

## Supplementary Information for

### Production of Singlet Oxygen by the Reaction of Non-Basic Hydrogen Peroxide with Chlorine Gas

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## Measurement of the Yield of O<sub>2</sub>(<sup>1</sup>Δ) by spontaneous Raman scattering method

The yield of O<sub>2</sub>(<sup>1</sup>Δ),  $Y_{\Delta}$ , is defined as the fraction of O<sub>2</sub>(<sup>1</sup>Δ) in total O<sub>2</sub> gas,

$$Y_{\Delta} = \frac{[\text{O}_2(\text{'}\Delta)]}{[\text{O}_2(\text{'}\Delta)] + [\text{O}_2(\text{'}^3\Sigma)]}. \quad (1)$$

where [O<sub>2</sub>(<sup>1</sup>Δ)] and [O<sub>2</sub>(<sup>3</sup>Σ)] denote the concentration of singlet oxygen and ground state oxygen respectively. In 1998, Gylys *et al.*<sup>1,2</sup> developed a spontaneous Raman scattering (SRS) method for the measurement of the yield of O<sub>2</sub>(<sup>1</sup>Δ). The principal is as follows. When an O<sub>2</sub>(<sup>1</sup>Δ) gas flow is excited by a laser beam, the produced SRS intensities of O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ),  $I_{R\Delta}$  and  $I_{R\Sigma}$ , can be expressed as

$$\begin{aligned} I_{R\Delta} &= \sigma_{\Delta} \cdot [\text{O}_2(\text{'}\Delta)] \cdot I \\ I_{R\Sigma} &= \sigma_{\Sigma} \cdot [\text{O}_2(\text{'}^3\Sigma)] \cdot I \end{aligned} \quad (2)$$

where  $\sigma_{\Delta}$  and  $\sigma_{\Sigma}$  denote the Raman cross-section of O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ) respectively (the subscript  $\Delta$  and  $\Sigma$  hereinafter are referred to O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ) respectively), and  $I$  is the laser intensity. According to Eqs.(1)-(2), the final formula used to calculate the yield of O<sub>2</sub>(<sup>1</sup>Δ) can be written as

$$Y_{\Delta} = \frac{I_{R\Delta}}{I_{R\Delta} + (\sigma_{\Delta}/\sigma_{\Sigma})I_{R\Sigma}} = \frac{I_{R\Delta}}{I_{R\Delta} + \theta \cdot I_{R\Sigma}} \quad (3)$$

where the Raman cross-sectional ratio  $\theta = \sigma_{\Delta}/\sigma_{\Sigma}$ , and has been measured to be 0.45–0.03 at 527 nm (frequency-doubled YLF laser),<sup>2</sup> and is expected to be close to that at 532 nm (frequency-doubled YAG laser) because of the closeness of the wavelengths.

Obviously, according to Eq.(3) the relative error of  $Y_{\Delta}$  can be expressed as

$$\left| \frac{dY_{\Delta}}{Y_{\Delta}} \right| = (1 - Y_{\Delta}) \cdot \left[ \left| \frac{d\theta}{\theta} \right| + \left| \frac{dI_{R\Delta}}{I_{R\Delta}} \right| + \left| \frac{dI_{R\Sigma}}{I_{R\Sigma}} \right| \right] \quad (4)$$

In practice, the  $I_{R\Delta}$  and  $I_{R\Sigma}$  in Eq.(3) were replaced respectively by the peak areas of O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ) in a SRS spectrum, and the  $\left| \frac{dI_{R\Delta}}{I_{R\Delta}} \right|$  and  $\left| \frac{dI_{R\Sigma}}{I_{R\Sigma}} \right|$ , the relative errors of  $I_{R\Delta}$  and  $I_{R\Sigma}$  in Eq.(4) were replaced respectively by the reciprocals of the signal-to-noise

ratios of O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ) in a SRS spectrum.

