Photoisomerization reactions of 4-methoxy- and 4-hydroxy-6-methyl-α-pyrones: an experimental matrix isolation and theoretical density functional theory study

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ELECTRONIC SUPPLEMENTARY INFORMATION





Scheme S1. Atom numbering.



Figure S1. (A) Experimental spectrum recorded after UV ($\lambda > 320$ nm) irradiation of matrix isolated 4-hydroxy-6-methyl- α -pyrone; (B) the spectrum of the Dewar isomer **VIII** theoretically predicted at DFT(B3LYP)/6-311++G(d,p) level; (C) theoretical spectrum of the Dewar isomer **IX**. Theoretical wavenumbers were scaled by 0.98. Baseline of the experimental spectrum was corrected.

$S_1 = r_{1,2}$		v(O1-C2)
$S_2 = r_{2,3}$		v(C2-C3)
$S_3 = r_{3,4}$		v(C3=C4)
$S_4 = r_{4,5}$		v(C4-C5)
$S_5 = r_{5,6}$		v(C5=C6)
$S_6 = r_{6,1}$		v(C6-O1)
$S_7 = r_{7,2}$		v(C2=O7)
$S_8 = r_{8,6}$		v(C8-C6)
$S_9 = (3^{-1/2})(r_{9,8} + r_{10,8} + r_{11,8})$		$\nu(CH_3)^{1}_{s}$
$S_{10} = (6^{-1/2})(2r_{11,8} - r_{10,8} - r_{9,8})$		$\nu(CH_3)^{1}$, as
$S_{11} = (2^{-1/2})(r_{10,8} - r_{9,8})$		$\nu(CH_3)^{1,*}as$
$S_{12} = r_{12,5}$		v(C5-H12)
$S_{13} = r_{13,4}$		v(C4-O13)
$S_{14} = r_{14,13}$	hydroxy	v(O13-H14)
$S_{14} = r_{14,13}$	methoxy	v(O13-C14)
$S_{15} = r_{15,3}$		v(C3-H15)
$S_{16} = (6^{-1/2})(\beta_{2,6,1} - \beta_{1,5,6} + \beta_{6,4,5} - \beta_{5,3,4} + \beta_{4,2,3} - \beta_{3,1,2})$		δ ring 1
$S_{17} = (12^{-1/2})(2\beta_{2,6,1} - \beta_{1,5,6} - \beta_{6,4,5} + 2\beta_{5,3,4} - \beta_{4,2,3} - \beta_{3,1,2})$		δ ring 2
$S_{18} = (1/2)(-\beta_{1,5,6} + \beta_{6,4,5} - \beta_{4,2,3} + \beta_{3,1,2})$		δ ring 3
$S_{19} = (2^{-1/2})(\beta_{7,1,2} - \beta_{7,3,2})$		δ(C2=O7)
$S_{20} = (2^{-1/2})(\beta_{8,1,6} - \beta_{8,5,6})$		δ(C6-C8)
$S_{21} = (6^{-1/2})(\beta_{9,10,8} + \beta_{10,11,8} + \beta_{11,9,8} - \beta_{9,6,8} - \beta_{10,6,8} - \beta_{11,6,8})$		$\delta(CH_3)^{1}_{s}$
$S_{22} = (6^{-1/2})(2\beta_{9,10,8} - \beta_{10,11,8} - \beta_{11,9,8})$		$\delta(CH_3)^{1}$, as
$S_{23} = (2^{-1/2})(\beta_{10,11,8} - \beta_{11,9,8})$		$\delta(CH_3)^{1,*}_{as}$
$S_{24} = (6^{-1/2})(2\beta_{11,6,8} - \beta_{10,6,8} - \beta_{9,6,8})$		$\gamma(CH_3)^{1}$, as
$S_{25} = (2^{-1/2})(\beta_{10,6,8} - \beta_{9,6,8})$		$\gamma(CH_3)^{1,*}as$
$S_{26} = (2^{-1/2})(\beta_{12,6,5} - \beta_{12,4,5})$		δ(C5-H12)
$S_{27} = (2^{-1/2})(\beta_{13,5,4} - \beta_{13,3,4})$		δ(C4-O13)
$S_{28} = \beta_{14,4,13}$	hydroxy	δ(O13-H14)
$S_{28} = \beta_{14,4,13}$	methoxy	δ(O13-C14)
$S_{29} = (2^{-1/2})(\beta_{15,4,3} - \beta_{15,2,3})$		δ(C3-H15)

Table S1 Internal coordinates used in the normal mode analysis for the 4-hydroxy-6-methyl- α -pyrone and 4-methoxy-6-methyl- α -pyrone (Atom numbering as in Scheme S1)

q = (c - 1/2)		· 1
$S_{30} = (6^{12})(\tau_{6,1,2,3} - \tau_{1,2,3,4} + \tau_{2,3,4,5} - \tau_{3,4,5,6} + \tau_{4,5,6,1} - \tau_{5,6,1,2})$		γ ring I
$S_{31} = (12^{-1/2})(2\tau_{6,1,2,3} - \tau_{1,2,3,4} - \tau_{2,3,4,5} + 2\tau_{3,4,5,6} - \tau_{4,5,6,1} - \tau_{5,6,1,2})$		γ ring 2
$S_{32} = (1/2) (\tau_{1,2,3,4} - \tau_{2,3,4,5} + \tau_{4,5,6,1} - \tau_{5,6,1,2})$		γ ring 3
$S_{33} = (6^{-1/2})(\tau_{11,8,6,5} + \tau_{11,8,6,1} + \tau_{10,8,6,5} + \tau_{10,8,6,1} + \tau_{9,8,6,5} + \tau_{9,8,6,1})$		twist $(CH_3)^1$
$S_{34} = (2^{-1/2})(\tau_{14,13,4,5} + \tau_{14,13,4,3})$	hydroxy	τ(C4-OH)
$S_{34} = (2^{-1/2})(\tau_{14,13,4,5} + \tau_{14,13,4,3})$	methoxy	τ (C4-OCH ₃)
$S_{35} = \gamma_{7,3,2,1}$		γ(C2=O7)
$S_{36} = \gamma_{8,1,6,5}$		γ(C6-C8)
$S_{37} = \gamma_{12,6,5,4}$		γ(C5-H12)
$S_{38} = \gamma_{13,5,4,3}$		γ(C4-O13)
$S_{39} = \gamma_{15,4,3,2}$		γ(C3-H15)
$S_{40} = (3^{-1/2})(r_{18,14} + r_{16,14} + r_{17,14})$	methoxy	$\nu(CH_3)^2_{s}$
$S_{41} = (1/2)(2r_{17,14} - r_{16,14} - r_{18,14})$	methoxy	$\nu(CH_3)^{2}$, _{as}
$S_{42} = (2^{-1/2})(r_{16,14} - r_{18,14})$	methoxy	$\nu(CH_3)^{2,*}_{as}$
$S_{43} = (6^{-1/2})(\beta_{18,16,14} + \beta_{16,17,14} + \beta_{17,18,14} - \beta_{18,13,14} - \beta_{16,13,14} - \beta_{17,13,14})$	methoxy	$\delta(CH_3)^2_{s}$
$S_{44} = (6^{-1/2})(2\beta_{18,16,14} - \beta_{16,17,14} - \beta_{17,18,14})$	methoxy	$\delta(CH_3)^{2}$, as
$S_{45} = (2^{-1/2})(\beta_{16,17,14} - \beta_{17,18,14})$	methoxy	$\delta(CH_3)^{2"}_{as}$
$S_{46} = (6^{-1/2})(2\beta_{17,13,14} - \beta_{16,13,14} - \beta_{18,13,14})$	methoxy	$\gamma(CH_3)^{2}$, as
$S_{47} = (2^{-1/2})(\beta_{16,13,14} - \beta_{18,13,14})$	methoxy	$\gamma(CH_3)^{2"}_{as}$
$S_{48} = (3^{-1/2})(\tau_{18,14,13,4} + \tau_{17,14,13,4} + \tau_{16,14,13,4})$	methoxy	twist $(CH_3)^2$

 $r_{i,j}$ is the distance between atoms A_i and A_j ; $\beta_{i,j,k}$ is the angle between vectors A_kA_i and A_kA_j ; $\tau_{i,j,k,l}$ is the dihedral angle between the plane defined by A_i , A_j , A_k and the plane defined by A_j , A_k , A_l atoms; $\gamma_{i,j,k,l}$ is the angle between the vector A_kA_i and the plane defined by atoms A_j , A_k , A_l .

