

Supporting Information for

**An Interlocked DNA Cascade System for Universal Probe-based Melting Curve Analysis**

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## Theoretical calculation model

During the initial stage, three main reactions happened in the system:

1. probe + bridge → probe/bridge;
2. bridge + target → bridge/target;
3. probe + bridge + target → probe/bridge/ target.

Since the initial concentration of probe, bridge and target were 100 nM, thus

$$[target] + [bridge / target] + [probe / bridge / target] = 100 \text{ nM} \quad (1.1)$$

$$[probe] + [probe / bridge] + [probe / bridge / target] = 100 \text{ nM} \quad (1.2)$$

$$[bridge] + [probe / bridge] + [probe / bridge / target] = 100 \text{ nM} \quad (1.3)^*$$

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Here for presentation simplicity, we set the [probe/bridge], [probe/target], [probe/bridge/ target] to be x, y, z. Thus:

$$[probe] = 100 \text{ nM} - x - z \quad (1.4)$$

$$[WT] = 100 \text{ nM} - y - z \quad (1.5)$$

$$[bridge] = 100 \text{ nM} - x - y - z \quad (1.6)$$

Since

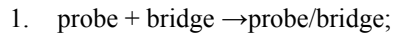
$$\left\{ \begin{array}{l} x = k_1 \cdot [probe] \cdot [bridge] = e^{\frac{-\Delta G_1}{R \cdot T}} \cdot (100 \text{ nM} - x - z) \cdot (100 \text{ nM} - x - y - z) \\ y = k_2 \cdot [target] \cdot [bridge] = e^{\frac{-\Delta G_2}{R \cdot T}} \cdot (100 \text{ nM} - y - z) \cdot (100 \text{ nM} - x - y - z) \\ z = k_3 \cdot [target] \cdot [bridge] \cdot [probe] = e^{\frac{-\Delta G_3}{R \cdot T}} \cdot (100 \text{ nM} - x - z) \cdot (100 \text{ nM} - y - z) \cdot (100 \text{ nM} - x - y - z) \end{array} \right. \quad (1.7)$$

Where  $k_1, k_2, k_3$  were the equilibrium constants for reaction 1, 2, 3 and  $\Delta G_1, \Delta G_2, \Delta G_3$  were the free

energy change of reaction 1, 2, 3.

The analytical solution of equation (1.7) is complex. For convenience of the subsequent description, we simply set the solution of equation (1.7) to be  $(x_1, y_1, z_1)$ .

When no substrate was added to the system, only one main reaction happened:



Since

$$[\text{probe}] + [\text{probe / bridge}] = 100 \text{ nM} \quad (2.1)$$

$$[\text{bridge}] + [\text{probe / bridge}] = 100 \text{ nM} \quad (2.2)$$

we set the  $[\text{probe/bridge}]$  to be  $x$ , thus

$$[\text{probe}] = [\text{bridge}] = 100 \text{ nM} - x \quad (2.3)$$

$$x = k_1 \cdot [\text{probe}] \cdot [\text{bridge}] = e^{\frac{-\Delta G_1}{R \cdot T}} \cdot (100 \text{ nM} - x)^2 \quad (2.4)$$

Similarly, we set the solution of equation (2.4) to be  $x_2$ .

Thus

$$\frac{[\text{probe / bridge / target}]}{[\text{probe / bridge}]} = \frac{z_1}{x_2} \quad (2.5)$$

Next, we used a computer program to solve equations (1.7 and 2.4) numerically. The programs were written in MATLAB:

```
function L=calculate(z1,z2,z3)%z1, z3, z3 refers to ΔG1, ΔG2, ΔG3;  
  
r=8.314;  
  
t=310.15;  
  
y1=exp(-z1/(r*t));  
  
y2=exp(-z2/(r*t));  
  
y3=exp(-z3/(r*t));
```

```

syms x1 x2 x3 p;

[solp0,solp1,solp2] = solve (y1*(10^-7-x1-x3)*(10^-7-x1-x2-x3)-x1==0,y2*(10^-7-x2-x3)*(10^-
7-x1-x2-x3)-x2==0,y3*(10^-7-x1-x3)*(10^-7-x2-x3)*(10^-7-x1-x2-x3)-x3==0,x1,x2,x3);

a1=double(solp0);

a2=double(solp1);

a3=double(solp2);

A=[a1,a2,a3];

n=size(A);

for i=1:n(1)

    if isreal(A(i,1))==1

        if A(i,1)>0&&A(i,1)<10^-7

            if isreal(A(i,2))==1

                if A(i,2)>0&&A(i,2)<10^-7

                    if isreal(A(i,3))==1

                        if A(i,3)>0&&A(i,3)<10^-7

                            y=A(i,:);

                            break

                        end

                    end

                end

            end

        end

    end

end

end

end

end

