

## Supplementary Information

### Fine tuning the structural colours of photonic nanosheet suspensions by polymer doping

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AFM and SEM characterization of the  $\text{H}_3\text{Sb}_3\text{P}_2\text{O}_{14}$  nanosheets.

A sample for AFM and SEM was made by depositing a drop of solution of  $\text{H}_3\text{Sb}_3\text{P}_2\text{O}_{14}$  at 1 g/L onto a clean Si wafer fragment ( $\approx 1 \text{ cm}^2$ ). The drop was left in contact for 5 min and then removed. Figure SI 1 presents a collage of adjacent images of the nanosheets recorded with a Hitachi S-4500 Scanning Electron Microscope (SEM) at a x1000 magnification and 25 kV acceleration voltage. Figure SI 2 displays an image of the same sample (different zone) obtained using a Digital Instrument Veeco Multimode Atomic Force Microscopy (AFM) equipped with Nanoscope<sup>®</sup> IIIa Scanning Probe Microscope controllers (with automated line flattening and no additional data treatment).

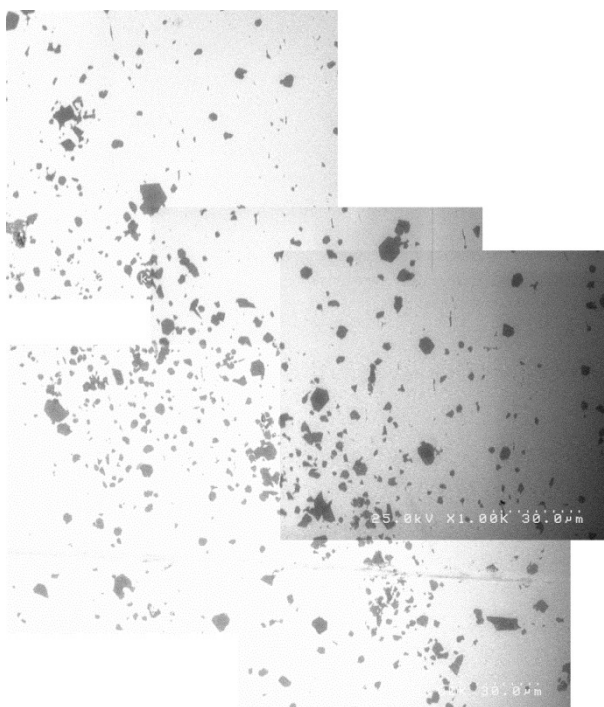


Figure SI 1. Typical scanning electron microscopy image of  $\text{H}_3\text{Sb}_3\text{P}_2\text{O}_{14}$  nanosheets. The measurement of 340 particles provided their average diameter (1100 nm) and standard deviation (70%).