However, as shown in Figures S1-S3, the SRS of O<sub>2</sub>(<sup>1</sup>Δ) and O<sub>2</sub>(<sup>3</sup>Σ) is often interfered with the fluorescence of residual Cl<sub>2</sub> resulted from the incomplete reaction of Cl<sub>2</sub> with H<sub>2</sub>O<sub>2</sub>, and the yield of O<sub>2</sub>(<sup>1</sup>Δ) can not directly be calculated out by Eq.(3). The method for eliminating fluorescence interference from SRS spectrum has been proposed by Wolga<sup>3</sup> in 1978 and is as follows. A polarizer is inserted between the sample and the spectrograph. When the polarization directions of the laser and the polarizer are parallel (//) to each other, the total light intensity detected,  $I_{t//}$ , is

$$I_{t//} = I_{R//} + I_{F//}. \quad (5a)$$

and when perpendicular (^), the total light intensity detected becomes  $I_{t\perp}$  (note that the acquisition times for  $I_{t//}$  and  $I_{t\perp}$  are strictly equal) ,

$$I_{t\perp} = I_{R\perp} + I_{F\perp}. \quad (5b)$$

In Eq.(5),  $I_R$  and  $I_F$  are the intensity of SRS and fluorescence respectively. Given the fact that Raman radiation is always strongly polarized while fluorescence is essentially non-polarized and  $I_{F//} = I_{F\perp}$  in a gaseous medium, the fluorescence will be eliminated from the SRS spectrum and Eq.(6) be obtained when Eq.(5a) is subtracted by Eq.(5b).

$$I_{t//} - I_{t\perp} = I_{R//} - I_{R\perp}. \quad (6)$$

Basing on the above Wolga's method,<sup>3</sup> we further suggested<sup>4</sup> that the total intensity of Raman scattering,  $I_R$ , be expressed as

$$I_R = I_{R//} + I_{R\perp} = \frac{(1+\rho)}{(1-\rho)}(I_{t//} - I_{t\perp}) \quad (7)$$

where  $\rho = I_{R\wedge}/I_{R//}$ , is depolarization ratio, and Eq.(3) is then changed as follows

$$\begin{aligned} Y_\Delta &= \frac{(I_{t//} - I_{t\perp})_\Delta}{(I_{t//} - I_{t\perp})_\Delta + \theta' \cdot (I_{t//} - I_{t\perp})_\Sigma} \\ \theta' &= \frac{1+\rho_\Sigma}{1-\rho_\Sigma} \left( \frac{1+\rho_\Delta}{1-\rho_\Delta} \right)^{-1} \cdot \theta \end{aligned} \quad (8)$$

In Eq.(7) the values of  $\rho_\Sigma$  and  $\rho_\Delta$  have been estimated by us<sup>4</sup> to be  $\rho_\Sigma=0.067$  and  $\rho_\Delta=0.05$ , and then  $\theta'=0.47$ , very close to the value of  $\theta$  (0.45) used in Eqs.(3-4). Therefore, Eqs.(3-4) still hold for the fluorescence-eliminated SRS spectrum except that the  $I_R$  term is needed to be substituted by the  $(I_{t//} - I_{t\perp})$ .

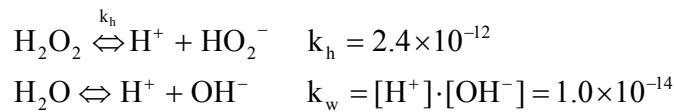
In BHP ( $\text{KO}_2\text{H}$ ) and nBHP-1 ( $\text{C}_5\text{H}_5\text{N}$ ) experiments in which the fluorescence of residual  $\text{Cl}_2$  had not yet obviously interfere with the SRS spectrum of  $\text{O}_2(^1\Delta)$  and  $\text{O}_2(^3\Sigma)$  (see A and B in Figure 1), the yield of  $\text{O}_2(^1\Delta)$  and its relative error were directly calculated out by Eqs.(3-4). While in nBHP-2 ( $\text{CH}_3\text{COONH}_4$ ), nBHP-3 ( $\text{HCOONH}_4$ ) and nBHP-4 ( $\text{NH}_4\text{F}$ ) experiments in which the SRS spectrum of  $\text{O}_2(^1\Delta)$  and  $\text{O}_2(^3\Sigma)$  had been overwhelmed by the fluorescence of residual  $\text{Cl}_2$  (see Figures S1-S3),  $(I_{t//} - I_{t\perp})$ , the fluorescence-eliminated SRS intensity is first obtained and then Eqs.(3-4) are applied.