```

```

end

end

q=y1*(10^-7-p)^2;

r=double(solve(q==p));

if r(1)>0&&r(1)<10^-7

    R=r(1);

    if r(2)>0&&r(2)<10^-7

        R=r(2);

    end

end

end

L=y(3)/R;

```

With this program, we could directly predict the ratio by inputting the values of  $\Delta G_1$ ,  $\Delta G_2$ ,  $\Delta G_3$ . The results were shown as follows:

Table S1. The calculation results of different reaction systems used in this work

Probe	Bridge	Target	$\Delta G_1$ (j/mol)	$\Delta G_2$ (j/mol)	$\Delta G_3$ (j/mol)	Triplex/ duplex
Probe	bridge-1	wt-1	-57027.92	-53931.76	-132298.08	1.0483
Probe	bridge-2	wt-1	-48618.08	-78450.00	-131754.16	1.163
Probe	bridge-3	wt-1	-54015.44	-56776.88	-135477.92	1.0918
Probe	bridge-4	wt-1	-45270.88	-27070.48	-99118.96	1.3721
Probe	bridge-5	wt-1	-53806.24	-50333.52	-129034.56	1.0939
Probe	bridge-6	wt-2	-49162.00	-58743.36	-130331.60	1.2518

Probe	bridge-7	wt-2	-47195.52	-31631.04	-110081.04	1.347
Probe	Bridge	Target	$\Delta G_1$	$\Delta G_2$	$\Delta G_3$	Triplex/ duplex
			(j/mol)	(j/mol)	(j/mol)	
Probe	bridge-8	wt-3	-52467.36	-48157.84	-130540.80	1.1254
Probe	bridge-9	wt-3	-51212.16	-44685.12	-127068.08	1.1619
Probe	bridge-10	wt-4	-61462.96	-59747.52	-140289.52	1.0201
Probe	bridge-11	wt-4	-56986.08	-42634.96	-123135.12	1.1667
Probe	bridge-12	wt-5	-55103.28	-64182.56	-135896.32	1.0713
Probe	bridge-13	wt-5	-52425.52	-57822.88	-129578.48	1.2225
Probe	bridge-14	wt-6	-53178.64	-40961.36	-123344.32	1.1030
Probe	bridge-15	wt-6	-41045.04	-26275.52	-99336.48	1.5126

In order to compare with experimental results in a better way, we modified the mathematical model to calculate the sum of the concentration of triplex and duplex after adding target over the concentration of duplex without adding target.

Thus

$$\frac{[probe / bridge / target] + [probe / bridge]}{[probe / bridge]} = \frac{x_1 + z_1}{x_2} \quad (3.1)$$

Next, we changed the last line of the previous program to “L=(y(1)+y(3))/R” to calculate the ratio.

The results were shown as follows:

Table S2. The calculation results of different reaction systems used in this work

Probe	Bridge	Target	$\Delta G_1$ (j/mol)	$\Delta G_2$ (j/mol)	$\Delta G_3$ (j/mol)	Triplex/ duplex
Probe	bridge-1	wt-1	-57027.92	-53931.76	-132298.08	1.0487
Probe	bridge-2	wt-1	-48618.08	-78450.00	-131754.16	1.1635
Probe	bridge-3	wt-1	-54015.44	-56776.88	-135477.92	1.0924
Probe	bridge-4	wt-1	-45270.88	-27070.48	-99118.96	1.3727
Probe	bridge-5	wt-1	-53806.24	-50333.52	-129034.56	1.0946
Probe	bridge-6	wt-2	-49162.00	-58743.36	-130331.60	1.2529
Probe	bridge-7	wt-2	-47195.52	-31631.04	-110081.04	1.3481
Probe	bridge-8	wt-3	-52467.36	-48157.84	-130540.80	1.1258
Probe	bridge-9	wt-3	-51212.16	-44685.12	-127068.08	1.1624
Probe	bridge-10	wt-4	-61462.96	-59747.52	-140289.52	1.0209
Probe	bridge-11	wt-4	-56986.08	-42634.96	-123135.12	1.1675
Probe	bridge-12	wt-5	-55103.28	-64182.56	-135896.32	1.0720
Probe	bridge-13	wt-5	-52425.52	-57822.88	-129578.48	1.2231
Probe	bridge-14	wt-6	-53178.64	-40961.36	-123344.32	1.1040
Probe	bridge-15	wt-6	-41045.04	-26275.52	-99336.48	1.5132

Table S3. DNA sequences used in this work.

