

Supporting Information

CoN₃ embedded graphene, a potential catalyst for oxygen reduction reaction from theoretical perspective

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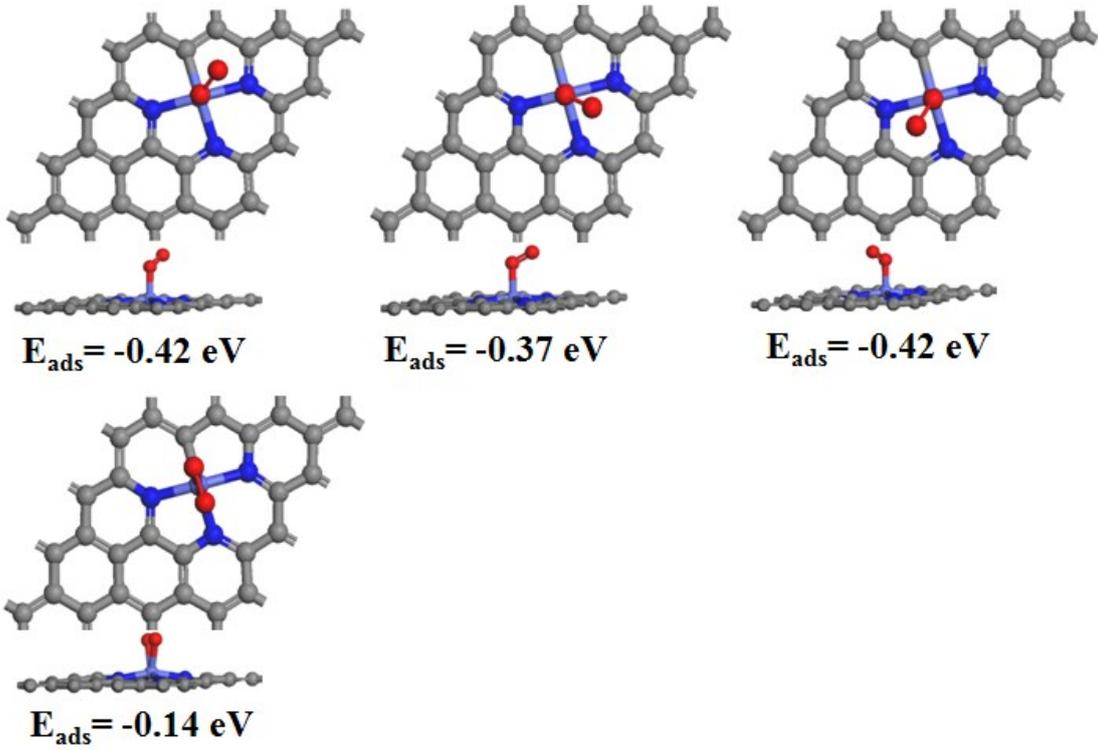
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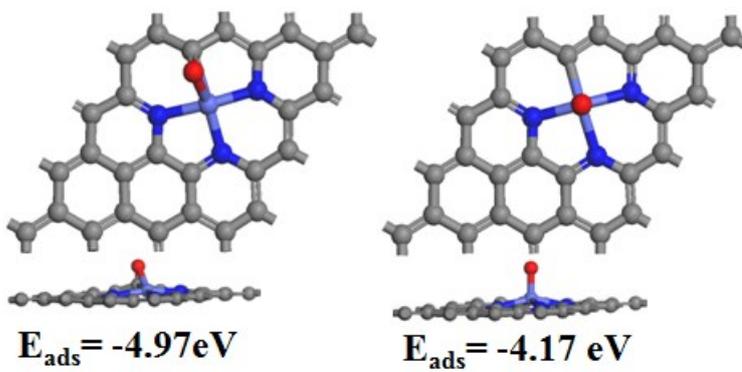
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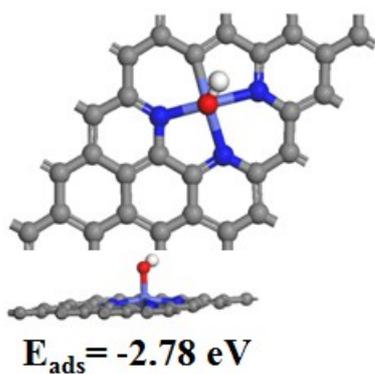
Optimization structures—O₂



