## Elecronic Supporting Information - Ion Shuttling between

### Emulsion Droplets by Crown Ether Modified Gold Nanoparticles

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# 1. Emulsions



**Figure ESI1:** Freshly prepared water-in-chloroform emulsions. The emulsions are the opaque yellow layers on top of the clear red continuous phase (chloroform). The dominant yellow colour of the

emulsions is due to the presence of the fluorescent dye calcein. The red colour of the chloroform stems from the partitioning GNPs.

Based on literature methods<sup>[1]</sup>, stable water-in-oil emulsions were obtained with *Span80* as a surfactant with the optimal hydrophilic-lipophilic balance (HLB).<sup>[2]</sup> A number of different oil phases were tested. Decane<sup>[3]</sup> (Figure ESI6) and toluene (Figure ESI7) led to stable emulsions but no GNP mediated transport between the droplets could be observed. Chloroform both supported transport by GNPs, and gave very stable emulsions (Figure ESI2). Droplet size distributions were measured five minutes after mixing, and again after four days. There was no significant change. The ability of chloroform to support GNP phase transfer is believed to be linked to its relatively high polarity. These findings indicate that *direct transfer* between the two solvents. While surfactant mediated transport of fluorescent molecules and ions are recognised phenomena in some emulsions,<sup>[4-5]</sup> we found no evidence of this in our experiments. In the absence of GNPs, no partitioning of the calcein dye between the droplets was observed, and no precipitation of BaSO<sub>4</sub> ocurred.



**Figure ESI2** Size distribution of droplets obtained via ImageJ, counting around 100 droplets 5 minutes after mixture (left) and again after 4 days (right). Mean diameter is 151.4  $\mu$ m (±32  $\mu$ m) and 148.1  $\mu$ m (±33  $\mu$ m), respectively.

### 2. Representative Optical Microscopy Images of

### **Different Emulsion Droplets**



**Figure ESI3** Emulsion mixture clearly showing precipitate in the calcein stained droplet (green fluorescent). At 20x magnification, with insert showing precipitate growing on the interface (40x magnification). Note: At low magnification and with small droplets the green fluorescent light reflects on the droplet interfaces and makes all droplets appear green.



**Figure ESI4** Emulsion mixtures with no GNP transporter present yields no precipitate (40x magnification top and 20x, bottom)



**Figure ESI5** Emulsion mixture (sample 2) with GNP transporter and Fe(II) present in the target droplet, yielding large amount of BaSO<sub>4</sub> precipitate (40x magnification top and 20x, bottom).



Figure ESI6 Decane based emulsion mixture with GNP transporter, after 4 days (20x magnification).



Figure ESI7 Toluene based emulsion mixture with GNP transporter, after 1 day (20x magnification).

## 3. Cation/Anion Effects

Screening for potential anion and/or cation effects was carried out using a range of diffent salts as sources for both barium and for sulfate. The experiments were conducted following the same procedure outlined in the manuscript, where two emulsions solutions were prepared, one containing the barium *source* along with the GNP transporters and the other containing the sulfate *target*. By manually counting the precipitate crystals observed in the micrographs, the efficiency of the alternative sources was estimated. Figure ESI8 shows the results for Ba(ClO<sub>4</sub>)<sub>2</sub>, Ba(C<sub>2</sub>H<sub>3</sub>O<sub>2</sub>)<sub>2</sub> and Ba(NO<sub>3</sub>)<sub>2</sub>. All were used as 25 mM solutions as with BaCl<sub>2</sub> (shown for comparison).



Figure ESI8 Addition of various sources of barium, yielding comparable results for precipitation.

Figure ESI9 shows the results for alternative sulfates, namely  $Cs_2SO_4$ ,  $MgSO_4$  and  $Li_2SO_4$  (also used in 25 mM). A typical value for  $K_2SO_4$  is also shown for comparision. The choice of cation appears to have little to no influence on the amount of precipitate formed.

Note that higher concentrations of GNPs were used here, compared to the values presented in Figure ESI8 and in Table 1 in the paper. Direct quantitative comparison of all data presented is therefore not possible.



**Figure ESI9** Addition of various sources of sulfate yielding comparable amounts of precipitates. Note: higher concentration of GNP used here compared to the values presented in ESI8 and Table 1.