Table S2 Experimental wavenumbers \tilde{v} (cm⁻¹), integral intensities *I* (relative) of the infrared bands of 4-methoxy-6-methyl- α -pyrone compared with theoretical wavenumbers \tilde{v} (cm⁻¹), absolute intensities Ath (km mol⁻¹) and potential energy distributions (%) calculated for form **I**.

Experimen	ıtal		Calculated			
Ar matrix			DFT(B3LYF	P)/6-311+	+G(d,p)	
$\widetilde{\mathbf{v}}$		Ι	$\widetilde{\mathbf{v}}^{a}$	A th	sym.	PED ^b
3018 3014	}	17				
2070)	20	3174	1	Δ'	v(C3-H15)(100)
2979		14	3162	1	A'	v(C5-H12)(99)
2931)	14	3086	14	A'	$v(CH_3)^{2*}a_{s}(92)$
2937	}	7	3067	10	A'	$v(CH_3)^{1,as}(97)$
2915)		3030	24	A''	$v(CH_3)^{2,*}$ (100)
2880		0	3028	5	A"	$\nu(CH_3)^{1,1}_{1,1}$ as (100)
2875		17	2975	11	A'	$v(CH_3)^{l}_{s}(97)$
2859)	1/	2964	32	А	$v(CH_3)^2$ (92)
2836	}	6 /				
2820)	6				
1760)	0				
1762	}	712	1770	751	A'	v(O7=C2)(81)
1725)	16				
1664)					
1657	}	190	1650	233	A'	v(C5=C6)(52) + v(C3=C4)(13)
1584)					
1582	}	244	1566	245	A'	v(C3=C4)(49) + v(C5=C6)(11) + v(C4-C5)(11)
1576)					
		(1473	8	A'	$\delta(CH_3)^{2^*}_{as}(83)$
1462		115 {	1464	76	A'	$\delta(CH_3)^{1*}_{as}(39) + \delta(CH_3)^{2*}_{s}(21) + v(C4-C5)(10)$
		(1463	11	A''	$\delta(CH_3)^{2,*}a_{s}(94)$
1443		16	1449	11	A'	$\delta(CH_3)^2_{s}(55) + \delta(CH_3)^{1*}_{as}(36)$
1434		11	1441	9	A''	$\delta(CH_3)^{1,2}$ (91)
1406		82	1404	88	A'	$\delta(\text{C3-H15})(18) + \nu(\text{C4-C5})(18) + \delta(\text{CH}_3)^2 (17) + \delta(\text{CH}_3)^3 (12)$
1363		4	1390	2	А	$O(CH_3)_{s}(91)$
1351		5				
1322)	-				
1319	}	46	1320	57	A'	$\delta(C5-H12)(21) + v(O1-C6)(21) + v(C3-C2)(13)$
1250		196	1244	205	A'	$v(C4-O13)(31) + \delta(C3-H15)(26) + \gamma(CH_3)^{2}$, (10)
1201		4	1195	9	A'	$\gamma(CH_3)^{2*}_{as}(39) + \delta(C5-H12)(18) + \delta(C3-H15)(15)$
1163)	71 ∫	1157	41	A'	$\gamma(CH_3)^{2*} (32) + \delta(C5-H12)(18) + \nu(C4-O13)(14)$
1153	\$	/1)	1146	1	A''	$\gamma(CH_3)^{2} \gamma_{as}^{*} (93)$
1146)					
1140	}	70	1120	51	A'	$v(C3-C2)(33) + \delta(C3-H15)(16) + v(C8-C6)(12)$
1121)					
1047)	(1042	50	A'	$v(O13-C14)(33)+\delta(C5-H12)(18)+v(C4-C5)(12)+\gamma(CH_3)^{1*}as(11)$
1046	}	71 {				
1041)	(1041	3	A''	$\gamma(CH_3)^{1,*}_{as}(78) + \gamma(C6-C8)(14)$
1027)	28	1013	20	۸,	$v(CH)^{1}$, (51) + $v(O1,C6)(18) + v(O12,C14)(13)$
1024	J	20	1013	20	11	(013) = as(31) + v(01-00)(10) + v(013-014)(13)
984		8	973	7	A'	$\delta \operatorname{ring} 1 (37) + \nu(C4-C5)(23) + \nu(O1-C6)(15)$
943		44	932	33	A'	v(O13-C14)(32) + v(C8-C6)(19) + v(C4-O13)(12)
856		(7	011	70	A ?	(01, 02)(54) + 8 + (15)
852 810	Í	0/	811	/0	А	$v(01-02)(54) + 0 \operatorname{ring} 1 (15)$
81 <i>1</i>	,	77	801	67	Δ''	$\gamma(C_5-H_{12})(57) + \gamma(C_3-H_{15})(20) + \gamma(C_4-O_{12})(20)$
800		2	795	4	A''	$\gamma(C3-H15)(48) + \gamma(C5-H12)(44) + \gamma(C2=O7)(20)$
000		-				

		705	1	A''	$\gamma(C2=O7)(61) + \gamma \operatorname{ring} 1 (29) + \gamma(C3-H15)(15)$
684	3	672	2	A''	γ (C4-O13)(50) + γ ring 1 (29)
634	9	623	8	A'	$v(O1-C2)(12) + \delta(C4-O13)(11) + \delta(O13-C14)(11) + \delta ring 1 (11)$
561	3	548	5	A'	$\delta(C2=O7)(35) + \nu(C8-C6)(10)$
		542	0.09	A''	γ (C6-C8)(50) + γ ring 3 (20) + γ (C4-O13)(17)
541	9	535	5	A'	$\delta \operatorname{ring} 3 (68) + \delta (O13-C14)(12)$
		479	1	A'	δ ring 2 (42)
		397	0.2	A'	$\delta \operatorname{ring} 2(30) + \delta(O13-C14)(22) + \delta(C2=O7)(13)$
		289	1	A'	$\delta(C6-C8)$ (60)
		245	3	A''	<i>twist</i> $(CH_3)^2(62) + \gamma \operatorname{ring} 2 (20)$
		216	0.04	A''	τ (C4-OCH ₃)(30) + γ ring 2 (18) + <i>twist</i> (CH ₃) ² (15) + γ ring 3 (12)
					+ twist $(CH_3)^1 (11) + \gamma (C6-C8)(11)$
		211	6	A'	$\delta(C4-O13)(48) + \delta(O13-C14)(31)$
		178	4	A''	$\gamma \operatorname{ring} 3(57) + twist (CH_3)^2(20) + \gamma \operatorname{ring} 2(14) + \gamma (C6-C8)(10)$
		152	0.08	A''	<i>twist</i> $(CH_3)^1(61) + \gamma ring 1 (18)$
		138	0.1	A''	$\gamma \operatorname{ring} 1 (36) + twist (CH_3)^1 (22) + \gamma \operatorname{ring} 2 (22)$
		94	4	A''	τ (C4-OCH ₃) (56) + γ ring 2 (25)

^a Theoretical positions of absorption bands were scaled by a factor of 0.98. ^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S1.