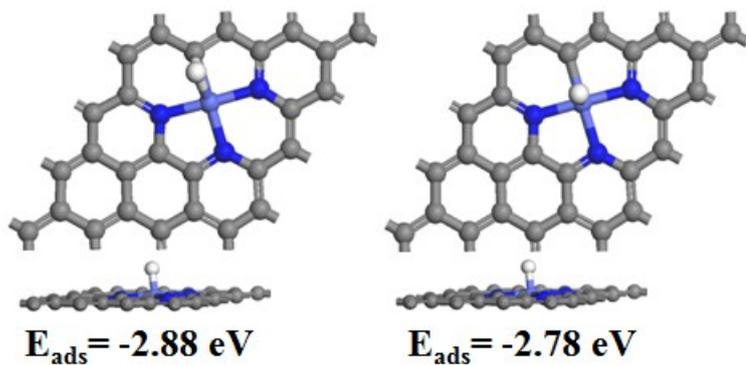
Optimization structures—O



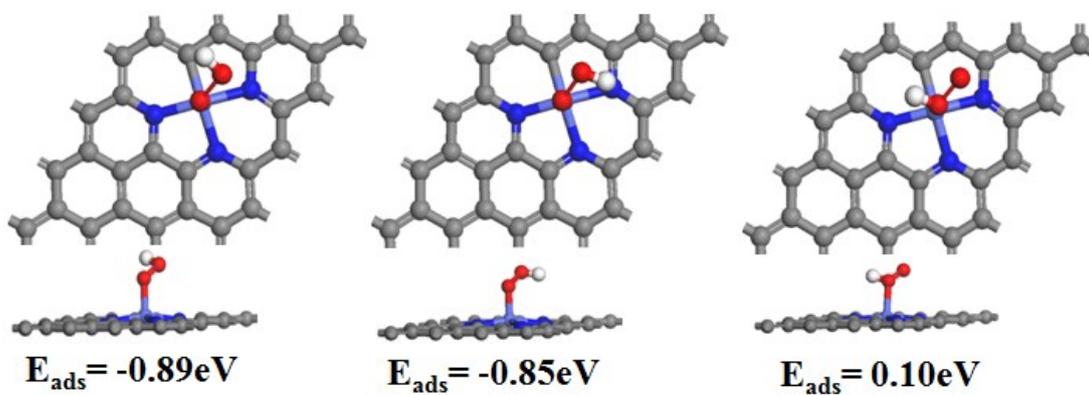
Optimization structures—OH



Optimization structures—H



Optimization structures—OOH



Optimization structures—H₂O

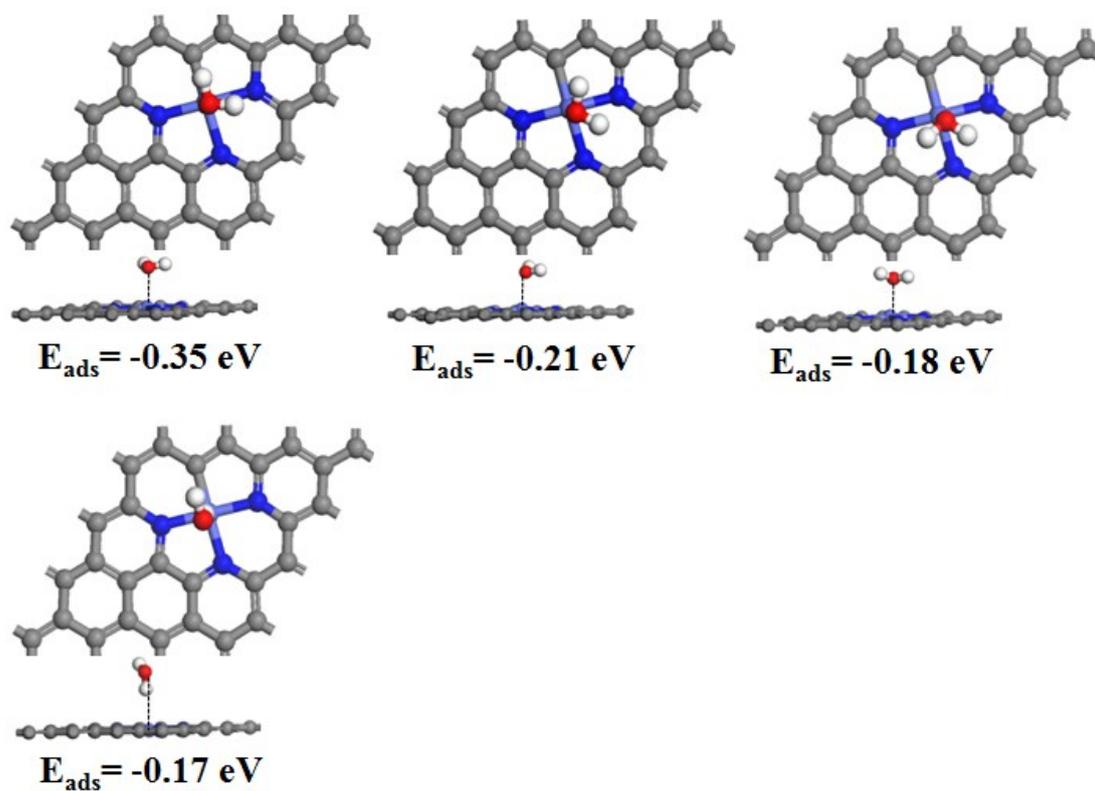
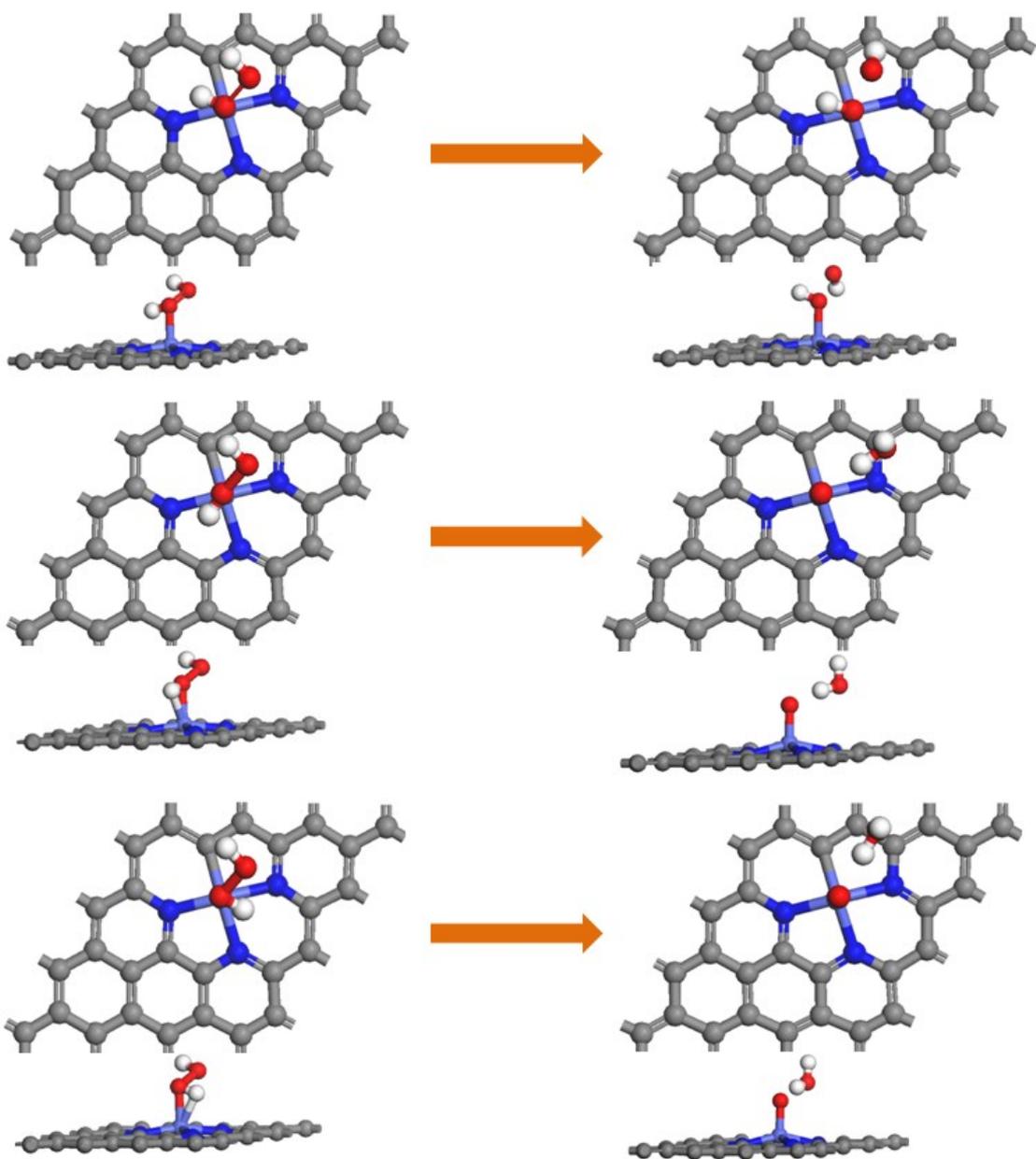


