

Supporting Information

Electrochemical behaviors and relativistic DFT calculations to understand the terminal ligand influence on the $[\text{Re}_6(\mu_3\text{-Q})_8\text{X}_6]^{4-}$ Clusters

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1. Description of the methods used to calculate free energies.

Using the following equation

$$\Delta G_s^0(\text{redox, soln}) = \Delta G_s^0(\text{redox, gas}) + \Delta G_s^0(\text{ox}) - \Delta G_s^0(\text{red}) \quad (1)$$

Where 0 denotes a standard state of 1 mol/L, G is the Gibbs free energy for oxidized cluster ($\Delta G_s^0(\text{ox})$) and reduced cluster ($\Delta G_s^0(\text{red})$).

$$\Delta G_s^0 = H_s^0 - TS_s^0 \quad (\text{ox}) \quad (2)$$

$$\Delta G_s^0 = H_s^0 - TS_s^0 \quad (\text{red}) \quad (3)$$

Where H is the enthalpy (kcal atmL/ mol), T the temperature (Kelvin) and S the entropy (kcal / molK) we have

$$H_s^0 = U_s^0 + (PV)_s^0 \quad (\text{ox}) \quad (4)$$

$$H_s^0 = U_s^0 + (PV)_s^0 \quad (\text{red}) \quad (5)$$

With U equal to the internal energy (kcal /mol), P pressure (atm) and volume V (liters) then you can get

$$G_s^0 = U_s^0 + (pV)_s^0 - TS_s^0 \quad (\text{ox}) \quad (6)$$

$$G_s^0 = U_s^0 + (pV)_s^0 - TS_s^0 \quad (\text{red}) \quad (7)$$

Uniting both equations

$$\Delta G_s^0(\text{redox, gas}) = U_s^0(\text{red}) - U_s^0(\text{ox}) - T(S_s^0(\text{red}) - S_s^0(\text{ox})) \quad (8)$$

$$\Delta G_s^0(\text{redox, gas}) = \Delta U - T\Delta S \quad (9)$$

Once $\Delta G_s^0(\text{redox, soln})$ calculated, can be estimated potential relative oxidation, E^0 , defined by:

$$E^0 = - \Delta G_s^0(\text{redox, soln})/nF \quad (10)$$

Where n is the number of electrons consumed or generated in the half-reaction of interest, and F is the Faraday constant. The potential is expressed in volt units (for free energy expressed in some typical units, $F = 23.061$ kcal per volt gram-equivalent).

2. Table 1: Calculated Values of Changes in Gibbs Free Energies (kcal/mol) and Ground-State Redox Potentials (Volts) of the Rhenium-Sulfur Complexes Using SC-ZORA/BP86/TZ2P.

Complexes	Gas-phase G (kcal/mol)	Solv-phase G (kcal/mol)	ΔG (gas)	ΔG^n (solv)	ΔG^0 (solv)	$\Delta G^*(\text{soln})$	$E^*(\text{abs})$ V	$E^*(\text{SHE})$ V
$[\text{Re}_6\text{S}_8\text{F}_6]^{4-}$	-3034.34	-3522.54	-169.89	-488.19	-553.50	-104.58	4.53	0.35
$[\text{Re}_6\text{S}_8\text{F}_6]^{3-}$	-2864.46	-3417.96						
$[\text{Re}_6\text{S}_8\text{Cl}_6]^{4-}$	-2849.47	-3295.58	-183.83	-446.12	-521.91	-108.04	4.68	0.50
$[\text{Re}_6\text{S}_8\text{Cl}_6]^{3-}$	-2665.64	-3187.55						
$[\text{Re}_6\text{S}_8\text{Br}_6]^{4-}$	-2803.10	-3229.06	-189.89	-425.96	-506.94	-108.91	4.72	0.53
$[\text{Re}_6\text{S}_8\text{Br}_6]^{3-}$	-2613.21	-3120.15						
$[\text{Re}_6\text{S}_8\text{I}_6]^{4-}$	-2730.99	-3140.93	-209.38	-409.94	-512.92	-106.39	4.61	0.43
$[\text{Re}_6\text{S}_8\text{I}_6]^{3-}$	-2521.62	-3034.53						
$[\text{Re}_6\text{S}_8(\text{CN})_6]^{4-}$	-4696.53	-5174.35	-173.18	-477.82	-536.52	-114.47	4.96	0.78
$[\text{Re}_6\text{S}_8(\text{CN})_6]^{3-}$	-4523.35	-5059.87						
$[\text{Re}_6\text{S}_8(\text{NC})_6]^{4-}$	-4646.01	-5094.14	-177.79	-448.12	-511.69	-114.22	4.95	0.77
$[\text{Re}_6\text{S}_8(\text{NC})_6]^{3-}$	-4468.22	-4979.92						
$[\text{Re}_6\text{S}_8(\text{NCO})_6]^{4-}$	-5654.02	-6192.63	-148.86	-538.60	-578.36	-109.10	4.73	0.54
$[\text{Re}_6\text{S}_8(\text{NCO})_6]^{3-}$	-5505.16	-6083.52						
$[\text{Re}_6\text{S}_8(\text{NCS})_6]^{4-}$	-5257.01	-5761.25	-170.85	-504.25	-561.63	-113.47	4.92	0.73
$[\text{Re}_6\text{S}_8(\text{NCS})_6]^{3-}$	-5086.16	-5647.79						
$[\text{Re}_6\text{S}_8(\text{OCN})_6]^{4-}$	-5597.73	-6079.67	-175.51	-481.94	-536.55	-120.90	5.24	1.05
$[\text{Re}_6\text{S}_8(\text{OCN})_6]^{3-}$	-5422.22	-5958.77						