However, it should be pointed out that even with the use of Wolga's method, the SRS spectrum for nBHP-4 could not anyway be separated from the  $\text{Cl}_2$  fluorescence background (see Figure S3-S4) due to the low  $\text{Cl}_2+(\text{nBHP-4})$  reaction efficiency, hence the yield of  $\text{O}_2(^1\Delta)$  was unable to be measured in the case of nBHP-4.

## Methods for estimating $[\text{HO}_2^-]$ and PH Value in $\text{H}_2\text{O}_2$ Solutions

In this section, all the dissociation constants of acids are cited from Ref. [5].

**Basic Hydrogen Peroxide (BHP) Solution.** The acid-base equilibriums are



The equation of charge conservation may be written as

$$[\text{H}^+] + [\text{K}^+] = [\text{HO}_2^-] + \text{OH}^- \quad (9.1)$$

The  $[\text{K}^+]$  should equal  $C_{\text{KO}_2\text{H}}$ , the initial concentration of  $\text{KO}_2\text{H}$  (6.6M here).

$$[\text{K}^+] = C_{\text{KO}_2\text{H}} \quad (9.2)$$

$[\text{HO}_2^-]$  can be expressed as

$$[\text{HO}_2^-] = \alpha_{\text{HO}_2^-} \times (C_{\text{H}_2\text{O}_2} + C_{\text{KO}_2\text{H}}) \quad (9.3)$$

where  $C_{\text{H}_2\text{O}_2}$  is the initial concentration of  $\text{H}_2\text{O}_2$  (2.4M here),  $(C_{\text{H}_2\text{O}_2} + C_{\text{KO}_2\text{H}})$  represents the apparent concentration of  $\text{H}_2\text{O}_2$ , i.e. the total concentration of  $\text{H}_2\text{O}_2$  in all forms, and  $\alpha_{\text{HO}_2^-}$  is the fraction of  $\text{HO}_2^-$  in total  $\text{H}_2\text{O}_2$ , and can be expressed as

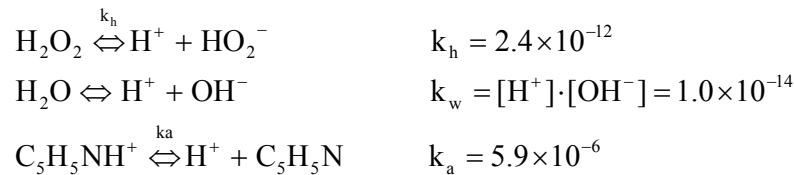
$$\alpha_{\text{HO}_2^-} = \frac{[\text{HO}_2^-]}{C_{\text{H}_2\text{O}_2} + C_{\text{KO}_2\text{H}}} = \frac{k_h}{k_h + [\text{H}^+]} \quad (9.4)$$

The water ionic product is a constant ( $1.0 \times 10^{-14}$  at 25°C) as

$$[\text{H}^+] \cdot [\text{OH}^-] = k_w \quad (9.5)$$

$[\text{H}^+]$ ,  $[\text{K}^+]$ ,  $\alpha_{\text{HO}_2^-}$ ,  $[\text{HO}_2^-]$ , and  $[\text{OH}^-]$  can be solved out from Eqs.(9.1-9.5), and then the PH value,  $-\log([\text{H}^+])$ , can be obtained.

**$\text{C}_5\text{H}_5\text{N}$  - Dissolved Hydrogen Peroxide Solution.** The acid-base equilibriums are



The proton balance equation can be written as

$$[\text{H}^+] + [\text{C}_5\text{H}_5\text{NH}^+] = [\text{HO}_2^-] + [\text{OH}^-] \quad (10.1)$$

And it is evident that

$$[\text{C}_5\text{H}_5\text{NH}^+] = \alpha_{\text{C}_5\text{H}_5\text{NH}^+} \times C_{\text{C}_5\text{H}_5\text{N}} \quad (10.2)$$

$$\alpha_{\text{C}_5\text{H}_5\text{NH}^+} = \frac{[\text{C}_5\text{H}_5\text{NH}^+]}{C_{\text{C}_5\text{H}_5\text{N}}} = \frac{[\text{H}^+]}{k_a + [\text{H}^+]} \quad (10.3)$$

$$[\text{HO}_2^-] = \alpha_{\text{HO}_2^-} \times C_{\text{H}_2\text{O}_2} \quad (10.4)$$