### 4. Complexation of Cations within the Emulsion Droplets

Complexation of *18-crown-6* ligands with group I and group II cations has been widely investigated<sup>[6,7]</sup> consistently showing first-order complex formation kinetics (Table ESI1) and reversible zero-order dissociation with characteristic fast reactions times for both direct and inversed reactions. Similarly, thermodynamic complexation data in water for *18-crown-6* ligands have been determined for a wide range of structural variations showing only small effects on the equilibrium constants for Ba<sup>2+</sup> and K<sup>+</sup>, suggesting that the coordination centre of *18-crown-6* ligands is not significantly affected by non-coordinating substituent groups in the macrocycle.<sup>[7]</sup> The fast kinetics and robust thermodynamic behaviour of this ligand will allow us to apply in the following sections a quasi-equilibrium approximation within each emulsion droplet, assuming that the dynamics of formation and dissociation of metal complexes are much faster than the diffusion of shuttle GNPs between the droplets and that the coordination properties of the ligand are not significantly affected within the microheterogeneous system.

	Equilibrium constant	Kinetic rate	Kinetic rate constants				
cation	$logK_{M:crown}^{eq}$	$k_{M:crown}^{f} (M^{-1} s^{-1})$	$k_{M:crown}^{d}$ (s <sup>-1</sup> )				
Ba <sup>2+</sup>	3.87	1.3 ·10 <sup>8</sup>	1.7 ·10 <sup>4</sup>				
K+	2.03	4.3 ·10 <sup>8</sup>	3.7 ·10 <sup>6</sup>				
Cs+	0.98	7.8 ·10 <sup>9</sup>	4.4 ·10 <sup>7</sup>				
Na <sup>+</sup>	0.80	2.2 ·10 <sup>8</sup>	7.9 ·10 <sup>7</sup>				
Ca <sup>2+</sup>	0.48	< 1 ·10 <sup>8</sup>	> 3.2 10 <sup>7</sup>				
Li+	≈ 0	≈ 8 ·10 <sup>7</sup>	$\approx 6 \cdot 10^7$				

**Table ESI1** Thermodynamic equilibrium constants ( $K^{eq}$ ), kinetic constants of formation ( $k^{f}$ ) and dissociation ( $k^{f}$ ) for metal complexes in water. (Data obtained from reference<sup>5</sup>.)

#### Complexation Equilibrium within Source Droplets.

The source droplets contain  $BaCl_2$  ( $[Ba^{2+}]_0 = 25mM$ ) and crown-ether ligands anchored to the GNPs (initial ligand concentration 5µM, based on GNP concentration and estimated ligand coverage). Under equilibrium conditions, the concentrations of free cation [Ba<sup>2+</sup>], free ligand [crown] and complex [crown:Ba<sup>2+</sup>] obey the law of mass action equation:

$$K_{crown:Ba^{2}+}^{eq} = \frac{[crown:Ba^{2}+]}{[Ba^{2}+] \cdot [crown]}$$

Where  $K_{crown:Ba^2}^{eq}$  is the apparent complexation constant. Using this expression and the data in Table ESI1, we can estimate the initial ratio of complex to free ligand within the source emulsion:

$$\frac{[crown:Ba^{2+}]}{[crown]} = [Ba^{2+}]_0 \cdot K_{crown:Ba^{2+}} = 143.8$$

The value obtained suggests that under starting conditions of the source emulsion, barium complexation is considerably favoured, with over 99% of the ligand molecules coordinated to Ba<sup>2+</sup> ions. Interestingly, when Ba<sup>2+</sup> is being transported out by the shuttle NPs, a reduction of one order of magnitude on the concentration of Ba<sup>2+</sup> would lead only to a slight decrease of the complexation extent within the source emulsion (95% of complexation for 2.5mM of Ba<sup>2+</sup>), evidencing the strong affinity of the ligand for Ba<sup>2+</sup>.