Fig. S1. Possible configurations for each adsorbed species (end-on O₂, side-on O₂, O, H, OH, OOH, H₂O) involved in the ORR on CoN₃ embedded graphene. E_{ads} represents the adsorption energy (eV). The gray, blue, dark blue, red, and white balls represent C, Co, N, O, and H atoms, respectively.



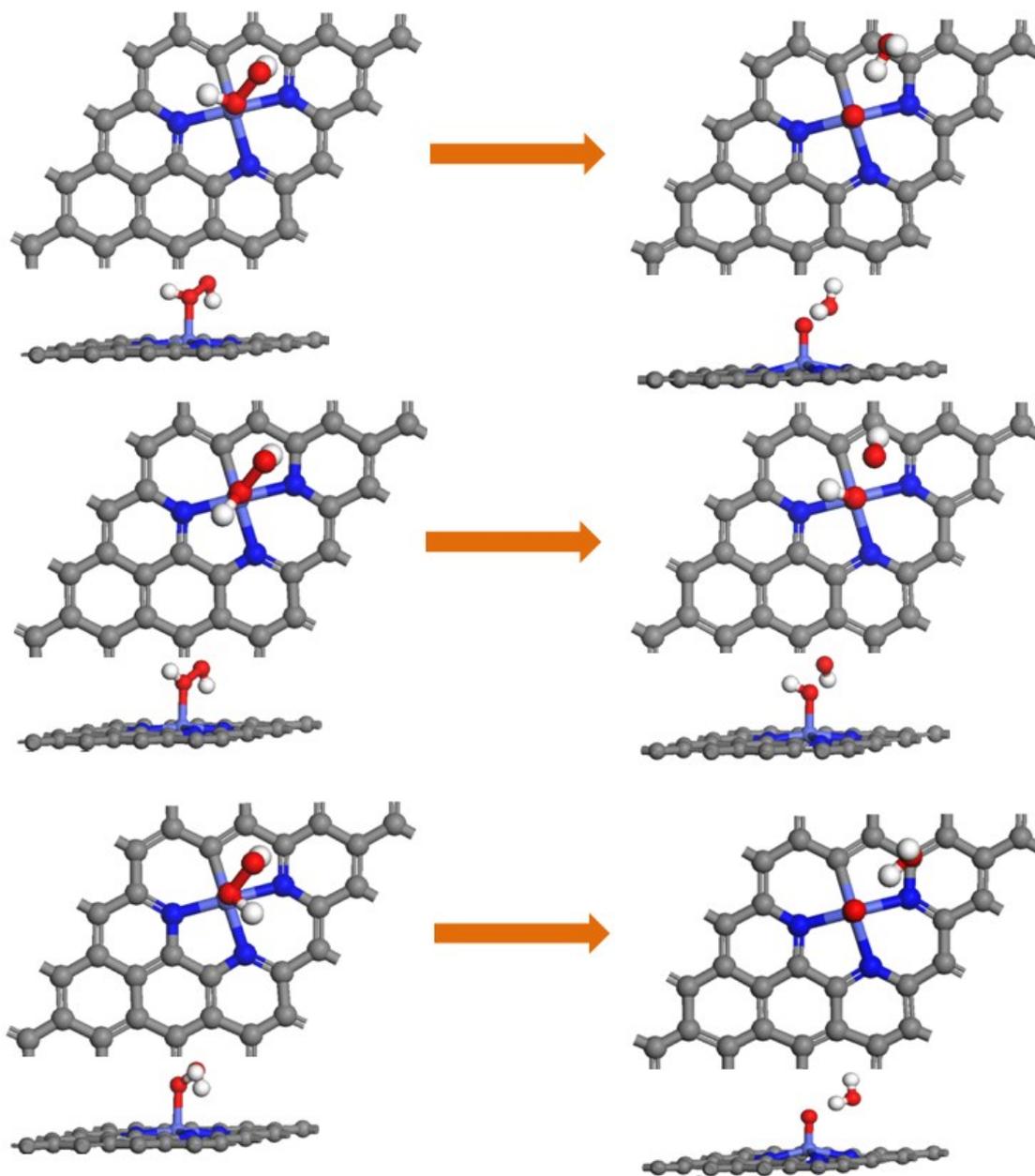


Fig. S2. Atomic structures of the designed initial state (left panel) and optimized final state (right panel) for HOOH species on CoN₃ embedded graphene.

2. Quantum Chemical Molecular Dynamics Simulations

To further confirm that whether the HOOH species could stably exist on the surface of CoN₃-Gra catalyst, we performed the Quantum Chemical Molecular Dynamics (QM/MD) simulations on the decomposition of non-optimized HOOH species. The QM/MD was implemented based on the self-consistent charge density functional tight-binding (SCC-DFTB) method [1]. This method consists of the integration of classical equations of motion, in conjunction with a quantum chemical potential. The equations of motion were integrated by employing the Velocity–Verlet algorithm [2] with a time step of 0.5 fs for the time propagation. The decomposition reaction temperature (T_n) was held constant at 300 K in the NVT ensemble via a Nosé–Hoover chain thermostat [3].

The standard trans3d-0-1 [4] and mio-0-1 [1] parameter sets were employed in the simulation process. The orbital occupation in Fermi–Dirac distribution was employed with an electronic temperature (T_e) [5] of 2000 K.

We chose six different initial configurations. In a, b and c configurations, the OOH configurations are the same but the orientation of H atoms are left-facing, down-facing and right-facing, respectively. This also applies to d, e and f configurations. During the simulations, we performed three decomposed trails for each configuration at different initial velocities. (For instance, a-1, a-2 and a-3 represent three decomposed trails for a configuration). As illustrated in Fig. S3, the O–O bond of non-optimized HOOH configuration cleavages immediately, forming either OH+OH or O+H₂O species. As a result, the HOOH species could not exist on the surface of CoN₃-Gra catalyst. As a consequence, the ORR on CoN₃-Gra catalyst is a direct four-electron process.

[1] Elstner M, Porezag D, Jungnickel G, Elsner J, Haugk M, Frauenheim T, et al. Self-consistent-charge density-functional tight-binding method for simulations of complex materials properties. *Phys. Rev. B* 1998;58:7260-8.

