

Supplementary Materials

Structure and Switchable dielectric properties of dabco complex with chromium chloride

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Structural information

Table S1. Octahedral distortion parameters Δd , d_G , Σ , and angle variance σ^2 of **DabcoCrCl**.

	Phase I	Phase II
$T(K)$	330	150
$\bar{\Delta}d$	0.0051	0.0053
d_G	0.0109	0.0096
$\bar{\Omega}$	18.28	17.71
δ^2	5.34	4.67

Δd – bond length distortion (Lufaso, 2004); σ^2 – octahedral angle variance (Fleet, 1976)

Table S2. The hydrogen-bond geometry (\AA , $^\circ$) of **DabcoCrCl** (phase I).

$D\text{---H}\cdots A$	$D\text{---H}$	$H\cdots A$	$D\cdots A$	$D\text{---H}\cdots A$
O1—H1C \cdots Cl1 ⁱ	0.97	2.69	3.457 (4)	137
O1—H1D \cdots Cl3 ⁱⁱ	0.97	2.17	3.115 (3)	165
O2—H2C \cdots Cl3 ⁱⁱⁱ	0.85	2.41	3.105 (3)	140
O3—H3 \cdots Cl3	0.86	2.25	3.079 (3)	161
N1—H1 \cdots Cl1	1.00 (1)	2.56 (2)	3.399 (3)	142 (2)
N1—H1 \cdots Cl2	1.00 (1)	2.45 (2)	3.228 (4)	134 (2)

Symmetry codes: ⁱ $x-1/2, y, -z+3/2$; ⁱⁱ $x-1/2, -y+1/2, -z+3/2$; ⁱⁱⁱ $x-1/2, y, -z+5/2$.

All e.s.d.'s (except the e.s.d. in the dihedral angle between two l.s. planes) are estimated using the full covariance matrix. The cell e.s.d.'s are taken into account individually in the estimation of e.s.d.'s in distances, angles and torsion angles; correlations between e.s.d.'s in cell parameters are only used when they are defined by crystal symmetry. An approximate (isotropic) treatment of cell e.s.d.'s is used for estimating e.s.d.'s involving l.s. planes.

Table S3. The hydrogen-bond geometry (\AA , $^\circ$) of **DabcoCrCl** (phase II).

$D\text{---H}\cdots A$	$D\text{---H}$	$H\cdots A$	$D\cdots A$	$D\text{---H}\cdots A$
O1—H1C \cdots Cl4	0.80	2.26	3.043 (3)	165
O1—H2D \cdots Cl5 ⁱ	0.92	2.17	3.060 (3)	162
O2—H2C \cdots Cl5 ⁱⁱ	0.85	2.42	3.105 (3)	138
O2—H2D \cdots Cl4 ⁱⁱⁱ	0.79	2.32	3.079 (3)	164
O3—H3C \cdots Cl5	0.89	2.33	3.137 (4)	151
O3—H3D \cdots Cl4 ^{iv}	0.88	2.20	3.068 (3)	167
N1—H1 \cdots Cl1	0.98	2.55	3.351 (4)	139
N1—H1 \cdots Cl2	0.98	2.46	3.211 (4)	133
N2—H2 \cdots Cl1 ^v	0.98	2.54	3.353 (4)	140
N2—H2 \cdots Cl3 ^v	0.98	2.56	3.296 (4)	132

Symmetry codes: ⁱ $-x+1, y-1/2, -z+1/2$; ⁱⁱ $x+1, y, z$; ⁱⁱⁱ $-x+2, y+1/2, -z+1/2$; ^{iv} $-x+1, y+1/2, -z+1/2$;

^v $-x+1/2, -y+1, z+1/2$.

All e.s.d.'s (except the e.s.d. in the dihedral angle between two l.s. planes) are estimated using the full covariance matrix. The cell e.s.d.'s are taken into account individually in the estimation of e.s.d.'s in distances, angles and torsion angles; correlations between e.s.d.'s in cell parameters are only used when they are defined by crystal symmetry. An approximate

(isotropic) treatment of cell e.s.d.'s is used for estimating e.s.d.'s involving l.s. planes.

IR and Raman information

Table S4: The wavenumbers (cm^{-1}) of the observed Raman and infrared bands of **DabcoCrCl** at room temperature.

