## Supporting Information

## Enhanced Basepair Dynamics Pre-disposes Protein-Assisted Flips of Key Bases in DNA Strand Separation During Transcription Initiation

Neeladri Sekhar Roy ${ }^{1 \dagger}$, Subrata Debnath ${ }^{1 \dagger}$, Abhijit Chakraborty ${ }^{1}$, Prasenjit Chakraborty ${ }^{2}$, Indrani Bera ${ }^{1}$, Raka Ghosh ${ }^{2}$, Nanda Ghoshal ${ }^{1}$, Saikat Chakrabarti ${ }^{1}$ and Siddhartha Roy ${ }^{2 *}$
${ }^{1}$ Division of Structural Biology and Bioinformatics, CSIR-Indian Institute of Chemical Biology, 4, Raja S.C.Mullick Road, Kolkata 700032, India
${ }^{2}$ Department of Biophysics, Bose Institute, P-1/12, C.I.T. Scheme VII M, Kolkata 700054, India.

## Modeling of protein-DNA complex

The crystallographic structure of $\sigma 70$ subunit of E. coli RNA polymerase (PDB id : 4IGC) was docked to the gal promoter model with expert interface of HADDOCK $2.1^{1}$. HADDOCK is an information-driven flexible docking tool for modeling of biomolecular complexes. The gal promoter was modeled using 3D-DART ${ }^{2}$. The bases from -30 to -1 were modeled for gal promoters. For introduction of bending in the DNA models, twist, roll and slide base pair step parameters for the TATA bases (corresponding to TATG in gal) were changed within conformational space allowed for these bases ${ }^{3,4}$. In another DNA model, -11A was flipped out by changing the base pair parameter of $-10,-11$ and -12 bases. For docking with the gal promoter, residues $418,414,423,428,432,433$ and 454 of RNA polymerase were considered as active residues whereas bases $-10,-11$ and -14 were considered active residues for the gal promoter. Both the DNA molecules were considered as fully flexible. Docking was performed in solvated mode with water as the solvent. The docking protocol consists of three steps, a rigidbody energy minimization, a semi-flexible refinement in torsion angle space and a final refinement in explicit solvent. In expert interface, during the rigid body energy minimization, 1000 structures were calculated and the best 200 solutions, based on the intermolecular energy, were used for the semi-flexible simulated annealing followed by an explicit water refinement ${ }^{5}$. The final results were grouped in to different clusters and the final pose was selected manually by visualizing intuitively.

## DNA model generation for Molecular dynamics simulation

Gal promoter ( $\mathrm{P}^{+}{ }^{+} \mathrm{P}^{-}$) DNA sequence (TTCGTTGCTA $\mathbf{- 1 1}^{\text {TGGTTATTTCA }}$ and its complementary sequence) was modeled using Nucleic Acid Builder (NAB) package ${ }^{6}$, which includes the AMBER implementation of the generalized Born model for solvation effects ${ }^{7}$. NAB
uses three principal techniques to build the DNA molecule. The first one is the base transformation where the DNA bases are laid out to achieve the desired helical and base-pairing configuration followed by the addition of sugar backbone and optimization using molecular mechanics energy minimization procedure. The second important part is the utilization of the distance geometry, allowing the DNA structure to satisfy sets of distance constraints. Once the initial model is constructed, the third part performs the optimization and minimization of the model using molecular dynamics simulation under AMBER force field ${ }^{8}$. Following the same protocol five random DNA structures were generated by maintaining the similar length and frequency distribution of nucleotides observed in the original Gal promoter DNA sequence (wild type Gal promoter and random DNA sequences/models are shown in Figure S7). The final models were used for subsequent structural studies.