The redox potentials were corrected to $E^0(\text{SHE}) = 4.188\text{V}$

The experimental ΔG^0 values were calculated from the absolute redox potentials (4.188V was added to the redox potentials listed in the table).

*absolute value

3. Table 2: Calculated Values of Changes in Gibbs Free Energies (kcal/mol) and Ground-State Redox Potentials (Volts) of the Rhenium-Selenium Complexes Using SC-ZORA/BP86/TZ2P.

Complexes	Gas-phase G (kcal/mol)	Solv-phase G (kcal/mol)	ΔG (gas)	ΔG^n (solv)	ΔG^o (solv)	$\Delta G^*(\text{soln})$	E^* (abs) V	$E^*(\text{SHE})$ V
$[\text{Re}_6\text{Se}_8\text{F}_6]^{4+}$	-2908.05	-3392.95	-170.60	-484.90	-552.05	-103.44	4.49	0.30
$[\text{Re}_6\text{Se}_8\text{F}_6]^{3-}$	-2737.45	-3289.51						
$[\text{Re}_6\text{Se}_8\text{Cl}_6]^{4+}$	-2722.28	-3163.49	-180.62	-441.21	-517.92	-103.90	4.51	0.32
$[\text{Re}_6\text{Se}_8\text{Cl}_6]^{3-}$	-2541.66	-3059.58						
$[\text{Re}_6\text{Se}_8\text{Br}_6]^{4+}$	-2677.77	-3098.42	-186.15	-420.65	-502.30	-104.49	4.53	0.34
$[\text{Re}_6\text{Se}_8\text{Br}_6]^{3-}$	-2491.63	-2993.93						
$[\text{Re}_6\text{Se}_8\text{I}_6]^{4+}$	-2610.65	-3011.19	-208.03	-400.54	-505.48	-103.10	4.47	0.28
$[\text{Re}_6\text{Se}_8\text{I}_6]^{3-}$	-2402.61	-2908.09						
$[\text{Re}_6\text{Se}_8(\text{CN})_6]^{4+}$	-4582.52	-5059.63	-169.74	-477.11	-536.36	-110.49	4.79	0.60
$[\text{Re}_6\text{Se}_8(\text{CN})_6]^{3-}$	-4412.78	-4949.14						
$[\text{Re}_6\text{Se}_8(\text{NC})_6]^{4+}$	-4524.50	-4969.24	-174.25	-444.74	-509.31	-109.68	4.76	0.57
$[\text{Re}_6\text{Se}_8(\text{NC})_6]^{3-}$	-4350.24	-4859.56						
$[\text{Re}_6\text{Se}_8(\text{NCO})_6]^{4+}$	-5534.34	-6065.64	-143.18	-531.29	-568.91	-105.56	4.58	0.39
$[\text{Re}_6\text{Se}_8(\text{NCO})_6]^{3-}$	-5391.17	-5960.08						
$[\text{Re}_6\text{Se}_8(\text{NCS})_6]^{4+}$	-5136.79	-5634.49	-164.81	-497.70	-556.61	-105.90	4.59	0.40
$[\text{Re}_6\text{Se}_8(\text{NCS})_6]^{3-}$	-4971.98	-5528.59						
$[\text{Re}_6\text{Se}_8(\text{OCN})_6]^{4+}$	-5470.89	-5946.62	-172.18	-475.74	-533.08	-114.84	4.98	0.79
$[\text{Re}_6\text{Se}_8(\text{OCN})_6]^{3-}$	-5298.70	-5831.78						

The redox potentials were corrected to $E^0(\text{SHE}) = 4.188\text{V}$

The experimental ΔG^0 values were calculated from the absolute redox potentials (4.188V was added to the redox potentials listed in the table).

*absolute value