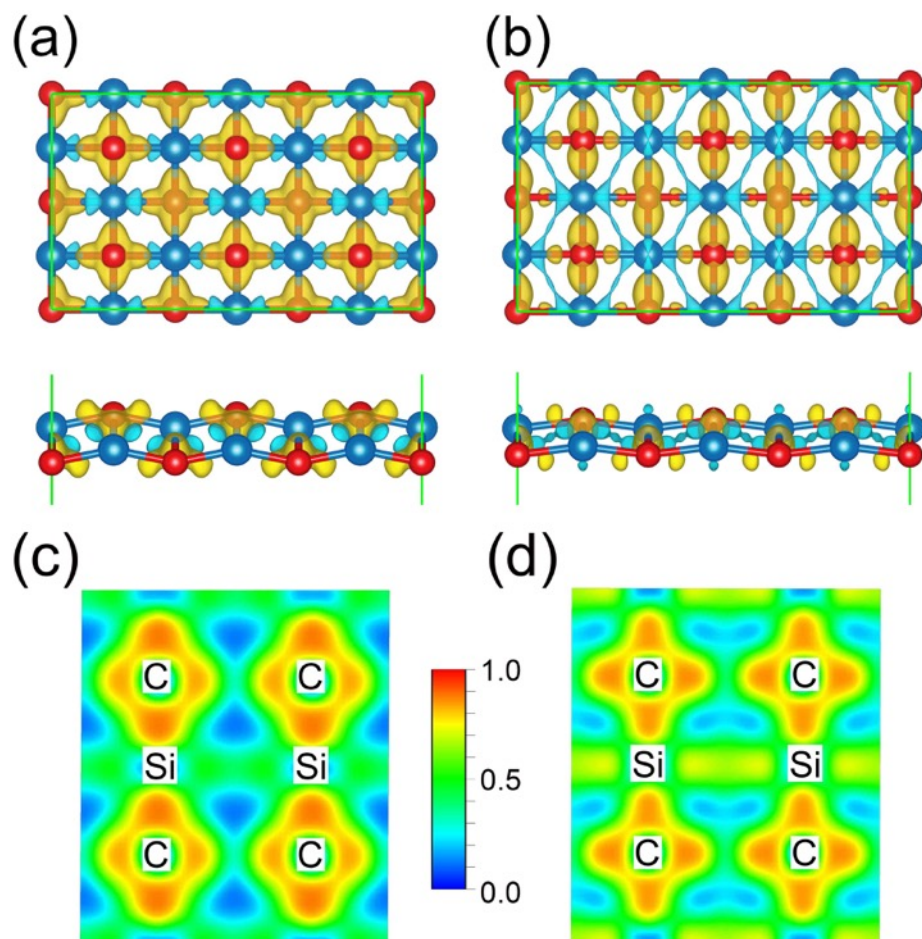


**Fig S10** | Energy fluctuation of proposed Silagraphyne sheets with respect to time in AIMD simulations at 1000K. Inset drawing shows the the final geometrical structure of each AIMD simulation at 1000K.