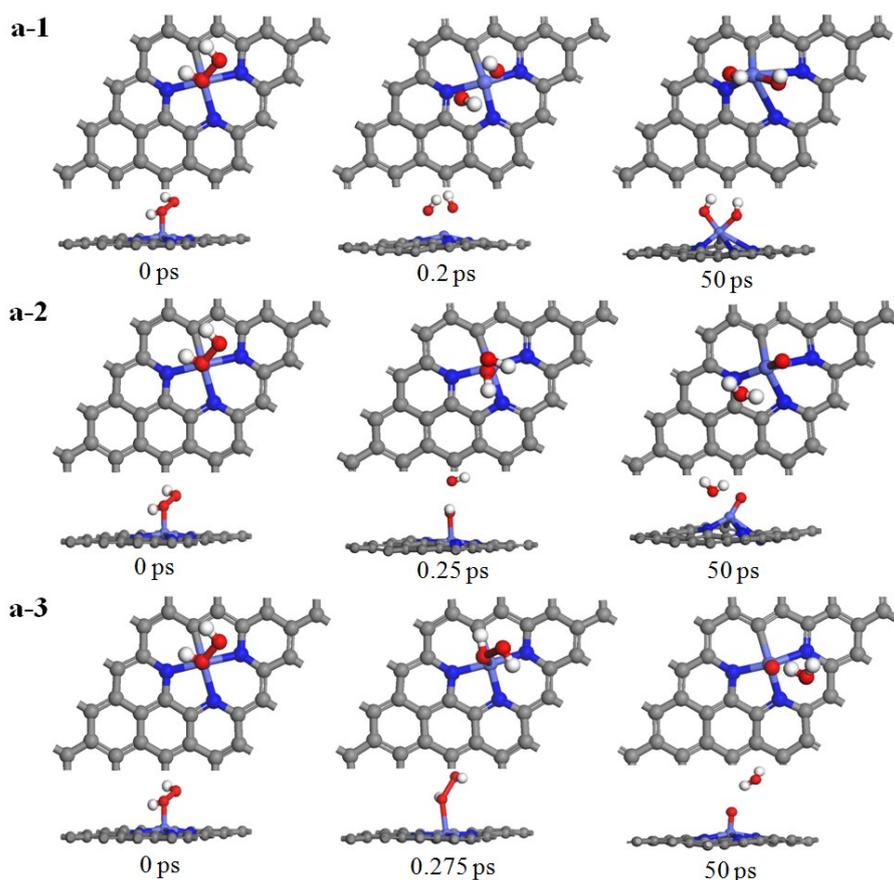
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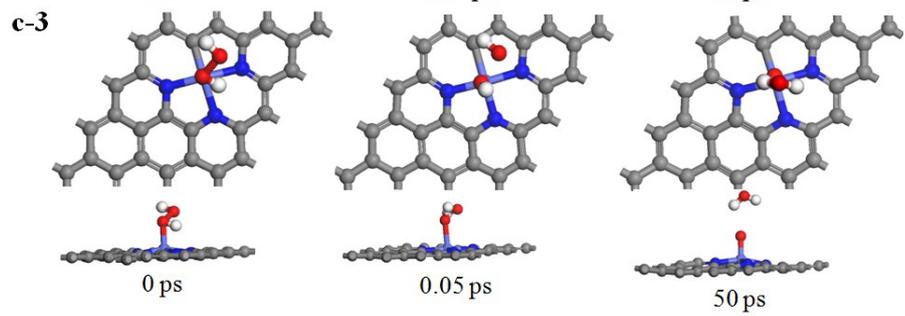
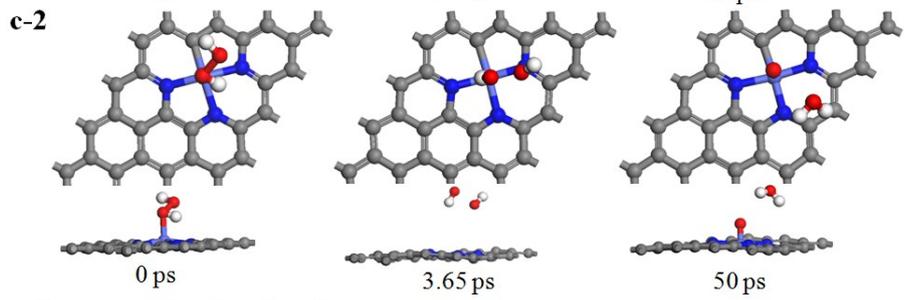
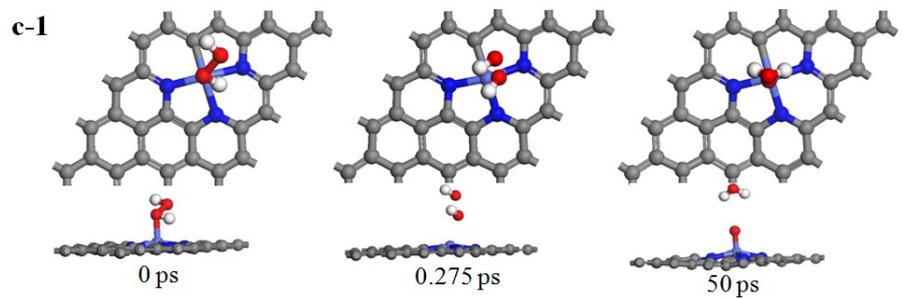
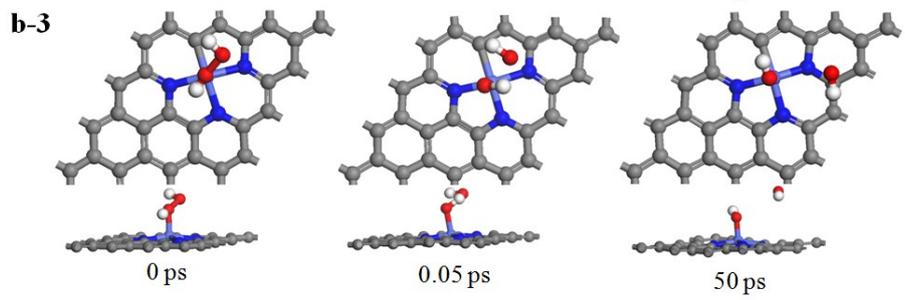
