

Electronic Supplementary Information (ESI) on

**The influence of plasma treatment on the elasticity of the in-situ  
oxidized gradient layer in PDMS: Towards crack-free wrinkling**

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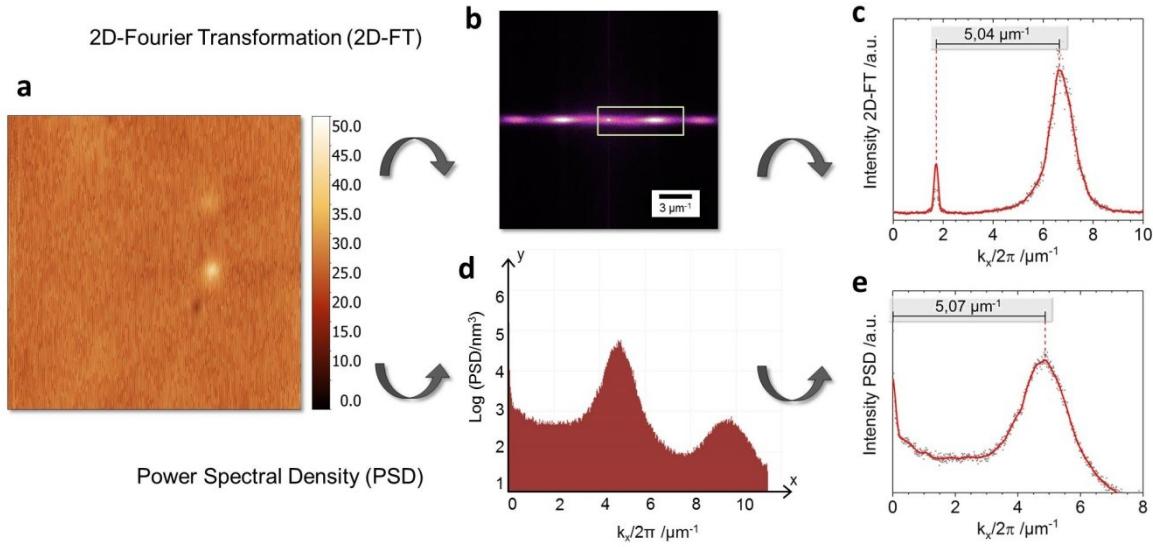


Figure S1: Evaluation process for topographical AFM images (**a**) via 2D-FT and PSD, exemplarily shown for one of the three samples used in the power screening at 4 W (5 % Plasma Cleaner power). For 2D-FT the AFM image is first transformed over a 2-Dimensional Fast Fourier Transformation (2D-FFT) to a FT-spectrum (**b**). In here, the area marked with the white box (including the FT-origin peak and the 1<sup>st</sup> order peak) is extracted as a profile. The data is fitted in Origin Pro with an FFT-filter (**c**) and the peak positions are subtracted from each other, resulting in the wavenumber  $k$  of the according corrugation length observed within the topographical AFM image. For PSD, the horizontal axis of the AFM image gets transformed in NanoScope Analysis software (**d**) and eventually the extracted profile is analyzed similar to 2D-FT (**e**), with the addition that the origin peak is automatically set to  $x = 0$ .