Wavenumbers (cm^{-1})		Assignment
IR	Raman	
3242vs		vOH vNH
3147sh		vOH vNH
3064vs	3063w	$\nu_{\text{as}}\text{CH}_2$
3023sh	3022s	$\nu_{\text{as}}\text{CH}_2$ $\nu_{\text{s}}\text{CH}_2$
	2997s	$\nu_{\text{s}}\text{CH}_2$
	2974vs	$\nu_{\text{s}}\text{CH}_2$
	2947vw	$\nu_{\text{s}}\text{CH}_2$
	2913m	$\nu_{\text{s}}\text{CH}_2$
2817w	2775vw	combination
2631vw		combination
1652sh		δNH
1617s		δOH
1522w		δNH δOH
1473m	1462w	δCH_2
1462m		δCH_2
1435w		δCH_2
1407s		τCH_2
1388m	1395vw	τCH_2
	1363vw	ωCH_2
1320w	1319vw	ωCH_2
	1265w	ρCH_2
1200vw		ρCH_2
	1158vw	$\nu_{\text{as}}\text{CNC}$ $\nu_{\text{as}}\text{CCN}$ ρCH_2
1054s	1052w	$\nu_{\text{as}}\text{CNC}$ $\nu_{\text{as}}\text{CCN}$
	976w	$\nu_{\text{s}}\text{CNC}$ $\nu_{\text{s}}\text{CCN}$
885w	891w	ρOH
846m	848vw	ρOH
802w	804m	ρOH
599vw	601w	$\nu_{\text{s}}\text{CNC}$ $\nu_{\text{s}}\text{CCN}$
	555vw	δCNC δCCN
	439vw	νCrO δCNC δCCN T'O
	405w	νCrO δCNC δCCN T'O
	314m	νCrCl T'dabco T'O

292m	vCrCl T'dabco T'O
258w	vCrCl T'dabco
232w	T'dabco T'Cl
175w	Ldabco T'Cl
127w	Ldabco T'Cl

Key: s-very strong, s-strong, m-medium, w-weak, vw-very weak, sh-shoulder; ν_s -symmetric stretching, ν_{as} -asymmetric stretching, δ -in-plane bending (scissoring), ρ -rocking, ω -wagging, τ -twisting (torsion), T-translation, L-libration.

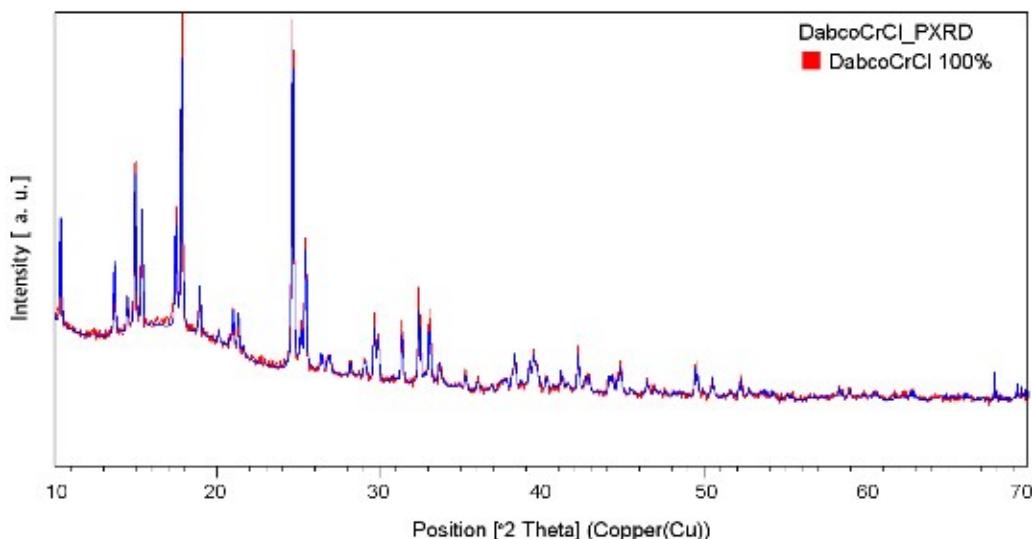


Figure S1 Powder XRD pattern for **DabcoCrCl** together with the calculated one based on the *Pnma* single crystal structure at room temperature.