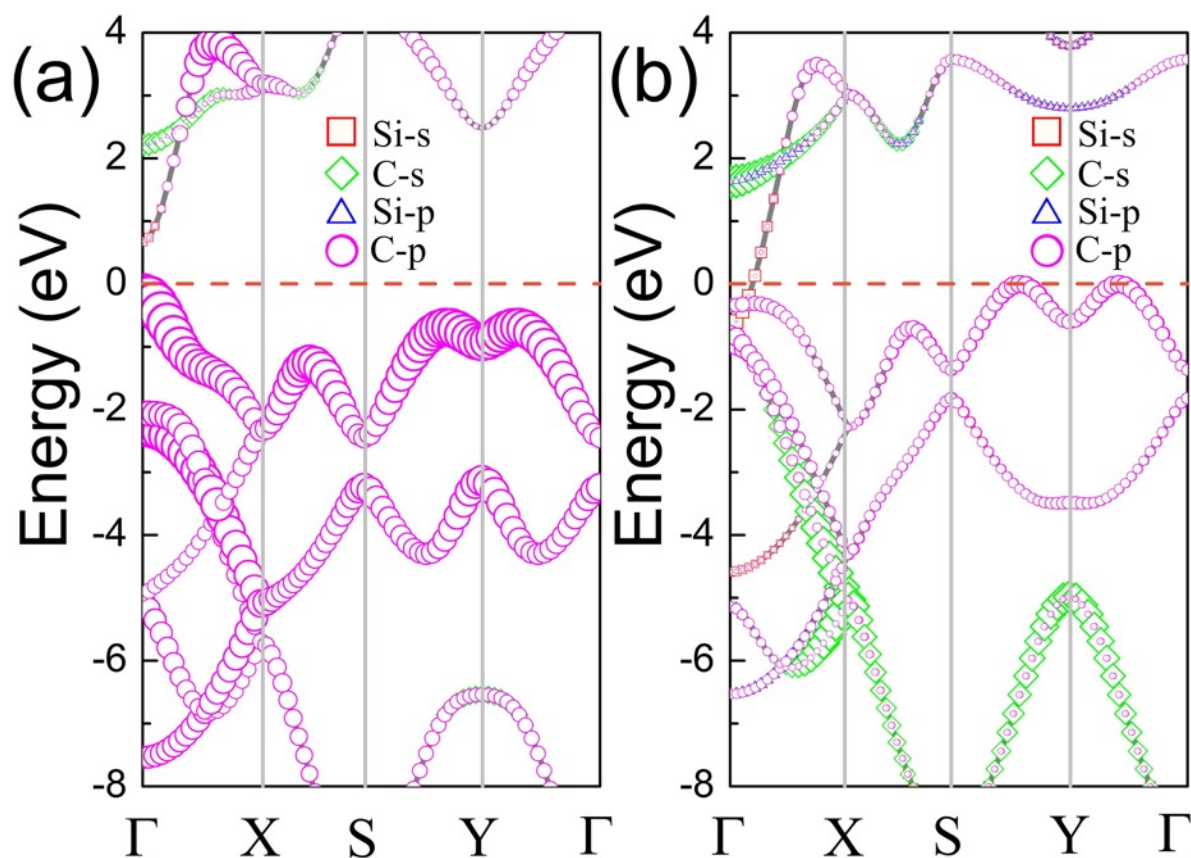


**Fig S11** | Phonon dispersion curve for biaxial strained *t*-SiC sheet calculated by linear response theory.  $\Gamma$  (0, 0, 0), X (1/2, 0, 0), S (1/2, 1/2, 0) and Y (0, 1/2, 0) represent the symmetry points in the first Brillouin zone in reciprocal space.