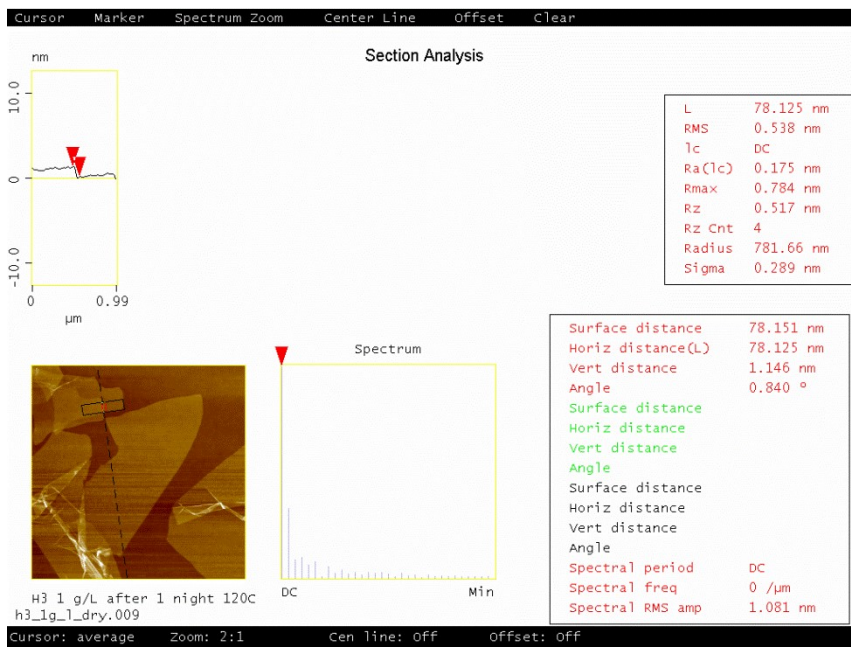
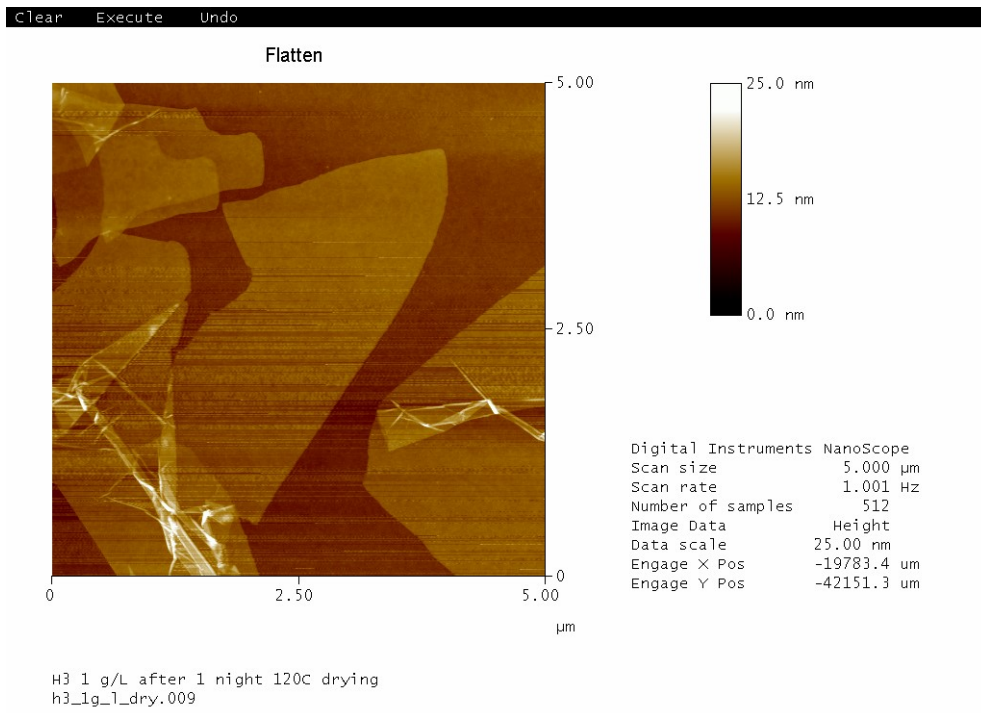
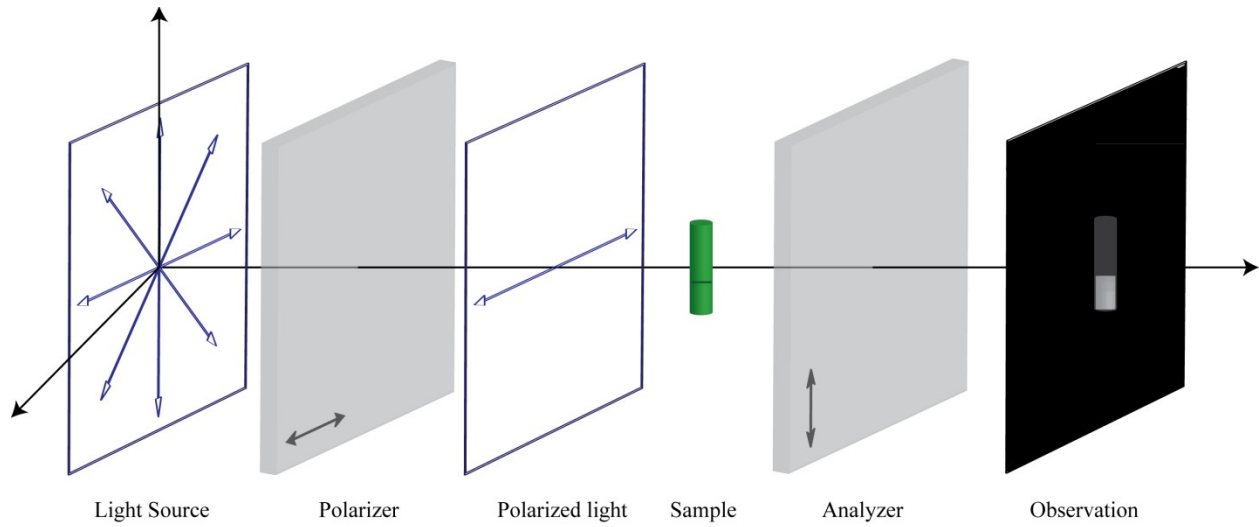