#### Complexation Equilibrium within Target Droplets

We follow a similar approach to describe the complexation equilibria in the target droplets, but considering in this case also the precipitation equilibrium of  $BaSO_4$ . As the shuttle GNPs diffuse from the source droplet to the target droplet, they carry complexed  $Ba^{2+}$ , which can subsequently react with  $SO_4^{2-}$  present in the target droplets. The processes involved here can be associated to the equilibrium constants as follow:

$$K_{crown:Ba^{2}+}^{eq} = \frac{[crown:Ba^{2}+]}{[Ba^{2}+] \cdot [crown]}$$
$$K_{crown:K}^{eq} = \frac{[crown:K^{+}]}{[K^{+}] \cdot [crown]}$$
$$Ksp_{(BaSO_{4})} = [Ba^{2}+] \cdot [SO_{4}^{2}-]$$

Where Ksp is the solubility constant of  $BaSO_4$ . Combining these equations, and considering the initial concentration of  $K_2SO_4$  in the target droplets (25mM), we can estimate the ratio between of  $Ba^{2+}$  and  $K^+$  complexes as:

$$\frac{[crown:Ba^{2+}]}{[crown:K^{+}]} = \frac{K_{crown:Ba^{2+}}^{eq}}{K_{crown:K^{+}}^{eq}} \cdot \frac{Ksp_{(BaSO_4)}}{[SO_4^2]_0 \cdot [K^{+}]_0} = 6 \cdot 10^{-6}$$

This value suggests that, when the shuttle GNPs loaded with  $Ba^{2+}$  encounter the target droplet rich in  $K_2SO_4$ , cation exchange occurs, and  $BaSO_4$  precipitation is considerably favoured. Also, under these conditions, the ratio of crown:K<sup>+</sup> complex to free ligand can be estimated as:

$$\frac{[crown:K^+]}{[crown]} = [K^+]_0 \cdot K_{crown:K^+}^{eq} = 5.3$$

In this case, complexation is initially favoured, with over 84% of the ligand molecules coordinated to K<sup>+</sup> ions at the starting concentration. However, if the concentration of K<sup>+</sup> eventually decreases by one order of magnitude as the result of diffusion of shuttle GNPs carrying K<sup>+</sup>, the complexation of K<sup>+</sup> is drastically impaired (below 35% for 5 mM of K<sup>+</sup>). This suggest that the transport mechanism is not dependent on reverse transport of cations from *target* to *source* droplets by complexation.

#### Complexation Equilibrium in the Presence of Different Cations.

We have also performed experiments with different sulfate salts within the target droplets, to evaluate the role of cation complexation on the back transport of ions, from the target emulsion towards the source emulsion. If  $Ba^{2+}$ ions exchange with other, strongly complexing cations, co-transport of associated  $SO_4^{2-}$  ions towards the source droplets could occur and lead to the precipitation of  $BaSO_4$  also in the source droplets, which is never observed.

The complexation data presented in Table ESI1 allow us to establish the ranking of *18C6* coordination affinity for the cations as:

$$Ba^{2+} > K^+ > Cs^+ > Na^+ \ge Mg^{2+} \ge Ca^{2+} > Li^+$$

Here we have included Ca<sup>2+</sup> and Na<sup>+</sup> for comparison purposes, since data for 18C6:Mg<sup>2+</sup> complexation are not available. Using the stability constants for these complexes, we can estimate that the fraction of 18-crown-6 ligands complexing metal cations within the target droplets falls below 32% for Cs<sup>+</sup> and Mg<sup>2+</sup>, and drops even lower for Li<sup>+</sup> (≈0.5% of 18C6:Li<sup>+</sup> complexes), which are significantly lower than the predicted values for K<sup>+</sup> (84% for initial K<sup>+</sup> concentration 25mM). We would expect that this drastic change on the ability of cations to interact with the ligand might have a considerable impact on the back transport of the shuttle GNPs, if electroneutrality is maintained when crossing the water/non-ionicsurfactant/chloroform interface. Surprisingly, the results suggest that substituting K<sup>+</sup> for Li<sup>+</sup>, Cs<sup>+</sup> or Mg<sup>2+</sup> does not impair the performance of the diffusion-controlled system, with formation of BaSO<sub>4</sub> precipitate in the target emulsion for all these metal cation salts (see Figure ESI9). We can therefore conclude, at least qualitatively, that cation complexation within the target droplets is not playing a critical role in the turnover of the Ba<sup>2+</sup> transport process, and assume that after releasing the cargo within the target droplets, the shuttle NPs can also return "empty" upstream to the source droplets, to continue transporting the Ba<sup>2+</sup> ions across. This poorer coordination ability of the cations present in the target droplets, alongside depletion of SO<sub>4</sub><sup>2-</sup> by precipitation of BaSO<sub>4</sub>, will result in a reduced migration of SO<sub>4</sub><sup>2-</sup> counter ions between the two types of droplets, consistent with the experimental observation of precipitation exclusively within the target droplets.