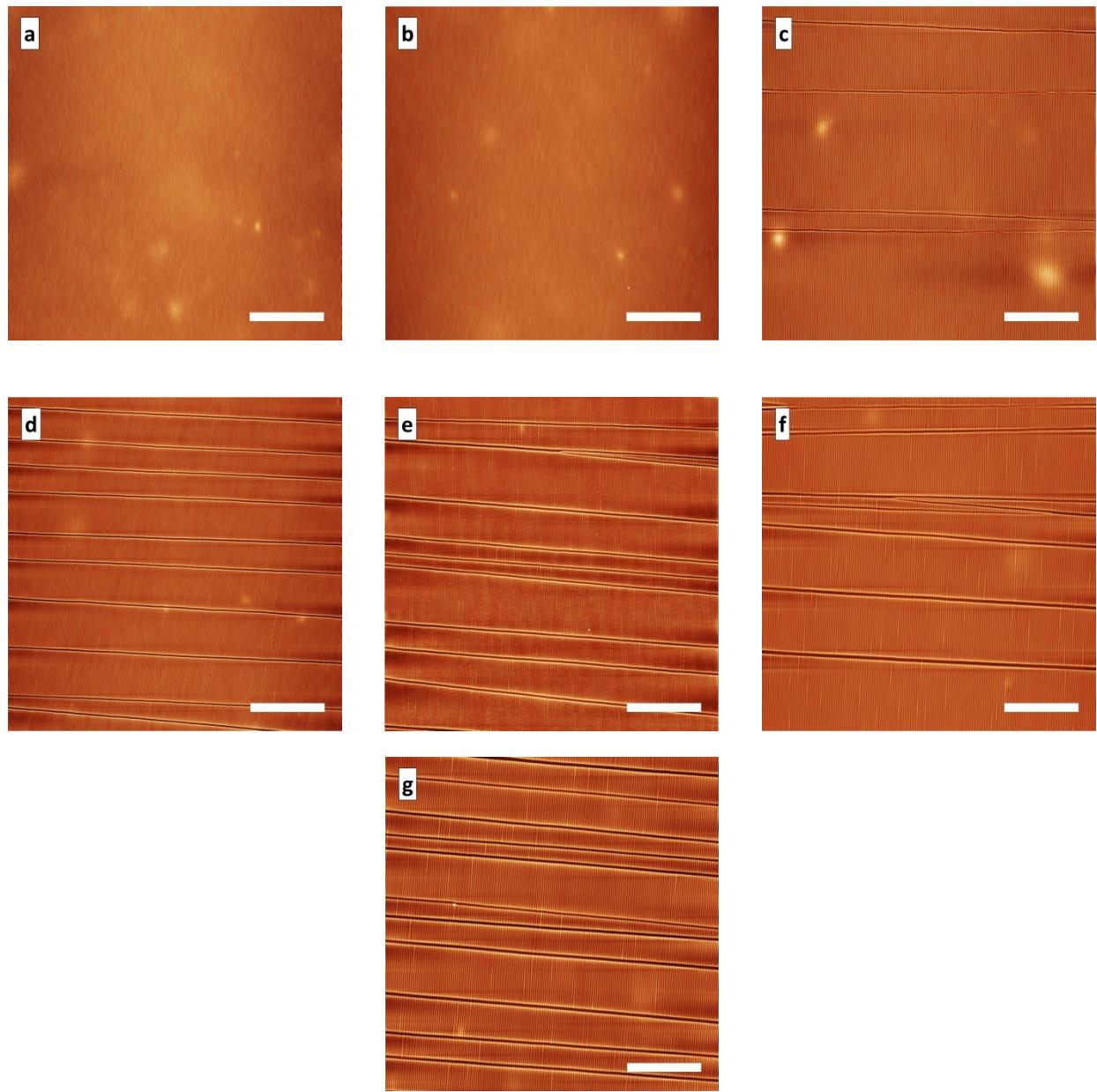


Figure S2: Topographical AFM images of the power screening, with (a) = 4 W, (b) = 8 W, (c) = 16 W, (d) = 32 W, (e) = 48 W, (f) = 64 W and (g) = 80 W. 10 x 10  $\mu\text{m}$  cutouts are added to the power screening in

Fig. 2 b. Scale bar is 20  $\mu\text{m}$ .