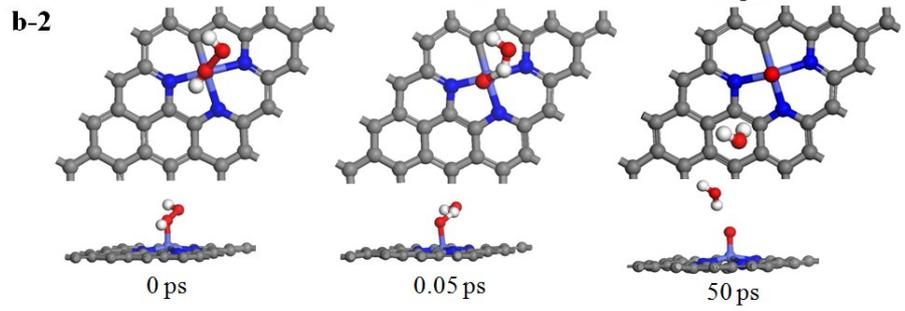
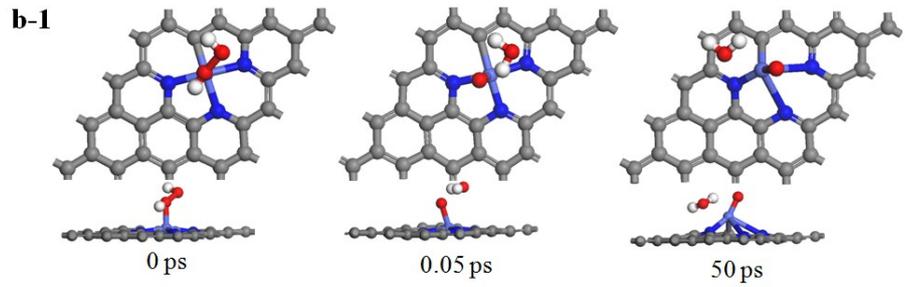
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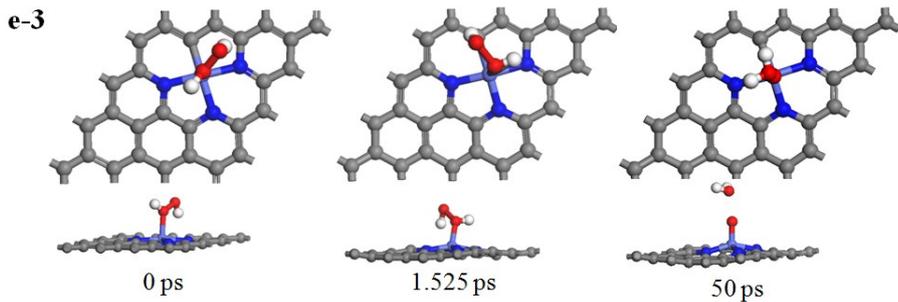
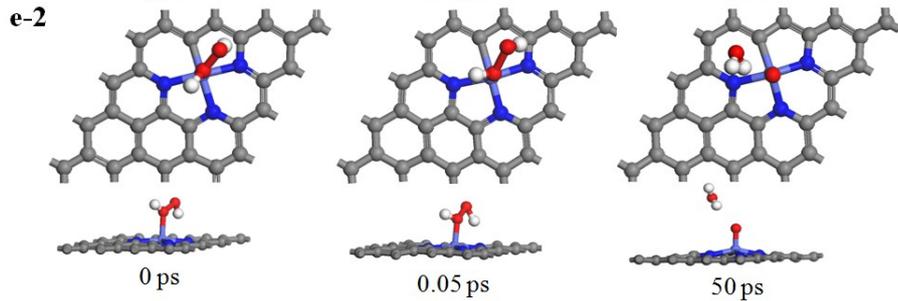