#### Estimation of Surface Charge on Shuttle GNPs

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We have also investigated the surface charge of the GNPs functionalised with *18-crown-6* in the absence and in the presence of different salts containing coordinating cations. The Z potential of the different systems were measured experimentally, and the apparent surface charge was calculated following Oshima's approximation for salt-free<sup>[8]</sup> and general electrolyte solutions.<sup>[9]</sup> This model assumes that the electric potential at a distance *r* from the centre of a spherical nanoparticle obeys a Poisson-Boltzmann equation:

$$\frac{\partial^2 y}{\partial r^2} + \frac{2\partial y}{r\partial r} = -\frac{\kappa^2 \sum_i z_i n_i e^{-z_i y}}{\sum_i z_i^2 n_i}$$

Where y is the reduced electric potential associated to the electric potential  $\psi(r)$  and it is

defined as  $=\frac{q_e\psi(r)}{K_BT}$ ; with the boundary conditions  $\frac{\partial\psi}{\partial r}\Big|_{\infty}=\psi(\infty)=0$ .

In this expression,  $K_B$  is the Boltzmann constant, T is the temperature in Kelvin,  $q_e$  is the elementary charge,  $z_i$  and  $n_i$  are the valence and the concentration of each ionic species present in solution, and  $\kappa$  is the Debye-Hückel parameter of the electrolyte solution. To ensure electroneutrality, the nanoparticle surface with a certain charge density  $\sigma_Z$  will be surrounded by counter ions of opposite charge (Figure ESI10). A fraction of these counter ions will be strongly bound to the surface, forming a double layer that moves with the particle, while other counter ions will be dissociated into the solution following the Poisson-Boltzmann distribution. The electric potential at the interface between these two regions is experimentally accessible with Z potential measurements ( $\psi_Z$ ), and can be associated with the surface charge density through the Poisson-Boltzmann differential equation above.

Oshima<sup>11</sup> proposed an approximate solution of the Poisson-Boltzmann differential equation that leads to the following expression for the surface charge density of a particle ( $\sigma_z$ ) dispersed in a general electrolyte solution:

$$\sigma_{Z} = \frac{\varepsilon_{R} \varepsilon_{0} K_{B} T}{q_{e}} \kappa \left(1 - e^{-y_{Z}}\right) \left[\frac{2 \sum_{i} n_{i} (e^{-z_{i} y_{Z}} - 1)}{\left(1 - e^{-y_{Z}}\right)^{2} \sum_{i} z_{i}^{2} n_{i}}\right]^{1/2}$$

With the reduced surface potential defined as  $y_Z = \frac{q_e \psi_Z}{K_B T}$ ; and  $\varepsilon_R \varepsilon_0$  the electric permittivity of the dispersion media. For the special case of a salt free media, the approximate expression for  $\sigma_Z$  resembles the unscreened Coulomb potential<sup>9</sup>:

$$\sigma_Z = \frac{\varepsilon_R \varepsilon_0 \psi_s}{a}$$

Using these expressions, we calculated the surface charge density ( $\sigma_z$ ) of the GNPs based on the Z potential values determined experimentally in the presence of different coordinating cations and counter ions associated with local microenvironments at source and target emulsion droplets (Table ESI2). Interestingly, the cation free GNPs display a slightly negative surface charge, that turn into positive values in the presence of Ba<sup>2+</sup> and K<sup>+</sup>. However, after cation-coordination,  $\sigma_z$  values are considerably lower than the surface charge densities at the cation coordination layer ( $\sigma_c$ ). This may be due to the screening effect of the double layer of counter ions strongly bound to the surface, which reduces the net charge at the interface of the GNPs (Figure ESI10). Combining  $\sigma_z$  and  $\sigma_c$  values, we have estimated that the extent of charge screening at the double layer ( $\%S_{DL}$ ) is above 86% for all the experimental conditions investigated. This charge screening effect may also facilitate the diffusion of the shuttle GNPs across the water/non-ionic-surfactant/chloroform interface, ensuring electroneutrality of the system.

Note:  $\sigma_z$  values calculated from zeta potential data using salt-free approximation for the cationfree nanoparticles, and general electrolyte approximation for all other conditions.  $\sigma_c$  where calculated considering complexation equilibrium constants in Table ESI1.