## Molecular dynamics simulation of DNA structures

Molecular dynamics (MD) simulations of all the six DNA models were carried out using GROMACS 4.6.1 simulation package ${ }^{9}$. For all of the cases, Amber FF99SB force field ${ }^{10}$ was used for the MD simulations. At the first step DNA models were solvated in a cubic box of 9,277 TIP3P water molecules ${ }^{11}$. Upon solvation $52 \mathrm{Na}^{+}$ions were added in the respective DNA systems to achieve charge neutrality. The final system constituting 29,544 atoms were then subjected to a two-step minimization procedure through steepest descent ${ }^{9}$ and conjugate gradient ${ }^{12}$ algorithms, followed up with six equilibration steps of 1 nanosecond (ns) each at $300^{\circ}$ Kelvin $(\mathrm{K})$. In each equilibration step the force constant was gradually decreased from $100,000 \mathrm{~kJ} \mathrm{~mol}^{-1}$ $\mathrm{nm}^{-1}$ to $0 \mathrm{~kJ} \mathrm{~mol}^{-1} \mathrm{~nm}^{-1}$. The final simulations were carried out under NPT conditions for 1 microsecond $(\mu \mathrm{s})$ at $300^{\circ} \mathrm{K}$ and pressure 1 bar. A 1 femtosecond time step was used for integrating the equations of motion using leap-frog integrator ${ }^{13}$. All the MD simulations were
carried out under periodic boundary condition ${ }^{14}$. Coulombic interactions were treated with Particle Mesh Ewald (PME) summation method ${ }^{15}$ whereas van der Waals interactions were treated with cut-off function ${ }^{10}$. Temperature and pressure coupling of the whole system were handled using v-rescale ${ }^{10}$ and Parrinello-Rahman ${ }^{16}$ algorithms, respectively. In total, we have carried out three independent $1 \mu$ s wild type promoter DNA and five $1 \mu \mathrm{~s}$ random DNA MD simulations. For DNA base property analysis MD simulation trajectory starting from 100 nanoseconds (ns) to $1 \mu$ s were considered. The first 100 ns trajectories were considered as part of equilibration stage of the whole system.

## DNA base property analysis

All the sequence dependent variation in the wild type and random DNA models were analyzed using NUPARM program ${ }^{17}$. Base step parameters like rise, slide, shift, tilt, roll, twist; base pair parameters including shear, stretch, stagger, opening, propeller, buckle and intra-base pair parameters C8-C6, $\mathrm{C} 1-\mathrm{C} 1$ distances were calculated to compare the time dependent structural variations of bases among the wild type and random DNA models (Figure S8).

To compare the intra (within the same DNA model) and inter (between wild type and random DNA models) DNA sequence dependent base properties, a normalized $Z_{\text {score }}$ distribution was first calculated. The $Z_{\text {score }}$ distribution of individual base properties were calculated from all the MD simulation runs ( 8 in total) by the following way,
$Z_{\text {score }}=\frac{X-\mu}{\sigma}$

Where, $X$ is the base property value; $\mu$ is the mean of the base property values and $\sigma$ is the standard deviation of the base property population. In this way we have calculated $Z_{\text {score }}$ distribution for 14 different base properties separately (Figure S9).

Following the $Z_{\text {score }}$ calculation of individual base properties, the Fisher's exact test ${ }^{18}$ was performed using the following contingency tables to calculate the statistical significance of the deviation from the null hypothesis. The contingency tables and their associated null hypothesis are defined as follows,

For intra DNA sequence dependent base property $p_{\text {value }}$ calculation:

| No. of times having | DNA base | DNA base |
| :--- | :--- | :--- |
| property $Z_{\text {score }}$ | position " $N$ " | position "not- $N$ ", |
| $\geq 3$ and $\leq-3$ | a | b |
| $\geq 2$ and $\leq-2$ | c | d |

The associated null hypothesis is devised as there is no difference of proportion of a base property between the base position " $N$ " and the rest of the base positions "not- $N$ " having $Z_{\text {score }} \geq$ 3 and $\leq-3$.

In case of inter DNA sequence dependent base property $p_{\text {value }}$ calculation:

| No. of times DNA base | DNA from MD | DNA from rest of the |
| :--- | :--- | :--- |
| position " $N$ " having | simulation run $X$ | MD simulation runs |
| $\mathbf{Z}_{\text {score }}$ |  |  |
| $\geq 3$ and $\leq-3$ | a | b |
| $\geq 2$ and $\leq-2$ | c | d |

The associated null hypothesis is as there is no difference in proportion of a property between the base position " $N$ " of DNA from run X compared to the same base position from the five random DNA models observed in five different MD simulation runs having $Z_{\text {score }} \geq 3$ and $\leq-3$.