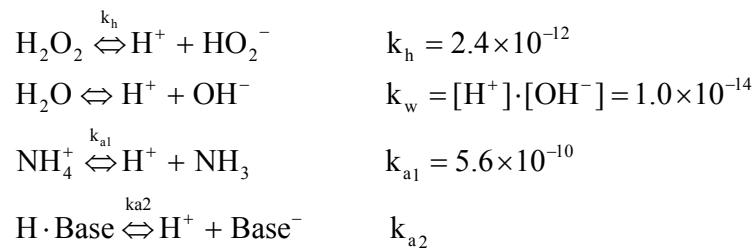
$$\alpha_{\text{HO}_2^-} = \frac{[\text{HO}_2^-]}{C_{\text{H}_2\text{O}_2}} = \frac{k_h}{k_h + [\text{H}^+]} \quad (10.5)$$

$$[\text{H}^+] \cdot [\text{OH}^-] = k_w \quad (10.6)$$

In Eqs.(10.1-10.6),  $\alpha_{\text{C}_5\text{H}_5\text{NH}^+}$  is the fraction of  $\text{C}_5\text{H}_5\text{NH}^+$  in total  $\text{C}_5\text{H}_5\text{N}$ ,  $C_{\text{C}_5\text{H}_5\text{N}}$  and  $C_{\text{H}_2\text{O}_2}$  are the initial concentrations of  $\text{C}_5\text{H}_5\text{N}$  and  $\text{H}_2\text{O}_2$  respectively, and are both 9.0M here.  $[\text{H}^+]$ ,  $[\text{C}_5\text{H}_5\text{NH}^+]$ ,  $[\text{HO}_2^-]$ ,  $[\text{OH}^-]$ ,  $\alpha_{\text{C}_5\text{H}_5\text{NH}^+}$  and  $\alpha_{\text{HO}_2^-}$  can be solved out from Eqs.(10.1-10.6), and then the PH value,  $-\log([\text{H}^+])$ , can be obtained.

### **CH<sub>3</sub>COONH<sub>4</sub>, H<sub>3</sub>COONH<sub>4</sub>, and NH<sub>4</sub>F Dissolved Hydrogen Peroxide Solutions.**

The acid-base equilibriums for these solutions are



where  $\text{Base}^-$  represents  $\text{CH}_3\text{COO}^-$ ,  $\text{HCOO}^-$  or  $\text{F}^-$ , and  $k_{a2}$  equals  $1.75 \times 10^{-5}$  ( $\text{CH}_3\text{COOH}$ ),  $1.8 \times 10^{-4}$  ( $\text{HCOOH}$ ) or  $6.3 \times 10^{-4}$  ( $\text{HF}$ ).

The proton balance equation may be written as

$$[\text{H}^+] + [\text{H} \cdot \text{Base}] = [\text{NH}_3] + [\text{HO}_2^-] + \text{OH}^- \quad (11.1)$$

And it is evident that

$$[\text{H} \cdot \text{Base}] = \alpha_{\text{H} \cdot \text{Base}} \times C_s \quad (11.2)$$

$$\alpha_{\text{H} \cdot \text{Base}} = \frac{[\text{H} \cdot \text{Base}]}{C_s} = \frac{[\text{H}^+]}{k_{a2} + [\text{H}^+]} \quad (11.3)$$

$$[\text{NH}_3] = \alpha_{\text{NH}_3} \times C_s \quad (11.4)$$

$$\alpha_{\text{NH}_3} = \frac{[\text{NH}_3]}{C_s} = \frac{k_{a1}}{k_{a1} + [\text{H}^+]} \quad (11.5)$$

