1 PFOA and PFOS removal by ion exchange for water reuse and drinking applications: Role

2 of organic matter characteristics

- 3 Fuhar Dixit^a, Benoit Barbeau^b, Shadan Ghavam Mostafavi^c, Madjid Mohseni^a*
- 4 a,c Department of Chemical and Biological Engineering, University of British Columbia,
- 5 Vancouver, Canada
- 6 ^b Department of Civil, Geological and Mining Engineering, Polytechnique Montreal, Montreal,
- 7 Quebec, Canada

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9 Supplementary Information

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11 S.1 Trace Minerals for Synthetic Effluent

Details on the addition of trace minerals for the preparation of synthetic effluents is presentedbelow.

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15 Table S.1 Details on trace minerals utilized for preparing the synthetic effluents

Chemical	Stock Volume	Added mass (g)	Volume Added to 1 L final solution
Trace Minerals			
FeSO ₄ .7H ₂ O	2L	6.06	2 mL
ZnSO ₄ .7H ₂ O		0.63	
CuSO ₄ .5H ₂ O		0.11	
CoCl ₂ .6H ₂ O		0.11	
H3BO3		0.10	
KI		0.10	
NiCl ₂ .6H ₂ O		0.04	
Al ₂ (SO ₄) ₃ .18H ₂ O		0.27	
MnCl ₄ .4H ₂ O		0.56	
Na ₂ EDTA		13.73	
Na ₂ EDTA		13.73	

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19 Table S.2. Details on other chemical species used for the preparation of synthetic efflue
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	Chemical	Stock Volume	Added mass (g)	Volume Added to 1 L
-		Phosn	horous	Tinal solution
ŀ	Na ₂ HO ₄ .7H ₂ O	2L	307.66	2 mL
	KH ₂ PO ₄	-	100.00	_
		Alka	linity	
-	NaHCO3	1.5 L		8 mL
-		Amn 21	nonia	2 ml
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42 S.2 LCOCD data for natural waters

43 LCOCD was performed using HPLC (Perkin Elmer, Canada) with 900 Turbo Potable OC 44 Analyzer (detection range: 0.2-10 mg C/L, GE Sievers, Canada) for analysis of the source water 45 NOM using the previously described method ^{1–3}. Note, the LCOCD graphs for wastewaters were 46 obtained using a Waters C-8 column while the LCOCD graphs for NOM isolates and surface 47 waters were obtained on a Waters C-18 column resulting in different elution times for 48 corresponding molecular weights.



50 Figure S.1 LCOCD data for Vancouver Convention Centre Water before IX treatment.



52 Figure S.2 LCOCD data for Vancouver Convention Centre Water after IX treatment (IX: 500

53 mg/L, 24 hours).



55 Figure S.3 LCOCD data for Synthetic effluent prepared at the UBC environemtnal laboratory

56 before IX treatment.



59 Figure S.4 LCOCD data for Synthetic effluent prepared at the UBC environemtnal laboratory

60 after IX treatment (500 mg/L IX, 24 hours).



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62 Figure S.5 LC-OCD graph for Pony Lake Fulvic Acid before and after IX treatment. (X axis

63 represents elution time). IX dosage of 100 mg/L (or 0.45 mL/L).



65 Figure S.6 LC-OCD graph for Suwanee River NOM plotted as a function of apparent molecular

66 weight.



- 68 Figure S.7 Comparative LCOCD graphs for (A) PLFA, (B) SRNOM, (C) Priest Lake (Natural
- 69 Surface Water, Vancouver Island, BC, Canada), (D) SRHA.
- 70 *Treated with IX dosage of 100 mg/L (or 0.45 mL/L)
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73 S.3 Vancouver Convention Centre (VCC) Plant

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75 The VCC treatment process comprises of a conventional activated sludge process followed by a 76 treatment with membrane bioreactor. The plant treats grey and black water from the building. 77 The treated water is used back in the washrooms for toilet flushing and rooftop irrigation during 78 summer and warmer months.

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81 S.4 Equivalent Background Concentration Model

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83 The EBC parameters (K_{EBC} , $1/n_{EBC}$ and C_{oEBC}) were determined according to the procedure 84 described elsewhere^{2,4}. The multicomponent interactions are predicted using the ideal adsorbed 85 solution theory (IAST) which results in Eqs. 3.3 and 3.4, where K_{EBC} and $1/n_{EBC}$ are the Freundlich 86 single solute isotherm parameters for EBC and K_m and $1/n_m$ are single solute isotherm parameters 87 for the micropollutants. Measured concentrations were fitted to Eqs. 3.3 and 3.4 by using non-88 linear optimization schemes ^{5,6}.

$$C_{me} = \frac{q_{me}}{q_{me} + q_{EBCe}} \left(\frac{n_m \times q_{me} + n_{EBC} \times q_{EBCe}}{n_m \times K_m}\right)^{\times n_m}$$

$$C_{EBCe} = \frac{q_{EBCe}}{q_{me} + q_{EBCe}} \left(\frac{n_m \times q_{me} + n_{EBC} \times q_{EBCe}}{n_{EBC} \times K_{EBCe}}\right)^{\times n_{EBC}}$$
92 (3.4)

