### **Supporting Information for**

## An insight into the reaction mechanism of CO<sub>2</sub> photoreduction catalyzed by atomically dispersed Fe atoms supported on graphitic carbon nitride

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# The formulas of the rate constants involved in the photophysical and photochemical processes

The rate constant of the fluorescence emission  $(k_F)^1$  can be calculated by the integration of the emission spectra based on Fermi's golden rule and the time-depended perturbation theory,

$$k_{\rm F}(T) = \int \sigma_{\rm em}(\omega, T) {\rm d}\omega$$

the  $\sigma_{em}(\omega, T)$  is written as<sup>1-2</sup>

$$\sigma_{em}(\omega,T) = \frac{4\omega^3}{3\hbar c^3} \sum_{u,v} P_{\rm iv}(T) |\langle \Theta_{\rm fu} | \mu_{\rm fi} | \Theta_{\rm iv} \rangle|^2 \delta(\omega_{\rm iv,fu} - \omega)$$

The rate constants of IC<sup>3</sup> and ISC<sup>4</sup> are calculated as follows:

$$k_{\rm IC} = \frac{2\pi}{\hbar} \sum_{u,v} P_{\rm iv} (T) \left| \sum_{n} \langle \Phi_{\rm f} | \hat{P}_{n} | \Phi_{\rm i} \rangle \langle \Theta_{\rm fu} | \hat{P}_{n} | \Theta_{\rm iv} \rangle \right|^{2} \delta(E_{\rm iv} - E_{\rm fu})$$
$$k_{\rm ISC} = \frac{2\pi}{\hbar} \sum_{u,v} P_{\rm iv} (T) \left| \langle \Phi_{\rm f} | \hat{H}^{SO} | \Phi_{\rm i} \rangle \right|^{2} \left| \langle \Theta_{\rm fu} | \Theta_{\rm iv} \rangle \right|^{2} \delta(E_{\rm iv} - E_{\rm fu})$$

where  $\omega$  is the circular frequency; T is the temperature;  $\hbar$  is the reduced Planck constant; *c* is the speed of light in vacuum; *v* and *u* are the vibrational quantum numbers of the initial state and the final state, respectively;  $P_{iv}$  is the Boltzmann distribution of the initial vibronic manifold;  $\Theta$  is the vibrational wavefunction; i and f are the initial and the final state, respectively;  $\mu_{fi}$  is the electric transition dipole moment from the initial electronic state to the final electronic state; and  $\delta$  is the Dirac operator;  $\Phi$  is the electronic state;  $\hat{P}_n$  indicates the momentum operator of the nth normal vibrational mode in the final state; *n* is the index of normal vibrational modes; E represents the energy; and  $\hat{H}^{SO}$  denotes the Hamiltonian operator of spin-orbit coupling.

The reaction rate constant  $k_{\rm R}$  of the photochemical process is calculated based on the transition state theory:

$$k_{\rm R} = k_i \frac{k_{\rm B}T}{h} \exp\left(-\frac{\Delta G^{\ddagger}}{RT}\right)$$
$$k_i = 1 + \frac{1}{24} \left(\frac{\hbar v_{\rm i}}{k_{\rm B}T}\right)^2$$

where  $k_{\rm B}$  is the Boltzmann constant,  $\Delta G^{\ddagger}$  is the Gibbs free energy, namely the difference in energies between the transition state and the reactant complex; *R* is the ideal gas constant;  $k_i$  is the transmission coefficient; and  $v_i$  is the imaginary frequency of the transition state.

	Table S1 The blank experiments of CO <sub>2</sub> photoreduction.				
	Catalyst	Medium	Atmosphere	Irradiation time	СО
1	g-C <sub>3</sub> N <sub>4</sub>	water	Ar	10 h	None
2	g-C <sub>3</sub> N <sub>4</sub>	water	$CO_2$	Dark	None
3	None	water	$CO_2$	10 h	None

Table S1 The blank experiments of CO<sub>2</sub> photoreduction



Fig. S1 (a) (b) Scanning electron microscopy images of Fe-g-C<sub>3</sub>N<sub>4</sub>.



**Fig. S2** (a) Fe K-edge  $k^3$ -weighted EXAFS oscillations  $k^3\chi(k)$  of Fe-g-C<sub>3</sub>N<sub>4</sub> sample. The data of Fe foil, FeO, Fe<sub>2</sub>O<sub>3</sub> and FePc are shown for reference (b) The fitting curves of  $k^3$ -weighted EXAFS spectra and (c)  $k^3\chi(k)$  oscillations of Fe-g-C<sub>3</sub>N<sub>4</sub> sample using the ARTEMIS module of IFEFFIT.

