

## **SUPPORTING INFORMATION**

### **Design of Polymer-free Vitamin-A acetate/Cyclodextrin Nanofibrous Webs:**

#### **Antioxidant and Fast-dissolving Property**

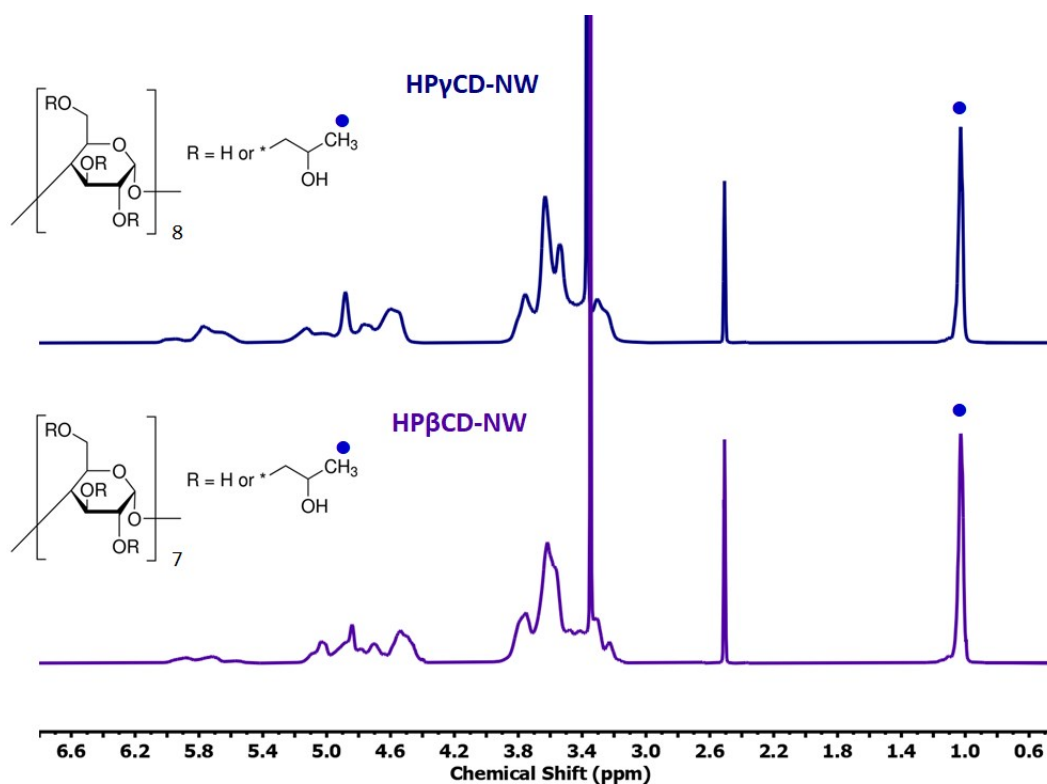
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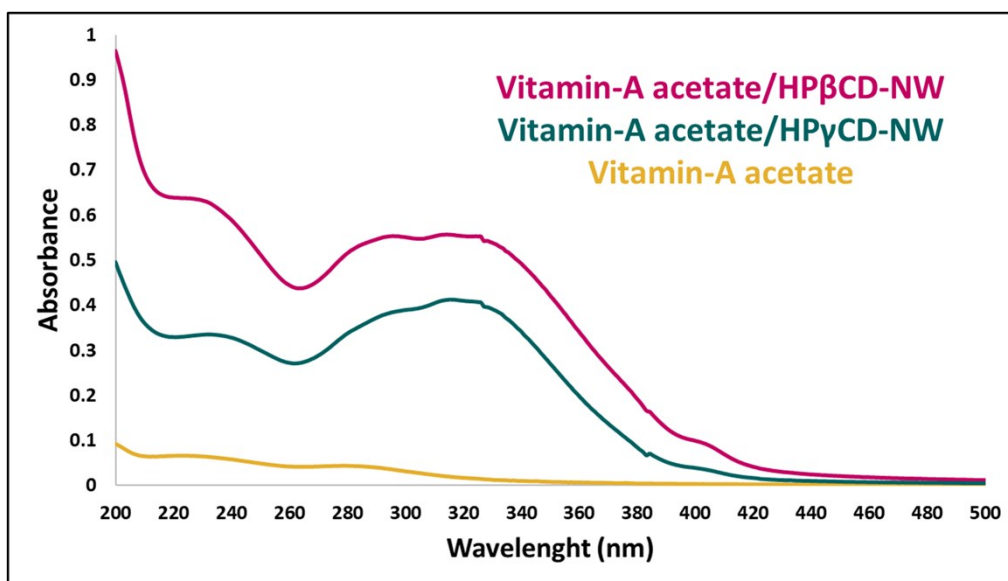
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**Table S1.** The solution properties of viscosity and conductivity and the fiber diameters of resulting electrospun nanofibers.

