

Supplementary Information: Non-Extensivity of Thermodynamics at the Nanoscale in Molecular Spin Crossover Materials: A Balance between Surface and Volume

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1 Evaluation of the entropy by Monte Carlo simulations

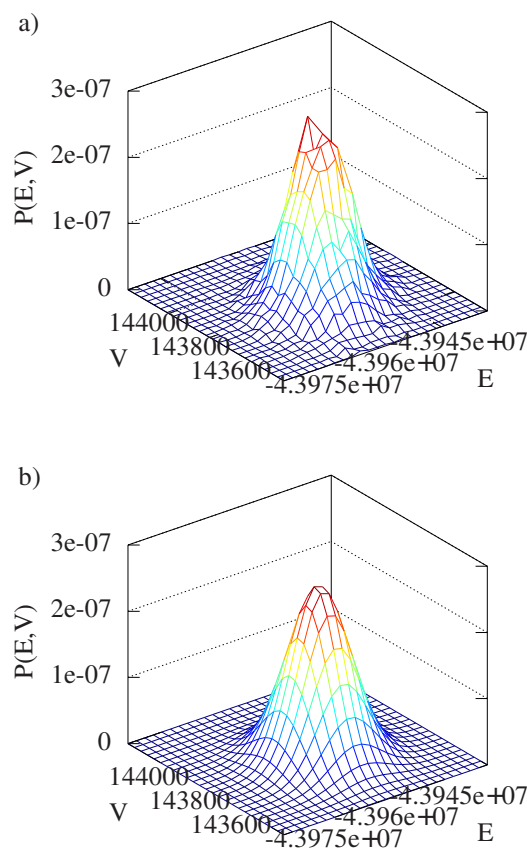


Fig. S1 (a) 2D Histogram of probability density as a function of the volume and the energy for a 60x60 2D square system. (b) Fit by a 2D gaussian curve of the Histogram of probability density for a 60x60 2D square system.

To assess the entropy, the probability density of the system has to be estimated.

$$\langle S \rangle = -k_B \sum_i p(H_i, V_i) \log(p(H_i, V_i)) \quad (\text{S1})$$

We used the MC Histogram reweighting technique to extract the probability density (Figure S1). This technique was introduced by Ferrenberg and Swendsen^{S1} for the canonical ensemble and extended to the

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isothermal-isobaric ensemble by Conrad and Pablo.^{S2} The histogram $h_{T,P}(H, V)$ for energies and volumes, which are associated with the successive visits from the simulation, is proportional to the density of states $g(H, V)$:

$$h_{T,P}(H, V) \propto g(H, V) e^{-(H+PV)/(k_B T)} \quad (\text{S2})$$

The density of probability of the system is given by:

$$p(H, V) = \frac{h_{T,P}(H, V)}{\int_{-\infty}^{+\infty} \int_0^{+\infty} dH dV h_{T,P}(H, V)} \quad (\text{S3})$$

Finally, the entropy is given by this following relation:

$$\langle S \rangle = \int_{-\infty}^{+\infty} \int_0^{+\infty} dH dV p(H, V) \log(p(H, V)) \quad (\text{S4})$$

References

- S1 A. M. Ferrenberg and R. H. Swendsen, *Phys. Rev. Lett.*, 1989, **63**, 1195–1198.
 S2 P. Conrad and J. de Pablo, *Fluid Phase Equilibri.*, 1998, **150–151**, 51–61.