Sample	Path	Ν	<i>R</i> (Å)	$\sigma^2 (10^{-3} \text{\AA}^2)$	$\Delta E_0 ({ m eV})$	<i>R</i> -factor
E CN	Fe-N <sub>1</sub>	2.0	2.08	2.3	6.0	0.001
Fe-g-C <sub>3</sub> N <sub>4</sub> -	Fe-N <sub>2</sub>	2.2	2.19	2.3	6.0	0.001

Table S2 EXAFS fitting results for Fe-g-C<sub>3</sub>N<sub>4</sub> sample using the ARTEMIS module of IFEFFIT.

*N*, *R*,  $\sigma^2$ , and  $\Delta E_0$  are the coordination number, interatomic distance, Debye–Waller factor, and shift in the edge energy.



Fig. S4 (a) N<sub>2</sub> adsorption-desorption isotherms and (b) Barrett-Joyner-Halenda (BJH) pore size distribution curves of g-C<sub>3</sub>N<sub>4</sub> and Fe-g-C<sub>3</sub>N<sub>4</sub> samples

Table S3 The BET surface areas, total pore volumes, and pore size of  $g-C_3N_4$  and  $Fe-g-C_3N_4$  samples.

	g-C <sub>3</sub> N <sub>4</sub>	Fe-g-C <sub>3</sub> N <sub>4</sub>
$S_{\rm BET} \ ({ m m}^2 \ { m g}^{-1})$	9.17	9.07
$V_{\text{pore}} (\text{cm}^3\text{g}^{-1})$	0.06	0.05
Pore size (nm)	17.31	16.03



Fig. S5 Spectrum of the 300 W xenon lamp used in this work.

The calculation of quantum efficiency of  $CO_2$  reduction is given as follows. A fiber optic spectrometer (CEL-P4000, Ceaulight) was used for light source spectrum. The light intensity was charactered by an optical power meter (CEL-NP2000, Ceaulight, Beijing). The irradiated area for the reaction is 35.26 cm<sup>2</sup> (6.7 cm radius). The calculation of the apparent quantum yield (AQY) is defined as:

$$AQY(\%) = \frac{2 \times \text{the number of produced CO molecules}}{\text{the number of incident photons}} \times 100\% = \frac{Ne}{Nq}$$
$$Ne = 2 \times N_A \times n$$
$$Nq = S \times t \times \int_{200}^{1000} Nd\lambda$$
$$N = \frac{P \times \lambda}{h \times c}$$
is the total number of transfer electrons in the reaction. Not is the Avo

*Ne* is the total number of transfer electrons in the reaction,  $N_A$  is the Avogadro constant (6.02 × 10<sup>23</sup> mol<sup>-1</sup>), n (in mol) is the amount of products produced by 1 g photocatalyst. *Nq* is the number of integrated photons with a wavelength from 200 nm to 1000 nm, *S* is the irradiation area, *t* is the photo-irradiation time (s), *N* is the number of incident photons, *P* is the irradiation energy,  $\lambda$  is the wavelength (nm), *h* is the planck constant ( $h = 6.626 \times 10^{-34}$  J·s), *c* is the speed of light ( $c = 3 \times 10^8$  m·s<sup>-1</sup>). The calculated

AQY of g-C<sub>3</sub>N<sub>4</sub> and Fe-g-C<sub>3</sub>N<sub>4</sub> are  $2.0\times10^{-5}$  % and  $3.8\times10^{-5}$  %, respectively.



**Fig. S6** g-C<sub>3</sub>N<sub>4</sub>, CO<sub>2</sub> and H<sub>2</sub>O formed different hydrogen-bonded complexes at different binding sites, the optimized structures of the nine hydrogen-bonded complexes were given.



**Fig. S7** Fe-g-C<sub>3</sub>N<sub>4</sub>, CO<sub>2</sub> and H<sub>2</sub>O formed different hydrogen-bonded complexes at different binding sites, the optimized structures of the four hydrogen-bonded complexes were given.

Structures	Relative energies (kal/mol)	Structures	Relative energies (kal/mol)
Complex	0.0	Fe-Complex	0
Complex-1	0.4	Fe-Complex-1	5.6
Complex-2	2.2	Fe-Complex-2	14.5
Complex-3	2.4	Fe-Complex-3	16.4
Complex-4	3.8		
Complex-5	4.6		
Complex-6	5.9		
Complex-7	6.8		
Complex-8	8.5		

Table S4 The relative energies of the different hydrogen-bonded complexes.



### **Reaction coordinate**

Fig. S8 The photochemical reaction path (Path-2) of CO<sub>2</sub> reduction for Complex.