93 The obtained EBC concentrations of respective compounds C_{EBC} in μ eq/L, are summarized in 94 Table 1.

95 The multicomponent interactions were further investigated as ⁷:

$$(C_{i,0} - q_i C_{IX}) - \frac{q_i}{\sum_{j=1}^{N} q_j} \left(\frac{\sum_{j=1}^{N} n_j q_j}{n_i K_i} \right)^{n_i} = 0, \ i = 1 \dots N$$
(3.5)

97 where subscript *i* represents the target component, N is the number of components (e.g., in a binary 98 system, N =2, *i* = 1 for MCLR, and *i* = 2 for EBC), K_i and n_i represent the single-solute Freundlich 99 constants, $C_{i,0}$ is the initial concentration of component *i* (µeq/L), C_{IX} is the IX dosage (meq/L) and 100 q_i is the solid phase concentration (µmol/meq). The model predictions were made by performing 101 a non-linear optimization scheme as described elsewhere ⁸.

102 The multicomponent interactions were further investigated as ^{7,9}:

$$(C_{i,0} - q_i C_{IX}) - \frac{q_i}{\sum_{j=1}^{N} q_j} \left(\frac{\sum_{j=1}^{N} n_j q_j}{n_i K_i} \right)^{n_i} = 0, \ i = 1 \dots N$$
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where subscript *i* represents the target component, *N* is the number of components (e.g., in a binary system, N=2, i = 1 for GenX, and i = 2 for EBC), K_i and n_i represent the single-solute Freundlich constants, $C_{i,0}$ is the initial concentration of component *i* (µeq/L), C_{IX} is the IX dosage (meq/L) and q_i is the solid phase concentration (µmol/meq). 108 For instance in a binary system, with say GenX in presence of Suwannee River NOM only, we get109 the following

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$$C_{1,0} - q_1 C_{IX} - \frac{q_1}{q_1 + q_2} \left(\frac{n_1 q_1 + n_2 q_2}{n_1 K_1} \right)^{n_1} = 0,$$

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$$C_{2,0} - q_2 C_{IX} - \frac{q_2}{q_1 + q_2} \left(\frac{n_1 q_1 + n_2 q_2}{n_1 K_2} \right)^{n_2} = 0,$$
113 13

114 Where, subscript (i=1 or 2) represents GenX and the EBC, K_i and n_i represent the single-solute Freundlich constants, $C_{i,0}$ is the initial concentration of the component i (µg/L), C_{IX} is the IX 115 dosage (g/L) and q_i is the solid phase concentration (µmol/L). As shown in equations 11 and 12, 116 besides the adsorption parameters for the target compound (C_{1,0}, K₁ and n₁), three more EBC 117 parameters (C_{2,0},K₂ and n₂) are needed for the model prediction. These EBC parameters can be 118 acquired using a non-linear optimization algorithm that could simultaneously solve the IAST 119 equations as previously described ^{8,10}. In sum, it can be started with assumption of initial values 120 and assigning a small step change that can be added in recurring loops until the desired set of 121 values fit the model within a range of permissible error (predefined value of say 0.01% error). 122

To evaluate the difference between model predictions and experimental data Marquardt's percent
standard deviation (MPSD) ¹¹ was used to predict the equilibrium adsorption data:

$$MPSD = 100 \sqrt{\frac{1}{m-p} \sum_{i=1}^{p} (\frac{q_e \exp - q_e cal}{qexp})^2}$$
125 (

where m is the number of experimental measurements and p is the number of parameters in the competitive isotherm. A smaller MPSD value (generally <10) corresponds to a better fit and lower error for the respective isotherm.

*Note, do not get confused with the MPSD error which relates to the error of experimental data and model predictions with the error value (say the 0.01%) previously defined to obtain EBC values during non-linear programming. The error value (of say 0.01%) is utilized only to get the best possible values for the three EBC parameters that can fit the model with least error (here 0.01%). You may assign 0.001 % over 0.01% to get even better fits, it would just incur longer program runs to get the specified values.

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138 S.5 Resin micro porosity data

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Table S.3. Resin porosimetry results for IX resin (Purolite A860) and dimensions of SRFA and
PFOA²

Pore Size	Cumulative	Pore	Pore Area	a Pore Volume
	Pore Area	Volume	(%)	(%)
	(m²/g) × 10 ⁻³	(mL/g) × 10 ⁻²		
Macropores	1.0	3.1	< 0.1	18
(>50 nm)				
Mesopores (2-	5.3	4.3	25.3	26
50 nm)				
Micropores	15.6	9.0	74.6	56
(<2nm)				
Dimensions of MCLR and SRFA				
Molecule	Size Range (nm)		Median (nm)	
SRFA ¹²	0.8-5		2 nm	

144 S.6 Inorganic Ion Removal

- 145 Table S.4. Initial and final concentrations of inorganic ions from VCC water vbefore and ater IX
- 146 treatment.