Name	Sequences (5'→3')
Probe	FAM-GGCGCGGGCCCAGCCCCTACCGCGCC-BHQ1
WT-1	GTAAAAGACATGACAGCGATACTTTCCCAGAGC
MT-1	GTAAAAGACATGACAGT GATACTTTCCCAGAGC
WT-2	TTTGCTGAGAATAACAGCTTCTAGCTCCATC
MT-2	TTTGCTGAGAATAACA ACTTCTAGCTCCATC
WT-3	GCAATACCATTCAGGACATAGGCATGGGCAA
MT-3	GCAATACCATTCAGGAT ATAGGCATGGGCAA
WT-4	GGACATTACCACAGATCCTACAGGCATTA
MT-4	GGACATTACCACAGACCCTACAGGCATTA
WT-5	ATGCACCTGTAACAATAGCTGAGTCTTGG
MT-5	ATGCACCTGTAACAACAGCTGAGTCTTGG
WT-6	TGGTGTTTCATCAAATGAGTGATC
MT-6	TGGTGTTTCATCAAGTGAGTGATC
WT-1-L	GCAACTGGAGCCAAGAAGAGTAACAAGCCAAATGAACAGACAAGTAA AAGACATGACAGCGATACTTTCCCAGAGCTGAAGTTAACAAATGCACC TGGTTC
MT-1-L	CCTGCAACTGGAGCCAAGAAGAGTAACAAGCCAAATGAACAGACAAG TAAAAGACATGACAGT GATACTTTCCCAGAGCTGAAGTTAACAAATGC ACCTGGTTC



Name	Sequences (5'→3')
WT-4-L	CACACAAATTACTAGCATCAGGAATGAAGGAGAGGACATTACCACAGA TCCTACAGGCATTA AAAAGAGAACAGGCAAATTATCATGAACTACTTA TGCTAATAAAC
MT-4-L	CACACAAATTACTAGCATCAGGAATGAAGGAGAGGACATTACCACAGA CCCTACAGGCATTA AAAAGAGAACAGGCAAATTATCATGAACTACTTA TGCTAATAAAC
Bridge-1	GCGCGACGGGAAAGTATCACTGTCATGTCGCGCGGTAGGGGCTGGGC
Bridge-2	CCGCGCTGAGGGAAAGTATCACTGTCATGTCAGCCGGTAGGGGCTGGG C
Bridge-3	CCGCGCATGGGGAAAGTATCACTGTCATGTCATGCGCGGTAGGGGCTG GGC
Bridge-4	CCGCGGACAAAGTATCACTGTCATGTCGCGCGGTAGGGGCTGGGC
Bridge-5	CCGCGCATGGAAAGTATCACTGTCATGTCATGCGCGGTAGGGGCTGGC
Bridge-6	CCGCGCTGAGGAGCTAGAAGTTGTTATTCTCAGCGCGGTAGGGGCTGC
Bridge-7	CCGCGCGAGGCTAGAAGTTGTTATTCTCAGCGCGGTAGGGGCTGGGC
Bridge-8	CCGCGCCCACCATGCCTATATCCTGAATGGGCGCGGTAGGGGCTGGGC
Bridge-9	CCGCGCCAATGCCTATATCCTGAATGGGCGCGGTAGGGGCTGGGC
Bridge-10	CCGCGCTACGCCTGTAGGGTCTGTGGTAGCGCGGTAGGGGCTGGGC
Bridge-11	CCGCGCTACCCGTAGGGTCTGTGGTAGCGCGGTAGGGGCTGGGC
Bridge-12	CCGCGCACCGACTCAGCTGTTGTTACAGGTGCGCGGTAGGGGCTGGGC

Name	Sequences (5'→3')
Bridge-13	CCGCGCACCACTCAGCTGTTGTTACAGGTGCGCGGTAGGGGCTGGGC
Bridge-14	CCGCGCGGTTCACTCACTTGATGAACACCGCGCGGTAGGGGCTGGGC
Bridge-15	CCGCGCGGTACTCACTTGATGAACACCGCGCGGTAGGGGCTGGGC
FP-1	GCAACTGGAGCCAAGAAGA
RP-1	GAACCAGGTGCATTTGTTAAC
FP-2	CACACAAATTACTAGCATCAG
RP-2	GTTTATTAGCATAAGTAGTTCAT
ssDNA-1	TTTTACTTGTCTGTTCAATTTGGCTTGTTACTCTTCTTGGCTCCAGTTGCA GG
ssDNA-2	CTGGTATTTGAACACTTAGTAAAAGAACCAGGTGCATTTGTTAACTTCA GCTCTGGG
ssDNA-3	GTCCTCTCCTTCATTCCCTGATGCTAGTAATTTGTGTGTTTTCTCT    TTG TTC TTA ATC AAT ATA GC
ssDNA-4	GATATAGTTGTGTTTATTAGCATAAGTAGTTCATGATAATTTGCCTGTT CTCTT TTAA

The point mutations in the sequences are indicated in red.

