

***Supporting Information for: “Towards accurate estimates of the spin-state energetics of spin-crossover complexes within density functional theory: a comparative case study of cobalt(II) complexes”***

**Alfredo Vargas, Itana Krivokapic, Andreas Hauser, Latévi Max Lawson Daku\***

Université de Genève, 30 quai Ernest-Ansermet, CH-1211 Genève 4, Switzerland

\*E-mail: max.lawson@unige.ch

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## 1 The pseudo-Jahn-Teller stabilization energy of LS $[\text{Co}(\text{tpy})_2]^{2+}$

Table 1 gives the calculated values of the PJT stabilization energy  $E_{\text{PJT}}$  defined as the electronic energy difference:  $E_{\text{PJT}} = E^{\text{el}}(^2\text{B}_2) - E^{\text{el}}(^2\text{A}_1)$ . Nearly identical  $E_{\text{PJT}}$  values are obtained with the  $\mathcal{S}_{\text{fc}}$  and  $\mathcal{G}$  basis sets used in combination with any of the OLYP, OPBE and PBE functionals. The two basis sets are consequently of similar quality and the results obtained with both of them can be compared in a straightforward manner. Proceeding so, the analysis of the results of Table 1 shows that the different XC functionals tend to perform very similarly for the calculation of  $E_{\text{PJT}}$ . All functionals indeed consistently predict that  $E_{\text{PJT}}$  is small, with calculated values in the quite narrow 140~240  $\text{cm}^{-1}$  range. The standard deviation over the calculated  $E_{\text{PJT}}$  values is  $\sigma \approx 35 \text{ cm}^{-1}$ . Using an uncertainty of  $2\sigma$  so as to reflect at best the small though noticeable spread of *ca.* 100  $\text{cm}^{-1}$  of the calculated values, a reliable estimate of the PJT stabilization energy is  $E_{\text{PJT}} = 205(70) \text{ cm}^{-1}$ .

**Table 1** Calculated values of the pseudo-Jahn-Teller stabilization energy  $E_{\text{PJT}}$  (in  $\text{cm}^{-1}$ ).

	$E_{\text{PJT}}$
B3LYP/ $\mathcal{G}$	137
B3LYP*/ $\mathcal{G}$	174
HCTH407/ $\mathcal{G}$	206
OLYP/ $\mathcal{G}$	213
OLYP/ $\mathcal{S}_{\text{fc}}$	232
OPBE/ $\mathcal{S}_{\text{fc}}$	213
OPBE/ $\mathcal{G}$	210
RPBE/ $\mathcal{S}_{\text{fc}}$	218
BLYP/ $\mathcal{S}_{\text{fc}}$	234
PBE/ $\mathcal{G}$	237
PBE/ $\mathcal{S}_{\text{fc}}$	241

## 2 The tetragonal splitting of the HS state in $[\text{Co}(\text{tpy})_2]^{2+}$

Table 2 gives the calculated values of the tetragonal splitting of the HS state  $\Delta_{\text{HS}}$  defined by the electronic energy difference:  $\Delta_{\text{HS}} = E^{\text{el}}(^4\text{E}) - E^{\text{el}}(^4\text{A}_2)$ .

**Table 2** Calculated values of the tetragonal splitting of the HS state,  $\Delta_{\text{HS}}$ , in  $\text{cm}^{-1}$ .

OLYP/ $\mathcal{S}_{\text{fc}}$	OPBE/ $\mathcal{S}_{\text{fc}}$	RPBE/ $\mathcal{S}_{\text{fc}}$	BLYP/ $\mathcal{S}_{\text{fc}}$	PBE/ $\mathcal{S}_{\text{fc}}$
+423	+565	+702	+456	+557

These values are all positive, *i.e.*, the  $^4\text{A}_2$  state is predicted to be the most stable tetragonal component of the HS

state, whatever the XC functional used. Furthermore, these values are quite consistent with one another. The standard deviation over these values of  $\approx 110 \text{ cm}^{-1}$  falls within the chemical accuracy of  $350 \text{ cm}^{-1}$ . This allows us to propose for  $\Delta_{\text{HS}}$  a reliable estimate of  $\Delta_{\text{HS}} = +540(110) \text{ cm}^{-1}$ .

### 3 Optimized geometries of $[\text{Co}(\text{tpy})_2]^{2+}$ in the LS and in the HS state

**Table 3** Bond lengths (Å) and angles (deg) in the optimized LS  $^2B_2$   $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry. The reported parameter values are averages over the ADF and G03 calculated structures, with standard deviations given in parentheses. Experimental values are also given for comparison purposes.

	Exp. <sup>†</sup>	ADF	G03
Co-N, Co-N''	2.083	2.116(8)	2.115(22)
Co-N'	1.912	1.892(8)	1.895(19)
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.354	1.361(6)	1.357(4)
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.349	1.344(5)	1.339(4)
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> '-C <sub>3</sub> '	1.376	1.400(4)	1.396(3)
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> '-C <sub>4</sub> '	1.378	1.394(4)	1.391(3)
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> '-C <sub>5</sub> '	1.384	1.395(4)	1.391(3)
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> '-C <sub>6</sub> '	1.384	1.395(4)	1.391(3)
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.480	1.473(5)	1.472(5)
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.350	1.363(6)	1.357(6)
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.382	1.399(4)	1.396(3)
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.379	1.394(4)	1.391(3)
$\alpha = \angle(\text{C}_6'-\text{C}_2'', \text{C}_2-\text{C}_2')$	106.5	107.5(2)	107.5(6)
$\beta = \angle(\text{N}'-\text{Co}-\text{N}) = \angle(\text{N}''-\text{Co}-\text{N}')$	79.4	80.1(1)	80.0(3)
$\beta' = \angle(\text{N}''-\text{Co}-\text{N})$ <sup>‡</sup>	158.9	160.2(2)	160.0(6)
$\gamma = \angle(\text{N}'-\text{C}_2'-\text{C}_2-\text{N}) = \angle(\text{N}''-\text{C}_2''-\text{C}_6'-\text{N}')$ <sup>‡</sup>	1.2	0.0	0.0
$\eta = d(\text{Co}-\text{N}'/\text{Co}-\text{N}'')$	0.918	0.894(1)	0.896(4)

<sup>†</sup>Data are for the  $[\text{Co}(\text{tpy})_2]^{2+}$  geometry of approximate  $D_{2d}$  symmetry found in the 120 K X-ray structure of LS  $[\text{Co}(\text{tpy})_2]\text{I}_2 \cdot 2\text{H}_2\text{O}$ .<sup>?</sup>

<sup>‡</sup>The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .



**Table 4** Bond lengths (Å) and angles (deg) in the optimized LS  ${}^2A_1$  [Co(tpy) $_2$ ] $^{2+}$  geometries of  $C_{2v}$  symmetry, and variations of these structural parameters on going from the LS  $D_{2d}$  to the LS  $C_{2v}$  geometries. The reported values are averages over the ADF and G03 calculated structures, with standard deviations given in parentheses.