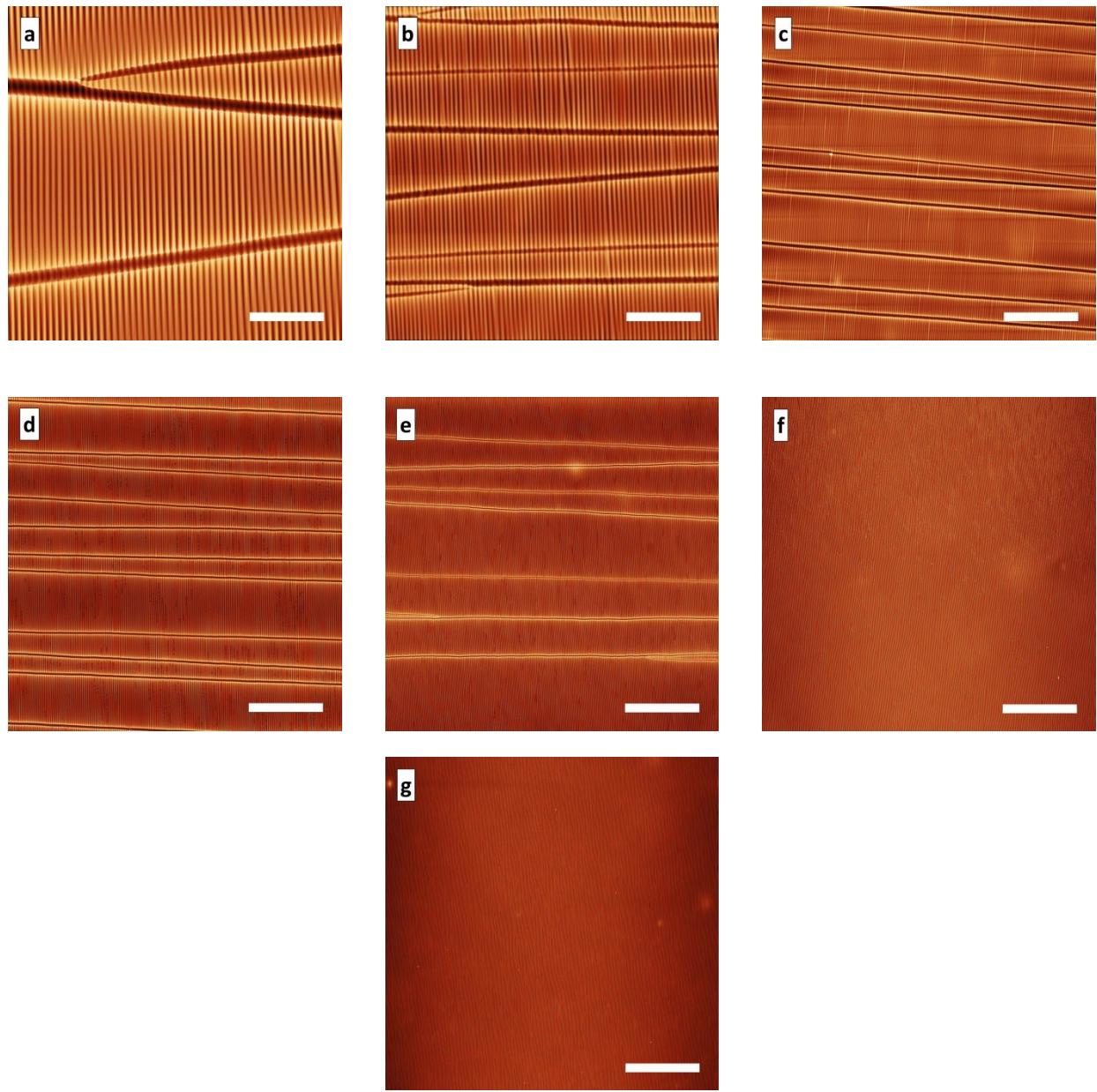


Figure S3: Topographical AFM images of the pressure screening, determined analogous to Figure S2. With (a) = 0.05 mbar, (b) = 0.1 mbar, (c) = 0.2 mbar, (d) = 0.3 mbar, (e) = 0.6 mbar, (f) = 0.9 mbar and (g) = 1.2 mbar.  $10 \times 10 \mu\text{m}$  cutouts are added to the pressure screening in Fig. 2 c. Scale bar is  $20 \mu\text{m}$ .