$S_1 = r_{1,2}$		v(O1-C2)
$S_2 = r_{2,3}$		v(C2-C3)
$S_3 = r_{3,4}$		v(C3-C4)
$S_4 = r_{4,5}$		v(C4=C5)
$S_5 = r_{5,6}$		v(C5-C6)
$S_6 = r_{6,1}$		v(O1-C6)
$S_7 = r_{6,3}$		v(C3-C6)
$S_8 = r_{7,2}$		v(C2=O7)
$S_9 = r_{8,6}$		v(C6-C8)
$S_{10} = (3^{-1/2})(r_{9,8} + r_{10,8} + r_{11,8})$		$\nu(CH_3)^{1}_{s}$
$S_{11} = (6^{-1/2})(2r_{10,8} - r_{9,8} - r_{11,8})$		$\nu(CH_3)^{1}$, as
$S_{12} = (2^{-1/2})(r_{9,8} - r_{11,8})$		$\nu(CH_3)^{1,*}as$
$S_{13} = r_{12,5}$		v(C5-H12)
$S_{14} = r_{13,4}$		v(C4-O13)
$S_{15} = r_{14,13}$	hydroxy	v(O13-H14)
$S_{15} = r_{14,13}$	methoxy	v(O13-C14)
$S_{16} = r_{15,3}$		v(C3-H15)
$S_{17} = (1/2)(\beta_{2,6,1} + \beta_{2,6,3} - \beta_{1,3,2} - \beta_{1,3,6})$		δ ring 1
$S_{18} = (1/2)(\beta_{2,4,3} + \beta_{2,4,5} - \beta_{3,5,6} - \beta_{3,5,4})$		δ ring 2
$S_{19} = (2^{-1/2})(\beta_{7,1,2} - \beta_{7,3,2})$		δ(C2=O7)
$S_{20} = \beta_{8,3,6}$		δ(C6-C8)
$S_{21} = (6^{-1/2})(\beta_{9,10,8} + \beta_{10,11,8} + \beta_{11,9,8} - \beta_{9,6,8} - \beta_{10,6,8} - \beta_{11,6,8})$		$\delta(CH_3)^{1}_{s}$
$\mathbf{S}_{22} = (6^{-1/2})(2\beta_{9,11,8} - \beta_{10,11,8} - \beta_{10,9,8})$		$\delta(CH_3)^{1}$, as
$S_{23} = (2^{-1/2})(\beta_{10,11,8} - \beta_{10,9,8})$		$\delta(CH_3)^{1,*}_{as}$
$S_{24} = (6^{-1/2})(2\beta_{10,6,8} - \beta_{9,6,8} - \beta_{11,6,8})$		$\gamma(CH_3)^{1}$, as
$S_{25} = (2^{-1/2})(\beta_{9,6,8} - \beta_{11,6,8})$		$\gamma(CH_3)^{1,"}_{as}$
$S_{26} = (2^{-1/2})(\beta_{12,6,5} - \beta_{12,4,5})$		δ(C5-H12)
$S_{27} = (2^{-1/2})(\beta_{13,3,4} - \beta_{13,5,4})$		δ(C4-O13)
$S_{28} = \beta_{14,4,13}$	hydroxy	δ(O13-H14)
$S_{28} = \beta_{14,4,13}$	methoxy	δ(O13-C14)
$S_{29} = \beta_{15,6,3}$		δ(C3-H15)

Table S3 Internal coordinates used in the normal mode analysis for the 4-hydroxy-6-methyl-1-oxa-2-oxobicyclo[2.2.0]hex-4-ene and 4-methoxy-6-methyl-1-oxa-2-oxobicyclo[2.2.0]hex-4-ene. (Atom numbering as in Scheme S1)

$S_{30} = (1/2)(\tau_{6,1,2,3} - \tau_{1,2,3,6} + \tau_{2,3,6,1} - \tau_{3,6,1,2})$		τ ring 1
$S_{31} = (1/2)(\tau_{6,5,4,3} - \tau_{5,4,3,6} + \tau_{4,3,6,5} - \tau_{3,6,5,4})$		τ ring 2
$S_{32} = (2^{-1/2})(\tau_{8,6,3,4} + \tau_{8,6,3,2})$		γ(C6-C8)
$S_{33} = (2^{-1/2})(\tau_{15,3,6,1} + \tau_{15,3,6,5})$		γ(C3-H15)
$S_{34} = (2^{-1/2})(\tau_{2,3,6,5} - \tau_{4,3,6,1})$		τ butterfly
$S_{35} = (6^{-1/2})(\tau_{9,8,6,1} + \tau_{9,8,6,5} + \tau_{10,8,6,1} + \tau_{10,8,6,5} + \tau_{11,8,6,1} + \tau_{11,8,6,5})$		twist $(CH_3)^1$
$S_{36} = (2^{-1/2})(\tau_{14,13,4,3} + \tau_{14,13,4,5})$	hydroxy	τ(С4-ОН)
$S_{36} = (2^{-1/2})(\tau_{14,13,4,3} + \tau_{14,13,4,5})$	methoxy	$\tau(C4\text{-}OCH_3)$
$S_{37} = \gamma_{7,1,2,3}$		γ(C2=O7)
$S_{38} = \gamma_{12,6,5,4}$		γ(C5-H12)
$S_{39} = \gamma_{13,5,4,3}$		γ(C4-O13)
$S_{40} = (3^{-1/2})(r_{18,14} + r_{16,14} + r_{17,14})$	methoxy	$\nu(CH_3)^2_s$
$S_{41} = (6^{-1/2})(2r_{18,14} - r_{16,14} - r_{17,14})$	methoxy	$\nu(CH_3)^{2}$, as
$S_{42} = (2^{-1/2})(r_{16,14} + r_{17,14})$	methoxy	$\nu(CH_3)^{2,*}_{as}$
$S_{43} = (6^{-1/2})(\beta_{18,16,14} + \beta_{16,17,14} + \beta_{17,18,14} - \beta_{18,13,14} - \beta_{16,13,14} - \beta_{17,13,14})$	methoxy	$\delta(CH_3)^2_{s}$
$S_{44} = (6^{-1/2})(2\beta_{17,16,14} - \beta_{16,18,14} - \beta_{17,18,14})$	methoxy	$\delta(CH_3)^{2}$, as
$S_{45} = (2^{-1/2})(\beta_{16,18,14} - \beta_{17,18,14})$	methoxy	$\delta(CH_3)^{2"}_{as}$
$S_{46} = (6^{-1/2})(2\beta_{18,13,14} - \beta_{16,13,14} - \beta_{17,13,14})$	methoxy	$\gamma(CH_3)^{2}$, as
$S_{47} = (2^{-1/2})(\beta_{16,13,14} - \beta_{17,13,14})$	methoxy	$\gamma(CH_3)^{2,*}a_s$
$S_{48} = (3^{-1/2})(\tau_{18,14,13,4} + \tau_{16,14,13,4} + \tau_{17,14,13,4})$	methoxy	twist $(CH_3)^2$

 $r_{i,j}$ is the distance between atoms A_i and A_j ; $\beta_{i,j,k}$ is the angle between vectors A_kA_i and A_kA_j ; $\tau_{i,j,k,l}$ is the dihedral angle between the plane defined by A_i , A_j , A_k and the plane defined by A_j , A_k , A_l atoms; $\gamma_{i,j,k,l}$ is the angle between the vector A_kA_i and the plane defined by atoms A_j , A_k , A_l .