	ADF		G03	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Values of the selected structural parameters in the optimized LS geometries of <math>C_{2v}</math> symmetry</i>				
Co-N, Co-N''	2.009(11)	2.222(10)	2.012(23)	2.214(22)
Co-N'	1.867(9)	1.961(8)	1.872(19)	1.952(16)
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.370(6)	1.355(6)	1.365(5)	1.351(4)
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.348(5)	1.342(5)	1.341(4)	1.337(4)
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.398(4)	1.402(4)	1.394(3)	1.399(3)
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.394(4)	1.394(5)	1.391(3)	1.391(3)
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.395(4)	1.395(4)	1.391(3)	1.391(3)
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.394(4)	1.396(4)	1.391(3)	1.392(3)
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.465(5)	1.480(6)	1.466(6)	1.480(4)
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.361(5)	1.363(6)	1.355(6)	1.357(4)
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.398(4)	1.400(4)	1.395(3)	1.397(3)
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.396(5)	1.392(5)	1.393(3)	1.389(3)
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	103.5(3)	110.9(2)	103.6(6)	110.7(6)
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.3(1)	78.0(1)	81.2(3)	78.3(3)
$\beta' = \angle(N''-Co-N)^\dagger$	162.5(2)	155.9(2)	162.5(6)	156.5(6)
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0
<i>Structural changes upon the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>				
Co-N, Co-N''	-0.107(6)	+0.105(5)	-0.104(3)	+0.098(3)
Co-N'	-0.025(2)	+0.068(3)	-0.024(1)	+0.057(4)
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	+0.009(1)	-0.006(1)	+0.008(1)	-0.006(1)
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	+0.004(1)	-0.002(1)	+0.003(1)	-0.002(1)
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	-0.002(1)	+0.002(1)	-0.002(1)	+0.002(1)
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	-0.001(1)	0.000(1)	0.000(1)	0.000(1)
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	+0.000(1)	-0.001(1)	0.000(1)	0.000(1)
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	-0.001(1)	+0.001(1)	-0.001(1)	+0.000(1)
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	-0.008(1)	+0.007(1)	-0.006(1)	+0.008(1)
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	-0.002(1)	-0.001(1)	-0.003(1)	+0.000(1)
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	-0.001(1)	+0.001(1)	-0.001(1)	+0.001(1)
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	+0.002(1)	-0.002(1)	+0.002(1)	-0.002(1)
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	-4.0(2)	+3.4(1)	-3.9(1)	+3.2(1)
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	+1.2(1)	-2.1(1)	+1.2(1)	-1.8(1)
$\beta' = \angle(N''-Co-N)^\dagger$	+2.3(2)	-4.2(2)	+2.5(2)	-3.5(2)
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0

$^\dagger$ The  $C_{2v}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 5** Bond lengths (Å) and angles (deg) in the optimized HS  $^4A_2$  and  $^4E$   $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry, and associated HS-LS differences. The reported values are averages over the ADF and G03 calculated structures, with standard deviations given in parentheses. Experimental values are also given.

	Exp. <sup>†</sup>	$^4A_2$		$^4E$
		ADF	G03	ADF
<i>Values of the selected structural parameters</i>				
Co-N, Co-N''	2.137	2.179(11)	2.185(16)	2.182(10)
Co-N'	2.028	2.054(10)	2.053(19)	2.062(9)
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.361	1.361(6)	1.356(4)	1.358(6)
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.331	1.355(23)	1.339(4)	1.344(5)
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.383	1.401(4)	1.397(3)	1.400(4)
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.380	1.394(4)	1.391(3)	1.395(4)
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.372	1.395(5)	1.392(3)	1.395(4)
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.380	1.394(4)	1.390(3)	1.395(4)
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.469	1.483(6)	1.483(3)	1.483(6)
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.346	1.352(5)	1.347(5)	1.354(6)
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.386	1.401(4)	1.398(3)	1.400(4)
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.372	1.394(5)	1.391(3)	1.394(4)
$\alpha = \angle(\text{C}'_6-\text{C}'_2, \text{C}_2-\text{C}'_2)$	107.5	107.9(3)	107.9(1)	108.0(1)
$\beta = \angle(\text{N}'-\text{Co}-\text{N}) = \angle(\text{N}''-\text{Co}-\text{N}')$	76.8	76.5(1)	76.6(3)	76.2(1)
$\beta' = \angle(\text{N}''-\text{Co}-\text{N})$ <sup>‡</sup>	153.6	153.1(2)	153.2(6)	152.4(2)
$\gamma = \angle(\text{N}'-\text{C}'_2-\text{C}_2-\text{N}) = \angle(\text{N}''-\text{C}''_2-\text{C}'_6-\text{N}')$ <sup>‡</sup>	2.7	0.0	0.0	0.0
$\eta = d(\text{Co}-\text{N}')/d(\text{Co}-\text{N})$	0.949	0.941(2)	0.940(6)	0.945(2)
<i>Variations of the parameters on going from the LS <math>D_{2d}</math> to the HS <math>D_{2d}</math> geometries</i>				
Co-N, Co-N''	+0.053	+0.066(4)	+0.066(12)	+0.069(12)
Co-N'	+0.116	+0.161(3)	+0.169(3)	+0.157(3)
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	+0.007	0.000(1)	-0.002(1)	0.000(1)
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	-0.019	+0.001(1)	0.000(1)	+0.001(1)
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	+0.007	0.000(1)	0.000(1)	+0.001(1)
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	+0.002	0.000(1)	0.000(1)	0.000(1)
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	-0.013	0.000(1)	-0.001(1)	0.000(1)
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	-0.004	-0.001(1)	0.000(1)	-0.001(1)
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	-0.011	+0.010(1)	0.010(1)	+0.011(1)
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	-0.004	-0.012(1)	-0.010(1)	-0.011(1)
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	+0.003	+0.002(1)	+0.001(1)	+0.002(1)
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	-0.007	+0.001(1)	+0.001(1)	+0.001(1)
$\alpha = \angle(\text{C}'_6-\text{C}'_2, \text{C}_2-\text{C}'_2)$	+1.0	+0.3(1)	+0.5(4)	+0.4(4)
$\beta = \angle(\text{N}'-\text{Co}-\text{N}) = \angle(\text{N}''-\text{Co}-\text{N}')$ <sup>‡</sup>	-2.7	-3.5(1)	-3.9(1)	-3.4(1)
$\beta' = \angle(\text{N}''-\text{Co}-\text{N})$ <sup>‡</sup>	-5.4	-7.0(2)	-7.8(2)	-6.8(2)
$\gamma = \angle(\text{N}'-\text{C}'_2-\text{C}_2-\text{N}) = \angle(\text{N}''-\text{C}''_2-\text{C}'_6-\text{N}')$ <sup>‡</sup>	+1.5	0.0	0.0	0.0
$\eta = d(\text{Co}-\text{N}')/d(\text{Co}-\text{N})$	+0.031	+0.047(1)	+0.051(4)	+0.044(4)

<sup>†</sup>Data are for the geometry of approximate  $D_{2d}$  symmetry found in the 295 K X-ray structure of HS  $[\text{Co}(\text{tpy})_2](\text{ClO}_4)_2 \cdot 1.3\text{H}_2\text{O}$ .<sup>?</sup>

<sup>‡</sup>The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 6** Bond lengths (Å) and angles (deg) in the optimized HS  ${}^4A_2$  and  ${}^4B_1$  [Co(tpy) $_2$ ] $^{2+}$  geometries of  $C_{2v}$  symmetry, and their variations upon the  $D_{2d}$  to  $C_{2v}$  symmetry lowering in the HS states. The reported values are averages over the ADF calculated structures, with standard deviations given in parentheses.

	${}^4A_2$ , in $C_{2v}$		${}^4B_1$ , in $C_{2v}$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Values of the selected structural parameters</i>				
Co-N, Co-N''	2.174(19)	2.197(20)	2.170(21)	2.198(22)
Co-N'	2.047(17)	2.068(16)	2.098(15)	2.064(13)
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.361(7)	1.360(6)	1.358(4)	1.359(6)
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.345(5)	1.344(5)	1.345(3)	1.343(5)
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.400(4)	1.401(4)	1.400(4)	1.400(4)
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.394(4)	1.394(4)	1.394(4)	1.395(4)
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.395(4)	1.395(4)	1.395(4)	1.394(4)
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.394(4)	1.394(4)	1.394(5)	1.396(4)
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.484(5)	1.484(6)	1.478(5)	1.487(5)
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.351(5)	1.352(5)	1.353(5)	1.353(7)
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.401(4)	1.401(4)	1.401(4)	1.400(4)
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.395(4)	1.394(5)	1.394(4)	1.395(4)
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	107.5(5)	108.2(4)	107.6(5)	108.2(6)
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	76.8(3)	76.2(2)	74.9(2)	76.5(3)
$\beta' = \angle(N''-Co-N)^\dagger$	153.6(6)	152.4(4)	149.8(4)	153.0(6)
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering: <math>{}^4A_2 \rightarrow {}^4A_2</math> and <math>{}^4E \rightarrow {}^4B_1 \oplus {}^4B_2</math></i>				
Co-N, Co-N''	-0.008(11)	+0.015(11)	-0.012(12)	+0.016
Co-N'	-0.006(8)	+0.015(6)	+0.037(7)	+0.003
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.000(2)	-0.001(3)	0.000(1)	0.000(2)
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.000(1)	0.000(1)	+0.001(1)	-0.001(1)
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	-0.001(1)	0.000(1)	0.000(1)	0.000(1)
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	0.001(1)	0.000(1)	-0.001(1)	+0.001(1)
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	0.000(1)	0.000(1)	0.000(1)	-0.001(1)
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	0.000(1)	0.000(1)	-0.001(1)	+0.001(1)
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	+0.001(1)	+0.001(1)	-0.005(1)	+0.004(1)
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	-0.001(1)	0.000(1)	-0.001(2)	-0.001(1)
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	0.000(1)	0.000(1)	+0.001(1)	0.000(1)
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	0.000(1)	0.000(1)	-0.001(1)	0.000(1)
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	-0.2(4)	+0.4(3)	-0.4(4)	+0.2(5)
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	+0.2(2)	-0.4(2)	-1.3(2)	+0.3(3)
$\beta' = \angle(N''-Co-N)^\dagger$	+0.4(4)	-0.8(4)	-2.6(4)	+0.6(6)
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0