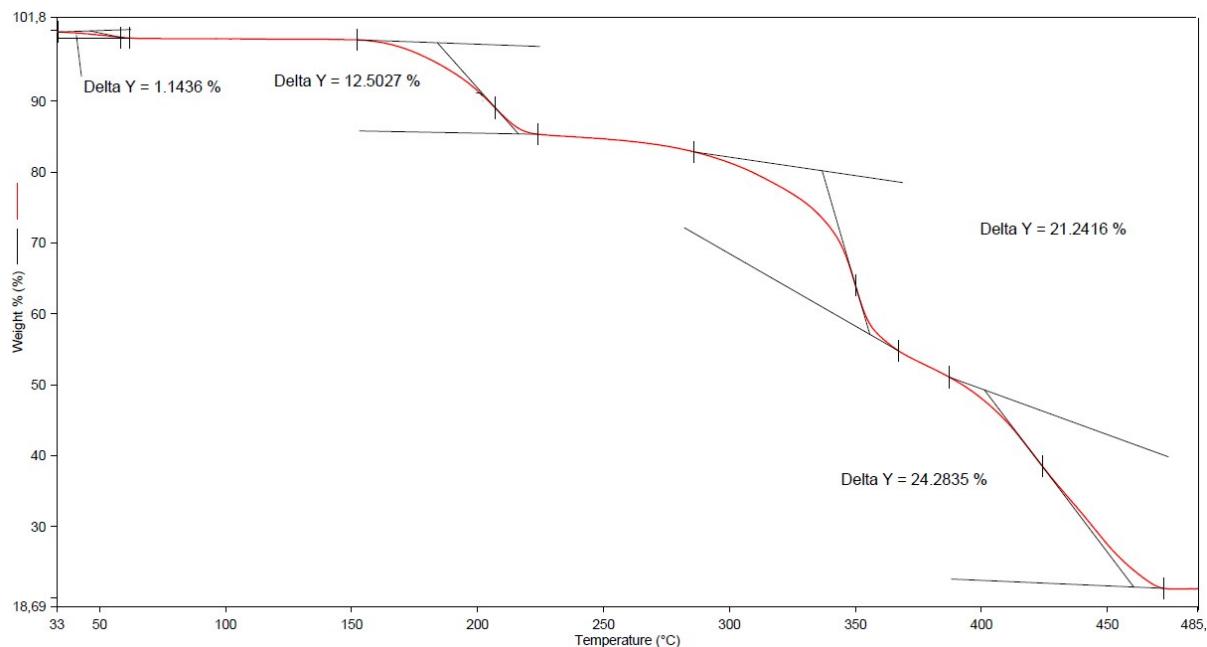


Figure S2. Simultaneous thermogravimetric (TG) scan of **DabcoCrCl** (ramp rate: 5 K min⁻¹).

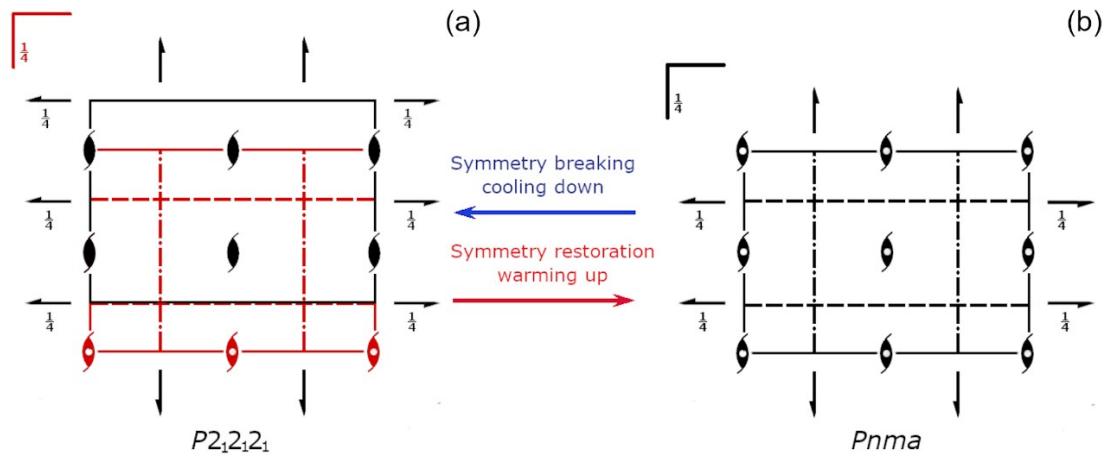


Figure S3. The symmetry element comparison of Phases I (b) and II (a). The symmetry elements that disappear in Phase II are shown in red color. The relationship between unit cell axes is as follows: $a_{\parallel} = c_1$, $b_{\parallel} = a_1$, $c_{\parallel} = b_1$.