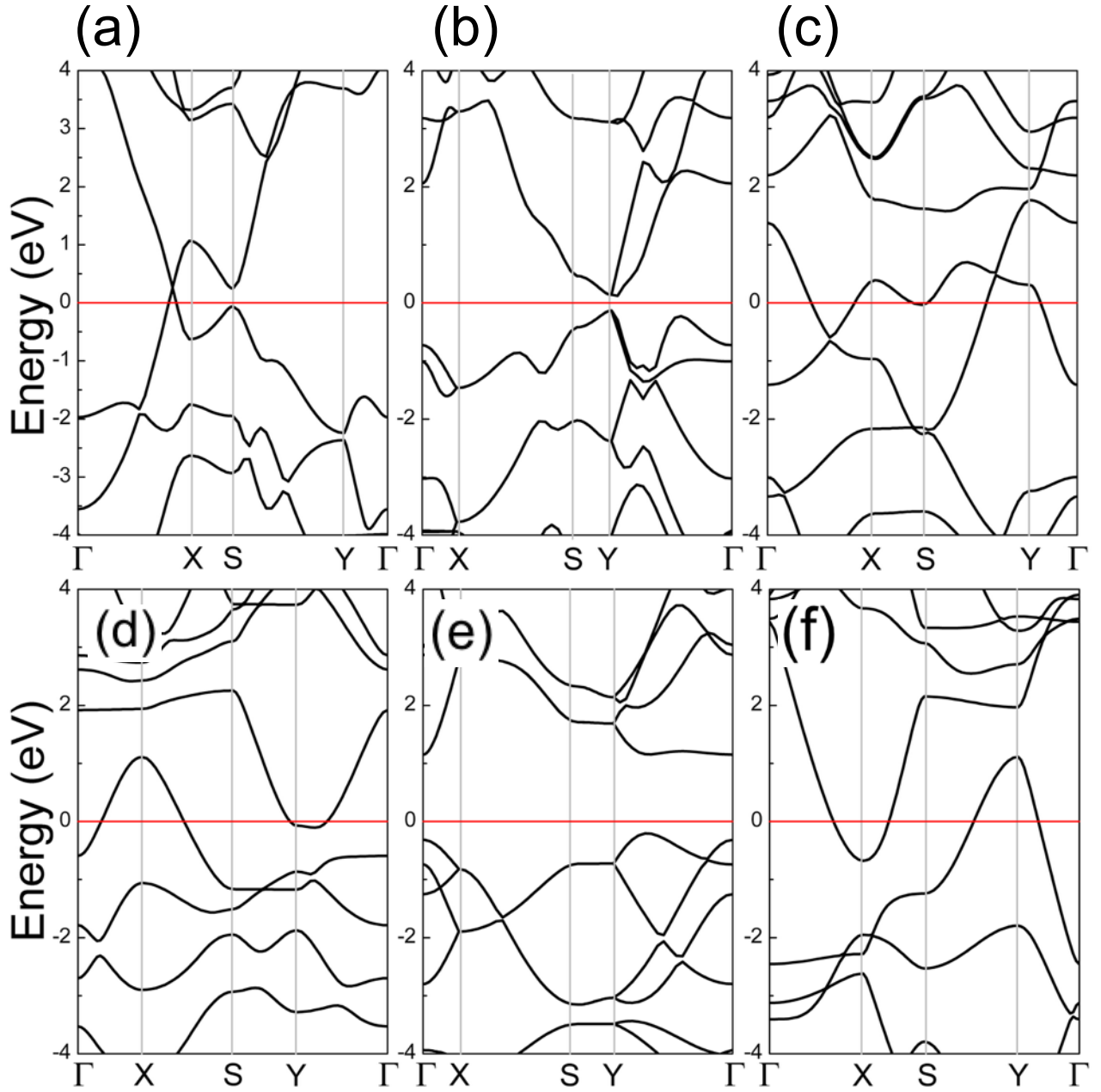




**Fig S12** | Deformation charge density of (a) 0% strained *t*-SiC and (b) 10% strained *t*-SiC monolayer. Yellow and blue refer to electron accumulation and depletion regions, respectively. The blue and red balls represent Si and C atoms, respectively. The isosurface value is 0.02 and 0.015 e/au. (c, d) Corresponding ELF maps. The cyan and pink balls represent Si and C atoms, respectively. The isosurface value is set as 0.75.



**Fig S13** | The calculated the orbital-resolved band structures of (a) no-strained *t*-SiC and (b) 10% strained *t*-SiC at PBE level of theory. The dots are the contributions from the corresponding atomic orbital of Si or C atoms. Larger dot means higher contribution while smaller one indicates lower contribution.



**Fig S14** | The calculated band structure of (a) L-SiC, (b) L-SiC<sub>2</sub>, (c) O-Si<sub>2</sub>C<sub>3</sub>, (d) T-silagraphyne, (e) L-silagraphyne and (f)  $\delta$ -silagraphyne at GGA/PBE level. The Fermi level is set to zero and marked by red lines. The accurate band gap determination provided by the HSE06 method.