Table S4 Experimental wavenumbers \tilde{v} (cm⁻¹), integral intensities *I* (relative) of the bands in the infrared spectrum of the photoproduct generated upon UV (λ >320 nm) irradiation of 4-methoxy-6-methyl- α -pyrone, compared with theoretical wavenumbers \tilde{v} (cm⁻¹), absolute intensities Ath (km mol⁻¹) and potential energy distributions (%) calculated for 4-methoxy-6-methyl-1-oxa-2-oxobicyclo[2.2.0]hex-4-ene isomer **III**.

Experime	ntal		Calculate	d	
Ar matrix			DFT(B3L	YP)/6-31	++G(d,p)
$\widetilde{\mathbf{v}}$		Ι	$\widetilde{\mathbf{V}}^{a}$	\mathbf{A}^{th}	PED ^b
3033	}	14			
3025)		3166	3	v(C5-H12) (99)
2982		41	3089	13	$v(CH_3)^{2^3}$ as (93)
2946		33	3059	9	v(C3-H15) (99)
2911		5	3050	13	$\nu(CH_3)^{1,*}_{as}$ (99)
2899		3	3038	12	$v(CH_3)^{1}_{as}(98)$
2871		2	3037	19	$\nu(CH_3)^{2,*}a_{as}$ (99)
2853	}	7	2975	13	$v(CH_3)_{s}^{1}(99)$
2849)		2968	41	$\nu(CH_3)^2_{s}(92)$
2840		3			
1909		15			
1873		20			
*1839	}	501	1840	544	v(C2=O7)(88)
1828)	001	1010		
1787		13			
1645	}	318	1648	311	v(C4=C5)(70) + v(C4-O13)(19)
*1632)			-	
1462		25	1470	29	$\delta(CH_3)^{2*}$ as (86)
1455		17	1467	12	$\delta(CH_3)^{2}_{as}(90)$
1442		7	1462	4	$\delta(CH_3)^{1,*}_{as}(85)$
1442		/ {	1454	4	$\delta(CH_3)^{1*}_{as}(61) + \delta(CH_3)^{2}_{s}(25)$
1435		3	1449	5	$\delta(CH_3)_{s}^{2}(69) + \delta(CH_3)_{as}^{1}(23)$
1391		26	1391	18	$\delta(CH_3)_{s}^{1}(82) + \nu(C6-C8)(11)$
1353		4	1332	3	$v(C6-C8)(17) + v(C5-C6)(14) + \delta(CH_3)^{1}_{s}(13) + v(C3-C6)(13)$
1339		11			
*1303)				
1292	}	240	1283	248	v(C4-O13)(20) + v(C3-C4)(19)
1282	J				
*1204)				
1193	}	94	1189	50	$\gamma(CH_3)^{2*}_{as}(40)$
1189)				

1169)	27	∫ 1178	27	γ (C3-H15)(48) + v(C2-C3)(11)
1167	\$	27	1169	28	$\delta(C5-H12)(17) + v(O1-C2)(15)$
1150)		(1149	128	$\delta(C5-H12)(15) + \gamma(CH_3)^{2*}_{as}(14) + \nu(O1-C2)(11) + \gamma(CH_3)^{2**}_{as}(10)$
1144	}	153	1145	25	$\gamma(CH_3)^{2}$ (81)
1139)		1136	19	$\gamma(CH_3)^{2*}_{as}(19) + \delta(C5-H12)(18) + \gamma(CH_3)^{1*}_{as}(14)$
1070		3	1065	2	$\delta(C3-H15)(46) + v(C6-C8)(13)$
1026)		(1021	0	$v(CU)^{1/2}$ (21) + $v(O1)(C2)(17)$
1018	}	98	1021	9	$V(CH_3) = a_{as}(51) + V(O1-C2)(17)$
*1010)		(1015	62	v(013-C14)(48) + v(C3-C4)(11)
971		9	961	6	$\delta(C3-H15)(15) + \delta \operatorname{ring} 2(13) + \nu(C5-C6)(13) + \nu(C2-C3)(10)$
943	}	15	929	6	$v(C2-C3)(23) + \gamma(CH_3)^{1}_{as}(13) + v(C5-C6)(12) + \delta \operatorname{ring} 2 (11)$
937)				
902		4	896	3	$\gamma(CH_3)^{13}_{as}(20) + \nu(C5-C6)(12) + \nu(C3-C6)(11)$
830			001	10	
824	Ì	6	821	10	$\gamma(C2=O7)(23) + \nu(C3-C6)(13) + \gamma(C4-O13)(10) + \gamma(C5-H12)(10)$
81/	,				
794	}	120	782	70	γ(C5-H12)(71)
762	ý	47			
744	}	3	750	57	$v(O1-C2)(23) + v(O1-C6)(21) + \delta \operatorname{ring} 1 (14) + \delta(C2=O7)(15)$
724		7	702	20	v(O1-C6)(23)
647		11	634	21	$v(O1-C6)(19) + \delta \operatorname{ring} 1 (19)$
594)				
586	}	14	576	16	$\delta \operatorname{ring} 2(21) + v(C6-C8)(20) + v(C4-O13)(11) + v(C3-C4)(10)$
556		3	535	9	γ (C4-O13)(45) + γ (C2=O7)(20)
			517	6	$\delta(O13-C14)(28) + \delta(C4-O13)(23) + \delta(C2=O7)(18)$
			484	2	$\delta(C2=O7)(17) + \tau$ butterfly (15) + $\delta(C6-C8)(11)$
			394	10	τ butterfly (28) + v(O1-C6)(16) + δ (C2=O7)(15)
			322	2	γ(C6-C8)(46)
			296	1	$\delta(C6-C8)(43) + \delta(O13-C14)(24)$
			213	0.1	<i>twist</i> $(CH_3)^1$ (93)
			183	1	$\delta(C6-C8)(28) + \delta(C4-O13)(24) + \delta(O13-C14)(21)$
			164	1	<i>twist</i> $(CH_3)^2(44) + \gamma(C6-C8)(13) + \tau \operatorname{ring} 2 (12)$
			128	3	τ ring 1 (43) + γ (C2=O7)(16) + γ (C6-C8)(13)
			107	2	<i>twist</i> $(CH_3)^2(36) + \gamma(C4-O13)(23) + \tau \operatorname{ring} 2(18) + \tau \operatorname{butterfly}(10)$
			58	5	τ (C4-OCH ₃) (97)

^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S3.

Asterisks indicate the bands assigned to the rotamer IV.