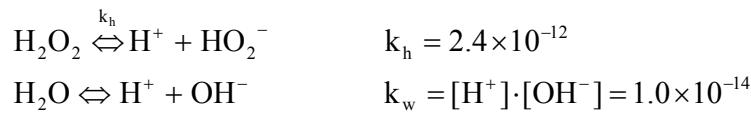
$$[\text{HO}_2^-] = \alpha_{\text{HO}_2^-} \times C_{\text{H}_2\text{O}_2} \quad (11.6)$$

$$\alpha_{\text{HO}_2^-} = \frac{[\text{HO}_2^-]}{C_{\text{H}_2\text{O}_2}} = \frac{k_h}{k_h + [\text{H}^+]} \quad (11.7)$$

$$[\text{H}^+] \cdot [\text{OH}^-] = k_w \quad (11.8)$$

In Eqs.(11.1-11.8),  $\alpha_{\text{H}\cdot\text{Base}}$  is the fraction of  $\text{H}\cdot\text{Base}$  in total  $\text{Base}^-$ ,  $C_s$  is the initial concentration of the salt  $\text{CH}_3\text{COONH}_4$ ,  $\text{H}_3\text{COONH}_4$ , or  $\text{NH}_4\text{F}$  (9.0M here).  $[\text{H}^+]$ ,  $[\text{H}\cdot\text{Base}]$ ,  $[\text{NH}_3]$ ,  $[\text{HO}_2^-]$ ,  $[\text{OH}^-]$ ,  $\alpha_{\text{H}\cdot\text{Base}}$ ,  $\alpha_{\text{NH}_3}$  and  $\alpha_{\text{HO}_2^-}$  can be solved out from Eqs.(11.1-11.8), and then the PH value,  $-\log([\text{H}^+])$ , can be obtained.

**H<sub>2</sub>O<sub>2</sub>-H<sub>2</sub>O System.** The H<sub>2</sub>O<sub>2</sub> - H<sub>2</sub>O system consists of H<sub>2</sub>O<sub>2</sub> and H<sub>2</sub>O only, and the acid-base equilibriums are



And evidently,

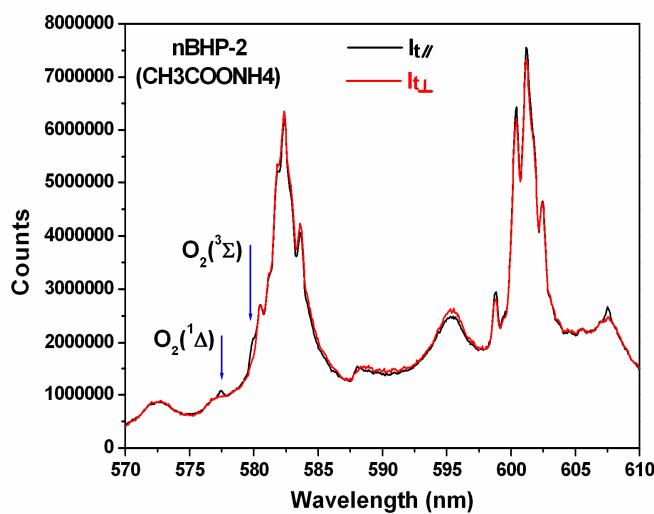
$$[\text{H}^+] = [\text{HO}_2^-] + [\text{OH}^-] \quad (\text{The proton balance equation}) \quad (12.1)$$

$$[\text{HO}_2^-] = \alpha_{\text{HO}_2^-} \times C_{\text{H}_2\text{O}_2} \quad (12.2)$$

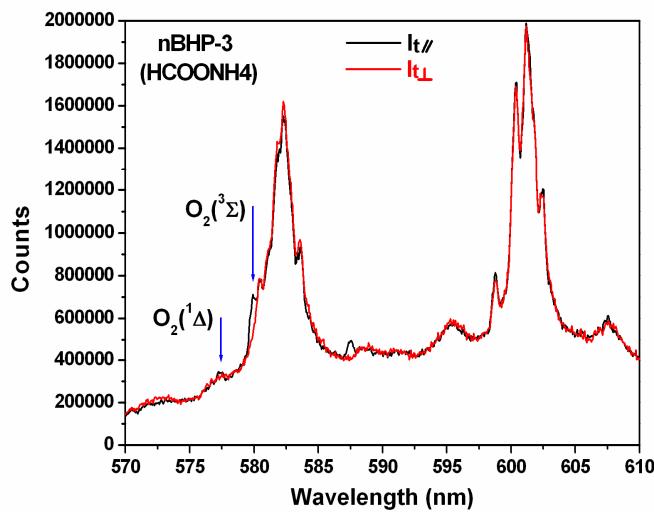
$$\alpha_{\text{HO}_2^-} = \frac{[\text{HO}_2^-]}{C_{\text{H}_2\text{O}_2}} = \frac{k_h}{k_h + [\text{H}^+]} \quad (12.3)$$