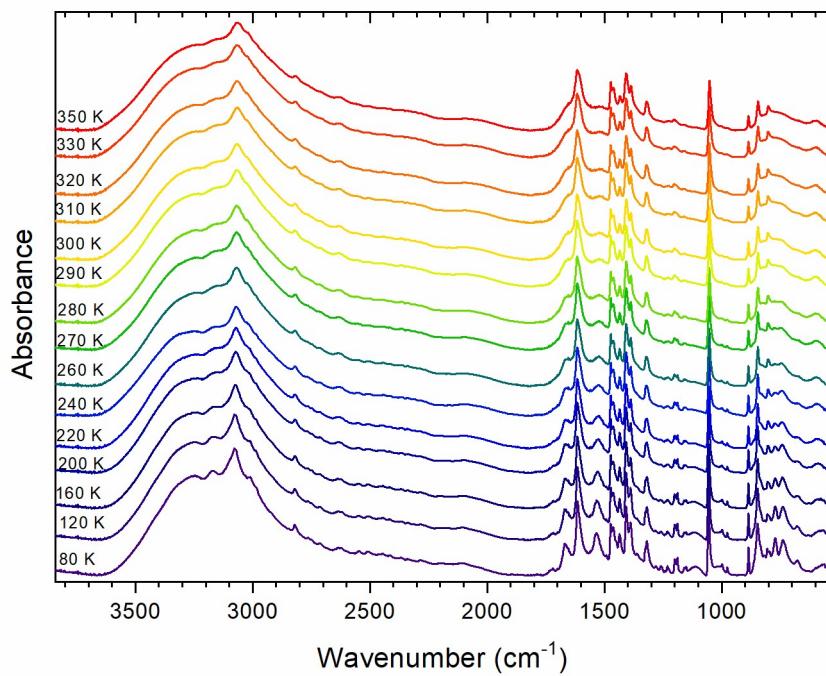


Figure S4. The temperature-dependent IR spectra of **DabcoCrCl**.

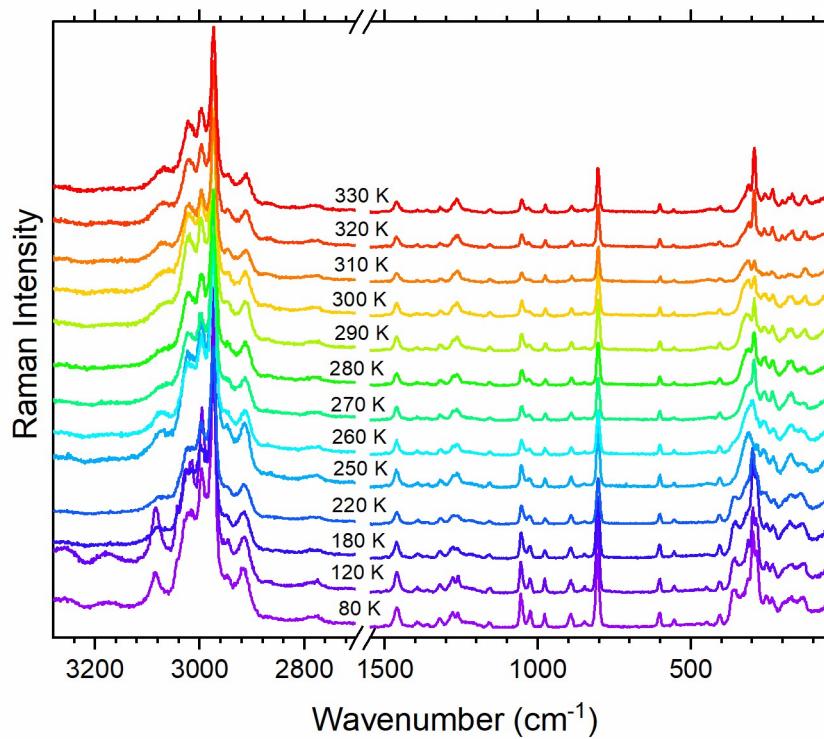


Figure S5. The temperature-dependent Raman spectra of **DabcoCrCl**.