Figure S1 2. Top: Typical atomic force microscopy image of  $H_3Sb_3P_2O_{14}$  nanosheets. Bottom: one example of vertical cut in the image showing that the nanosheet thickness is  $\approx 1.1$  nm.



*Figure SI 3. Left: Schematic representation of the “magic box” that allows for the observation of samples in polarized light. The blue double-headed arrows represent the polarization state of the light in the different parts of the device, the black double-headed arrows represent the polarizer and analyzer directions, and the green cylinder, placed between the polarizer and analyzer represents a biphasic sample, with a birefringent phase at the bottom and an isotropic phase at the top, as depicted at the observation level.*

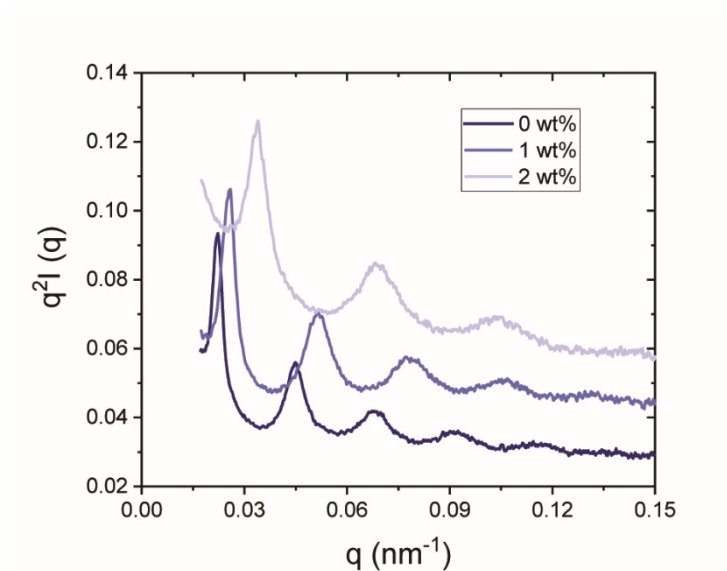


Figure SI 4. Curves of azimuthally-averaged scattered intensity in Kratky representation,  $q^2 \cdot I(q)$  versus  $q$ , of three samples with same nanosheet weight fraction,  $C_{H_3} = 0.16$  wt%, but different PEO (100 kDa) weight fractions: 0, 1, and 2 wt%.

