## Supporting information for

## Spectral deciphering of the interaction between an intramolecular hydrogen bonded

ESIPT drug, 3,5-dichlorosalicylic acid and a model transport protein

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## S1. Blind docking simulation protocol

The molecular geometry of 3,5 -dichlorosalicylic acid (3,5DCSA) was first optimized on Gaussian 03W suite of programs ${ }^{1,2}$ using Density Functional Theoretical (DFT) method with the B3LYP functional, i.e., a combination of the Becke's threeparameter (B3) hybrid exchange functional ${ }^{3}$ and Lee-Yang-Parr (LYP) nonlocal correlation functional. ${ }^{4}$ In our calculation particular emphasis is delivered on the 6$311++G(d, p)$ basis set because this basis set is of triple $-\zeta$ quality ${ }^{1,2,5}$ for valence electrons with diffuse functions which are useful in calculations for anions and structures with lone pair electrons. ${ }^{1,2,5-8}$ The geometrical constraints were not imposed in equilibrium geometry optimizations. Vibrational frequency calculations were carried out for the optimized structures in order to assess the nature of stationary points. The characteristic of local minimum was verified by establishing that matrices of energy second derivatives (Hessian) have no imaginary frequency. ${ }^{1-8}$

The native structure of HSA was taken from the Protein Data Bank having PDB ID:1AO6 ${ }^{9}$ (http://www.pdb.org/pdb/explore.do?structureId=1ao6). BSA was generated from it by performing necessary additions at the N -terminal as well as some mutations in the required regions as no PDB is available for BSA. ${ }^{10}$ Docking studies were performed with AutoDock 4.2 suite of programs which utilizes the Lamarckian Genetic Algorithm (LGA) implemented therein (http://autodock.scripps.edu/). For docking of HM with BSA, the required file (corresponding to the three-dimensional structure of HM ) for the ligand (HM) was created through combined use of Gaussian $03 \mathrm{~W}^{1,2}$ and AutoDock $4.2^{17,18}$ software packages. The optimized geometry of 3,5DCSA was (DFT//B3LYP/6$311++G(d, p))$ read in AutoDock 4.2 software in compatible file format, from which the
required file was generated in AutoDock 4.2. At the beginning of docking study all water molecules were removed and hydrogens were added followed by computing Gasteiger charges, as required in Lamarckian Genetic Algorithm. ${ }^{11,12}$ The grid size was set to 126, 126, and 126 along $X-, Y$-, and $Z$-axis with $0.375 \AA$ grid spacing, i.e. in order to recognize the binding site of 3,5DCSA in BSA blind docking was performed. The AutoDocking parameters used were as follows: GA population size $=150$; maximum number of energy evaluations $=250000 ;$ GA crossover mode $=$ two points. The lowest binding energy conformer was searched out of 30 different conformers for each docking simulation and the resultant one was used for further analysis. The PyMOL software package was used for visualization of the docked conformations. ${ }^{13}$

## S2. Time-resolved fluorescence anisotropy decay: Two-Step and Wobbling-in-Cone

## Model

Under the framework of the two-step and wobbling-in-cone model the fluorescence depolarization can be the result of three independent motions: (a) wobbling of the probe $\left(\mathrm{r}_{\mathrm{W}}(\mathrm{t})\right)$ with a time constant $\tau_{\mathrm{W}}$, (b) translational motion of the probe $\left(\mathrm{r}_{\mathrm{D}}(\mathrm{t})\right)$ along the surface of the protein with time constant $\tau_{\mathrm{D}}$, and (c) overall rotation of the protein $\left(\mathrm{r}_{\mathrm{P}}(\mathrm{t})\right)$ with a time constant $\tau_{\mathrm{P}}$. Thus $\mathrm{r}(\mathrm{t})$ can be decomposed into a product of three independent motions as follows ${ }^{14-23}$ :

$$
\begin{equation*}
r(t)=r_{W}(t) r_{D}(t) r_{P}(t) \tag{S1}
\end{equation*}
$$

Again, $r(t)$ may be expressed in terms of the generalized order parameter $S$ as ${ }^{14-23}$ :

$$
\begin{equation*}
r(t)=r_{0}\left[S^{2}+\left(1-S^{2}\right) \exp \left(-t / \tau_{W}\right)\right] \exp \left[-t\left(1 / \tau_{D}+1 / \tau_{P}\right)\right] \tag{S2}
\end{equation*}
$$

In the wobbling-in-cone model, $S$ is related to the semicone angle $\theta_{\mathrm{w}}$ as follows ${ }^{14-23}$ :

$$
\begin{equation*}
S=\frac{1}{2} \cos \theta_{w}\left(1+\cos \theta_{w}\right) \tag{S3}
\end{equation*}
$$

The order parameter $S$ is a measure of the spatial restriction having values ranging from 0 (corresponding to unrestricted motion) to 1 (for complete restriction on the motion).