Pressure mbar	PSD				2D-FT				Crack Density		
	Individual		$\emptyset$		Individual		$\emptyset$		Individual	$\emptyset$	Area
	$\lambda$ nm	$\sigma \pm$ nm	Area %	%	$\sigma \pm$						
0,05	1730,8	121,0	1698,5	123,8	1710,9	24,2	1703,3	28,0	7,3	8,6	2,5
	1698,1	116,5			1697,7	30,7			11,5		
	1666,7	121,4			1701,3	26,6			7,1		
0,10	1216,2	87,3	1070,0	153,1	1217,6	22,4	1063,4	145,6	7,7	7,9	0,5
	1046,5	63,2			1040,5	16,3			7,7		
	947,4	60,9			932,0	23,1			8,5		
0,20	514,3	29,3	499,3	32,1	511,6	15,8	499,8	18,6	7,8	6,7	1,2
	494,5	29,7			494,9	14,1			6,8		
	489,1	28,9			492,8	16,5			5,3		
0,30	454,6	22,9	434,5	30,3	454,1	14,8	436,1	20,8	4,6	4,6	0,6
	422,5	23,4			426,7	12,2			4,0		
	426,5	28,0			427,6	14,3			5,3		
0,60	350,2	16,0	325,8	26,6	359,9	10,0	334,8	24,1	4,4	2,5	1,6
	312,5	17,1			317,8	9,9			1,7		
	314,7	15,4			326,8	8,4			1,6		
0,90	305,1	21,1	311,5	19,9	304,4	11,1	311,1	11,6	0,0	0,0	0,0
	314,7	16,5			316,6	8,1			0,0		
	314,7	19,8			312,3	10,4			0,0		
1,20	258,6	19,6	258,6	18,9	259,0	5,7	262,6	9,8	0,0	0,0	0,0
	255,7	16,7			262,8	9,5			0,0		
	261,6	19,7			266,0	12,2			0,0		

Table S1: Results of the pressure screening, displaying PSD (left columns), 2D-FT (middle) and the according crack density values at a time (right). For each data point, three samples were measured via AFM and analyzed with both PSD and 2D-FT. The results were averaged and the deviations summed up via Gaussian error propagation.

Power W	PSD				2D-FT				Crack Density		
	Individual		$\emptyset$		Individual		$\emptyset$		Individual	$\emptyset$	Area %
	$\lambda$ nm	$\sigma \pm$ nm	Area %	$\emptyset$	$\sigma \pm$						
5	206,9	15,8	197,4 187,9	15,9 16,2	205,0	8,2	198,5	12,9	0,0	0,0 0,0	0,0 0,0
	197,4	15,9			202,6	9,8			0,0		
	187,9	16,2			187,8	8,8			0,0		
10	204,1	20,1	205,3 200,5	16,8 15,0	209,4	7,6	207,1	9,0	0,0	0,0 0,0	0,0 0,0
	211,3	16,8			209,5	8,5			0,0		
	200,5	15,0			202,3	8,1			0,0		
20	217,4	13,7	225,4	19,2	224,3	8,0	225,8	12,2	1,0	0,9 0,8	0,9 0,8
	239,0	16,2			235,2	8,0			0,0		
	219,8	15,3			217,8	9,5			1,7		
40	238,1	14,5	244,4	17,1	237,6	8,7	244,3	12,6	4,9	4,5 4,6	4,5 0,6
	250,7	14,6			251,1	7,7			4,1		
	244,3	14,5			244,3	8,2			4,5		
60	340,9	16,6	344,3	27,7	341,9	2,0	346,2	19,0	6,1	4,7 1,2	4,7 1,2
	326,1	18,4			331,6	12,2			4,4		
	365,9	22,4			365,2	10,3			3,8		
80	436,9	27,3	455,0	32,2	434,2	15,4	455,9	27,2	6,7	5,4 1,2	5,4 1,2
	471,2	28,4			476,1	15,7			4,6		
	456,9	26,0			457,4	20,6			4,9		
100	514,3	29,3	499,3	32,1	511,6	15,8	499,8	18,6	7,8	6,7 1,2	6,7 1,2
	494,5	29,7			494,9	14,1			6,8		
	489,1	28,9			492,8	16,5			5,3		

Table S2: Results of the power screening. The results were obtained analogous to Table S1.