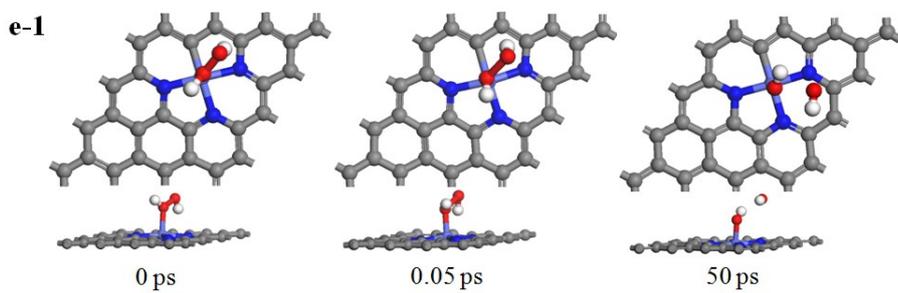
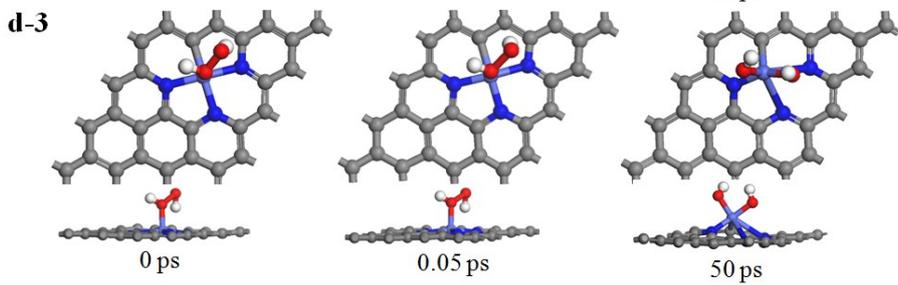
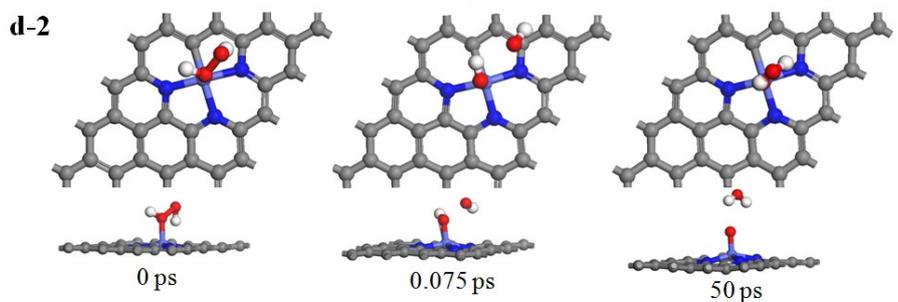
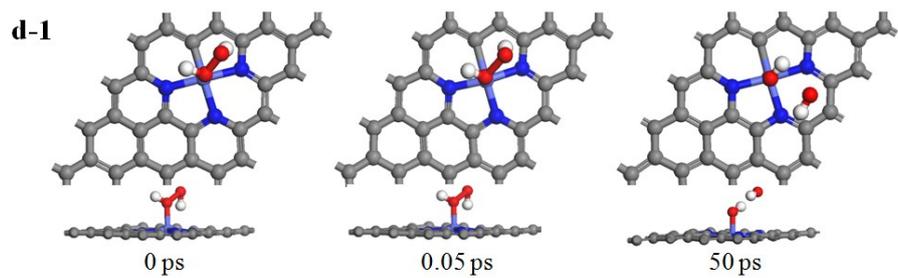
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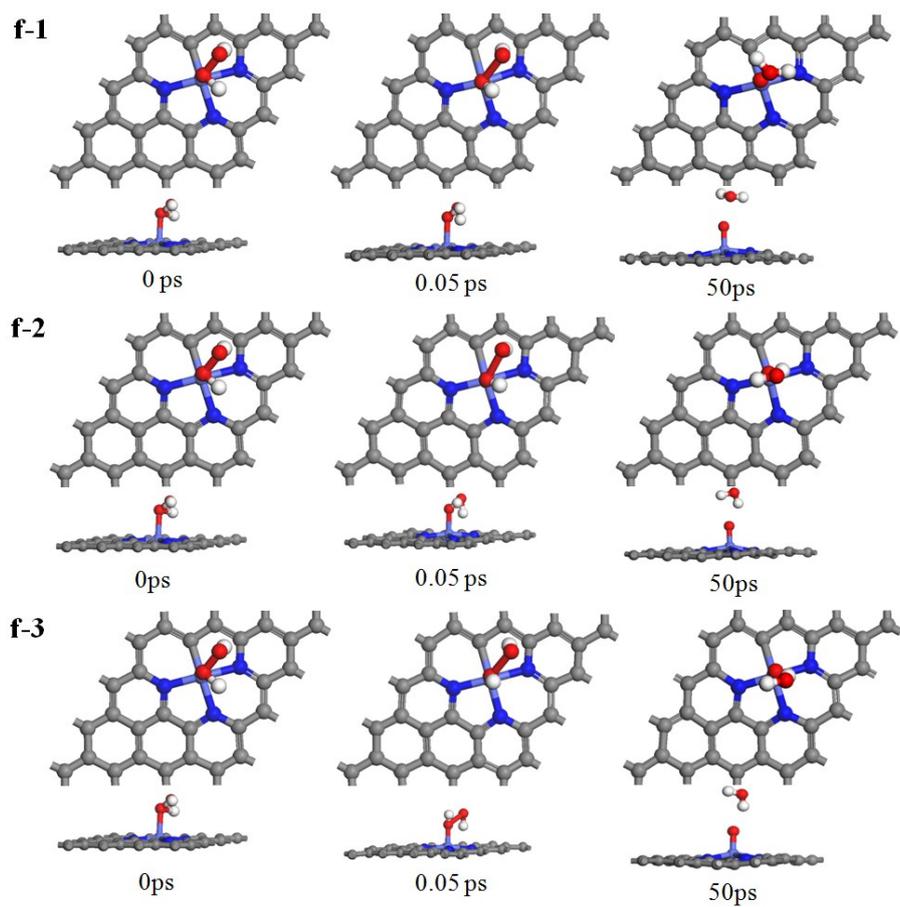