Calculated	DFT(B3LY	(P)/6-311++G(d, p)
$\widetilde{\nu}^{a}$	\mathbf{A}^{th}	PED ^b (%)
3162	5	v(C5-H12)(99)
3091	12	$\nu(CH_3)^{2} * *_{as} (68) + \nu(CH_3)^{2} *_{as} (24)$
3067	7	v(C3-H15)(100)
3050	14	$v(CH_3)^{1,*}a_{as}(99)$
3037	12	$v(CH_3)^{1}{}_{as}(98)$
3029	25	$\nu(CH_3)^{2*}_{as}(75) + \nu(CH_3)^{2**}_{as}(25)$
2974	14	$v(CH_3)^{1}_{s}(99)$
2964	38	$v(CH_3)^2$ (92)
1850	569	v(C2=O7)(88)
1635	297	v(C4=C5)(65) + v(C4-O13)(23)
1469	11	$\delta(CH_3)^{2}_{as}(68) + \delta(CH_3)^{2}_{as}(20)$
1462	3	$\delta(CH_3)^{1,*}_{as}(81)$
1459	13	$\delta(CH_3)^{2*}_{as}(71) + \delta(CH_3)^{2*}_{as}(22)$
1453	4	$\delta(CH_3)^{1,*}_{as}$ (78)
1437	13	$\delta(\mathrm{CH}_3)^2_{\mathrm{s}}(89)$
1391	18	$\delta(CH_3)_{s}^{1}(83) + \nu(C6-C8)(11)$
1329	15	$v(C6-C8)(17) + v(C3-C6)(14) + \delta(CH_3)^{1}_{s}(11) + v(C5-C6)(11)$
1293	200	v(C3-C4)(28) + v(C4-O13)(13) + v(C5-C6)(10)
1200	45	$\gamma(CH_3)^{2}$, as (46) + $\gamma(CH_3)^{2}$ as (15)
1181	7	γ(C3-H15)(56)
1161	87	$\nu(O1-C2)(24) + \gamma(CH_3)^{1,*}_{as}(11)$
1148	28	$\gamma(CH_3)^{2*}_{as}(20) + \gamma(CH_3)^{1*}_{as}(16) + \nu(C3-C6)(11) + \gamma(CH_3)^{2*}_{as}(10)$
1147	10	$\gamma(CH_3)^{2^{*}}_{as}$ (62)
1136	56	$\delta(C5-H12)(43) + \gamma(CH_3)^{1,*}_{as}(11)$
1071	10	$\delta(C3-H15)(44) + \nu(C6-C8)(12) + \delta \operatorname{ring} 2 (11)$
1017	45	$\gamma(CH_3)^{1,*}_{as}(27) + \nu(O1-C2)(17)$
1006	43	v(O13-C14)(44) + v(C3-C4)(17)
962	5	$v(O13-C14)(18) + \delta(C3-H15)(17) + \delta \operatorname{ring} 2(13) + v(C5-C6)(13)$
930	19	v(C2-C3)(27)
899	17	$\gamma(CH_3)^{1*}_{as}(21) + \nu(C5-C6)(19)$
815	8	$\gamma(C2=O7)(24) + \nu(C3-C6)(16) + \gamma(C4-O13)(10)$
775	119	γ (C5-H12)(62) + ν (O1-C6)(11)

Table S5 Calculated vibrational frequencies, intensities and potential energy distributions (PED) for 4-methoxy-6-methyl-1-oxa-2-oxobicyclo[2.2.0]hex-4-ene isomer IV; (wavenumbers (\tilde{v}) in cm⁻¹, theoretical intensities (Ath) in km mol⁻¹).

759	31	$v(O1-C2)(20) + v(O1-C6)(16) + \delta(C2=O7)(11)$
733	25	v(O1-C6)(22)
674	7	$\delta \operatorname{ring} 2 (20) + \nu(O1-C6)(15) + \delta \operatorname{ring} 1 (11)$
595	8	$v(C6-C8)(30) + \delta \operatorname{ring} 1 (15) + \delta \operatorname{ring} 2 (11)$
556	10	γ (C4-O13)(45) + γ (C2=O7)(21)
488	4	$\delta(C2=O7)(28) + v(C2-C3)(11) + \tau$ butterfly (10)
451	2	δ (C4-O13) (22) + δ (O13-C14)(17) + ν (C3-C4)(16) + δ ring 2 (11)
421	5	τ butterfly (31) + δ (C2=O7)(16) + ν (O1-C6)(11)
334	3	γ(C6-C8)(40)
271	4	$\delta(C6-C8)(42) + \delta(O13-C14)(18)$
210	0.2	<i>twist</i> (CH ₃)1 (89)
197	3	<i>twist</i> $(CH_3)^2 (36) + \tau \operatorname{ring} 2 (15) + \tau (C4-OCH_3)(13) + \delta (C6-C8)(13)$
181	3	$\delta(C4-O13)(33) + \delta(O13-C14)(27) + \gamma(C6-C8)(10)$
145	1	<i>twist</i> $(CH_3)^2(37) + \tau(C4-OCH_3)(27) + \tau \text{ ring } 1 (12)$
129	0.3	$\tau \operatorname{ring} 1 (34) + \gamma (\text{C6-C8})(19) + twist (\text{CH}_3)^2 (15) + \tau \operatorname{ring} 2 (15) + \gamma (\text{C2=O7})(10)$
84	4	τ (C4-OCH ₃)(48) + γ (C4-O13)(20) + τ butterfly (12)

^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S3.

$S_1 = r_{1,2}$	v(O1-C2)
$S_2 = r_{2,3}$	v(C2-C3)
$S_3 = r_{3,4}$	v(C3-C4)
$\mathbf{S}_4 = \mathbf{r}_{4,5}$	v(C4-C5)
$S_5 = r_{5,6}$	v(C5=C6)
$\mathbf{S}_6 = \mathbf{r}_{6,1}$	v(O1-C6)
$\mathbf{S}_7 = \mathbf{r}_{7,2}$	v(C2=O7)
$\mathbf{S}_8 = \mathbf{r}_{8,6}$	v(C6-C8)
$S_9 = (3^{-1/2})(r_{9,8} + r_{10,8} + r_{11,8})$	$\nu(CH_3)^{1}{}_{s}$
$S_{10} = (6^{-1/2})(2r_{11,8} - r_{10,8} - r_{9,8})$	$\nu(CH_3)^{1}$ as
$S_{11} = (2^{-1/2})(r_{10,8} - r_{9,8})$	$\nu(CH_3)^{1,*}_{as}$
$S_{12} = r_{12,5}$	v(C5-H12)
$S_{13} = r_{13,4}$	v(C4=O13)
$S_{14} = (2^{-1/2})(r_{14,3} + r_{15,3})$	$\nu(CH_2)_s$
$\mathbf{S}_{15} = (2^{-1/2})(\mathbf{r}_{14,3} - \mathbf{r}_{15,3})$	$\nu(CH_2)_{as}$
$S_{16} = (6^{-1/2})(\beta_{2,6,1} - \beta_{1,5,6} + \beta_{6,4,5} - \beta_{5,3,4} + \beta_{4,2,3} - \beta_{3,1,2})$	δ ring 1
$S_{17} = (12^{-1/2})(2\beta_{2,6,1} - \beta_{1,5,6} - \beta_{6,4,5} + 2\beta_{5,3,4} - \beta_{4,2,3} - \beta_{3,1,2})$	δ ring 2
$S_{18} = (1/2)(\beta_{1,5,6} - \beta_{6,4,5} + \beta_{4,2,3} - \beta_{3,1,2})$	δ ring 3
$S_{19} = (2^{-1/2})(\beta_{7,1,2} - \beta_{7,3,2})$	δ(C2=O7)
$S_{20} = (2^{-1/2})(\beta_{8,1,6} - \beta_{8,5,6})$	δ(C6-C8)
$S_{21} = (6^{-1/2})(\beta_{9,10,8} + \beta_{10,11,8} + \beta_{11,9,8} - \beta_{9,6,8} - \beta_{10,6,8} - \beta_{11,6,8})$	$\delta(CH_3)^{1}{}_{s}$
$S_{22} = (6^{-1/2})(2\beta_{9,10,8} - \beta_{10,11,8} - \beta_{11,9,8})$	$\delta(CH_3)^{1}$ 'as
$S_{23} = (2^{-1/2})(\beta_{10,11,8} - \beta_{11,9,8})$	$\delta(CH_3)^{1,*}as$
$S_{24} = (6^{-1/2})(2\beta_{11,6,8} - \beta_{10,6,8} - \beta_{9,6,8})$	$\gamma(CH_3)^{1}$ 'as
$S_{25} = (2^{-1/2})(\beta_{10,6,8} - \beta_{9,6,8})$	$\gamma(CH_3)^{1,*}as$
$S_{26} = (2^{-1/2})(\beta_{12,6,5} - \beta_{12,4,5})$	δ(C5-H12)
$S_{27} = (2^{-1/2})(\beta_{13,5,4} - \beta_{13,3,4})$	δ(C4=O13)
$S_{28} = \beta_{14,15,3}$	δ scissor (CH ₂)
$S_{29} = (1/2)(\beta_{14,2,3} - \beta_{15,2,3} + \beta_{14,4,3} - \beta_{15,4,3})$	δ rocking (CH ₂)
$S_{30} = (1/2)(\beta_{14,2,3} + \beta_{15,2,3} - \beta_{14,4,3} - \beta_{15,4,3})$	δ wagging (CH ₂)
$S_{31} = (1/2)(\beta_{14,2,3} - \beta_{15,2,3} - \beta_{14,4,3} + \beta_{15,4,3})$	δ twist (CH ₂)
$S_{32} = (6^{-1/2})(\tau_{6,1,2,3} - \tau_{1,2,3,4} + \tau_{2,3,4,5} - \tau_{3,4,5,6} + \tau_{4,5,6,1} - \tau_{5,6,1,2})$	γ ring 1