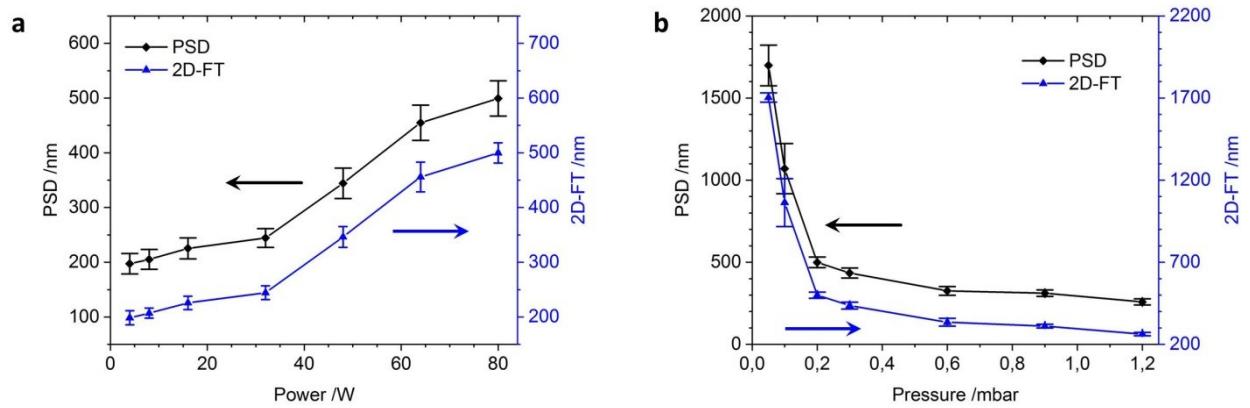


Figure S4: Wrinkle wavelengths for power (a) and pressure (b) screenings, determined via PSD (black curves) as well as 2D-FT (blue curves). PSD and 2D-FT are separated in both diagrams by an y-axis offset, since they superpose almost entirely when charting them on the same axis scale.