## 1. Optimization of the bridge design of five other mutation points

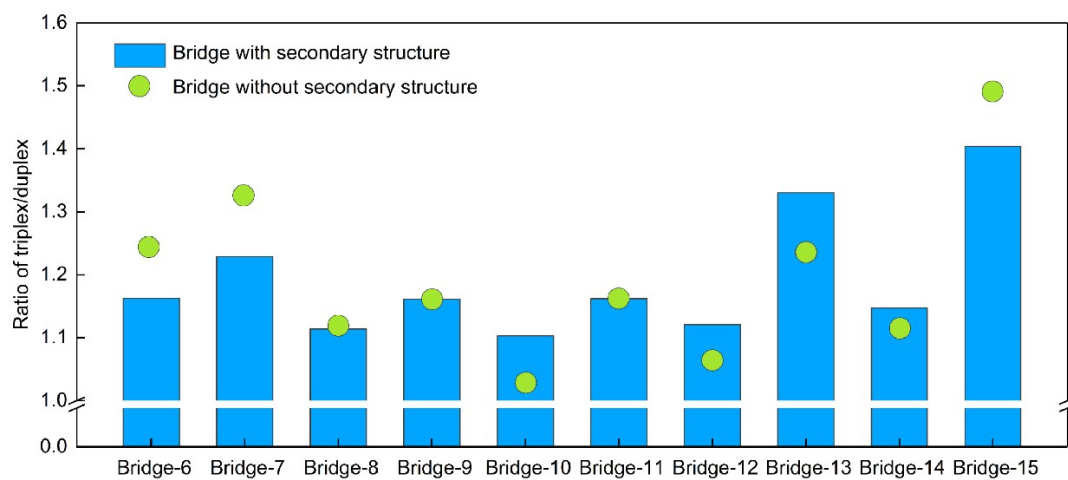


Figure S1. Choose the best Bridge strands of *BRCA1/c.5152+66G>A*, *RCA1/c.2612C>T*, *BRCA2/c.7397T>C*, *BRCA2/c.8755-66T>C*, *BRCA2/c.2971A>G* mutation points by comparing the calculated values with the experimental values.