$^\dagger$ The  $C_{2v}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 7** BLYP/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2B_2$		${}^4A_2$	${}^4E$	${}^2B_2 \rightarrow {}^4A_2$	${}^2B_2 \rightarrow {}^4E$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.124	2.189	2.191	0.065	0.067	
Co-N'	1.902	2.063	2.071	0.161	0.169	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.367	1.367	1.364	0.000	-0.003	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.348	1.349	1.348	0.001	0.000	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.403	1.403	1.403	0.000	0.000	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.398	1.397	1.398	-0.001	0.000	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.399	1.399	1.398	0.000	-0.001	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.398	1.397	1.398	-0.001	0.000	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.478	1.488	1.488	0.010	0.010	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.369	1.356	1.359	-0.013	-0.010	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.402	1.404	1.403	0.002	0.001	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.397	1.398	1.398	0.001	0.001	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.4	107.6	107.9	0.2	0.5	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.1	76.6	76.2	-3.5	-3.9	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	160.2	153.3	152.4	-6.9	-7.8	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.895	0.942	0.945	0.047	0.050	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 8** OLYP/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2B_2$		${}^4A_2$	${}^4E$	${}^2B_2 \rightarrow {}^4A_2$	${}^2B_2 \rightarrow {}^4E$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.118	2.188	2.188	0.070	0.070	
Co-N'	1.891	2.057	2.060	0.166	0.169	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.357	1.357	1.356	0.000	-0.001	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.341	1.341	1.341	0.000	0.000	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.399	1.399	1.399	0.000	0.000	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.392	1.392	1.392	0.000	0.000	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.393	1.393	1.392	0.000	-0.001	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.392	1.391	1.392	-0.001	0.000	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.473	1.484	1.484	0.011	0.011	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.361	1.349	1.351	-0.012	-0.010	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.397	1.399	1.399	0.002	0.002	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.391	1.392	1.392	0.001	0.001	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.7	108.0	108.2	0.3	0.5	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.1	76.5	76.3	-3.6	-3.8	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	160.2	153.0	152.6	-7.2	-7.6	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.893	0.940	0.941	0.047	0.049	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 9** OPBE/ $\mathcal{S}_{\text{fc}}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2\text{B}_2$		${}^4\text{A}_2$	${}^4\text{E}$	${}^2\text{B}_2 \rightarrow {}^4\text{A}_2$	${}^2\text{B}_2 \rightarrow {}^4\text{E}$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.106	2.173	2.170	0.067	0.064	
Co-N'	1.881	2.040	2.053	0.159	0.172	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.353	1.352	1.350	-0.001	-0.003	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.337	1.338	1.337	0.001	0.000	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.396	1.396	1.395	0.000	-0.001	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.389	1.388	1.389	-0.001	0.000	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.390	1.389	1.389	-0.001	-0.001	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.390	1.389	1.390	-0.001	0.000	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.466	1.476	1.476	0.010	0.010	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.356	1.345	1.346	-0.011	-0.010	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.395	1.396	1.395	0.001	0.000	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.388	1.388	1.388	0.000	0.000	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.7	108.0	108.1	0.3	0.4	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.0	76.5	76.0	-3.5	-4.0	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	160.0	153.1	152.1	-6.9	-7.9	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.893	0.939	0.946	0.046	0.053	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 10** PBE/ $\mathcal{S}_{\text{fc}}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2\text{B}_2$		${}^4\text{A}_2$	${}^4\text{E}$	${}^2\text{B}_2 \rightarrow {}^4\text{A}_2$	${}^2\text{B}_2 \rightarrow {}^4\text{E}$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.111	2.170	2.171	0.059	0.059	
Co-N'	1.889	2.046	2.054	0.157	0.157	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.360	1.361	1.358	0.001	0.001	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.343	1.345	1.344	0.002	0.002	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.398	1.399	1.399	0.001	0.001	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.393	1.393	1.394	0.000	0.000	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.395	1.395	1.395	0.000	0.000	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.394	1.394	1.395	0.000	0.000	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.471	1.479	1.479	0.008	0.008	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.362	1.351	1.353	-0.011	-0.011	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.398	1.400	1.399	0.002	0.002	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.393	1.394	1.394	0.001	0.001	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.4	107.5	107.8	0.1	0.1	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.1	76.7	76.3	-3.4	-3.4	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	160.2	153.3	152.5	-6.9	-6.9	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.895	0.943	0.946	0.048	0.048	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 11** RPBE/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2B_2$		${}^4A_2$	${}^4E$	${}^2B_2 \rightarrow {}^4A_2$	${}^2B_2 \rightarrow {}^4E$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.122	2.190	2.189	0.068	0.067	
Co-N'	1.899	2.062	2.071	0.163	0.172	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.367	1.367	1.364	0.000	-0.003	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.349	1.350	1.349	0.001	0.000	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.405	1.406	1.405	0.001	0.000	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.399	1.399	1.400	0.000	0.001	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.400	1.400	1.400	0.000	0.000	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.400	1.398	1.400	-0.002	0.000	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.479	1.490	1.489	0.011	0.010	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.369	1.357	1.360	-0.012	-0.009	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.404	1.406	1.405	0.002	0.001	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.399	1.399	1.399	0.000	0.000	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.4	107.8	107.9	0.4	0.5	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.1	76.6	76.2	-3.5	-3.9	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	160.2	153.2	152.3	-7.0	-7.9	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.895	0.942	0.946	0.047	0.051	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 12** B3LYP\*/ $\mathcal{G}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS  $\rightarrow$  HS change of states.

	LS		HS		LS $\rightarrow$ HS	
	${}^2B_2$		${}^4A_2$	${}^4E$	${}^2B_2 \rightarrow {}^4A_2$	${}^2B_2 \rightarrow {}^4E$
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.129	2.187	2.187	0.058	0.058	
Co-N'	1.912	2.068	2.068	0.156	0.156	
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.355	1.355	1.355	0.000	0.000	
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.336	1.338	1.338	0.002	0.002	
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.394	1.394	1.394	0.000	0.000	
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.390	1.390	1.390	0.000	0.000	
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.390	1.390	1.390	0.000	0.000	
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.390	1.389	1.389	-0.001	-0.001	
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.476	1.486	1.486	0.010	0.010	
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.353	1.343	1.343	-0.010	-0.010	
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.394	1.396	1.396	0.002	0.002	
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.390	1.391	1.391	0.001	0.001	
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	107.6	107.6	107.6	0.00	0.00	
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	79.8	76.5	76.5	-3.30	-3.30	
$\beta' = \angle(\text{N}''\text{-Co-N})^\ddagger$	159.6	152.9	152.9	-6.70	-6.70	
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\ddagger$	0.0	0.0	0.0	0.0	0.0	
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.898	0.946	0.946	0.048	0.048	

$^\ddagger$ The  $D_{2d}$  symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 13** B3LYP/6-31G\*–optimized LS and HS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometries of *D*<sub>2d</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS → HS change of states.