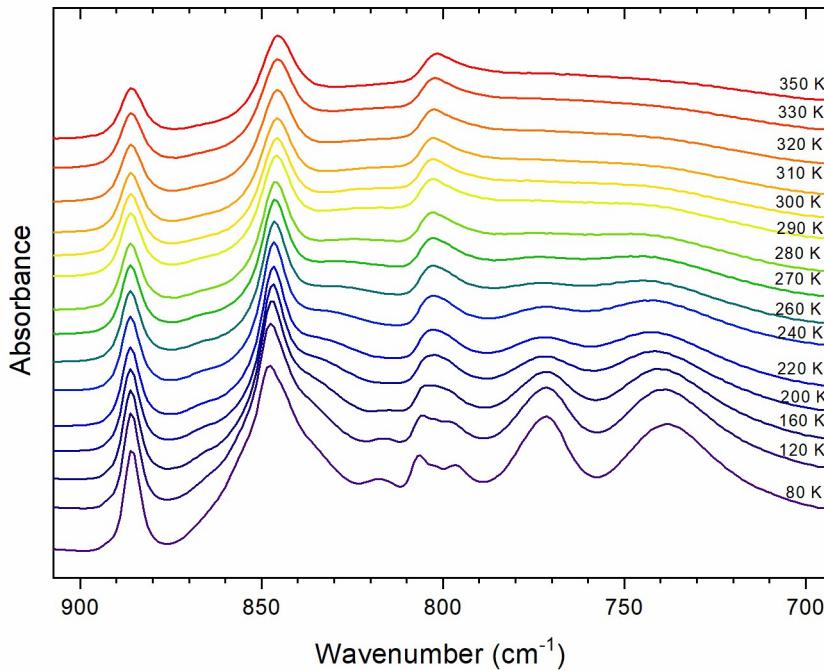


Figure S6. The temperature-dependent IR spectra of **DabcoCrCl** within the range of deformation vibrations of water molecules.

The $M(T)$ curve measured at a small external magnetic field of 100 Oe is shown in Figure S5b. The same data are also depicted in Figure S5a as a function of inverse temperature $M(1/T)$. The shape of the dependencies is typical for paramagnetic materials and agrees very well with Curie's law, which suggests that **DabcoCrCl** is a paramagnetic in the whole studied temperature range. The $M(H)$ measurement at 300 K is shown in Figure S6. It also presents classic behaviour for paramagnetic materials – a linear relationship being an approximation of the Brillouin function at high temperature. The determined mass magnetic susceptibility at 300 K amounts to $\chi_{\text{mass}} = 1.7 \times 10^{-5}$ emu/g*Oe.

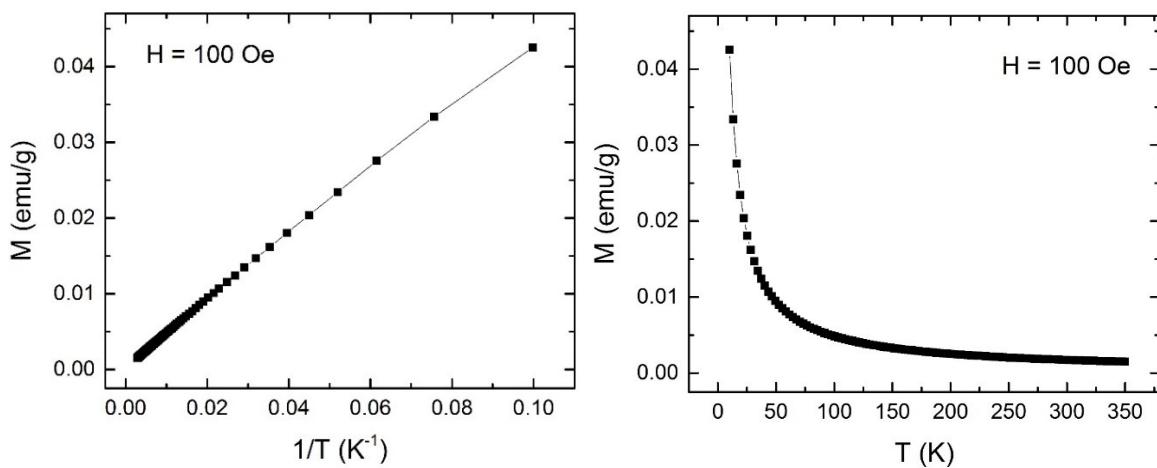


Figure S7. (a) The magnetic moment as a function of temperature at external magnetic field at 300 K. (b) The same data depicted as a function of inverse temperature.

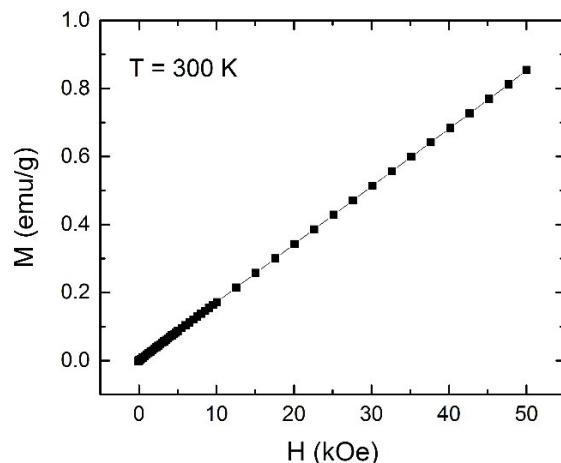


Figure S8. The $M(H)$ curve measured at 300 K.