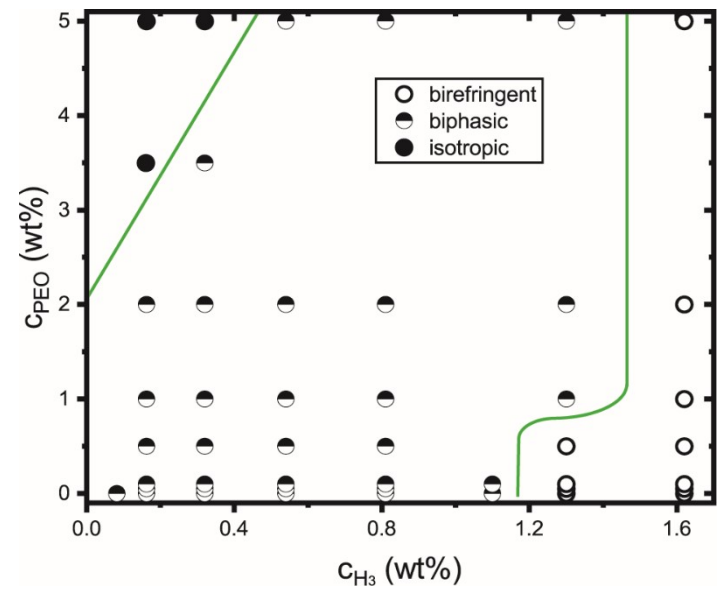


Figure SI 5. Experimental phase diagram of the PEO (100 kDa) /  $H_3Sb_3P_2O_{14}$  colloidal suspensions. The green lines are guides to the eye indicating schematically the boundaries of the isotropic/birefringent nematic coexistence region.

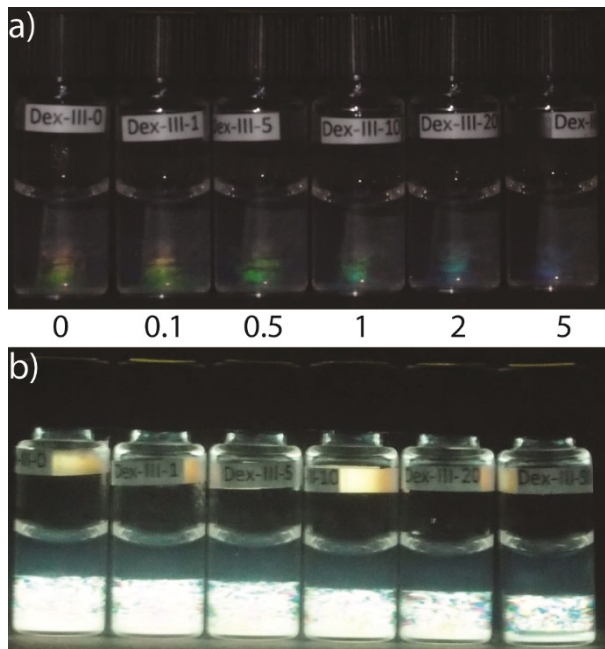


Figure SI 6. Photographs of a series of sample tubes, with constant  $C_{H3} = 0.54$  wt% and dextran weight fraction increasing from left to right:  $C_{dex} = 0, 0.1, 0.5, 1, 2,$  and  $5$  wt%, observed a) in natural light: the structural color changes from red to blue due to dextran doping, and b) between crossed polarizers: the birefringent phase is barely destabilized.