	LS	HS	LS → HS
	<sup>2</sup> B <sub>2</sub>	<sup>4</sup> A <sub>2</sub>	<sup>2</sup> B <sub>2</sub> → <sup>4</sup> A <sub>2</sub>
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.142	2.195	0.053
Co-N'	1.922	2.078	0.156
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.352	1.353	0.001
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.334	1.336	0.002
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.392	1.393	0.001
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.389	1.389	0.000
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.388	1.388	0.000
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.389	1.388	-0.001
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.478	1.487	0.009
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.350	1.341	-0.009
C <sub>2</sub> -C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.393	1.395	0.002
C <sub>3</sub> -C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.388	1.389	0.001
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	108.0	107.8	-0.2
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	79.6	76.2	-3.4
$\beta' = \angle(N''-Co-N)^\ddagger$	159.2	152.5	-6.7
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\ddagger$	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.897	0.947	0.049

<sup>‡</sup>The *D*<sub>2d</sub> symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 14** HCTH407/6-31G\*–optimized LS and HS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometries of *D*<sub>2d</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS → HS change of states.

	LS	HS	LS → HS
	<sup>2</sup> B <sub>2</sub>	<sup>4</sup> A <sub>2</sub>	<sup>2</sup> B <sub>2</sub> → <sup>4</sup> A <sub>2</sub>
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.119	2.195	0.076
Co-N'	1.889	2.051	0.162
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.353	1.352	-0.001
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.335	1.335	0.000
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.394	1.396	0.002
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.387	1.387	0.000
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.388	1.389	0.001
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.388	1.387	-0.001
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.467	1.480	0.013
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.356	1.344	-0.012
C <sub>2</sub> -C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.393	1.395	0.002
C <sub>3</sub> -C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.387	1.388	0.001
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	107.9	108.4	0.5
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	80.0	76.5	-3.5
$\beta' = \angle(N''-Co-N)^\ddagger$	159.9	153.0	-6.9
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\ddagger$	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.891	0.934	0.043

<sup>‡</sup>The *D*<sub>2d</sub> symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 15** OLYP/*G*—optimized LS and HS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometries of *D*<sub>2d</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS → HS change of states.

	LS	HS	LS → HS
	<sup>2</sup> B <sub>2</sub>	<sup>4</sup> A <sub>2</sub>	<sup>2</sup> B <sub>2</sub> → <sup>4</sup> A <sub>2</sub>
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.125	2.201	0.076
Co-N'	1.895	2.056	0.161
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.360	1.360	0.000
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.343	1.343	0.000
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.400	1.402	0.002
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.393	1.393	0.000
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.394	1.395	0.001
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.394	1.393	-0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.473	1.485	0.012
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.363	1.352	-0.011
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.399	1.401	0.002
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.393	1.393	0.000
$\alpha = \angle(C'_6-C'_2, C_2-C'_2)$	107.8	108.4	0.6
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	80.0	76.5	-3.5
$\beta' = \angle(N''-Co-N)^\ddagger$	159.9	153.0	-6.9
$\gamma = \angle(N'-C'_2-C_2-N) = \angle(N''-C''_2-C'_6-N')^\ddagger$	0.0	0.0	0.0
$\eta = d(Co-N'/Co-N'')$	0.892	0.934	0.042

<sup>‡</sup>The *D*<sub>2d</sub> symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 16** OPBE/*G*—optimized LS and HS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometries of *D*<sub>2d</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS → HS change of states.

	LS	HS	LS → HS
	<sup>2</sup> B <sub>2</sub>	<sup>4</sup> A <sub>2</sub>	<sup>2</sup> B <sub>2</sub> → <sup>4</sup> A <sub>2</sub>
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.087	2.170	0.083
Co-N'	1.869	2.024	0.155
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.356	1.355	-0.001
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.339	1.339	0.000
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.397	1.398	0.001
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.390	1.391	0.001
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.392	1.392	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.391	1.390	-0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.467	1.479	0.012
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.358	1.348	-0.010
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.396	1.398	0.002
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.390	1.391	0.001
$\alpha = \angle(C'_6-C'_2, C_2-C'_2)$	107.0	107.9	0.9
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	80.4	77.0	-3.4
$\beta' = \angle(N''-Co-N)^\ddagger$	160.8	154.0	-6.8
$\gamma = \angle(N'-C'_2-C_2-N) = \angle(N''-C''_2-C'_6-N')^\ddagger$	0.0	0.0	0.0
$\eta = d(Co-N'/Co-N'')$	0.896	0.933	0.037

<sup>‡</sup>The *D*<sub>2d</sub> symmetry constraint imposes that  $\beta' = 2\beta$  and  $\gamma = 0$ .



**Table 17** PBE/ℳ-optimized LS and HS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometries of *D*<sub>2d</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the LS → HS change of states.

	LS	HS	LS → HS
	<sup>2</sup> B <sub>2</sub>	<sup>4</sup> A <sub>2</sub>	<sup>2</sup> B <sub>2</sub> → <sup>4</sup> A <sub>2</sub>
	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>	L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.090	2.160	0.070
Co-N'	1.885	2.039	0.154
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.363	1.362	-0.001
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.344	1.344	0.000
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.399	1.400	0.001
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.395	1.395	0.000
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.396	1.396	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.395	1.394	-0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.470	1.481	0.011
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.364	1.352	-0.012
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.399	1.401	0.002
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.395	1.396	0.001
α = ∠(C' <sub>6</sub> -C' <sub>2</sub> , C <sub>2</sub> -C' <sub>2</sub> )	106.6	107.1	0.5
β = ∠(N'-Co-N) = ∠(N''-Co-N')	80.3	77.0	-3.3
β' = ∠(N''-Co-N) ‡	160.7	154.0	-6.7
γ = ∠(N'-C' <sub>2</sub> -C <sub>2</sub> -N) = ∠(N''-C'' <sub>2</sub> -C' <sub>6</sub> -N') ‡	0.0	0.0	0.0
η = d(Co-N'/Co-N'')	0.902	0.944	0.042

‡The *D*<sub>2d</sub> symmetry constraint imposes that β' = 2β and γ = 0.

**Table 18** BLYP/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the  $D_{2d} \rightarrow C_{2v}$  symmetry lowering (LS:  ${}^2B_2 \rightarrow {}^2A_1$ ; HS:  ${}^4A_2 \rightarrow {}^4A_2$  and  ${}^4E \rightarrow {}^4B_1 \oplus {}^4B_2$ ).

	LS ${}^2A_1$		HS ${}^4A_2$		HS ${}^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the <math>C_{2v}</math> geometries</i>						
Co-N, Co-N''	2.017	2.232	2.187	2.210	2.181	2.215
Co-N'	1.877	1.971	2.064	2.083	2.111	2.074
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.376	1.360	1.367	1.366	1.364	1.364
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.352	1.346	1.349	1.349	1.349	1.347
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> '-C <sub>3</sub> ''	1.400	1.405	1.402	1.403	1.403	1.403
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> '-C <sub>4</sub> ''	1.397	1.398	1.398	1.397	1.397	1.398
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> '-C <sub>5</sub> ''	1.399	1.398	1.398	1.398	1.398	1.397
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> '-C <sub>6</sub> ''	1.397	1.398	1.397	1.397	1.397	1.399
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> ''	1.470	1.485	1.488	1.489	1.483	1.491
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.366	1.368	1.355	1.356	1.357	1.358
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.401	1.403	1.404	1.404	1.404	1.403
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.400	1.396	1.398	1.398	1.397	1.398
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	103.4	110.8	107.6	108.2	107.6	108.5
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.3	78.0	76.6	76.1	74.9	76.4
$\beta' = \angle(N''-Co-N)^\dagger$	162.6	156.0	153.3	152.3	149.8	152.7
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.931	0.883	0.944	0.943	0.968	0.936
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>						
Co-N, Co-N''	-0.107	0.108	-0.002	0.021	-0.010	0.024
Co-N'	-0.025	0.069	0.001	0.020	0.040	0.003
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.009	-0.007	0.000	-0.001	0.000	0.000
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.004	-0.002	0.000	0.000	0.001	-0.001
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> '-C <sub>3</sub> ''	-0.003	0.002	-0.001	0.000	0.000	0.000
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> '-C <sub>4</sub> ''	-0.001	0.000	0.001	0.000	-0.001	0.000
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> '-C <sub>5</sub> ''	0.000	-0.001	-0.001	-0.001	0.000	-0.001
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> '-C <sub>6</sub> ''	-0.001	0.000	0.000	0.000	-0.001	0.001
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> ''	-0.008	0.007	0.000	0.001	-0.005	0.003
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	-0.003	-0.001	-0.001	0.000	-0.002	-0.001
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	-0.001	0.001	0.000	0.000	0.001	0.000
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	0.003	-0.001	0.000	0.000	-0.001	0.000
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	-4.0	3.4	0.0	0.6	-0.3	0.6
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	1.2	-2.1	0.0	-0.5	-1.3	0.2
$\beta' = \angle(N''-Co-N)^\dagger$	2.4	-4.2	0.0	-1.0	-2.6	0.3
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.035	-0.012	0.001	0.000	0.023	-0.009