The $p_{\text {value }}$ of the associated contingency tables are given by the following hypergeometric distribution,
$p_{\text {value }}=\frac{(a+b)!(c+d)!(a+c)!(b+d)!}{a!b!c!d!(a+b+c+d)!}$

The hypothesis is tested against $99 \%$ confidence level and in every case Odds Ratio (OR) > $1{ }^{19}$ is considered for hypothesis testing. The OR is defined as,
$O R=\frac{a / c}{b / d}$

An $\mathrm{OR}>1$ indicates higher odds of outcome associated with the base property of base position " $N$ " and MD simulation run X.

## Dihedral angle based Principal Component Analysis of DNA

The base opening angle, which is defined as the angle between the lines of C 1 '- C 8 and C 1 '- C 6 atoms of a nucleotide sugar ring in a paired base, measures the tendency of base opening. Changes in C1'-C1' distance from equilibrium suggest an increasing or decreasing inter-chain distance between two paired bases leading to altered base pairing stability.

The Principal Component Analysis or PCA is a multivariate statistical technique that uses a linear transformation technique to diagonalize a covariance matrix of a data set to remove the linear correlations among the variables into a set of uncorrelated variables ${ }^{20}$. The diagonalization procedure generates a set of eigenvalues and ordering these eigenvalues decreasingly, captures
the system's fluctuation also known as principal components. The PCA in Cartesian space involves many degrees of freedom and to overcome this a more natural choice is to use internal coordinates such as the dihedral angles ${ }^{20,21}$, which shows more changes than bond length and angle and less degrees of freedom. In this analysis we have used the three independent $1 \mu$ dNA MD simulation runs to generate a covariance matrix of which contains the circular movement data of DNA backbone dihedral angles, namely the $\alpha$ (O3'[i-1]-P-O5'-C5'), $\beta$ (P-O5'-C5'-C4'), $\gamma$ (O5'-C5'-C4'-C3'), $\delta\left(\mathrm{C} 5^{\prime}-\mathrm{C} 4^{\prime}-\mathrm{C} 3^{\prime}-\mathrm{O} 3^{\prime}\right), \varepsilon\left(\mathrm{C} 4^{\prime}-\mathrm{C} 3^{\prime}-\mathrm{O} 3^{\prime}-\mathrm{P}_{[\mathrm{i}+1]}\right), \zeta\left(\mathrm{C} 3^{\prime}-\mathrm{O} 3^{\prime}-\mathrm{P}_{[\mathrm{i}+1]}-\mathrm{O} 5^{\prime}{ }_{[i+1]}\right)$. Here " i " represents the DNA base position. The dihedral angular movement distribution, generation of covariance matrix, diagonalization of the covariance matrix and further analysis was carried out using the inbuild $g_{\_}$angle, $g_{\_}$covar and $g \_$anaeig functions GROMACS package ${ }^{9}$, respectively.

## Base properties

NUPARM program ${ }^{17}$ uses purine and pyrimidine ring atoms to calculate the base normals. The mean base pair normal is considered as the average of the purine and pyrimidine normals, in order to minimize the differences generated due to the size of the two bases during property calculations. The Z axis is defined as the 5' to 3' direction of strand " I " while the Y axis is taken as pointing towards this strand. The X axis is considered as the direction pointing towards the major groove of the DNA. The midpoint of C 6 and C 8 atoms of purine and pyrimidine bases are defined as the base pair center and the Y axis is considered to be along the $\mathrm{C} 6-\mathrm{C} 8$ direction and passes through the base pair center. All the local helix and wedge parameters are defined in terms of the local helix axis and mean Z axis, respectively for the doublet involved.

Table S1: Basepair lifetimes of promoter region of the Gal promoter

| Base pair | Lifetime (ms) |
| :--- | :--- |
| +1 | 30 |
| -1 | $*$ |
| -2 | 8 |
| -3 | $* *$ |
| -4 | 48 |
| -5 | 29 |
| -6 | 7 |
| -7 | 7 |
| -8 | $*$ |
| -9 | $*$ |
| -10 | 7 |
| -11 | 7 |
| -12 | 12 |
| -13 | $*$ |
| -14 | Very rapid |
| -15 | 7 |
| -16 | 38 |
| -17 | $*$ |
| -18 | $*$ |
| -19 | 12 |

Basepairs marked * are assigned to the most upfield group of slowly recovering peaks upon inversion. They are GC peaks with long basepair lifetimes. ${ }^{* *}$ Slow relaxing, but the rate cannot be measured accurately due to overlap.

