Supplementary Information for

Anisotropic drop spreading on superhydrophobic grates during drop impact

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Asymmetric spreading on the HPo grates \triangleright

The smaller spreading diameter on grates can be partly attributed to the difference in contact angles between two surfaces. The previous analysis [1] showed that the influence of contact angle on the maximal spreading ratio can be compensated by considering the maximal spreading ratio $\beta_{V\to 0}$ at near-zero impact velocity such as $\sqrt{\beta_{\max}^2 - \beta_{V\to 0}^2} \sim W e^{1/2}$, where $\beta_{V\to 0}$ is given by $\beta_{V \to 0} = \left[\frac{1}{\left(\left(2 + \cos \theta_D \right) \sin^4 \left(\theta_D / 2 \right) \right)} \right]^{1/3} \text{ with } \theta_D \text{ being a dynamic contact angle. When the }$ proposed correction was applied to our data using the measured contact angles (Table S1), we verified that the difference at a low *We* number can be indeed accounted for (Fig. S1). However, the maximal spreading ratio on grates is still noticeably smaller at higher We numbers. Moreover, the above correction does not fully account for anisotropic drop spreading in parallel and transverse directions. Another possibility is that the initial shape asymmetry of drop becomes amplified during a subsequent spreading stage. However, Fig. 3b shows that asymmetry in the initial spreading diameter is not significant and within measurement uncertainty. Furthermore, a simple scaling argument indicates the opposite. Assuming that the initial diameters are $D_{p,0}$ and $D_{\rm t,0}$ in parallel and transverse directions, respectively, the ratio of the volume distribution V_p / V_t is approximated to $\operatorname{be} V_p / V_t \sim \left(D_{p,0} / D_{t,0} \right)^2$. Then, based on the typical scaling relation for the of $D_{\text{max}} / D_0 \sim W e^{1/4} [2],$ spreading maximal ratio reaches

 $D_{\max,p} / D_{\max,t} = \beta_{grate(p)} / \beta_{grate(t)} \sim (D_{p,0} / D_{t,0})^{5/6}$, which shows that the initial asymmetry does not amplify during the spreading stage.

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[1] J. B. Lee, N. Laan, K. G. de Bruin, G. Skantzaris, N. Shahidzadeh, D. Derome, J. Carmeliet and D. Bonn, J. Fluid Mech., 2016, 786, R4.

[2] C. Clanet, C. Béguin, D. Richard and D. Quéré, J. Fluid Mech., 2014, 517, 199-208.

 Table S1. Measured contact angle on hydrophobic grates (HPo_grates) along the parallel

 direction (P) and the transverse direction (T) to grates

	HPo_Grates		
	Adv. CA	Static CA	Rec. CA
L=50µm(P)	148.8	143.8	139.7
L=50µm(T)	171.2	148.1	130.6
L=100µm(P)	152.8	152.7	147.1
L=100µm(T)	177.9	158.6	141.6
L=150µm(P)	158.1	155.3	151.4
L=150µm(T)	173.0	164.7	152.4



Fig. S1. Normalized maximal spreading diameter on hydrophobic grates relative to flat

hydrophobic surface after correcting the influence of contact angle variation between two samples.

Cassie-to-Wenzel wetting transition

- HPo grates



Fig. S2. Top view images of drop impact dynamics on the HPo grates with L=50 μ m. The wetted area as a result of the CW transition is visible in captured images.



Fig. S3. Top view images of drop impact dynamics on the HPo grates with L=100 μ m. The wetted area as a result of the CW transition is visible in captured images.



Fig. S4. Top view images of drop impact dynamics on the HPo grates with L=150 μ m. The wetted area as a result of the CW transition is visible in captured images.

- SHPo grates



Fig. S5. Top view images of drop impact dynamics on the SHPo grates with L=50 μ m. No wetted area is observed on images.



Fig. S6. Top view images of drop impact dynamics on the SHPo grates with L=100 μ m. No wetted area is observed on images.



Fig. S7. Top view images of drop impact dynamics on the SHPo grates with L=150 μ m. No wetted area is observed on images.