Fig. S3. Molecular dynamic simulations of HOOH species adsorbed on CoN₃ embedded graphene at 300 K.

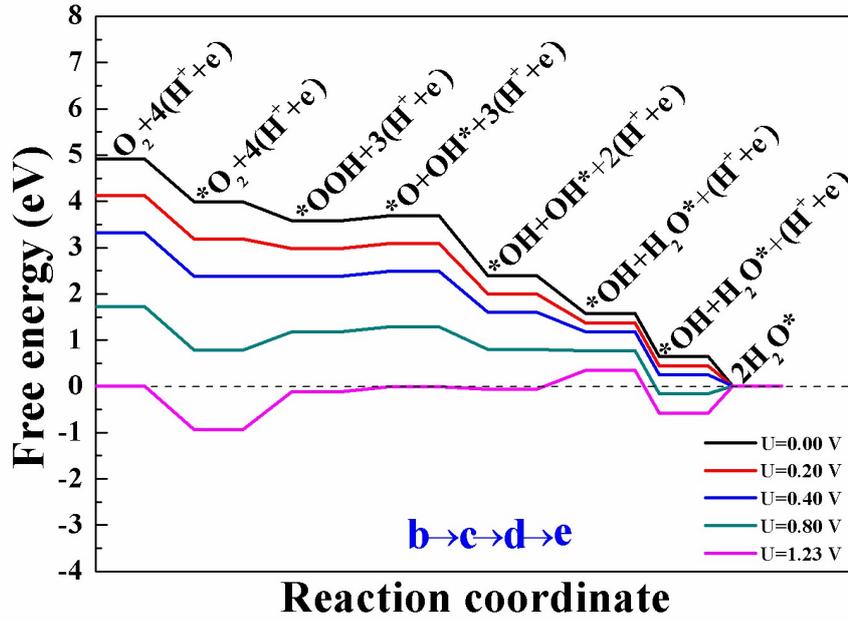
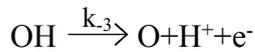
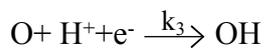
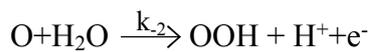
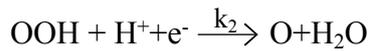
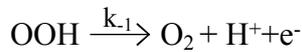
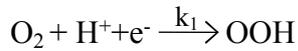


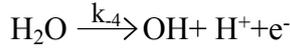
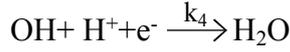
Fig. S4. Free energy diagrams for the reaction pathway $b \rightarrow c \rightarrow d \rightarrow e$ on CoN_3 embedded graphene at different electrode potentials.