Inorganic ion	Nitrate	Sulphate	Phosphate
Initial	26.1 ± 0.2	32.3 ± 0.5	10.4 ± 0.3
Concentration			
(mg/L)			
Concentration after	7.2 ± 0.5	2.6 ± 0.6	1.8 ± 0.2
IX treatment (mg/L)			
Percentage Removal	72 ± 2	92±2	84 ± 2
(%)			

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150 S.7 Estimation of diffusion coefficients and Biot number

151 The analytical solution for intraparticle diffusion model (IDM) for single sized resin beads in a

152 completely stirred tank reactor are described by the following equations:

$$Ut = \frac{C_o - C_t}{C_o - C_e} = \frac{q_t}{q_e} = 1 - \sum_{n=1}^{\infty} \omega \frac{6(\omega + 1)}{9 + 9\omega + \beta_n^2 \omega^2} \times exp^{[m]}(-\frac{D_{a,1}\beta_n^2 t}{R_p^2})$$

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154

155 ω is calculated from:

1

$$\frac{q_e}{VC_o} = \frac{1}{1+\omega}$$

 $_{157}$ β_n are non – zero roots of the equation:

$$\tan \beta_n = \frac{3\beta_n}{1+\omega\beta_n^2}$$
3

160 Where U(t), is the fractional attainment of equilibrium and C_o . C_t and C_e are concentrations of 161 solute (mg/L) at time t= 0, at time t, and at equilibrium, respectively. R_p is the radius of the resin 162 (assumed spherical, 0.375 cm) and $D_{a,1}$ is the apparent diffusivity ((cm²/s).

As opposed to intraparticle diffusion, the following equation represents the changes in the MCLRconcentration for the case of film diffusion controlled removal:

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$$U(t) = 1 - exp^{[m]}(-\frac{3.D_f \cdot (V'C' + VC_o)}{R_p \cdot \delta \cdot C'V})$$

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167 Where C' is the resin exchange capacity (meq/L), δ is the film thickness (10⁻³ cm ¹³), C_o is the 168 initial solute concentration (meq/L), V is the solution volume (L), V' is the resin volume (L), D_f is 169 the film diffusion coefficient (cm²/s).

For both IPD and film diffusion models, D_f or $D_{a,1}$ are assumed to be constant and are estimated based on nonlinear optimization schemes.

The curve fitted for D_f agreed well with the experimental data (0.95 < R² < 0.98), while the quality of fit for the pore diffusion model (0.96 < R² < 0.99), was well fitted under the dilute condition assumption, as described elsewhere ¹³. The rate-controlling step was further investigated using the dimensionless Biot number (Bi) which is the ratio of internal mass transfer (i.e., pore diffusion) to external mass transfer (i.e. film diffusion) resistances ¹⁴

$$Bi = \frac{k_f \cdot R_p}{D_{pe}}$$

where k_f (cm/s) is the external mass transfer coefficient ($k_f = D_f/\delta$) and D_f (cm²/s), is the film diffusion coefficient and D_{pe} (cm²/s) is the effective pore diffusion coefficient (δ is film thickness $\approx 10^{-3}$ cm according to ¹⁵. The Bi << 1 indicates film diffusion as the rate-limiting step where Bi ls2 >>1 shows pore diffusion to be the rate limiting step.

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184 D_a accounts for free liquid diffusion (D₁) and sorption to resins resistances, and tortuous

185 diffusion pathway through inside the resins and is correlated to effective pore diffusivity $(D_{p,e})$ as 186 follows (Weber Jr and DiGiano, 1996):

$$D_{a} = \frac{D_{1} \cdot \varepsilon / \tau}{\left[(1 - \varepsilon) \rho_{s} K_{D} + \varepsilon \right]} = \frac{D_{pe'} \varepsilon}{\left[(1 - \varepsilon) \rho_{s} K_{D} + \varepsilon \right]}$$

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190 Where K_D is the linear equilibrium partition coefficient, ε is the resin porosity ~ 0.46¹³, τ is the 191 tortuosity of the resin and is estimated to be ~ 3^{13,16,17}. ρ_s is solid phase density of 1.08 g/cm³ 192 (manufacturer), and $D_{p,e}$ is effective pore diffusion coefficient (cm²/s). 193 ϵ/τ accounts for reduction in D₁ because of the tortuosity of the diffusion path and the term [(1- ϵ) 194 $\rho_s K_D + \epsilon$] is referred to as retardation factor, by which the liquid diffusivity is reduced due to 195 local microscale partitioning. Assuming a linear distribution of toxin between the solid and liquid 196 phases was plausible because of the low concentrations of the solute (i.e, ~ 1-100 µg MCLR/L). 197 The R² values obtained for the linear correlation were between 0.92-0.98 ^{2,13}.

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