<sup>†</sup>The  $D_{2d}$  and  $C_{2v}$  symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 19** OLYP/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the  $D_{2d} \rightarrow C_{2v}$  symmetry lowering (LS:  ${}^2B_2 \rightarrow {}^2A_1$ ; HS:  ${}^4A_2 \rightarrow {}^4A_2$  and  ${}^4E \rightarrow {}^4B_1 \oplus {}^4B_2$ ).

	LS ${}^2A_1$		HS ${}^4A_2$		HS ${}^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the <math>C_{2v}</math> geometries</i>						
Co-N, Co-N''	2.020	2.221	2.195	2.203	2.186	2.216
Co-N'	1.870	1.956	2.059	2.075	2.093	2.080
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.366	1.352	1.357	1.357	1.356	1.354
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.345	1.339	1.342	1.342	1.343	1.341
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.397	1.401	1.399	1.400	1.399	1.399
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.391	1.392	1.392	1.392	1.392	1.393
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.393	1.392	1.393	1.393	1.393	1.392
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.392	1.394	1.392	1.392	1.392	1.394
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> ''-C <sub>2</sub> ''	1.465	1.480	1.483	1.484	1.478	1.488
N'-C <sub>2</sub> ', N'-C <sub>6</sub> ''	1.359	1.361	1.349	1.349	1.352	1.349
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> ''	1.397	1.399	1.399	1.400	1.399	1.399
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> ''	1.392	1.389	1.392	1.391	1.391	1.392
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	104.0	111.0	108.3	108.3	108.3	108.8
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	81.1	78.0	76.4	76.0	74.9	76.0
$\beta' = \angle(\text{N}''\text{-Co-N})^\dagger$	162.1	156.1	152.8	152.0	149.8	152.1
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.926	0.881	0.938	0.942	0.957	0.939
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>						
Co-N, Co-N''	-0.098	0.103	0.007	0.015	-0.002	0.028
Co-N'	-0.021	0.065	0.002	0.018	0.033	0.020
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.009	-0.005	0.000	0.000	0.000	-0.002
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.004	-0.002	0.001	0.001	0.002	0.000
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	-0.002	0.002	0.000	0.001	0.000	0.000
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	-0.001	0.000	0.000	0.000	0.000	0.001
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	0.000	-0.001	0.000	0.000	0.001	0.000
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	0.000	0.002	0.001	0.001	0.000	0.002
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> ''-C <sub>2</sub> ''	-0.008	0.007	-0.001	0.000	-0.006	0.004
N'-C <sub>2</sub> ', N'-C <sub>6</sub> ''	-0.002	0.000	0.000	0.000	0.001	-0.002
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> ''	0.000	0.002	0.000	0.001	0.000	0.000
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> ''	0.001	-0.002	0.000	-0.001	-0.001	0.000
$\alpha = \angle(\text{C}'_6\text{-C}'_2, \text{C}_2\text{-C}'_2)$	-3.7	3.3	0.3	0.3	0.1	0.6
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	1.0	-2.1	-0.1	-0.5	-1.4	-0.3
$\beta' = \angle(\text{N}''\text{-Co-N})^\dagger$	1.9	-4.1	-0.2	-1.0	-2.8	-0.5
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N}) = \angle(\text{N}''\text{-C}''_2\text{-C}'_6\text{-N}')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.033	-0.012	-0.002	0.002	0.016	-0.003

<sup>†</sup>The  $D_{2d}$  and  $C_{2v}$  symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 20** OPBE/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the  $D_{2d} \rightarrow C_{2v}$  symmetry lowering (LS:  ${}^2B_2 \rightarrow {}^2A_1$ ; HS:  ${}^4A_2 \rightarrow {}^4A_2$  and  ${}^4E \rightarrow {}^4B_1 \oplus {}^4B_2$ ).

	LS ${}^2A_1$		HS ${}^4A_2$		HS ${}^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the <math>C_{2v}</math> geometries</i>						
Co-N, Co-N''	1.998	2.216	2.155	2.179	2.148	2.176
Co-N'	1.854	1.953	2.027	2.049	2.083	2.054
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.361	1.346	1.352	1.352	1.350	1.351
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.341	1.335	1.338	1.337	1.338	1.336
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.394	1.397	1.395	1.396	1.396	1.395
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.388	1.388	1.389	1.388	1.388	1.390
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.390	1.389	1.390	1.390	1.390	1.388
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.389	1.391	1.389	1.389	1.389	1.391
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> ''-C <sub>2</sub> ''	1.459	1.474	1.478	1.477	1.472	1.480
N'-C <sub>2</sub> ', N'-C <sub>6</sub> ''	1.354	1.355	1.344	1.345	1.346	1.345
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> ''	1.394	1.396	1.396	1.396	1.396	1.396
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> ''	1.389	1.386	1.389	1.388	1.388	1.389
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	103.6	111.2	107.4	108.1	107.4	107.8
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.3	77.8	76.9	76.3	74.9	76.5
$\beta' = \angle(N''-Co-N)^\dagger$	162.5	155.7	153.9	152.6	149.9	153.0
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.928	0.881	0.941	0.940	0.970	0.944
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>						
Co-N, Co-N''	-0.108	0.110	-0.018	0.006	-0.022	0.006
Co-N'	-0.027	0.072	-0.013	0.009	0.030	0.001
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.008	-0.007	0.000	0.000	0.000	0.001
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.004	-0.002	0.000	-0.001	0.001	-0.001
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	-0.002	0.001	-0.001	0.000	0.001	0.000
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	-0.001	-0.001	0.001	0.000	-0.001	0.001
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	0.000	-0.001	0.001	0.001	0.001	-0.001
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	-0.001	0.001	0.000	0.000	-0.001	0.001
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> ''-C <sub>2</sub> ''	-0.007	0.008	0.002	0.001	-0.004	0.004
N'-C <sub>2</sub> ', N'-C <sub>6</sub> ''	-0.002	-0.001	-0.001	0.000	0.000	-0.001
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> ''	-0.001	0.001	0.000	0.000	0.001	0.001
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> ''	0.001	-0.002	0.001	0.000	0.000	0.001
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	-4.1	3.5	-0.6	0.1	-0.7	-0.3
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	1.3	-2.2	0.4	-0.2	-1.1	0.5
$\beta' = \angle(N''-Co-N)^\dagger$	2.5	-4.3	0.8	-0.5	-2.2	0.9
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.035	-0.012	0.002	0.002	0.024	-0.002

<sup>†</sup>The  $D_{2d}$  and  $C_{2v}$  symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 21** PBE/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the  $D_{2d} \rightarrow C_{2v}$  symmetry lowering (LS:  ${}^2B_2 \rightarrow {}^2A_1$ ; HS:  ${}^4A_2 \rightarrow {}^4A_2$  and  ${}^4E \rightarrow {}^4B_1 \oplus {}^4B_2$ ).