Table S2: Rate of fluorescence change of $+3,2-A P$ substituted templates

| Oligonucleotide | Rate Constant $/ \mathbf{s}$ |
| :--- | :--- |
| $\mathbf{p 1 + p 2 + \mathbf { p 3 + }}$ | 1.77 |
| p1-p2-p3+ | 0.18 |
| p1+p2-p3+ | 0.872 |
| p1(-14)p2-p3+ | 0.105 |
| p1(-11)p2-p3+ | 0.391 |

Table S3: Effect of $\boldsymbol{\sigma}^{\mathbf{7 0}}$ amino acid substitutions on the rate of fluorescence change of +3, 2AP substituted templates

| $\left(\boldsymbol{\sigma}^{\mathbf{7 0}}\right)$ <br> RNAP | Rate Constants $/ \mathbf{s}$ |
| :--- | :--- |
| Wild type RNAP (p1+p2-) | $0.872 \times 10^{-3}$ |
|  |  |
| 414A | Not detectable |
| 418A | $0.120 \times 10^{-3}$ |
| 423A | $0.099 \times 10^{-3}$ |
| 426A | $0.701 \times 10^{-3}$ |
| 429A | Not detectable |
| 430A | $0.196 \times 10^{-3}$ |
| 432A | $0.46 \times 10^{-3}$ |
| 433A | Not detectable |
| 436A | Not detectable |
| 437A | Not detectable |
| 454A | Not detectable |
| 455A | Not detectable |
| 458A | Not detectable |

Table S4: Sequences of Aro F oligonucleotides
Bases marked in Red are the ones that are mutated

| NOMENCLATURE | SEQUENCE |
| :---: | :---: |
| Aro F wt F | 5'GAAAACTTTACTTTATGTGTTATCGTTACGTCA(+1)TCCT |
|  | CGCTGAGGATCAACTATCGCAAACGA-3, |
| AroF wt R | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAA |
|  | CGATAACACATAAAGTAAAGTTTTC-3' |
| $\operatorname{AroF}(\mathrm{T}-7 \mathrm{G}) \mathrm{F}$ | 5'GAAAACTTTACTTTATGTGTTATCGGTACGTCATCCTCG |
|  | CTG AGG ATC AAC TAT CGC AAA CGA-3' |
| $\operatorname{AroF}(\mathrm{T}-7 \mathrm{G}) \mathrm{R}$ | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAC |
|  | CGATAACACATAAAGTAAAGTTTTC - ${ }^{\text {² }}$ |
| $\operatorname{AroF}(G-8 T) F$ | 5'GAAAACTTTACTTTATGTGTTATCTTTACGTCATCCTCG |
|  | CTG AGG ATC AAC TAT CGC AAA CGA-3' |
| $\operatorname{AroF}(\mathrm{G-8T}) \mathrm{R}$ | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAA |
|  | AGATAACACATAAAGTAAAGTTTTC- ${ }^{\text {3 }}$ ' |
| $\operatorname{AroF}(C-9 A) F$ | 5'GAAAACTTTACTTTATGTGTTATAGTT ACG TCA TCC |



| $\operatorname{AroF}(T-13 G) R$ | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAA |
| :---: | :---: |
|  | CGATACCACATAAAGTAAAGTTTTC - $\mathbf{3}$, |
| $\operatorname{AroF}(G-14 T){ }_{\text {F }}$ | 5'GAAAACTTTACTTTATGTTTTATCGTTACGTCATCCTCG |
|  | CTG AGG ATC AAC TAT CGC AAA CGA -3' |
| $\operatorname{AroF}(G-14 T) R$ | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAA |
|  | CGATAAAACATAAAGTAAAGTTTTC $\mathbf{- 3}$, |
| $\operatorname{AroF}(T-15 G) \mathrm{F}$ | 5'GAAAACTTTACTTTATGGGTTATCGTTACGTCATCCTCG |
|  | CTG- AGG ATC AAC TAT CGC AAA CGA-3' |
| $\operatorname{AroF}(\mathrm{T}-15 \mathrm{G}) \mathrm{R}$ | 5'TCGTTTGCGATAGTTGATCCTCAGCGAGGATGACGTAA |
|  | CGATAACCCATAAAGTAAAGTTTTC -3' |