	Cation	IS (M)	ψ <sub>z</sub> (mV)	σ <sub>z</sub> (q <sub>e</sub> nm <sup>-2</sup> )	σ <sub>c</sub> (q <sub>e</sub> nm <sup>-2</sup> )	%S <sub>DL</sub>
Aqueous media						
no salt	-	~ 0	-8.1	-1.59 ·10 <sup>-3</sup>	-	-
0.5mM BaCl <sub>2</sub>	Ba <sup>2+</sup>	1.5 ·10 <sup>-3</sup>	+25.3	+1.28 ·10-2	+3.14	99.6
0.5mM K <sub>2</sub> SO <sub>4</sub>	K+	1.5 ·10 <sup>-3</sup>	+18.0	+1.17 ·10-2	+0.19	86.5
1.0mM KCl	K+	1.0 . 10-3	+19.3	+8.80 ·10 <sup>-3</sup>	+0.19	89.8
0.5mM BaCl <sub>2</sub> + 1mM	Ba <sup>2+</sup> K <sup>+</sup>	1 1 .10-2	+2.6	+5 48 .10-3	+3 05	00.8
K <sub>4</sub> Fe(CN) <sub>6</sub>	Da ,K	1.1.10	12.0	13.48.10	13.05	55.0
1.0mM KCl + 1mM	K+	1.1 . 10-2	-24.4	-4.20 ·10 <sup>-2</sup>	+0.70	106.1

K <sub>4</sub> Fe(CN) <sub>6</sub>										
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**Table ESI2** Experimental zeta potential ( $\psi_z$ ), surface charge density ( $\sigma_z$ ), surface charge density at the coordination layer ( $\sigma_c$ ), and extent of charge screening at the double layer ( $\$S_{DL}$ ) for different experimental conditions associated with source and target micro-emulsion.



**Figure ESI10** Schematic representation of the surface charge density at the different interface layers on the GNPs. Upon coordination of the metal cations, a strongly bound double layer of counter ions screens the charge density at the interface, while other counter ions will be dissociated into solution, following the Poisson-Boltzmann distribution. The extent of charge screening will depend on the balance between counter ion dissociation and double layer binding.  $\sigma_{NP}$ ,  $\sigma_{C}$ , and  $\sigma_{Z}$  are the surface charge densities at the nanoparticle core, at the coordination layer and the double layer, respectively.

## 5. GNP Phase Transfer

To study the phase transfer behaviour of the larger (7 nm) 18-Crown-6-functionalised GNPs, a simple two-phase experiment was set up.  $BaCl_2$  (1 mM) was added to 5 ml of an aqueous GNP solution (166 nM). Then, 5 ml of chloroform was added creating a simple two-phase liquid/liquid system with the chloroform phase at the bottom. The samples were left to stand and photographed regularly over a six hour period (see Figure ESI11). In the prescence of  $BaCl_2$  the GNPs partitioned between the two phases and also accumulated at the interface. In the absence of complexing cations no partitioning was observed.



**Figure ESI11:** Phase-transfer in the presence of  $BaCl_2$  (1 mM) over a 6 hour period, showing the gradual partitioning of GNPs between the aqueous (top) and the chloroform layer (bottom) and some accumulation at the interface.

### 6. Cryo-SEM



**Figure ESI12** Cryo-ESEM images (b-f), showing the sample frozen solid in liquid nitrogen (a) and afterwards crushed using a tweezer (b). Effects of too high humidity in the sample chamber (c) causing ice crystal formation, and too low (d) causing sublimation of the aqueous droplets. Intact frozen droplets are shown in (e) while the inset and (f) show BaSO<sub>4</sub> precipitates from inside a partially sublimed droplet.

## 7. Movie of BaSO<sub>4</sub> Precipitation

A movie showing the formation of precipitates in the *target* droplets is attached digitally as Supplementary Information. The *target* droplets are clearly distinguished by the presence of the calcein dye giving them a bluish appearance. In this experiment, the *target* droplets contained MgSO<sub>4</sub> (25 mM), and the *source* droplets BaCl<sub>2</sub> (25 mM) and the GNP transporters (166 nM).

The movie is 20 times faster than real time and was obtained under an optical microscope at 20 fold magnification. No coalescence of droplets is observed over its duration, which is further supported by the stable droplet size distribution (Figure ESI13).

The apparent flickering and change in light is due to manual refocusing during data acquisition in order to make sure that some precipitates forming within the 3D droplets remain in focus. This also accounts for the apparent change in droplet size.



Figure ESI13 Size distribution of droplets before and after acquisition of the movie.

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