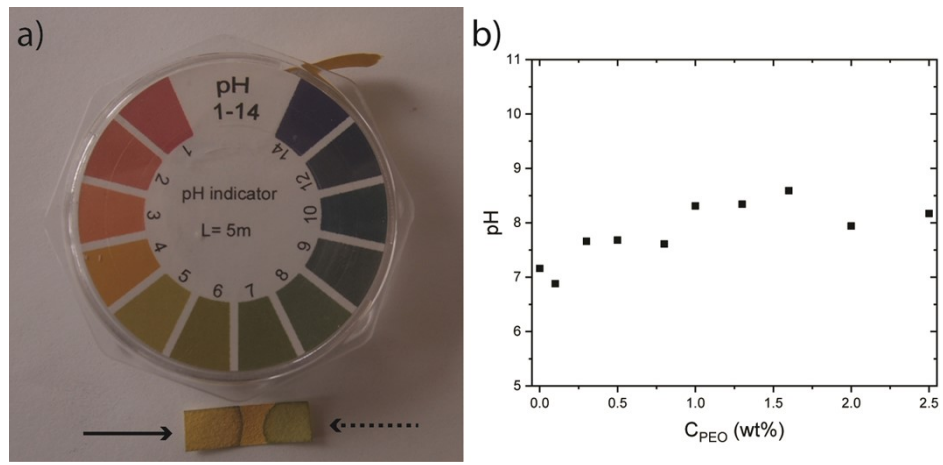


Figure SI 7. Lewis base character of PEO (100 kDa). a) Qualitative comparison of the pH ( $\approx 6$ ) of a drop of pure water (solid arrow) with that ( $\approx 8$ ) of a drop of PEO solution ( $25 \text{ g.L}^{-1}$ , dashed arrow). The PEO solution clearly has a pH more basic than pure water. b) Dependence of pH on the PEO weight fraction, measured with a pH-meter.

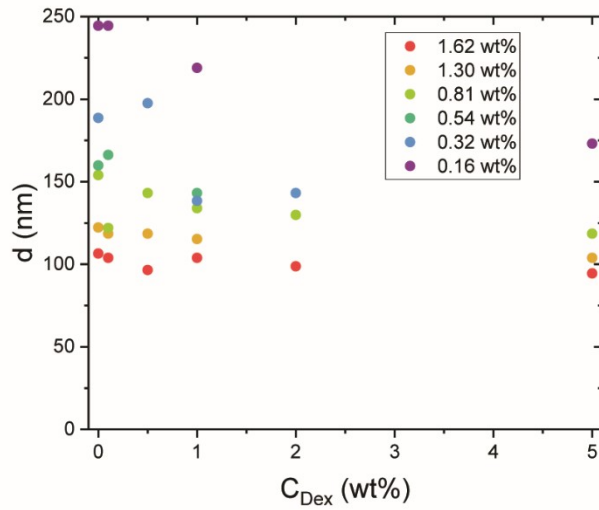


Figure SI 8. Dependence of the lamellar period on the dextran weight fraction for six series of samples with constant  $H_3Sb_3P_2O_{14}$  weight fractions.

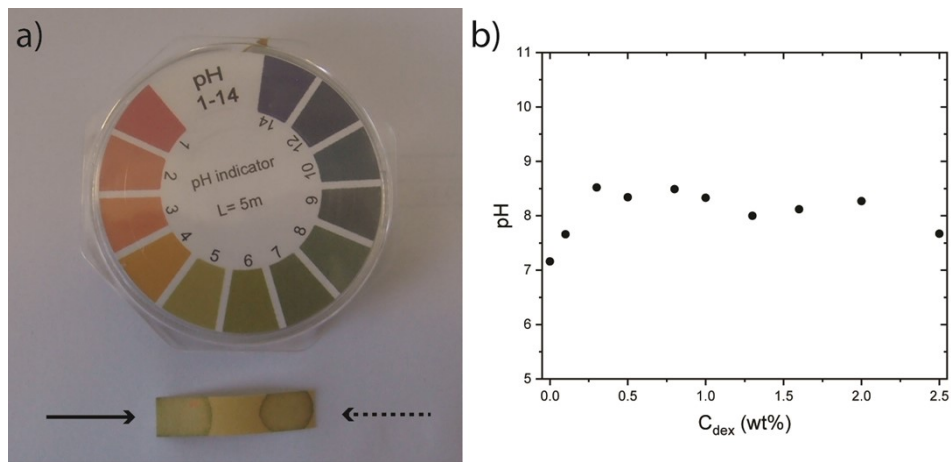


Figure SI 9. Lewis base character of dextran. a) Qualitative comparison of the pH ( $\approx 6$ ) of a drop of pure water (solid arrow) with that ( $\approx 8$ ) of a drop of dextran solution ( $25 \text{ g}\cdot\text{L}^{-1}$ , dashed arrow). The dextran solution clearly has a pH more basic than pure water. b) Dependence of pH on the dextran weight fraction, measured with a pH-meter.