	LS ${}^2A_1$		HS ${}^4A_2$		HS ${}^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the <math>C_{2v}</math> geometries</i>						
Co-N, Co-N''	1.997	2.209	2.152	2.173	2.145	2.172
Co-N'	1.862	1.955	2.032	2.053	2.087	2.050
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.370	1.355	1.361	1.360	1.358	1.359
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.347	1.342	1.345	1.344	1.345	1.342
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> '-C <sub>3</sub> '	1.396	1.400	1.398	1.399	1.399	1.398
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> '-C <sub>4</sub> '	1.393	1.393	1.394	1.394	1.393	1.395
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> '-C <sub>5</sub> '	1.395	1.395	1.395	1.395	1.395	1.394
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> '-C <sub>6</sub> '	1.394	1.395	1.393	1.394	1.393	1.395
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.462	1.476	1.480	1.480	1.475	1.483
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.360	1.361	1.350	1.351	1.351	1.352
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.397	1.399	1.400	1.400	1.400	1.399
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.396	1.392	1.395	1.395	1.394	1.395
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	103.2	110.6	107.0	107.6	106.9	107.4
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.3	78.0	77.1	76.5	75.1	76.8
$\beta' = \angle(N''-Co-N)^\dagger$	162.6	156.0	154.1	153.0	150.3	153.6
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.932	0.885	0.944	0.945	0.973	0.944
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>						
Co-N, Co-N''	-0.114	0.098	-0.018	0.003	-0.026	0.001
Co-N'	-0.027	0.066	-0.014	0.007	0.033	-0.004
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.010	-0.005	0.000	-0.001	0.000	0.001
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.004	-0.001	0.000	-0.001	0.001	-0.002
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> '-C <sub>3</sub> '	-0.002	0.002	-0.001	0.000	0.000	-0.001
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> '-C <sub>4</sub> '	0.000	0.000	0.001	0.001	-0.001	0.001
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> '-C <sub>5</sub> '	0.000	0.000	0.000	0.000	0.000	-0.001
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> '-C <sub>6</sub> '	0.000	0.001	-0.001	0.000	-0.002	0.000
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	-0.009	0.005	0.001	0.001	-0.004	0.004
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	-0.002	-0.001	-0.001	0.000	-0.002	-0.001
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	-0.001	0.001	0.000	0.000	0.001	0.000
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	0.003	-0.001	0.001	0.001	0.000	0.001
$\alpha = \angle(C_6'-C_2'', C_2-C_2')$	-4.2	3.2	-0.5	0.1	-0.9	-0.4
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	1.2	-2.1	0.4	-0.2	-1.2	0.5
$\beta' = \angle(N''-Co-N)^\dagger$	2.4	-4.2	0.8	-0.3	-2.2	1.1
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.038	-0.010	0.001	0.002	0.027	-0.002

<sup>†</sup>The  $D_{2d}$  and  $C_{2v}$  symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 22** RPBE/ $\mathcal{S}_{fc}$ -optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the  $D_{2d} \rightarrow C_{2v}$  symmetry lowering (LS:  ${}^2B_2 \rightarrow {}^2A_1$ ; HS:  ${}^4A_2 \rightarrow {}^4A_2$  and  ${}^4E \rightarrow {}^4B_1 \oplus {}^4B_2$ ).

	LS ${}^2A_1$		HS ${}^4A_2$		HS ${}^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the <math>C_{2v}</math> geometries</i>						
Co-N, Co-N''	2.014	2.230	2.179	2.220	2.189	2.212
Co-N'	1.874	1.969	2.054	2.081	2.118	2.064
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	1.375	1.360	1.368	1.366	1.362	1.366
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	1.353	1.347	1.350	1.349	1.348	1.347
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	1.403	1.407	1.404	1.406	1.403	1.404
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	1.399	1.399	1.399	1.398	1.399	1.400
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	1.400	1.400	1.400	1.400	1.400	1.397
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	1.399	1.400	1.398	1.398	1.399	1.400
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	1.471	1.487	1.491	1.491	1.483	1.493
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	1.367	1.368	1.356	1.358	1.357	1.361
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	1.403	1.405	1.405	1.405	1.405	1.405
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	1.401	1.397	1.399	1.399	1.398	1.399
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	103.4	110.9	107.4	108.7	107.9	108.3
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.3	78.0	76.9	76.0	74.6	76.7
$\beta' = \angle(N''-Co-N)^\dagger$	162.6	155.9	153.7	151.9	149.1	153.4
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.930	0.883	0.943	0.937	0.968	0.933
<i>Variations associated with the <math>D_{2d} \rightarrow C_{2v}</math> symmetry lowering</i>						
Co-N, Co-N''	-0.108	0.108	-0.011	0.030	0.000	0.023
Co-N'	-0.025	0.070	-0.008	0.019	0.047	-0.007
N-C <sub>2</sub> , N''-C <sub>2</sub> ''	0.008	-0.007	0.001	-0.001	-0.002	0.002
N-C <sub>6</sub> , N''-C <sub>6</sub> ''	0.004	-0.002	0.000	-0.001	-0.001	-0.002
C <sub>2</sub> -C <sub>3</sub> , C <sub>2</sub> ''-C <sub>3</sub> ''	-0.002	0.002	-0.002	0.000	-0.002	-0.001
C <sub>3</sub> -C <sub>4</sub> , C <sub>3</sub> ''-C <sub>4</sub> ''	0.000	0.000	0.000	-0.001	-0.001	0.000
C <sub>4</sub> -C <sub>5</sub> , C <sub>4</sub> ''-C <sub>5</sub> ''	0.000	0.000	0.000	0.000	0.000	-0.003
C <sub>5</sub> -C <sub>6</sub> , C <sub>5</sub> ''-C <sub>6</sub> ''	-0.001	0.000	0.000	0.000	-0.001	0.000
C <sub>2</sub> -C <sub>2</sub> ', C <sub>6</sub> '-C <sub>2</sub> '	-0.008	0.008	0.001	0.001	-0.006	0.004
N'-C <sub>2</sub> ', N'-C <sub>6</sub> '	-0.002	-0.001	-0.001	0.001	-0.003	0.001
C <sub>2</sub> '-C <sub>3</sub> ', C <sub>5</sub> '-C <sub>6</sub> '	-0.001	0.001	-0.001	-0.001	0.000	0.000
C <sub>3</sub> '-C <sub>4</sub> ', C <sub>4</sub> '-C <sub>5</sub> '	0.002	-0.002	0.000	0.000	-0.001	0.000
$\alpha = \angle(C_6'-C_2', C_2-C_2')$	-4.0	3.5	-0.4	0.9	0.0	0.4
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	1.2	-2.1	0.3	-0.6	-1.6	0.5
$\beta' = \angle(N''-Co-N)^\dagger$	2.4	-4.3	0.5	-1.3	-3.2	1.1
$\gamma = \angle(N'-C_2'-C_2-N) = \angle(N''-C_2''-C_6'-N')^\dagger$	0.0	0.0	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.036	-0.012	0.001	-0.004	0.021	-0.013

$^\dagger$ The  $D_{2d}$  and  $C_{2v}$  symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 23** B3LYP\*/ $\mathcal{G}$ –optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	2.027	2.225	-0.102	0.096
Co-N'	1.889	1.966	-0.023	0.054
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.362	1.349	0.007	-0.006
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.339	1.335	0.003	-0.001
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.391	1.396	-0.003	0.002
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.390	1.390	0.000	0.000
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.389	1.390	-0.001	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.390	1.391	0.000	0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.471	1.483	-0.005	0.007
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.350	1.354	-0.003	0.001
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.393	1.395	-0.001	0.001
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.392	1.388	0.002	-0.002
$\alpha = \angle(C'_6-C'_2, C_2-C'_2)$	103.7	110.8	-3.9	3.2
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	81.0	78.1	1.2	-1.7
$\beta' = \angle(N''-Co-N)^\dagger$	162.1	156.1	2.5	-3.5
$\gamma = \angle(N'-C'_2-C_2-N) = \angle(N''-C''_2-C'_6-N')^\dagger$	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.932	0.884	0.034	-0.014

<sup>†</sup>The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 24** B3LYP\*/ $\mathcal{G}$ –optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	2.042	2.236	-0.100	0.094
Co-N'	1.899	1.973	-0.023	0.051
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.359	1.347	0.007	-0.005
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.336	1.334	0.002	0.000
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.390	1.395	-0.002	0.003
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.389	1.389	0.000	0.000
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.388	1.388	0.000	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.389	1.389	0.000	0.000
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.474	1.484	-0.004	0.006
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.347	1.351	-0.003	0.001
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.392	1.394	-0.001	0.001
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.390	1.387	0.002	-0.001
$\alpha = \angle(C'_6-C'_2, C_2-C'_2)$	104.2	111.1	-3.8	3.1
$\beta = \angle(N'-Co-N) = \angle(N''-Co-N')$	80.8	77.9	1.2	-1.7
$\beta' = \angle(N''-Co-N)^\dagger$	161.6	155.8	2.4	-3.4
$\gamma = \angle(N'-C'_2-C_2-N) = \angle(N''-C''_2-C'_6-N')^\dagger$	0.0	0.0	0.0	0.0
$\eta = d(\text{Co-N}'/\text{Co-N}'')$	0.930	0.882	0.033	-0.015

<sup>†</sup>The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that  $\beta' = 2\beta$  and  $\gamma = 0$ .