Table S6 Internal coordinates used in the normal mode analysis for the tautomer VI of 4-hydroxy-6-methyl- α -pyrone . (Atom numbering as in Scheme S1)

γ ring 2
γ ring 3
<i>twist</i> $(CH_3)^1$
γ(C2=O7)
γ(C6-C8)
γ(C5-H12)
γ(C4=O13)

 $r_{i,j}$ is the distance between atoms A_i and A_j ; $\beta_{i,j,k}$ is the angle between vectors A_kA_i and A_kA_j ; $\tau_{i,j,k,l}$ is the dihedral angle between the plane defined by A_i , A_j , A_k and the plane defined by A_j , A_k , A_l atoms; $\gamma_{i,j,k,l}$ is the angle between the vector A_kA_i and the plane defined by atoms A_j , A_k , A_l .

Experiment	al		Calc	ulated ^a			
Ar matrix			DFT	(B3LYP)/	/6-311++G	(d,p)	
$\widetilde{\mathbf{V}}^{\mathrm{b}}$		I ^b	form		$\widetilde{\mathbf{V}}^{\ \mathrm{c}}$	\mathbf{A}^{th}	PED ^d
3614)	124	V		3737	76	v(O13-H14)(100)
3609	5						
3053		1	V	1	3163	1	v(C5-H12)(99)
3018		7	V		3132	2	v(C3-H15)(100)
2975		6	\mathbf{V}	Į	3069	10	$v(CH_3)^{1*}_{as}(97)$
2936		7	\mathbf{V}		3029	5	$v(CH_3)^{1,*}a_s$ (100)
2853		4	V		2976	9	$v(CH_3)_{s}^{1}(97)$
1824)						
1814	ļ	96	VI		1823	363	v(C2=O7)(89)
1802	Í						
1766	,	743	V		1776	751	v(C2=O7)(81) + v(C2-C3)(10)
1705)	87	VI		1714	418	v(C4=O13)(88)
1699	}						
1665)	234	V		1650	229	v(C5=C6)(45) + v(C3=C4)(21)
1657		31	VI		1644	228	v(C5=C6)(69)
1613		9					
1603	١						
1593							
1591	}	286	V		1576	298	v(C3=C4)(39) + v(C4-C5)(17) + v(C5=C6)(16)
1589							
1507	,	4					
1527		4					
1497	`	0					
1472	Ì	64	V		1469	56	$8(CH)^{1}$, (20) + $y(C4, C5)(12)$
1407)	04	·		1407	50	0(C113) as (59) + 0(C4-C3)(15)
1441		4	VI		1449	18	$\delta(CH_3)^{1}_{as}$ (85)
1434		10	V		1441	9	$\delta(CH_3)^{1,*}_{as}(91)$
1432		2	VI		1439	10	$\delta(CH_3)^{1,*}_{as}(91)$
1427		1	V		1436	2	$\delta(CH_3)^{1*}_{as}(48) + \delta(C3-H15)(10)$
1390)		VI	Ş	1392	9	δ scissor (CH ₂)(97)
1389	ſ	18	VI)	1390	37	$\delta(CH_3)^{1}_{s}(87)$
1387		4	V		1391	3	$\delta(CH_3)^{1}_{s}(91)$
1380		1					

Table S7 Experimental wavenumbers \tilde{v} (cm⁻¹), integral intensities *I* (relative) of the infrared bands of 4-hydroxy-6-methyl- α -pyrone compared with theoretical^a wavenumbers \tilde{v} (cm⁻¹), absolute intensities Ath (km mol⁻¹) and potential energy distributions (%) calculated for tautomers V and VI.

1361		1				
1350		1				
1340		54	VI	1329	211	$v(O1-C6)(19) + \delta(C5-H12)(18) + v(C4-C5)(17)$
1285		9				
1270		9	VI	1271	27	δ wagging (CH ₂)(71) + $ν$ (C3-C4)(11)
1264		17	VI	1251	147	$\delta(C5-H12)(28) + \nu(C4-C5)(15) + \delta(C4=O13)(15)$
1262	١					
1253						
1252		173	V	1247	176	ν(C4-O13)(28) + δ(C3-H15)(33)
1249						
1248						
	/					
1226		2				
1203	}					
1199)	70	V	1187	73	$\delta(O13-H14)(54) + \delta(C3-H15)(13)$
1189		5				
1167		4	VI	1157	13	$v(C6-C8)(32) + \delta(C5-H12)(23) + v(O1-C6)(10)$
1162)					
1158	5	44	V	1154	63	$\delta(C5-H12)(39) + \nu(C4-O13)(19)$
1140		41	V	1114	53	$v(C2-C3)(32) + \delta(C3-H15)(17) + v(C8-C6)(11)$
1128		28				
1120		9	VI	1076	156	v(C2-C3)(26) + v(O1-C2)(18) + v(C4-C5)(10)
1111		2				
1099		3				
1042		6	V	1040	4	$\gamma(CH_3)^{1,*}_{as}(78) + \gamma(C6-C8)(14)$
1034		2	VI	1043	4	$\gamma(CH_3)^{1,*}_{as}(76) + \gamma(C6-C8)(16)$
1031)	20	V	1022	18	$\gamma(CH_3)^{1*}_{as}$ (57)
1030	Ĵ					
1024		3	VI	1019	11	$\gamma(CH_3)^{1'}_{as}(65)$
991)					
989	}	23	VI	977	108	$v(O1-C6)(36) + \delta \operatorname{ring} 1 (23) + v(O1-C2)(13)$
987		170	V	975	63	$v(O1-C6)(38) + \delta \operatorname{ring} 1(21) + v(C8-C6)(13)$
983)	78	V	972	3	$v(C4-C5)(34) + \delta \operatorname{ring} 1 (20) + v(C3=C4)(10)$
980	Ş					
928		8	VI	932	20	δ rocking (CH ₂)(50) + γ (C4=O13)(23) + γ (C2=O7)(17)
891		7	VI	876	9	$v(C3-C4)(34) + \delta \operatorname{ring} 1 (21) + v(C4-C5)(19)$
842		46	V	800	67	$v(O1-C2)(55) + \delta \operatorname{ring} 1 (15)$
837		25	V	796	46	γ (C5-H12)(92) + γ (C4-O13)(15) + γ (C3-H15)(10)
821		9	VI	820	47	$v(O1-C2)(37) + v(C2-C3)(19) + \delta ring 1 (15)$
814		71	V	791	32	γ (C3-H15)(77) + γ (C2=O7)(27) + γ (C5-H12)(10)
680		3	V	665	1	γ (C4-O13)(49) + γ ring 1 (32)
617		0.4	V	602	2	δ ring 1 (19) + v(O1-C2)(15)

573		3	V	563	4	$\delta(C2=O7)(41) + \delta(C4-O13)(17)$
515		3	V	511	5	δ ring 3 (65) + ν(C8-C6)(10)
478		2				
441)					
434	ļ					
428		94	V	439	109	τ(C4-OH)(97)
)					

^a Tables with full IR spectra calculated for tautomers V and VI are given in Tables S8 and S9.