Table S5: Sequences of the PurMN oligonucleotides

Bases marked in Red are the ones that are mutated

| NOMENCLATURE | SEQUENCE |
| :--- | :--- |
| PurMN WT F | 5'CAAACGTTTGCTTTCCCTGTTAGAATTGCGCCG(+1)AAT |
|  | TTTATTTTTCTACCGCAAGTAACGCGT-3', |
|  |  |
| PurMN WT R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCTAACAGGGAAAGCAAACGTTTG -3', |


| PurMN(T-7G) F | 5'CAAACGTTTGCTTTCCCTGTTAGAAGTGCGCCGAATTTT |
| :--- | :--- |
| ATTTTTCTACCGCAAGTAACGCGT-3, |  |


| PurMN(T-7G) R | 5,ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAC |
| :--- | :--- |
|  | TTCTAACAGGGAAAGCAAACGTTTG 3, |

PurMN(A-8C) F 5'CAAACGTTTGCTTTCCCTGTTAGACTTGCGCCGAATTTT ATTTTTCTACCGCAAGTAACGCGT-3'

PurMN(A-8C) R
5’ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA GTCTAACAGGGAAAGCAAACGTTTG- 3

| PurMN(A-9C) F | 5’CAAACGTTTGCTTTCCCTGTTAGCATTGCGCCGAATTTT |
| :---: | :---: |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| PurMN(A-9C) R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TGCTAACAGGGAAAGCAAACGTTTG - $\mathbf{3}$ |
| PurMN(G-10T) F | 5'CAAACGTTTGCTTTCCCTGTTATAATTGCGCCGAATTTT |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| $\operatorname{PurMN(G-10T)~R~}$ | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTATAACAGGGAAAGCAAACGTTTG - $\mathbf{3}$ |
| PurMN(A-11C) F | 5'CAAACGTTTGCTTTCCCTGTTCGAATTGCGCCGAATTTT |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| PurMN(A-11C) R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCGAACAGGGAAAGCAAACGTTTG- 3' |
| PurMN(T-12G) F | 5'CAAACGTTTGCTTTCCCTGTGAGAATTGCGCCGAATTTT |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| PurMN(T-12G) R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCTCACAGGGAAAGCAAACGTTTG -3' |


| PurMN(T-13G) F | 5'CAAACGTTTGCTTTCCCTGGTAGAATTGCGCCGAATTTT |
| :---: | :---: |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| PurMN(T-13G) R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCTACCAGGGAAAGCAAACGTTTG $\mathbf{- 3}$, |
| PurMN(G-14T) F | 5'CAAACGTTTGCTTTCCCTTTTAGAATTGCGCCGAATTTT |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| $\operatorname{PurMN}(\mathrm{G}-14 \mathrm{~T}) \mathrm{R}$ | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCTAAAAGGGAAAGCAAACGTTTG - ${ }^{\prime}$ ' |
| PurMN(T-15G) F | 5'CAAACGTTTGCTTTCCCGGTTAGAATTGCGCCGAATTTT |
|  | ATTTTTCTACCGCAAGTAACGCGT-3' |
| PurMN(T-15G) R | 5'ACGCGTTACTTGCGGTAGAAAAATAAAATTCGGCGCAA |
|  | TTCTAACCGGGAAAGCAAACGTTTG -3' |

Table S6: gal Promoter oligos for $4^{\circ} \mathrm{C}$ titration:

| NOMENCLATURE | SEQUENCE |
| :---: | :---: |
| galP1 ${ }^{+} \mathrm{Pr}^{-P 3^{+}} \mathbf{F}$ | 5'-TTT TCG CAT CTT TTC GTT GCT ATG |
|  | GTT ATT TCA TAC CAT AAG CCT AAT |
|  | GGA GCG AAT TAT GAG-3' |
| galP1 ${ }^{+} \mathbf{P 2 - P 3}{ }^{+} \mathbf{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAT AGC |
|  | AAC GAA AAG ATG CGA AAA-3' |