**Table 25** HCTH407/ℳ–optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	2.013	2.220	-0.106	0.101
Co-N'	1.864	1.948	-0.025	0.059
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.361	1.347	0.008	-0.006
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.338	1.333	0.003	-0.002
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.392	1.397	-0.002	0.003
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.387	1.388	0.000	0.001
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.388	1.388	0.000	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.387	1.389	-0.001	0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.460	1.476	-0.007	0.009
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.353	1.355	-0.003	-0.001
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.392	1.395	-0.001	0.002
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.389	1.385	0.002	-0.002
α = ∠(C' <sub>6</sub> -C'' <sub>2</sub> , C <sub>2</sub> -C' <sub>2</sub> )	103.9	111.1	-4.0	3.2
β = ∠(N'-Co-N) = ∠(N''-Co-N')	81.2	78.2	1.2	-1.8
β' = ∠(N''-Co-N) †	162.5	156.4	2.6	-3.5
γ = ∠(N'-C' <sub>2</sub> -C <sub>2</sub> -N) = ∠(N''-C'' <sub>2</sub> -C' <sub>6</sub> -N') †	0.0	0.0	0.0	0.0
η = d(Co-N'/Co-N'')	0.926	0.877	0.035	-0.014

†The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that β' = 2β and γ = 0.

**Table 26** OLYP/ℳ–optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	2.017	2.228	-0.108	0.103
Co-N'	1.869	1.956	-0.026	0.061
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.369	1.354	0.009	-0.006
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.346	1.340	0.003	-0.003
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.398	1.403	-0.002	0.003
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.393	1.394	0.000	0.001
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.394	1.394	0.000	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.393	1.394	-0.001	0.000
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.466	1.482	-0.007	0.009
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.360	1.362	-0.003	-0.001
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.398	1.400	-0.001	0.001
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.395	1.391	0.002	-0.002
α = ∠(C' <sub>6</sub> -C'' <sub>2</sub> , C <sub>2</sub> -C' <sub>2</sub> )	103.8	111.1	-4.0	3.3
β = ∠(N'-Co-N) = ∠(N''-Co-N')	81.2	78.1	1.2	-1.9
β' = ∠(N''-Co-N) †	162.5	156.3	2.6	-3.6
γ = ∠(N'-C' <sub>2</sub> -C <sub>2</sub> -N) = ∠(N''-C'' <sub>2</sub> -C' <sub>6</sub> -N') †	0.0	0.0	0.0	0.0
η = d(Co-N'/Co-N'')	0.927	0.878	0.035	-0.014

†The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that β' = 2β and γ = 0.



**Table 27** OPBE/ $\mathcal{G}$ –optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	1.982	2.186	-0.105	0.099
Co-N'	1.845	1.927	-0.024	0.058
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.364	1.350	0.008	-0.006
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.342	1.337	0.003	-0.002
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.395	1.399	-0.002	0.002
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.390	1.391	0.000	0.001
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.392	1.392	0.000	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.390	1.392	-0.001	0.001
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.460	1.475	-0.007	0.008
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.356	1.357	-0.002	-0.001
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.395	1.397	-0.001	0.001
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.392	1.389	0.002	-0.001
α = ∠(C' <sub>6</sub> -C' <sub>2</sub> , C <sub>2</sub> -C' <sub>2</sub> )	103.0	110.2	-4.0	3.2
β = ∠(N'-Co-N) = ∠(N''-Co-N')	81.6	78.7	1.2	-1.7
β' = ∠(N''-Co-N) †	163.3	157.3	2.5	-3.5
γ = ∠(N'-C' <sub>2</sub> -C <sub>2</sub> -N) = ∠(N''-C'' <sub>2</sub> -C' <sub>6</sub> -N') †	0.0	0.0	0.0	0.0
η = d(Co-N'/Co-N'')	0.931	0.882	0.035	-0.014

†The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that β' = 2β and γ = 0.

**Table 28** PBE/ $\mathcal{G}$ –optimized LS [Co(tpy)<sub>2</sub>]<sup>2+</sup> geometry of C<sub>2v</sub> symmetry: selected bond lengths (Å) and angles (deg) and their variations upon the D<sub>2d</sub> → C<sub>2v</sub> symmetry lowering (<sup>2</sup>B<sub>2</sub> → <sup>2</sup>A<sub>1</sub>).

	<sup>2</sup> A <sub>1</sub>		D <sub>2d</sub> → C <sub>2v</sub>	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Parameters values in the C<sub>2v</sub> geometries</i>				
Co-N, Co-N''	1.988	2.186	-0.102	0.096
Co-N'	1.863	1.944	-0.022	0.059
N-C <sub>2</sub> , N''-C'' <sub>2</sub>	1.372	1.357	0.009	-0.006
N-C <sub>6</sub> , N''-C'' <sub>6</sub>	1.347	1.342	0.003	-0.002
C <sub>2</sub> -C <sub>3</sub> , C'' <sub>2</sub> -C'' <sub>3</sub>	1.397	1.401	-0.002	0.002
C <sub>3</sub> -C <sub>4</sub> , C'' <sub>3</sub> -C'' <sub>4</sub>	1.394	1.395	-0.001	0.000
C <sub>4</sub> -C <sub>5</sub> , C'' <sub>4</sub> -C'' <sub>5</sub>	1.396	1.396	0.000	0.000
C <sub>5</sub> -C <sub>6</sub> , C'' <sub>5</sub> -C'' <sub>6</sub>	1.394	1.395	-0.001	0.000
C <sub>2</sub> -C' <sub>2</sub> , C' <sub>6</sub> -C' <sub>2</sub>	1.464	1.478	-0.006	0.008
N'-C' <sub>2</sub> , N'-C' <sub>6</sub>	1.362	1.362	-0.002	-0.002
C' <sub>2</sub> -C' <sub>3</sub> , C' <sub>5</sub> -C' <sub>6</sub>	1.398	1.400	-0.001	0.001
C' <sub>3</sub> -C' <sub>4</sub> , C' <sub>4</sub> -C' <sub>5</sub>	1.397	1.394	0.002	-0.001
α = ∠(C' <sub>6</sub> -C' <sub>2</sub> , C <sub>2</sub> -C' <sub>2</sub> )	102.7	109.7	-3.9	3.1
β = ∠(N'-Co-N) = ∠(N''-Co-N')	81.6	78.6	1.3	-1.7
β' = ∠(N''-Co-N) †	163.1	157.1	2.4	-3.6
γ = ∠(N'-C' <sub>2</sub> -C <sub>2</sub> -N) = ∠(N''-C'' <sub>2</sub> -C' <sub>6</sub> -N') †	0.0	0.0	0.0	0.0
η = d(Co-N'/Co-N'')	0.937	0.889	0.035	-0.013

†The D<sub>2d</sub> and C<sub>2v</sub> symmetry constraints impose that β' = 2β and γ = 0.

## 4 Scalar relativistic effects

The relativistic calculations were run with the OLYP functional within the zero-order regular approximation (ZORA) for relativistic effects, using the ADF program package and the OLYP functional combined with the all-electron ZORA TZP STO basis set from the ADF basis set database. The nonrelativistic OLYP results reported below were obtained with the nonrelativistic all-electron TZP STO basis set.