#### **Reaction coordinate**

Fig. S9 The photochemical reaction path (Path-3) of CO<sub>2</sub> reduction for Complex.



Fig. S10 The optimized structures of Fe-Complex in the (a) triplet state and (b) quintet state.

 Table S5 The relative energies of the structures for Fe-Complex in the triplet and quintet states.

 (unit: kcal/mol).

	Triplet state	Quintet state
Relative energies	9.75	0.00



**Fig. S11** The photochemical reaction path (Path-2) of CO<sub>2</sub> reduction for Fe-Complex in the triplet (red) and quintet (green) states.

### The reaction order is derived as follows:

The total reaction rate is determined by the rate of the rate-limiting step:

$$r = -\mathrm{d}c({}^{3}[\mathrm{g}-\mathrm{C}_{3}\mathrm{N}_{4}\cdots\mathrm{OH}\cdots{}^{\mathrm{H}}\mathrm{O}^{-\dot{\mathrm{C}}} \otimes_{\mathrm{O}}]^{*})/\mathrm{d}t = k_{5}c({}^{3}[\mathrm{g}-\mathrm{C}_{3}\mathrm{N}_{4}\cdots\mathrm{OH}\cdots{}^{\mathrm{H}}\mathrm{O}^{-\dot{\mathrm{C}}} \otimes_{\mathrm{O}}]^{*})$$
(1)

For the absorption equilibrium formed by CO<sub>2</sub>, H<sub>2</sub>O and the catalyst:

$$K_1 = k_1 / k_{-1} = c({}^{1}[g - C_3 N_4 \cdots H_2 O \cdots O = C = O]) / c({}^{1}g - C_3 N_4) c(H_2 O) c(CO_2)$$
(2)

For the equilibrium between 
$${}^{1}$$
[g-C<sub>3</sub>N<sub>4</sub>···H<sub>2</sub>O···O=C=O]<sup>\*</sup> and  ${}^{1}$ [g-C<sub>3</sub>N<sub>4</sub>···H<sub>2</sub>O···O=C=O]:

$$K_{2} = c({}^{1}[g-C_{3}N_{4}\cdots H_{2}O\cdots O=C=O]^{*})/c({}^{1}[g-C_{3}N_{4}\cdots H_{2}O\cdots O=C=O])$$
  
Then,  $c({}^{1}[g-C_{3}N_{4}\cdots H_{2}O\cdots O=C=O]^{*}) = K_{1}K_{2}c({}^{1}g-C_{3}N_{4})c(H_{2}O)c(CO_{2})$  (3)  
For  ${}^{3}[g-C_{3}N_{4}^{+}\cdots H_{2}O\cdots O^{*}C_{*}O^{-}]^{*}$ :

Then, 
$$k_4c([g-C_3N_4-H^\circ \dots OH \dots O f^\circ ]) = k_5c([g-C_3N_4\dots OH \dots O f^\circ f^\circ ])$$
 (6)  
Combining (4), (5) and (6),

$$k_{5}c({}^{3}[g-C_{3}N_{4}\cdots OH\cdots \overset{H}{O}, \overset{C}{\sim}_{O}]^{*}) = k_{2}c({}^{1}[g-C_{3}N_{4}\cdots H_{2}O\cdots O=C=O]^{*})$$
(7)

Substitute (3) into (7):

$$k_{5}c^{3}[g-C_{3}N_{4}\cdots OH\cdots \overset{H}{O}\overset{C}{\sim}O]^{*}) = k_{2}K_{1}K_{2}c(^{1}g-C_{3}N_{4})c(H_{2}O)c(CO_{2})$$
(8)

For  ${}^{3}[g-C_{3}N_{4}\cdots 2OH \cdots CO]^{*}$ :  $dc({}^{3}[g-C_{3}N_{4}\cdots 2OH \cdots CO]^{*})/dt = k_{5}c({}^{3}[g-C_{3}N_{4}\cdots OH \cdots {}^{H}O - \dot{C} ]^{*})$   $-k_{6}c({}^{3}[g-C_{3}N_{4}\cdots 2OH \cdots CO]^{*}) + k_{-6}c({}^{3}g-C_{3}N_{4})c(OH \cdot)^{2}c(CO) = 0$ Then,  $k_{5}c({}^{3}[g-C_{3}N_{4}\cdots OH \cdots {}^{H}O - \dot{C} ]^{*}) = k_{6}c({}^{3}[g-C_{3}N_{4}\cdots 2OH \cdot \cdots CO]^{*})$ 

$$-k_{-6}c({}^{3}\text{g-C}_{3}\text{N}_{4}^{*})c(\text{OH}\cdot)^{2}c(\text{CO})$$
(9)