Table S7: 2-AP Containing oligos (2-AP at +3 Position)
Bases marked in Red are the ones that are mutated

| NOMENCLATURE | SEQUENCE |
| :---: | :---: |
| galP1 ${ }^{+} \mathbf{P 2}^{+} \mathrm{P3}^{+}-2 \mathrm{APF}$ | 5'-TTT TCG CAT CTT TGT TAT GCT ATG |
|  | GTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3' |
| galP1 ${ }^{+} \mathrm{Pr}^{+} \mathrm{P3}^{+}-2 \mathrm{AP} \mathbf{R}$ | 5’-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAT AGC |
|  | ATA ACA AAG ATG CGA AAA-3' |


| galP1-P2-P3 ${ }^{+}$-2AP F | 5'-TTT TCG CAT CTT TTC GTT ACT GCC |
| :---: | :---: |
|  | CCT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3' |
| galP1-P2-P3-2AP ${ }^{+} \mathbf{R}$ | 5’-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AGG GGC AGT |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\boldsymbol{g a l P 1} \mathbf{1}^{+} \boldsymbol{P 2}-\mathbf{P 3}^{+}-\mathbf{- 2 A P} \mathbf{F}$ | $\mathbf{5}^{\prime}$-TTT TCG CAT CTT TTC GTT GCT ATG |
| :--- | :--- |
|  | GTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3’ |



| $\operatorname{galP1}(\mathrm{T}-15 \mathrm{G}) P 2-P 3^{+}-2 \mathrm{AP} \mathrm{F}$ | 5'-TTT TCG CAT CTT TTC GTG GCT |
| :---: | :---: |
|  | ATG GTT ATT TCA T2APC CAT AAG |
|  | CCT AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1}(\mathrm{T}-15 \mathrm{G}) \mathrm{Pr}^{-P 3^{+}-2 \mathrm{AP}} \mathrm{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAT AGC |
|  | CAC GAA AAG ATG CGA AAA-3' |


| $\operatorname{galP1}(\mathrm{G}-14 \mathrm{~T}) P 2 \cdot P 3^{+}-2 \mathrm{AP}$ F | 5'- TTT TCG CAT CTT TTC GTT TCT |
| :---: | :---: |
|  | ATG GTT ATT TCA T2APC CAT AAG |
|  | CCT AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1}(\mathrm{G}-14 \mathrm{~T}) \mathrm{P2}^{-P 3^{+}} \mathbf{- 2 A P} \mathrm{R}$ | 5 ${ }^{\prime}$-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAT AGA |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\boldsymbol{g a l P 1}(\mathbf{C}-\mathbf{1 3 A}) \boldsymbol{P 2} \mathbf{P 3}^{+} \mathbf{- 2 A P} \mathbf{F} \quad$ | $\mathbf{5}^{\prime}$-TTT TCG CAT CTT TTC GTT GAT ATG |
| :--- | :--- |
|  | GTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3, |



| $\operatorname{galP1}(\mathrm{T}-12 \mathrm{G}) P 2-P 3^{+}-2 \mathrm{AP} \mathrm{F}$ | 5'-TTT TCG CAT CTT TTC GTT GCG |
| :---: | :---: |
|  | ATG GTT ATT TCA T2APC CAT AAG |
|  | CCT AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1}(\mathrm{T}-12 \mathrm{G}) \mathrm{P2}^{-P 3^{+}-2 \mathrm{AP}} \mathrm{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAT CGC |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\operatorname{galP1}(\mathrm{A}-11 \mathrm{C}) \mathrm{P2}^{-P 3}{ }^{+}-2 \mathrm{AP} \mathbf{F}$ | 5'-TTT TCG CAT CTT TTC GTT GCT CTG |
| :---: | :---: |
|  | GTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1}(\mathrm{A}-11 \mathrm{C}) \mathrm{P2}^{-P 3^{+}} \mathbf{- 2} \mathbf{A P} \mathrm{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC CAG AGC |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\boldsymbol{g a l P 1}(\mathbf{T}-\mathbf{1 0 G}) \boldsymbol{P 2}-\mathbf{P 3}^{+} \mathbf{- 2 A P} \mathbf{F} \quad$ | $\mathbf{5}^{\prime}$-TTT TCG CAT CTT TTC GTT GCT |
| :--- | :--- |
|  | AGG GTT ATT TCA T2APC CAT AAG |
|  | CCT AAT GGA GCG AAT TAT GAG-3 |