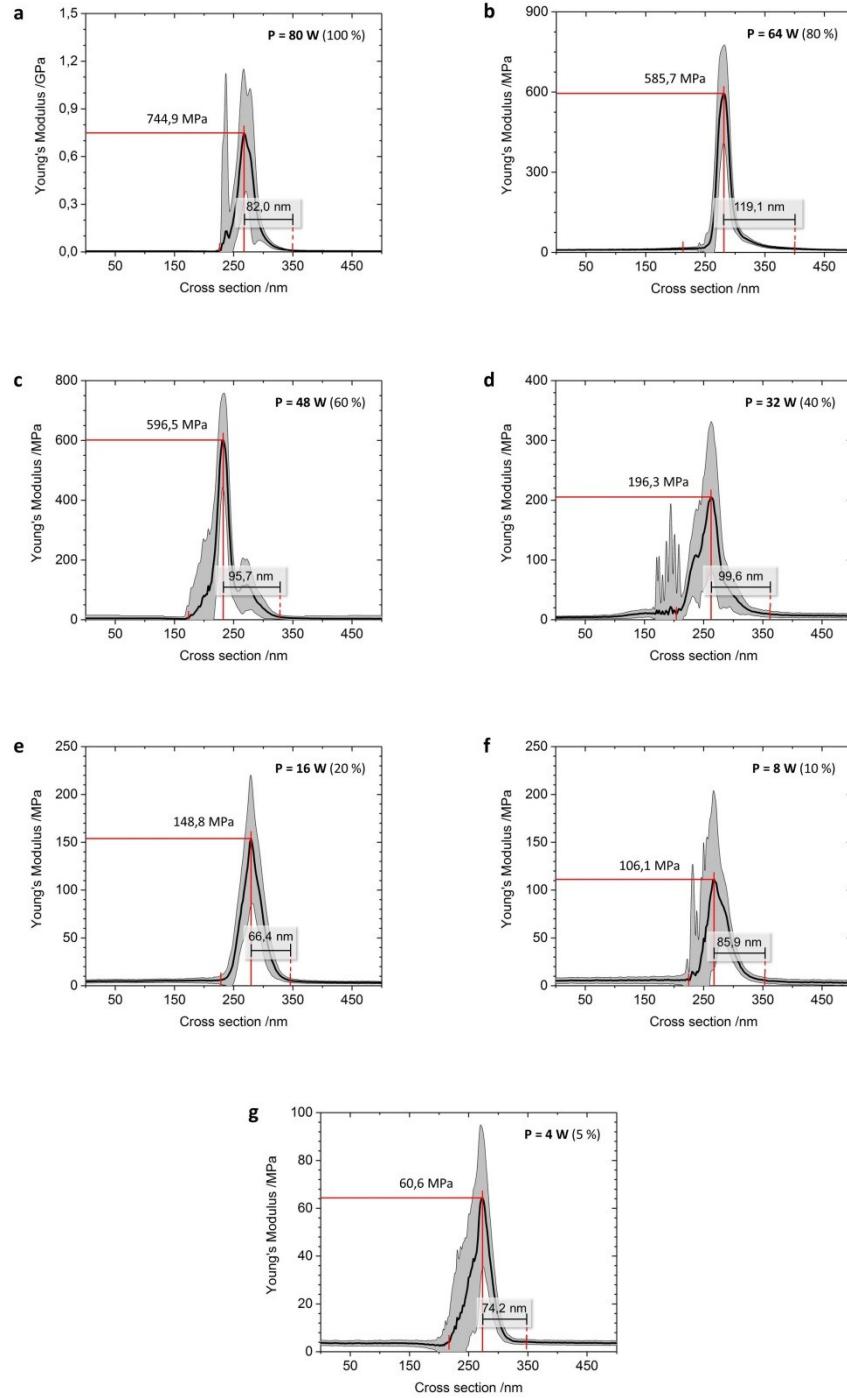


Figure S5: screening of the flat, unstrained samples, analyzed via QNM AFM method. The power range stretches from The highest accessible power at  $P_{\max} = 80 \text{ W}$  (a) to the lowest accessible power at  $P_{\min} = 4 \text{ W}$  (g). For every sample the maximum elasticity  $E_{\max}$  as well as the average layer thickness  $t_l$  is denoted.