Nanofibers	Molar ratio (Vitamin-A acetate:CD)	Viscosity (Pa·s)	Conductivity ( $\mu$ S/cm)	Average diameter (nm)
HP $\beta$ CD	-	1.533	36.3	220 $\pm$ 60
Vitamin-A acetate/ HP $\beta$ CD	1:2	1.904	34.7	195 $\pm$ 85
HP $\gamma$ CD	-	2.567	5.8	1260 $\pm$ 245
Vitamin-A acetate/ HP $\gamma$ CD	1:2	3.637	6.8	610 $\pm$ 275



**Fig. S1** <sup>1</sup>H-NMR spectra of HPβCD-NW and HPγCD-NW which were recorded by dissolving samples in *d*<sub>6</sub>-DMSO.



**Fig. S2.** UV-Vis spectroscopy graphs of the solutions of Vitamin-A acetate powder, Vitamin-A acetate/HPβCD-NW and Vitamin-A acetate/HPγCD-NW.

**Note:** For spectrophotometric measurements, ~ 1 mg of Vitamin-A acetate powder and ~ 10 mg of Vitamin-A acetate/CD-NW were stirred in 5 mL distilled water for 1 hour at RT and 150 rpm. Afterwards, all systems were filtered by PTFE filter (0.45 μm) to remove the un-dissolved Vitamin-A acetate parts and UV-Vis measurements were conducted in the range of 200–500 nm.

## Application of release data on mathematical models:

**Zero order model:** The release of drug can be represented by the equation:

$$C_0 - C_t = K_0 t$$

$$C_t = C_0 - K_0 t$$

$C_t$  is the amount of drug released at time  $t$ ,  $C_0$  is the initial concentration of drug at time  $t=0$ ,  $K_0$  is the zero-order rate constant. Here, the slope of the cumulative drug release vs. time plot gives the correlation coefficient ( $R^2$ ) value.

**First order model:** The release of drug can be represented by the equation:

$$dC/dt = -K_1 C$$

$K_1$  is the first order rate constant, expressed in  $\text{time}^{-1}$  or per hour

After rearranging and integrating the equation,

$$\log C = \log C_0 - K_1 t / 2.303$$

$C_0$  is the initial concentration of the drug,  $C$  is the percent of drug remaining at time  $t$ . Here, the slope of the  $\log$  % of drug remaining vs. time gives the  $R^2$  value.

**Higuchi model:** Higuchi release model is represented as:

$$M_t / M_\infty = K_h t^{1/2}$$

where  $M_t / M_\infty$  is the fraction of drug released at each time point ( $t$ ),  $M_t$  is the amount of drug released in time  $t$ ,  $M_\infty$  is the amount of drug released after time  $\infty$ , and  $K_h$  represents the Higuchi release kinetic constant. Here, the plot is obtained by cumulative percentage drug release vs. square root of time and the slope gives  $R^2$  value.

**Korsmeyer-peppas model:** Korsmeyer-peppas model is represented as:

$$M_t / M_\infty = K_{kp} t^n$$

$$\log (M_t / M_\infty) = \log K_{kp} + n \log t$$

$M_t / M_\infty$  is a fraction of drug released at time  $t$ ,  $M_t$  is the amount of drug released in time  $t$ ,  $M_\infty$  is the amount of drug released after time  $\infty$ ,  $n$  is the diffusional exponent or drug release exponent,  $K_{kp}$  is the Korsmeyer release rate constant. Here, the graph is plotted between  $\log$  cumulative % drug release vs.  $\log$  time and the slope gives  $R^2$  value.

**Table S2.** The correlation coefficient ( $R^2$ ) values of Vitamin-A acetate powder, Vitamin-A acetate/HP $\beta$ CD-NW and Vitamin-A acetate/HP $\gamma$ CD-NW calculated by using different kinetic models.

<b>kinetic model</b>	<b>Vitamin-A acetate powder</b>	<b>Vitamin-A acetate/HP<math>\beta</math>CD-NW</b>	<b>Vitamin-A acetate/HP<math>\gamma</math>CD-NW</b>
Zero-order	0.3349	0.1779	0.2479
First-order	0.3350	0.1514	0.2888
Higuchi	0.5699	0.3836	0.4641
Korsmeyer-Peppas	0.6768	0.7565	0.7722
Diffusion exponent ( $n$ value) *	-0.3371	0.6651	0.5980

\*calculated by the linear regression of Korsmeyer-Peppas equation of  $\log(M_t/M_\infty)$  versus  $\log t$ .