$$[\text{H}^+] \cdot [\text{OH}^-] = k_w \quad (12.4)$$

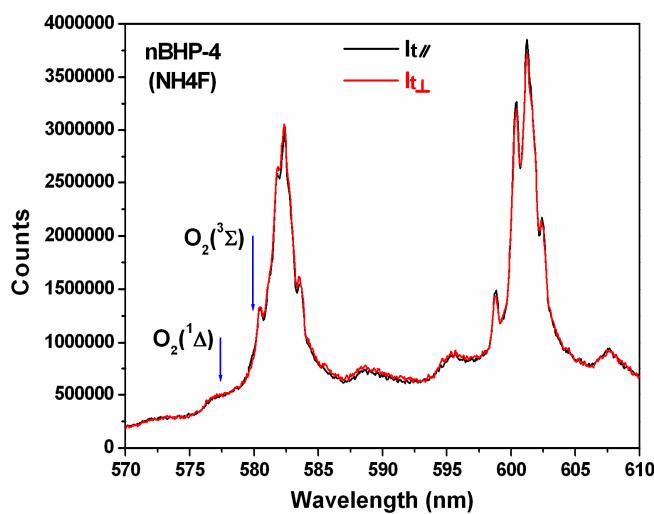
From Eqs.(12.1-12.4),  $[\text{H}^+]$ ,  $[\text{HO}_2^-]$ ,  $[\text{OH}^-]$  and  $\alpha_{\text{HO}_2^-}$  can be solved out, and then the PH value,  $-\log([\text{H}^+])$ , can be obtained.



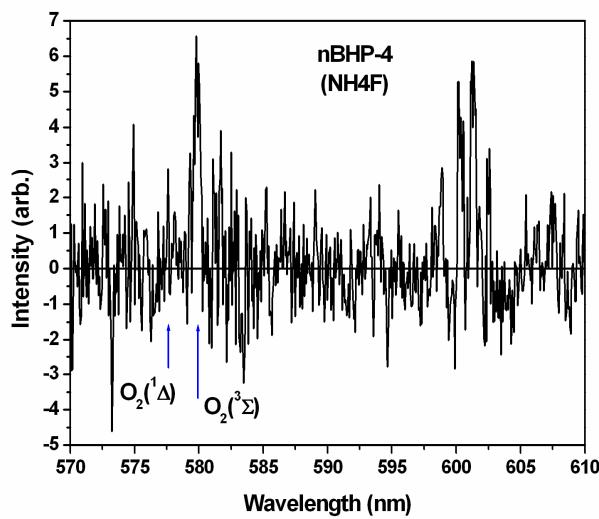
**Figure S1.** Interference of  $\text{Cl}_2$  fluorescence with SRS spectrum in nBHP-2 experiment. Where  $I_{t//}$  and  $I_{t\perp}$  is the spectrum obtained when the polarization directions of the laser and the polarizer are parallel (//) and perpendicular (^) to each other respectively, and the expected peak positions of the Raman scattering of  $\text{O}_2(^1\Delta)$  and  $\text{O}_2(^3\Sigma)$  are indicated by the arrows.



**Figure S2.** Interference of  $\text{Cl}_2$  fluorescence with SRS spectrum in nBHP-3 experiment. Where  $I_{t//}$  and  $I_{t\perp}$  is the spectrum obtained when the polarization directions of the laser and the polarizer are parallel (//) and perpendicular (^) to each other respectively, and the expected peak positions of the Raman scattering of  $\text{O}_2(^1\Delta)$  and  $\text{O}_2(^3\Sigma)$  are indicated by the arrows.