## 2. Schematic illustration of the ssDNA strand strategy

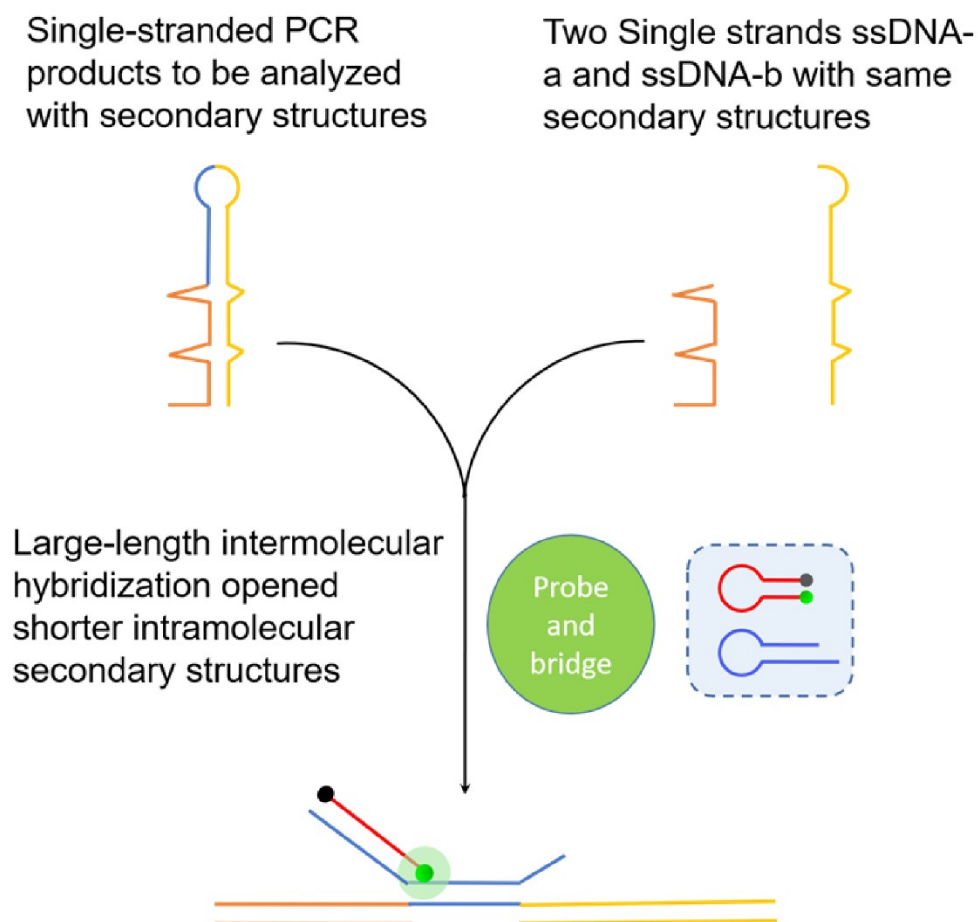


Figure S2. two single-stranded strands ssDNA-a and ssDNA-b were designed to eliminate the influence of the secondary structure on the detection performance. After asymmetric PCR of genomic DNA, ssDNA-a and ssDNA-b were added at 1, 2, 4, and 8 times the bridge concentration. The results showed 4 times the concentration of ssDNA-a and ssDNA-b can get a better discrimination effect.

### 3. Sanger sequencing of mutations from genomic DNA of ovarian cancer patient and normal genomic DNA from normal after asymmetric PCR.

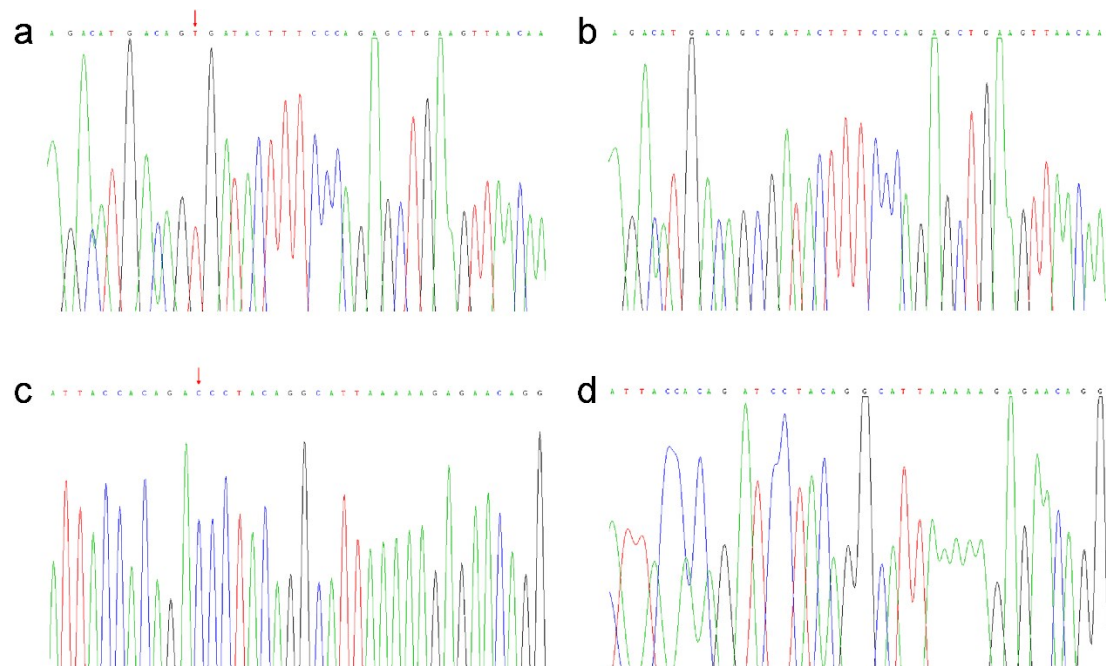


Figure S3. (a) *BRCA1/c.2082C>T* mutation from genomic DNA of ovarian cancer patient 1. (b) *BRCA1/c.2082C>T* of normal genomic DNA from normal people. (c) *BRCA2/c.7397T>C* mutation from genomic DNA of ovarian cancer patient 2. (d) *BRCA2/c.7397T>C* of normal genomic DNA from normal people. (Mutated bases are marked with red arrows).