^b Italized wavenumbers and intensities indicate bands assigned to form **VI**.

^c Theoretical positions of absorption bands were scaled by a factor of 0.98.

^d PED's lower than 10% are not included. Definition of internal coordinates is given in Tables S1 and S6.

Calculated DFT(B3LYP)/6-311++G(d, p)					
$\widetilde{\nu}^{a}$	\mathbf{A}^{th}	Sym.	PED ^b (%)		
3737	76	A'	v(O13-H14)(100)		
3163	1	A'	v(C5-H12)(99)		
3132	2	A'	v(C3-H15)(100)		
3069	10	A'	$v(CH_3)^{1}_{as}$ (97)		
3029	5	A''	$\nu(CH_3)^{1,\gamma}_{as}$ (100)		
2976	9	A'	$v(CH_3)_{s}^{1}(97)$		
1776	751	A'	v(C2=O7)(81) + v(C2-C3)(10)		
1650	229	A'	v(C5=C6)(45) + v(C3=C4)(21)		
1576	298	A'	v(C3=C4)(39) + v(C4-C5)(17) + v(C5=C6)(16)		
1469	56	A'	$\delta(CH_3)^{1,as}(39) + \nu(C4-C5)(13)$		
1441	9	A''	$\delta(CH_3)^{1,*}_{as}(91)$		
1436	2	A'	$\delta(CH_3)^{1,as}(48) + \delta(C3-H15)(10)$		
1391	3	A'	$\delta(CH_3)^{1}_{s}(91)$		
1337	6	A'	$\delta(C5-H12)(26) + \nu(O1-C6)(24) + \nu(C2-C3)(10)$		
1247	176	A'	$v(C4-O13)(28) + \delta(C3-H15)(33)$		
1187	73	A'	$\delta(O13-H14)(54) + \delta(C3-H15)(13)$		
1154	63	A'	$\delta(C5-H12)(39) + \nu(C4-O13)(19)$		
1114	53	A'	$v(C2-C3)(32) + \delta(C3-H15)(17) + v(C8-C6)(11)$		
1040	4	A''	$\gamma(CH_3)^{1,*}_{as}(78) + \gamma(C6-C8)(14)$		
1022	18	A'	$\gamma(CH_3)^{1}$, as (57)		
975	63	A'	$v(O1-C6)(38) + \delta \operatorname{ring} 1(21) + v(C8-C6)(13)$		
972	3	A'	$v(C4-C5)(34) + \delta \operatorname{ring} 1 (20) + v(C3=C4)(10)$		
800	67	A'	$v(O1-C2)(55) + \delta ring 1 (15)$		
796	46	A''	γ (C5-H12)(92) + γ (C4-O13)(15) + γ (C3-H15)(10)		
791	32	A''	γ (C3-H15)(77) + γ (C2=O7)(27) + γ (C5-H12)(10)		
702	0.001	A''	$\gamma \operatorname{ring} 1 (27) + \gamma(C2=O7)(62) + \gamma(C3-H15)(15)$		
665	1	A''	γ (C4-O13)(49) + γ ring 1 (32)		
602	2	A'	$\delta \operatorname{ring} 1 (19) + \nu(\text{O1-C2})(15)$		
563	4	A'	$\delta(C2=O7)(41) + \delta(C4-O13)(17)$		
540	0.03	A''	γ (C6-C8)(49) + γ (C4-O13)(20) + γ ring 3 (19)		
511	5	A'	δ ring 3 (65) + v(C8-C6)(10)		
469	1	A'	δ ring 2 (79)		

Table S8 Calculated vibrational frequencies, intensities and potential energy distributions (PED) for 4-hydroxy-6-methyl- α -pyrone tautomer V (wavenumbers ($\tilde{\nu}$) in cm⁻¹, theoretical intensities (Ath) in km mol⁻¹).

439	109	A''	τ(C4-OH)(97)
355	13	A'	$\delta(C4-O13)(49) + \delta(C2=O7)(24)$
283	2	A'	δ(C6-C8)(66)
202	0.2	A''	$\gamma \operatorname{ring} 2(52) + \gamma \operatorname{ring} 3(25) + \gamma \operatorname{ring} 1(10)$
185	7	A''	$\gamma \text{ ring 3 } (55) + twist (CH_3)^1 (23) + \gamma (C6-C8)(18)$
148	0.06	A''	$\gamma \text{ ring } 1(49) + twist (CH_3)^1 (21) + \gamma \text{ ring } 2 (12) + \gamma (C6-C8)(12)$
130	3	A''	<i>twist</i> $(CH_3)^1$ (50) + γ ring 2 (37) + γ ring 3 (11)

^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S1.

Calculated DFT(B3LYP)/6-311++G(d, p)						
$\widetilde{\nu}^{a}$	A th	PED ^b (%)				
3149	1	v(C5-H12)(99)				
3076	8	$\nu(CH_3)^{1*}_{as}(96)$				
3063	0.1	$\nu(CH_2)_{as}(69) + \nu(CH_2)_s(31)$				
3028	4	$v(CH_3)^{1,*}a_{as}$ (100)				
2976	4	$\nu(CH_3)^{1}_{s}(96)$				
2963	2	$v(CH_2)_s(69) + v(CH_2)_{as}(31)$				
1823	363	v(C2=O7)(89)				
1714	418	v(C4=O13)(88)				
1644	228	v(C5=C6)(69)				
1449	18	$\delta(\mathrm{CH}_3)^{1*}_{\mathrm{as}}(85)$				
1439	10	$\delta(CH_3)^{1,*}_{as}(91)$				
1392	9	δ scissor (CH ₂)(97)				
1390	37	$\delta(\mathrm{CH}_3)^{\mathrm{l}}{}_{\mathrm{s}}(87)$				
1329	211	$v(O1-C6)(19) + \delta(C5-H12)(18) + v(C4-C5)(17)$				
1271	27	δ wagging (CH ₂)(71) + ν(C3-C4)(11)				
1251	147	$\delta(C5-H12)(28) + \nu(C4-C5)(15) + \delta(C4=O13)(15)$				
1175	6	δ twist (CH ₂)(77)				
1157	13	$v(C6-C8)(32) + \delta(C5-H12)(23) + v(O1-C6)(10)$				
1076	156	v(C2-C3)(26) + v(O1-C2)(18) + v(C4-C5)(10)				
1043	4	$\gamma(CH_3)^{1,\gamma}_{as}(76) + \gamma(C6-C8)(16)$				
1019	11	$\gamma(CH_3)^{1}_{as}$ (65)				
977	108	$v(O1-C6)(36) + \delta \operatorname{ring} 1 (23) + v(O1-C2)(13)$				
932	20	δ rocking (CH ₂)(50) + γ (C4=O13)(23) + γ (C2=O7)(17)				
876	9	$v(C3-C4)(34) + \delta \operatorname{ring} 1 (21) + v(C4-C5)(19)$				
824	16	γ(C5-H12)(95)				
820	47	$v(O1-C2)(37) + v(C2-C3)(19) + \delta ring 1 (15)$				
617	3	$\gamma(C2=O7)(33) + \gamma(C4=O13)(29)$				
599	1	$v(C3-C4)(13) + v(O1-C6)(13) + \delta ring 1 (10) + \delta(C2=O7)(10)$				
569	1	$\delta(C2=O7)(31) + \delta(C4=O13)(25)$				
556	1	$\gamma(C6-C8)(42) + \gamma(C2=O7)(16)$				
514	4	δ ring 3 (33) + $γ$ (C4=O13)(15) + $δ$ rocking (CH ₂)(12) + $γ$ (C6-C8)(11)				
462	5	$\delta \operatorname{ring} 2 (59) + \delta \operatorname{ring} 3 (14)$				