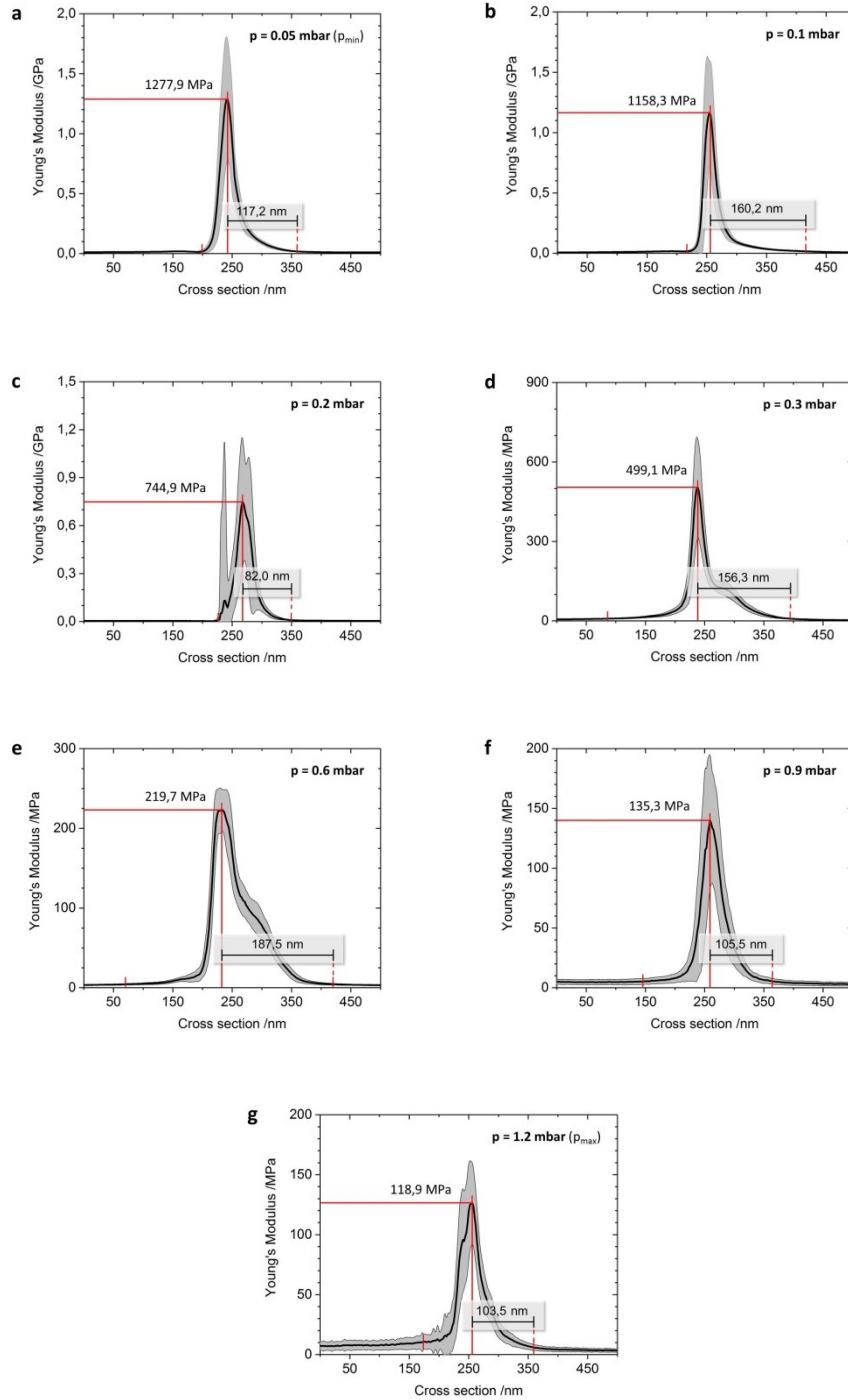


Figure S6: Pressure screening of the flat, unstrained samples, analyzed analogous to Fig. S5. The pressure range stretches from the lowest accessible pressure being  $p_{\min} = 0.05 \text{ mbar}$  (a) to the highest accessible at  $p_{\max} = 1.2 \text{ mbar}$  (g). For every sample the maximum elasticity  $E_{\max}$  as well as the average layer thickness  $t_l$  is denoted.