### Disjoining pressure from non-linear Poisson-Boltzmann theory:

The electrostatic potential  $\psi$  generated by two highly charged planar surfaces with equal charge density  $\sigma$  immersed in a monovalent 1:1 electrolyte follows from the non-linear Poisson-Boltzmann (PB) equation: (1,2)

$$\partial_z^2 \psi(z) = \lambda_D^{-2} \sinh \psi(z) \quad (20)$$

Where  $\psi$  has been implicitly normalized in units  $k_B T/e$ . The PB equation is subject to the boundary conditions

$\partial_z \psi|_0 = \psi'_m = 0$  at the lamellar mid-plane and  $\frac{\partial_z \psi|_d}{2} = \psi'_s = \frac{2}{l_{GC}}$  at the lamellar surface. Integration of the PB equation fulfilling the mid-plane boundary condition yields:

$$\cosh \psi_s = \cosh \psi_m + 2\left(\frac{\lambda_D}{l_{GC}}\right)^2 \quad (21)$$

Similarly, implementing the boundary condition at the lamellar surface  $z = d/2$  one finds:

$$\frac{d}{2\lambda_D} = \int_{\psi_m}^{\psi_s} \frac{d\psi}{\sqrt{2\cosh \psi - 2\cosh \psi_m}} \quad (22)$$

which may also be expressed in terms of elliptic integrals.(2) The boundary potentials  $\psi_{m,s}$  for a given distance  $d$  are then easily resolved numerically from the coupled expressions above. By virtue of the contact theorem, the osmotic (disjoining) pressure between the lamellae is then obtained from the mid-plane potential:

$$\Pi_{dis} = \frac{k_B T}{4\pi l_B \lambda_D^2} (\cosh \psi_m - 1) \quad (23)$$

A simple analytical form can be derived in the limit of very high surface charge density ( $\lambda_D/l_{GC} \gg 1$ ) and large intralamellar distance ( $d/\lambda_D > 1$ ):

$$\Pi_{dis} \approx \frac{8k_B T}{\pi l_B \lambda_D^2} \exp\left(-\frac{d}{\lambda_D}\right) \quad (24)$$

which is compared against the numerical results in Figure SI 7 below.

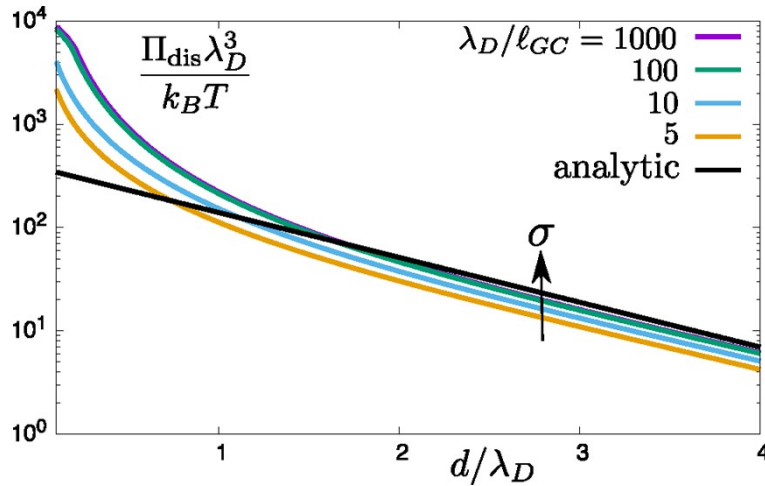


Figure SI 10: Disjoining pressure  $\Pi_{dis}$  between two uniformly charged lamellae at distance  $d$  from non-linear PB theory compared to the analytical approximation Eq. (24) for the intermediate regime.

1. Verwey EJW, Overbeek JTG, Nes K van. Theory of the Stability of Lyophobic Colloids: The Interaction of Sol Particles Having an Electric Double Layer. Elsevier Publishing Company; 1948. 228 p.
2. Andelman D. Electrostatic Properties of Membranes: The Poisson-Boltzmann Theory. In: Handbook of Biological Physics [Internet]. Elsevier; 1995 [cité 6 avr 2021]. p. 603-42. Disponible sur: <https://linkinghub.elsevier.com/retrieve/pii/S1383812106800059>