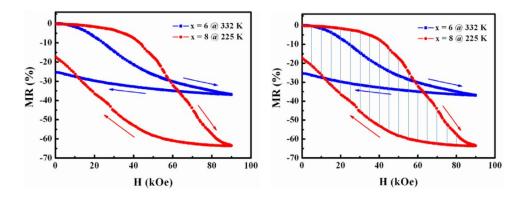
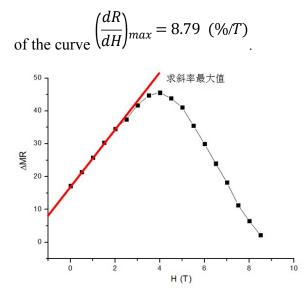
Supplementary materials 2:

The data calculation process of verifying the Ref. 22, 23:

1. Get the $\Delta R(H)$ value at different magnetic fields on the curve of x=8 in Fig.4 in the Ref. 22.

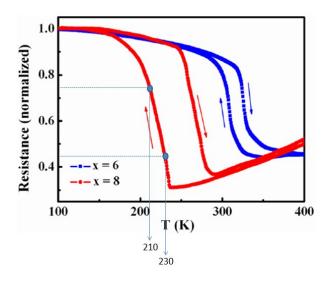


2. Draw the curve of the H dependence of $\Delta R(H)$, and calculate the maximum slope



 3_{\sim} Select the R of 210 K and 230 K on the cooling curve of x=8 in Fig.2 in the Ref.

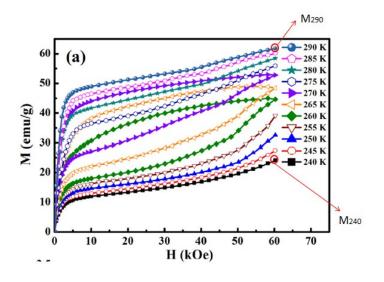
22, and calculate the
$$\frac{dR}{dT} = 1.54 \ (\%/K)$$
.



4, The equation (3) in this article is used to calculate the

$$\gamma = \left(\frac{\Delta R}{dH}\right)_{max} / \left(\frac{\Delta R}{\Delta T}\right)_{=5.71 \text{ (K/T)}}.$$

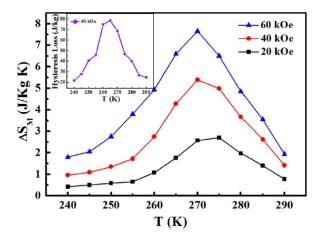
5. Now we compare the experimental result of Ref.22 with the γ result. The change of magnetization between the parent phase and the martensitic one was drawn the data from Fig.3(a) of Ref.23, the difference in magnetization of Ni₄₂Co₈Mn₃₂Al₁₈ between 290K and 240K taken at 6 T. That is $\Delta M=M_{290}-M_{240}=37.32$ emu/g.



 $\Delta M = M_{290} - M_{240} = 37.32 \ emu/g$

6. The magnetic entropy change of the alloy was 7.7 J/Kg/K at 6 T drawn from Fig.4

of Ref. 23.



7. Therefore, the $\frac{dT}{dH} = -\frac{\Delta M}{\Delta S} = 4.847 \ K/T$ from the equation (13).

8. This result 4.847K/T is closed to that calculated from MR curves, 5.71K/T. Since the thermomagnetization curves at 6T was not given in the literature, we just use the data at 290K and 240K to calculate the Δ M. The magnitude of Δ M may be a little bit smaller than the actual value, and brought about the smaller value of Δ M/ Δ S.