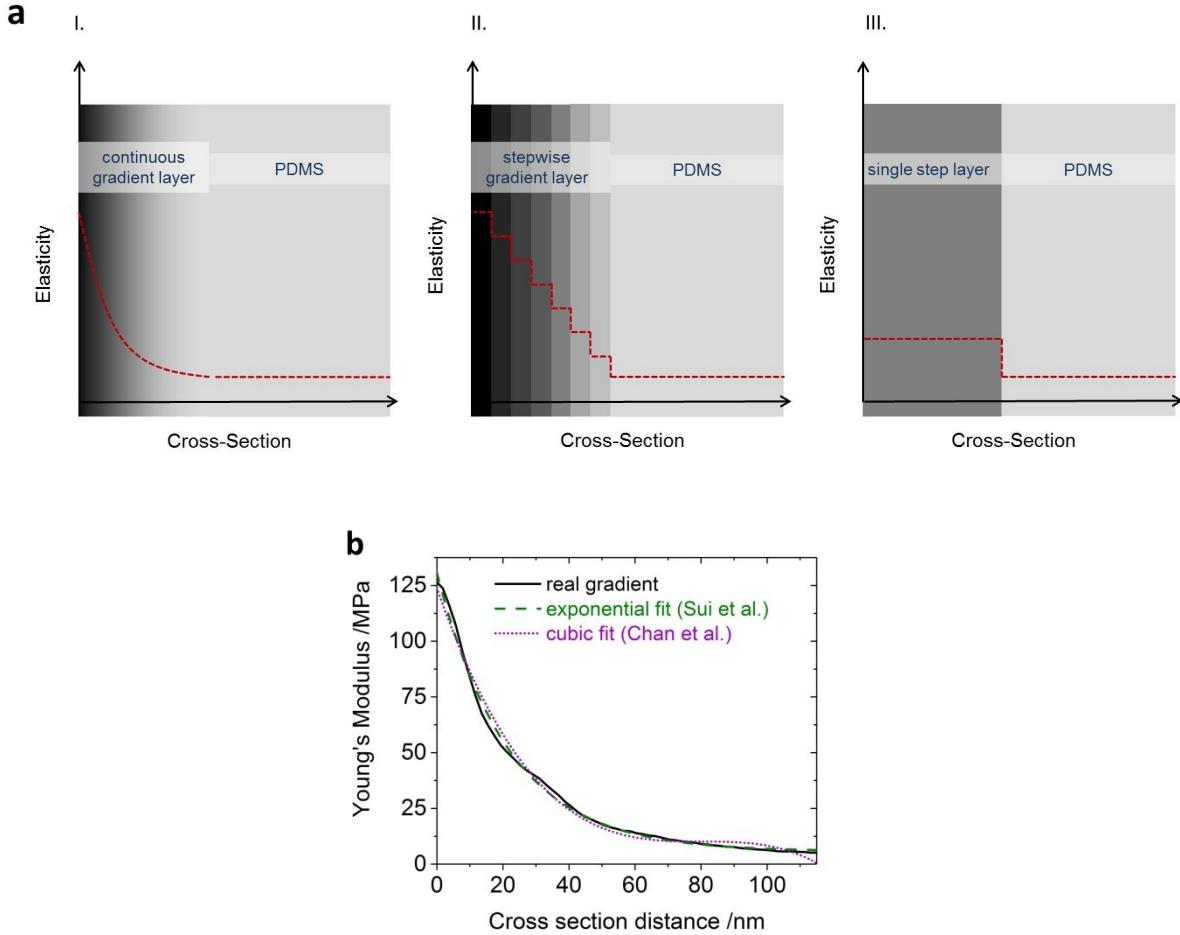


Figure S7: (a) Scheme of the calculated recreation of the gradient: The continuous gradient from I. is transferred into a corresponding multilayered stepwise gradient II. as well as a single step layer III. Below the corresponding stress diagrams for each layer-to-layer interface are shown schematically: For continuous (I.) and stepwise (II.) gradients a lower maximal von-Mises-stress  $\sigma_{\max}$  than for the single step (III.) is simulated, due to the broader distribution of overall stress between layer and substrate when compared with the single layer. The critical stress  $\sigma_{\text{crit}}$  for cracking these layers indicates that for particular conditions  $\sigma_{\max,\text{single-step}} > \sigma_{\text{crit}} > \sigma_{\max,\text{gradient}}$ , so crack-free wrinkles can be achieved. In (b) the real gradient from Fig. 4 a is compared to two theoretical models; on the one hand the exponential model of Sui et al.,<sup>43</sup> on the other hand the cubic model of Chan et al.<sup>42</sup> Both are in very good agreement with the experimental data, however the exponential model is even closer ( $R_2 = 0.996$ ) than the cubic one ( $R_2 = 0.990$ ).