Again the functional form of the biexponential anisotropy decay, $r(t)$, can be represented as ${ }^{14-19}$ :

$$
\begin{equation*}
r(t)=r_{0} \times\left[\alpha_{1 r} \exp \left(-t / \tau_{1 r}\right)+\alpha_{2 r} \exp \left(-t / \tau_{2 r}\right)\right] \tag{S4}
\end{equation*}
$$

in which $\mathrm{r}_{0}$ is the limiting anisotropy that describes the inherent depolarization of the fluorophore and $\alpha_{i r}$ is the pre-exponent that provides the fraction of the $\mathrm{i}^{\text {th }}$ rotational relaxation time i.e. $\tau_{\mathrm{ir}}$.

Comparing equations S3 and S4 the following relations are obtained ${ }^{14-23}$ :

$$
\begin{align*}
& S^{2}=\alpha_{2 r}  \tag{S5}\\
& \frac{1}{\tau_{2 r}}=\frac{1}{\tau_{D}}+\frac{1}{\tau_{P}}  \tag{S6}\\
& \frac{1}{\tau_{1 r}}=\frac{1}{\tau_{W}}+\frac{1}{\tau_{2 r}} \tag{S7}
\end{align*}
$$

Here, $\tau_{1 \mathrm{r}}$ and $\tau_{2 \mathrm{r}}$ are, respectively, the observed fast and slow components of the anisotropy decay. The time constant for the overall rotation of the protein has been determined by applying the Stokes-Einstein-Debye equation ${ }^{14-23}$ :

$$
\begin{equation*}
\tau_{P}=\frac{\eta V}{k_{B} T} \tag{S8}
\end{equation*}
$$

in which $\eta$ is the viscosity of the solution, V is the volume of BSA, $\mathrm{k}_{\mathrm{B}}$ is the Boltzmann constant and T is the Kelvin temperature.

The volume of BSA has been calculated from one reported model - prolate ellipsoid of dimension $140 \times 40 \times 40 \AA .{ }^{24}$ The calculated time constant for overall tumbling motion of BSA is found to be ( $\tau_{\mathrm{P}}=54.58 \mathrm{~ns}$ ) significantly larger compared to the slower component of the time constant $\left(\tau_{2 \mathrm{r}}\right)$ in the anisotropy decay. Hence the condition $\left.\left.\tau_{\mathrm{P}}\right\rangle\right\rangle \tau_{2 \mathrm{r}}$, implies that the slower component $\tau_{2 \mathrm{r}}$ essentially represents $\tau_{\mathrm{D}}$, suggesting that lateral diffusion comprises an important component in the anisotropy decay of the probe. The data compiled in Table 3 and 4 of the text clearly reflects that $\tau_{D}$ and $\tau_{2 r}$ values are reasonably close to each other. At the same time, an increasing magnitude of the order parameter from 0.44 in $40 \times 10^{-5} \mathrm{M}$ BSA to 0.47 in $60 \times 10^{-5} \mathrm{M}$ BSA is consistent with the idea of increasing degree of motional restriction imposed on the probe. This is further manifested in decreasing value of the semicone angle $\theta_{\mathrm{w}}$ with increasing protein
concentration (i.e. the treatment of the so-obtained rotational dynamical parameters under the provision of two-step and wobbling-in-cone model is found to faithfully indicate an increasing degree of motional restriction imposed upon the probe molecule in the protein environment with respect to the bulk aqueous phase). The calculated dynamical parameters are tabulated in Table 4 of the text. The wobbling diffusion coefficient $\left(\mathrm{D}_{\mathrm{W}}\right)$ for the probe in BSA is obtained from the following equations ${ }^{14-23}$ :

$$
\begin{equation*}
D_{W}=\frac{7 \theta^{2}}{24 \tau_{W}} \text { for } \theta_{\mathrm{w}} \leq 30^{\circ} \tag{S9}
\end{equation*}
$$

while for $\theta_{\mathrm{w}} \geq 30^{\circ} \mathrm{D}_{\mathrm{w}}$ is given as:

$$
D_{W}=\left\{\left(1-s^{2}\right)_{\tau_{W}}\right\}^{-1}\left[\frac{x^{2}(1+x)^{2}}{2(x-1)}\left\{\ln \left(\frac{1+x}{2}\right)+\left(\frac{1-x}{2}\right)\right\}+\left(\frac{1-x}{24}\right)\left(6+8 x-x^{2}-12 x^{3}-7 x^{4}\right)\right]
$$

where $x=\cos \theta_{\mathrm{w}}$.
Since in the present case $\theta_{\mathrm{w}}$ is found to be $\geq 30^{\circ}$ (Table 4 of the text), we have applied equation S10 to calculate the values of the wobbling diffusion coefficient $\left(\mathrm{D}_{\mathrm{W}}\right)$ and the calculated values are summarized in Table 4 of the text.

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