4. Microkinetic Modeling [1] of ORR mechanism on CoN_3 embedded graphene in acid environment

On the basis of the calculated optimum reaction mechanism, i.e., $b \rightarrow f \rightarrow e$ in Fig. 3, we deduced the ORR Tafel kinetics by using microkinetics.

We obtain the following reaction equations with rate constant k_x and k_{-x} for the corresponding reverse reaction step:





The reaction rate r for product formation is obtained by the equation:

$$r_1 = \frac{da(\text{O}_2)}{dt} = k_1 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{O}_2} - k_1^{-1} \cdot \theta_{\text{OOH}}$$

$$r_2 = \frac{da(\text{OOH})}{dt} = k_2 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{OOH}} - k_2^{-1} \cdot \theta_{\text{O}} \cdot a(\text{H}_2\text{O})$$

$$r_3 = \frac{da(\text{O})}{dt} = k_3 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{O}} - k_3^{-1} \cdot \theta_{\text{OH}}$$

$$r_4 = \frac{da(\text{OH})}{dt} = k_4 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{OH}} - k_4^{-1} \cdot a(\text{H}_2\text{O})$$

The activities of hydron, electrons and H_2O are assumed to be constant, i.e., $a(\text{H}^+) = a(\text{e}^-) = a(\text{H}_2\text{O}) = 1$. The coverage of surface species (θ_{O_2} , θ_{OOH} , θ_{O} and θ_{OH}) are obtained from steady state approximation [2]. For $\text{CoN}_3\text{-Gra}$, the coverage θ_{O_2} , θ_{OOH} , θ_{O} and θ_{OH} of the precursors can be obtained as solutions of the following differential equation:

$$\frac{d\theta_{\text{OOH}}}{dt} = k_1 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{O}_2} - k_1^{-1} \cdot \theta_{\text{OOH}} - k_2 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{OOH}} + k_2^{-1} \cdot a(\text{H}_2\text{O}) \cdot \theta_{\text{O}} = 0 \quad (1)$$

$$\frac{d\theta_{\text{O}}}{dt} = k_2 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{OOH}} - k_2^{-1} \cdot a(\text{H}_2\text{O}) \cdot \theta_{\text{O}} - k_3 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{O}} + k_3^{-1} \cdot \theta_{\text{OH}} = 0 \quad (2)$$

$$\frac{d\theta_{\text{OH}}}{dt} = k_3 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{O}} - k_3^{-1} \cdot \theta_{\text{OH}} - k_4 \cdot a(\text{H}^+) \cdot a(\text{e}^-) \cdot \theta_{\text{OH}} + k_4^{-1} \cdot a(\text{H}_2\text{O}) = 0 \quad (3)$$

Taking into account the relation:

$$\theta_{\text{O}_2} + \theta_{\text{OOH}} + \theta_{\text{O}} + \theta_{\text{OH}} = 1 \quad (4)$$

The rate constant k_1 and k_1^{-1} were calculated employing transition state theory summarized in eqns. (5) to (6):

$$k_1 = \frac{k_B \cdot T}{h} \cdot e^{-\frac{\Delta G_1^\ddagger}{k_B \cdot T}} \cdot e^{-\frac{a_1 \cdot F \cdot \eta}{R \cdot T}} \quad (5)$$

$$k_1^{-1} = \frac{k_B \cdot T}{h} \cdot e^{-\frac{\Delta G_1^\ddagger}{k_B \cdot T}} \cdot e^{-\frac{(1-a_1) \cdot F \cdot \eta}{R \cdot T}} \quad (6)$$

where ΔG_1^a and ΔG_{-1}^a represent the calculated free energy barriers of elementary reactions in the ORR process. a_1 is the assuming symmetry factor which is set to be 1/2. k_B , h , F and R represent Boltzmann constant, Planck constant, Faraday constant and the universal gas constant, respectively. The temperature (T) is fixed to be 298.15 K. The same situation applies to k_2 , k_2^{-1} , k_3 , k_3^{-1} , k_4 and k_4^{-1} .

By Faraday's law, the reaction rate r is transformed into the current density j :

$$j = e \cdot z \cdot r \cdot N_{cat}$$

where e denotes the elementary charge, z is the number of transferred electrons, which equals 1 for the elementary reaction of ORR and N_{cat} is the number of active places per cm^2 area on the catalyst's surface.

The j_{tot} can be calculated according to:

$$j_{tot} = j_{O_2} \cdot \theta_O + j_{OOH} \cdot \theta_{OOH} + j_O \cdot \theta_O + j_{OH} \cdot \theta_{OH} \quad (7)$$

The overpotential $\eta=1.23 \text{ eV-U}$ (U denotes the external potential) as a function of the calculated decade logarithm of the total current density $\log(j_{tot})$ establishes a so-called Tafel plot [η vs. $\log(j_{tot})$ relation], which is depicted in Fig. 6 of the manuscript.

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