For the desorption of the product CO:

$$K_6 = c({}^3\text{g-C}_3\text{N}_4^*)c(\text{OH} \cdot)^2 c(\text{CO})/c({}^3\text{[g-C}_3\text{N}_4 \cdot \cdot \cdot \text{2OH} \cdot \cdot \cdot \text{CO}]^*)$$
(10)

Substitute (10) into (9):

$$k_{5}c({}^{3}[g-C_{3}N_{4}\cdots OH \cdots {}^{H}O^{-C}O]^{*}) = (k_{6}/K_{6}-k_{-6})c({}^{3}g-C_{3}N_{4}^{*})c(OH^{\bullet})^{2}c(CO)$$
(11)

For  ${}^{1}g$ -C<sub>3</sub>N<sub>4</sub> :

$$-dc({}^{1}g-C_{3}N_{4})/dt = k_{1}c({}^{1}g-C_{3}N_{4})c(H_{2}O)c(CO_{2})$$
$$-k_{-1}c({}^{1}[g-C_{3}N_{4}\cdots H_{2}O\cdots CO_{2}]) + k_{7}c({}^{3}g-C_{3}N_{4})^{*} = 0$$

Then,

$$k_7 c({}^3 \text{g-C}_3 \text{N}_4^*) = -k_1 c({}^1 \text{g-C}_3 \text{N}_4) c(\text{H}_2 \text{O}) c(\text{CO}_2) + k_{-1} c({}^1 [\text{g-C}_3 \text{N}_4 \cdots \text{H}_2 \text{O} \cdots \text{CO}_2])$$
(12)

Substitute (2) into (12):

$$k_7 c({}^3 \text{g-C}_3 \text{N}_4^*) = (k_1 - K_1 k_{-1}) c({}^1 \text{g-C}_3 \text{N}_4) c(\text{H}_2 \text{O}) c(\text{CO}_2)$$
(13)

For  $H_2O_2$ :

$$dc(H_2O_2)/dt = k_8 c(OH)^2 - k_9 c(H_2O_2) + k_{-9} c(O_2)^{1/2} c(H_2O) = 0$$
(14)

For the equilibrium between  $H_2O_2$  and  $O_2$ :

$$k_9 c(H_2 O_2) = k_{-9} c(O_2)^{1/2} c(H_2 O)$$
 (15)

Substitute (15) into (14):

$$k_8 c (\text{OH} \cdot)^2 = (k_9 / K_9 - k_{-9}) c (\text{O}_2)^{1/2} c (\text{H}_2 \text{O})$$
(16)

Substitute (8) and (11) into both sides of (1):

$$-k_2K_1K_2c({}^{1}\text{g-C}_3\text{N}_4) dc(\text{H}_2\text{O}) dc(\text{CO}_2)/dt = (k_6/K_6 - k_{-6})c({}^{3}\text{g-C}_3\text{N}_4^{*})c(\text{OH} \cdot)^2c(\text{CO})$$

Then,

$$-dc(H_2O) dc(CO_2)/dt = (k_6/K_6 - k_{-6})/K_1K_2k_2c({}^3g-C_3N_4^*)c(OH \cdot)^2c(CO)/c({}^1g-C_3N_4) (17)$$
  
(The concentration of the catalyst 'c({}^1g-C\_3N\_4) is constant)

Substitute (13) into (17):

$$-dc(H_2O) dc(CO_2)/dt = \frac{k_1}{K_1 - k_{-1}} \frac{k_6}{K_6 - k_{-6}} \frac{K_2 k_2 k_7 c(CO) c(H_2O) c(CO_2) c(OH^{\bullet})^2}{(18)}$$

Then,

$$-dc(CO_2)/dt = (k_1/K_1 - k_{-1})(k_6/K_6 - k_{-6})/K_2k_2k_7c(CO) c(CO_2) c(OH^{\bullet})^2$$

(The concentration of  $H_2O(c(H_2O))$  is a constant)

Substitute (16) into (18):

$$-dc(CO_2)/dt = (k_1/K_1 - k_{-1})(k_6/K_6 - k_{-6})(k_9/K_9 - k_{-9})/K_2k_2k_7k_8c(CO) c(CO_2) c(H_2O) c(O_2)^{1/2}$$
(19)

Combined  $c(CO_2)$  and  $c(H_2O)$  into the constant term:

$$-dc(CO_2)/dt = k' c(CO) c(O_2)^{1/2}$$

The CO<sub>2</sub>RR is a first order reaction for the product CO.

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