### 4.1 Influence on the geometries

#### 4.1.1 LS and HS geometries of $[\text{Co}(\text{tpy})_2]^{2+}$

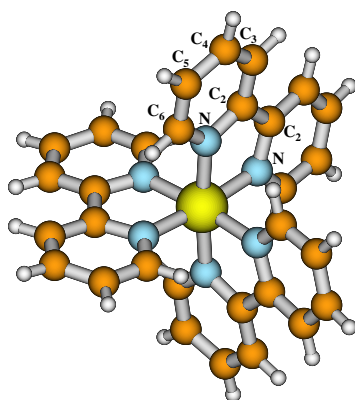
**Table 29** Influence of scalar relativistic effects on the optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $D_{2d}$  symmetry: selected bond lengths (Å) and angles (deg).

	Nonrelativistic results			Scalar relativistic results		
	LS	HS		LS	HS	
	$^2B_2$ L <sub>1</sub> , L <sub>2</sub>	$^4A_2$ L <sub>1</sub> , L <sub>2</sub>	$^4E$ L <sub>1</sub> , L <sub>2</sub>	$^2B_2$ L <sub>1</sub> , L <sub>2</sub>	$^4A_2$ L <sub>1</sub> , L <sub>2</sub>	$^4E$ L <sub>1</sub> , L <sub>2</sub>
Co-N, Co-N''	2.118	2.188	2.188	2.111	2.180	2.180
Co-N'	1.891	2.057	2.060	1.881	2.042	2.072
$\alpha = \angle(\text{C}'_6\text{-C}''_2, \text{C}_2\text{-C}'_2)$	107.7	108.0	108.2	107.6	108.0	108.0
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	80.1	76.5	76.3	80.2	76.7	75.8

**Table 30** Influence of scalar relativistic effects on the optimized LS and HS  $[\text{Co}(\text{tpy})_2]^{2+}$  geometries of  $C_{2v}$  symmetry: selected bond lengths (Å) and angles (deg).

	LS $^2A_1$		HS $^4A_2$		HS $^4B_1$	
	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>	L <sub>1</sub>	L <sub>2</sub>
<i>Nonrelativistic results</i>						
Co-N, Co-N''	2.020	2.221	2.195	2.203	2.186	2.216
Co-N'	1.870	1.956	2.059	2.075	2.093	2.080
$\alpha = \angle(\text{C}'_6\text{-C}''_2, \text{C}_2\text{-C}'_2)$	104.0	111.0	108.3	108.3	108.3	108.8
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	81.1	78.0	76.4	76.0	74.9	76.0
<i>Scalar relativistic results</i>						
Co-N, Co-N''	1.992	2.219	2.179	2.179	2.166	2.196
Co-N'	1.855	1.949	2.041	2.040	2.090	2.065
$\alpha = \angle(\text{C}'_6\text{-C}''_2, \text{C}_2\text{-C}'_2)$	103.1	111.1	108.0	108.0	107.7	108.3
$\beta = \angle(\text{N}'\text{-Co-N}) = \angle(\text{N}''\text{-Co-N}')$	81.5	78.1	76.7	76.8	75.0	76.3

#### 4.1.2 LS and HS geometries of $[\text{Co}(\text{bpy})_3]^{2+}$



**Figure 1** Atom labelling used for  $[\text{Co}(\text{bpy})_3]^{2+}$ .

**Table 31** Influence of scalar relativistic effects on the optimized  $D_3$  geometry of  $[\text{Co}(\text{bpy})_3]^{2+}$  in the HS  $^4A_2$  state: selected bond lengths (Å) and angles (deg); see Fig. 1 for the atom labelling.

	Nonrelativistic	Scalar relativistic
Co-N = Co-N'	2.179	2.169
$\beta = \angle(\text{N}'\text{-Co-N})$	75.6	75.8
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N})$	6.1	6.8

**Table 32** Influence of scalar relativistic effects on the optimized  $C_2$  geometry of  $[\text{Co}(\text{bpy})_3]^{2+}$  in the LS  $^2A$  state: selected bond lengths (Å) and angles (deg); see Fig. 1 for the atom labelling. The ligand referred to as L1 is on the  $C_2$  axis and the two other ligands designed by L2 are interchanged by the  $C_2$  symmetry operation.

	Nonrelativistic	Scalar relativistic
<i>Ligand L1</i>		
Co-N = Co-N'	1.973	1.962
$\beta = \angle(\text{N}'\text{-Co-N})$	81.6	81.9
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N})$	0.2	0.4
<i>Ligands L2</i>		
Co-N	2.002	1.991
Co-N'	2.250	2.244
$\beta = \angle(\text{N}'\text{-Co-N})$	77.6	77.8
$\gamma = \angle(\text{N}'\text{-C}'_2\text{-C}_2\text{-N})$	13.3	13.6

### 4.1.3 LS and HS geometries of $[\text{Co}(\text{NCH})_6]^{2+}$

**Table 33** Influence of scalar relativistic effects on the optimized  $D_{2h}$  geometries LS and HS geometries of  $[\text{Co}(\text{NCH})_6]^{2+}$  (non-relativistic and scalar relativistic (ZORA) OLYP results): bond lengths (Å) for the pair of equivalent ligands L1 and the two other pairs of equivalents ligands designed by L2 and L3.

	LS		HS	
	L1	L2, L3	L1	L2, L3
<i>Non relativistic results</i>				
	L1	L2, L3	L1	L2, L3
Co-N	2.303	1.908	2.151	2.148
N-C	1.154	1.151	1.153	1.153
C-H	1.077	1.077	1.077	1.078
<i>Scalar relativistic results</i>				
Co-N	2.299	1.896	2.138	2.138
N-C	1.154	1.151	1.153	1.152
C-H	1.077	1.077	1.077	1.078

## 4.2 Influence on the energetics

**Table 34** Influence of scalar relativistic effects on the energetics of  $[\text{Co}(\text{tpy})_2]^{2+}$ ,  $[\text{Co}(\text{bpy})_3]^{2+}$  and  $[\text{Co}(\text{NCH})_6]^{2+}$ : scalar relativistic shifts to the HS-LS zero-point energy difference ( $\Delta E_{\text{HL}}^{\circ}$ ) and its electronic ( $\Delta E_{\text{HL}}^{\text{el}}$ ) and vibrational ( $\Delta E_{\text{HL}}^{\text{vib}}$ ) components. For  $[\text{Co}(\text{tpy})_2]^{2+}$ , the scalar relativistic shifts to the pseudo-Jahn-Teller stabilization energy in the LS state ( $E_{\text{PJT}}$ ), to the tetragonal splitting of the HS in  $D_{2d}$  ( $\Delta_{\text{HS}}$ ) and in  $C_{2v}$  ( $\Delta'_{\text{HS}}$ ) are also given.

	Nonrelativistic	Scalar relativistic	Scalar relativistic shift
<i>The <math>[\text{Co}(\text{tpy})_2]^{2+}</math> complex</i>			
$\Delta E_{\text{HL}}^{\text{el}}$	3160	3546	+386
$\Delta E_{\text{HL}}^{\text{vib}}$	-180	-219	-39
$\Delta E_{\text{HL}}^{\circ}$	2980	3326	+347
$E_{\text{PJT}}$	204	221	+17
$\Delta_{\text{HS}}$	423	474	+51
$\Delta'_{\text{HS}}$	-288	-216	+72
<i>The <math>[\text{Co}(\text{bpy})_3]^{2+}</math> complex</i>			
$\Delta E_{\text{HL}}^{\text{el}}$	394	668	+274
$\Delta E_{\text{HL}}^{\text{vib}}$	-309	-330	-21
$\Delta E_{\text{HL}}^{\circ}$	85	338	253
<i>The <math>[\text{Co}(\text{NCH})_6]^{2+}</math> complex</i>			
$\Delta E_{\text{HL}}^{\text{el}}$	-809	-192	+617
$\Delta E_{\text{HL}}^{\text{vib}}$	-484	-504	-20
$\Delta E_{\text{HL}}^{\circ}$	-1293	-696	+597