| $\operatorname{galP1}(\mathrm{T}-10 \mathrm{G}) P 2-P 3^{+}-2 \mathrm{AP} \mathrm{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
| :---: | :---: |
|  | CTT ATG GTA TGA AAT AAC CCT AGC |
|  | AAC GAA AAG ATG CGA AAA-3' |
| $\operatorname{galP1}(\mathrm{G}-9 \mathrm{~T}) \mathrm{P2-P3}{ }^{+}$-2AP F | 5'-TTT TCG CAT CTT TTC GTT GCT ATT |
|  | GTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1(G-9T)P2-P3}{ }^{+}$-2AP R | 5’-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAC AAT AGC |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\operatorname{galP1}(\mathrm{G}-8 \mathrm{~T}) P 2-P 3^{+}-2 \mathrm{AP} \mathrm{F}$ | 5'-TTT TCG CAT CTT TTC GTT GCT ATG |
| :---: | :---: |
|  | TTT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3' |
| $\operatorname{galP1}(\mathrm{G}-8 \mathrm{~T}) \mathrm{P2}^{-P 3}{ }^{+} \mathbf{- 2 A P} \mathrm{R}$ | 5'-CTC ATA ATT CGC TCC ATT AGG |
|  | CTT ATG GTA TGA AAT AAA CAT AGC |
|  | AAC GAA AAG ATG CGA AAA-3' |


| $\boldsymbol{g a l P 1}(\mathbf{T}-\mathbf{7 G}) \boldsymbol{P 2} \mathbf{P 3}^{+} \mathbf{- 2 A P} \mathbf{F}$ | $\mathbf{5}^{\prime}$-TTT TCG CAT CTT TTC GTT GCT ATG |
| :--- | :--- |
|  | GGT ATT TCA T2APC CAT AAG CCT |
|  | AAT GGA GCG AAT TAT GAG-3, |

Figure S1


Figure S1. Effect of single base pair mutation on AroF promoter

Figure S2


Figure S2. Effect of single base pair mutation on PurMN promoter

Figure S3


Figure S3. Some representative binding isotherms of wild type and mutant AroF and PurMN promoter sequences with RNA Polymerase.

Figure S4







Figure S4. Some representative isotherms of $\sigma 70$ substituted RNA polymerase and GalP1.

## Figure S5



Figure S5. Principal Component Analysis of DNA in backbone dihedral angle space. The panel shows the cumulative distribution (as a line) of internal motions observed over the maximally contributing (about 90\%) 72 eigenvalues. The individual eigenvectors (as shown in bar) are sorted decreasingly based on their contribution to the internal motions. First six eigenvalues (Red bars) which represents translational and rotational degrees of motion are excluded from the analysis.

Figure S6.
(A)

# 5'GCTT CGTTGC TATGGTTATT TCAGC CGAAGCAACGATACCAATAAAGTCG5' <br> -20 <br> -10 <br> +1 

(B)

(C)


Figure S6. (A) The oligonucleotide containing the galP1 promoter. The purple colored basepair is the transcription start site, that is, the +1 basepair, the red colored basepair is the -10 basepair. (B) NMR spectra of the imino region of the oligonucleotide. The panel below shows the iminoimino connectivity by 2DNOESY between -3 to -7 basepairs. The cross-peaks are aligned with the peaks shown above. The imino spectra contains the assignment of each peak obtained through 2DNOESY. (C) The 2D NOESY spectra of the imino region.

## Figure S7



Figure S7. The panel shows the wild type Gal promoter sequence and 3D DNA structure along with the other five random DNA sequences and 3D models.

Figure S8. DNA base properties

Coordinate frame


## Base properties



Figure S9. DNA base property Z-score distribution


## Figure S10



Figure S10. RMSD plots of wild type Gal promoter and random DNA models. Panel A-C shows the RMSD plots for three independent $1 \mu$ s MD simulation runs of wild type Gal promoter DNA model. Panel D-H shows the RMSD plots for $1 \mu$ s MD simulation runs for five different random DNA models.

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