Table S9 Calculated vibrational frequencies, intensities and potential energy distributions (PED) for 4-hydroxy-6-methyl- α -pyrone tautomer VI (wavenumbers ($\tilde{\nu}$) in cm⁻¹, theoretical intensities (Ath) in km mol⁻¹).

432	11	δ ring 3 (26) + $δ$ ring 2 (23) + $δ$ rocking (CH ₂)(14) + $γ$ (C2=O7)(10)
381	9	$\delta(C4=O13)(32) + \delta(C2=O7)(25) + \nu(C3-C4)(15) + \nu(C2-C3)(11)$
289	1	δ(C6-C8)(68)
180	1	<i>twist</i> $(CH_3)^1$ (66) + γ ring 2 (11) + γ ring 3 (10)
146	2	$\gamma \operatorname{ring} 3 (30) + twist (CH_3)^1 (24) + \gamma \operatorname{ring} 1 (23) + \gamma (C6-C8)(18)$
119	4	$\gamma \operatorname{ring} 2 (87) + twist (CH_3)^1 (11)$
72	12	γ ring 3 (51) + γ ring 1 (47)

^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S6.

Table S10 Experimental wavenumbers \tilde{v} (cm⁻¹), integral intensities *I* (relative) of the bands in the infrared spectrum of the photoproduct generated upon UV (λ >320 nm) irradiation of 4-hydroxy-6-methyl- α -pyrone, compared with theoretical wavenumbers \tilde{v} (cm⁻¹), absolute intensities Ath (km mol⁻¹) and potential energy distributions (%) calculated for 4-hydroxy-6-methyl-1-oxa-2-oxobicyclo[2.2.0]hex-4-ene isomer **VIII**.

Experiment	tal		Calculated		
Ar matrix			DFT(B3LY	YP)/6-311	++G(d,p)
$\widetilde{\mathbf{v}}$		Ι	$\widetilde{\mathbf{v}}^{\ a}$	\mathbf{A}^{th}	PED ^b
3608		133	3726	82	v(O13-H14)(100)
3603					
2999)	15 /	3152	5	v(C5-H12)(99)
2987	}				
2942		12	3067	7	v(C3-H15)(100)
2894		2	3051	13	$\nu(CH_3)^{1,\gamma}{}_{as}(99)$
2872		4	3038	11	$v(CH_3)^{1}_{as}(98)$
			2974	13	$v(CH_3)_{s}^{1}(99)$
		1			
1838		551	1853	567	v(C2=O7)(88)
1640)	261	1641	277	v(C4=C5)(71) + v(C4-O13)(19)
1634	}				
1454		5	1461	3	$\delta(CH_3)^{1,*}_{as}$ (83)
1440		3	1453	6	$\delta(CH_3)^{1/2}_{as}(81)$
1393		23	1390	18	$\delta(CH_3)^1_{s}(81) + \nu(C6-C8)(11)$
1383		24	1375	24	δ (O13-H14)(36) + v(C3-C4)(23) + v(C4-O13)(16)
1330		20	1323	27	$v(C6-C8)(20) + v(C5-C6)(19) + \delta(C5-H12)(15) + v(C3-C6)(12) +$
					$\delta(CH_3)^{1}_{s}(12)$
1315		3			
1199		59	1189	53	γ(C3-H15)(51) + δ(O13-H14)(14)
1185)	14	1175	13	$\gamma(CH_3)^{1}_{as}(16) + \nu(O1-C2)(13) + \gamma(C3-H15)(12)$
1183	}				
1166		32	1156	56	$\gamma(CH_3)^{1,\gamma}_{as}(19) + \nu(C3-C6)(16) + \nu(C5-C6)(12)$
1147		95	1141	131	$\delta(C5-H12)(29) + v(C4-O13)(17) + v(O1-C2)(15) + \gamma(C3-H15)(11)$
1132		8			
1112		99	1103	115	$\delta(O13-H14)(27) + \delta(C5-H12)(22) + v(C4=C5)(11)$
1086		23	1063	11	$\delta(C3-H15)(44) + \nu(C6-C8)(13)$
1069)	7			
1065	\$				
1022		38	1014	41	$\gamma(CH_3)^{1,*}_{as}(34) + \nu(O1-C2)(21) + \gamma(CH_3)^{1,*}_{as}(12)$
			971	2	$v(C3-C4)(22) + \delta \operatorname{ring} 2(16) + \delta(C3-H15)(14) + v(C5-C6)(13)$

944)	24	933	14	$v(C2-C3)(33) + \gamma(C3-H15)(11) + v(O1-C2)(10) + \delta ring 1(10)$
941	5				
911	}	3	902	5	$v(C5-C6)(26) + \gamma(CH_3)^{1*}_{as}(25) + \gamma(CH_3)^{1*}_{as}(10)$
905)				
837		7	819	8	$\gamma(C2=O7)(22) + \nu(C3-C6)(16) + \gamma(C4-O13)(11)$
825	}	3			
819)				
789		151	779	112	γ(C5-H12)(61)
770)	25	757	44	$v(O1-C6)(31) + v(O1-C2)(24) + \delta ring 1 (10) + \delta(C2=O7)(10)$
765	Ì				
761	,				
729		4	715	10	$v(O1-C6)(16) + \gamma(C2=O7)(13) + v(C2-C3)(11)$
668		8	662	4	$\delta \operatorname{ring} 1 (20) + \delta \operatorname{ring} 2 (19) + v(C4-O13)(11)$
597		11	586	8	$v(C6-C8)(30) + \delta \operatorname{ring} 2 (19)$
546		5	550	3	γ(C4-O13)(46) + γ(C2=O7)(19)
499)	8	488	15	$\delta(C2=O7)(27) + \nu(C2-C3)(10)$
495)				
450		3	440	4	δ (C4-O13)(31) + δ (C2=O7)(15) + τ butterfly (10)
408)				
404)	28	423	85	τ (C4-OH)(73) + τ butterfly (11)
			376	48	δ (C4-O13)(22) + τ butterfly (19) + τ (C4-OH)(15)
			326	3	γ(C6-C8)(47)
			247	1	$\delta(C6-C8)(61) + \delta(C4-O13)(14)$
			213	0.04	<i>twist</i> $(CH_3)^1$ (93)
			142	1	τ ring 2 (40) + γ (C4-O13)(23) + γ (C6-C8)(21) + τ butterfly (10)
			133	2	τ ring 1 (47) + γ (C2=O7)(22) + τ butterfly (13)

^b PED's lower than 10% are not included. Definition of internal coordinates is given in Table S3.