**Figure S3.** Interference of  $Cl_2$  fluorescence with SRS spectrum in nBHP-4 experiment. Where  $I_{t//}$  and  $I_{t\perp}$  is the spectrum obtained when the polarization directions of the laser and the polarizer are parallel (//) and perpendicular (^) to each other respectively, and the expected peak positions of the Raman scattering of  $O_2(^1\Delta)$  and  $O_2(^3\Sigma)$  are indicated by the arrows.



**Figure S4.**  $Cl_2$  fluorescence-eliminated SRS spectrum in nBHP-4 experiment, separated from Figure S3. Where the Raman scattering of  $O_2(^1\Delta)$  and  $O_2(^3\Sigma)$  is too weak to be distinguished out of the noise, and the expected peak positions of the Raman scattering of  $O_2(^1\Delta)$  and  $O_2(^3\Sigma)$  are indicated by the arrows.

## Gaussian Calculations

Gaussian calculations were performed by using Gaussian03 program.<sup>6</sup> The Route Section input parameter is “#opt freq b3lyp/6-31+g(d,p) scrf=(solvent=water) geom=connectivity”, and the Spin multiplicity is “1”. The input geometries for the calculated species are listed in Table 1S. The resulted optimized geometries and the charge distributions for HOOH, Cl-Cl, [HOOH...Cl- Cl] and [HOO<sup>-</sup> - Cl...Cl] are shown in Figure 4.

Table 1S. The input geometries and the energy results from the calculations

Species	Input geometry			Energy results (Hartree-Fork)
Cl <sub>2</sub>	Cl Cl 1 B1	B1 1.9800000		-920.3543376
HOH	O H 1 B1 H 1 B2 2 A1	B1 0.95840000 B2 0.96000000 A1 104.45000000		-76.4484363
HOOH	O H 1 B1 O 1 B2 2 A1 H 3 B3 1 A2 2 D1	B1 0.96000000 B2 1.48000000 B3 0.96000000 A1 100.00000000	A2 100.00000000 D1 111.50000000	-151.579444
[HOH...Cl- Cl]	O H 1 B1 H 1 B2 2 A1 Cl 1 B3 2 A2 3 D1 Cl 1 B4 2 A3 3 D2	B1 0.96000000 B2 0.96000000 B3 1.65000000 B4 3.63000000 A1 109.50000006	A2 110.11775945 A3 110.11775945 D1 -120.45367159 D2 -120.45367159	-996.8082014
[HOOH...Cl- Cl]	O H 1 B1 O 1 B2 2 A1 H 3 B3 1 A2 2 D1 Cl 1 B4 3 A3 4 D2 Cl 1 B5 3 A4 4 D3	B1 0.99505392 B2 1.45054355 B3 0.99260790 B4 2.53531358 B5 4.62081074 A1 101.83784163	A2 101.14597691 A3 110.00880127 A4 110.75285873 D1 111.02684643 D2 -138.43057729 D3 -138.21874323	-1071.937958
[HOO <sup>-</sup> - Cl...Cl]	O O 1 B1 H 2 B2 1 A1 Cl 1 B3 2 A2 3 D1 Cl 1 B4 2 A3 3 D2	B1 1.46009246 B2 0.98662074 B3 1.65000000 B4 3.63000000 A1 100.17403771	A2 105.46689451 A3 105.46689451 D1 121.55171848 D2 121.55171848	-1071.5031257

Based on the energy results listed in Table 1S, the interaction energy between H<sub>2</sub>O and Cl<sub>2</sub>,  $E_{\text{H}_2\text{O}-\text{Cl}_2}$ , and the interaction energy between H<sub>2</sub>O<sub>2</sub> and Cl<sub>2</sub>,  $E_{\text{H}_2\text{O}_2-\text{Cl}_2}$ , can be calculated out as follows.

$$E_{\text{H}_2\text{O}-\text{Cl}_2} = E_{\text{H}_2\text{O}} + E_{\text{Cl}_2} - E_{[\text{HOH}\cdots\text{Cl-Cl}]^*} = 3.4 \text{ kcal/mol}$$

$$E_{\text{H}_2\text{O}_2-\text{Cl}_2} = E_{\text{H}_2\text{O}_2} + E_{\text{Cl}_2} - E_{[\text{HOOH}\cdots\text{Cl-Cl}]^*} = 2.6 \text{ kcal/mol}$$

## References

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