## Supplementary Information

# The surface reconstruction induced enhancement of the oxygen evolution reaction on $\alpha-\mathrm{SnWO}_{4}(010)$ based on a density functional theory study 

Wentao Wang*1, Yonggang Wu*2, Deliang Chen ${ }^{2}$, Hongling Liu ${ }^{2}$, Mei Xu ${ }^{3}$, Xuefei Liu ${ }^{3}$, Lipeng Xin*4<br>${ }^{1}$ Guizhou Provincial Key Laboratory of Computational Nano-Material Science, Guizhou Education University, Guiyang 550018, China<br>${ }^{2}$ School of Physics and Electronic Science, Guizhou Education University, Guiyang 550018, China

${ }^{3}$ School of Physical and Electronic Sciences, Guizhou Normal University, Guiyang 550025, China ${ }^{4}$ Frontier Institute of Science and Technology, Xi'an Jiaotong University, Xi'an 710049, China
*E-mail: wuli8@163.com (W. Wang, https://orcid.org/0000-0003-4308-3515); wuyonggang@gznc.edu.cn (Y. Wu); chemphysxin@163.com (L. Xin)


Fig. S1. Side view of three possible stoichiometric structures of $\alpha-$ SnWO $_{4}$ (010): (a) ST1, (c) ST2, and (e) ST3 are the structures before optimization, and (b), (d), and (f) are after optimization, respectively. The red, gray and light blue balls represent $\mathrm{O}, \mathrm{W}$, and Sn atoms.


Fig. S2. Variations of temperature and energy plotted as a function of time for AIMD simulations of (a) ST1 (b)ST2, and (c)ST3 terminations under 300 K for 8 ps with a time step of 1 fs . The right parts show the termination structures at 0 ps and 8 ps .


Fig. S3. (a) The $\Delta \mu_{\mathrm{O}}$ as a function of oxygen gas pressure at various temperatures according to Equation (20), (b) the phase diagrams for $\alpha$ - $\mathrm{SnWO}_{4}(010)$ surface with different terminations (including O-Sn term., M-Sn term., R-OOW term., O-W term., W-O term., R-OOSn term., and ST3 term.) as functions of chemical potential variations for $\operatorname{Sn}$ and oxygen atoms, (c) the $\Delta \mu_{\mathrm{O}}$ as a function of temperature at various oxygen gas pressures. All total energies are obtained using the PBE method.


Fig. S4. Surface Gibbs free energies as a function of $\Delta \mu_{\mathrm{Sn}}$ at a certain temperature and pressure for $\alpha-\mathrm{SnWO}_{4}(010)$ surface using the PBE method (a) at $T=300 \mathrm{~K}$ and (b) $T=1000 \mathrm{~K}$.


Fig. S5. The (a)Band structures, (b)TDOS and PDOS of bulk $\alpha-$ SnWO $_{4}$ are obtained from HSE06 calculations. The Fermi level is set to zero and indicated by the red dotted-dashed line.


(c) R-OOSn term.



Fig. S6. The layer-resolved density of states of (a) O-Sn term., (b) O-W term. (c) R-OOSn term. and ST3 term., for $\mathrm{SnWO}_{4}(010)$ surfaces, which are obtained from HSE06 calculations. The Fermi level is set to zero and indicated by a perpendicular red dot-dash line. The numbers represent the number of atomic layers for $\alpha-\mathrm{SnWO}_{4}(010)$ surfaces



Fig. S7. The optimized structures for $\mathrm{O}^{*}, \mathrm{OH}^{*}$, and $\mathrm{OOH}^{*}$ intermediates on the $\mathrm{O}-\mathrm{Sn}$ termination of $\alpha$-SnWO ${ }_{4}$ (010) surfaces at different (a) and (b) sites.



Fig. S8. The free energy profile for OER on the ST3 termination of $\alpha$-SnWO4(010) surface at different voltages. The optimized structures for $\mathrm{O}^{*}, \mathrm{OH}^{*}$ and $\mathrm{OOH}^{*}$ intermediates on the (b)ST3 termination of $\alpha-\mathrm{SnWO}_{4}$ (010) surfaces.

## Note S1 Computational hydrogen electrode

For the OER reaction, four elementary steps are usually needed to proceed, as listed in equations (1) to (4), which involve adsorbed $\mathrm{OH}, \mathrm{O}$ and OOH species on the surface (*):

$$
\begin{align*}
& 2 \mathrm{H}_{2} \mathrm{O}+* \rightarrow \mathrm{HO}^{*}+\mathrm{H}^{+}+\mathrm{H}_{2} \mathrm{O}+\mathrm{e}^{-}  \tag{S1}\\
& \mathrm{OH}^{*}+\mathrm{H}_{2} \mathrm{O} \rightarrow \mathrm{O}^{*} \mathrm{H}_{2} \mathrm{O}+\mathrm{H}^{+}+\mathrm{e}^{-}  \tag{S2}\\
& \mathrm{H}_{2} \mathrm{O}+\mathrm{O}^{*} \rightarrow \mathrm{HOO}^{*}+\mathrm{H}^{+}+\mathrm{e}^{-}  \tag{S3}\\
& \mathrm{HOO}^{*} \rightarrow \mathrm{O}_{2}+*+\mathrm{H}^{+}+\mathrm{e}^{-} \tag{S4}
\end{align*}
$$

The above mechanism is the most common one of the water-splitting on semiconductor surfaces. It involves the dehydrogenation of $\mathrm{H}_{2} \mathrm{O}$, followed by the dissociation of $\mathrm{HO}^{*}$ to $\mathrm{O}^{*}$. Subsequently, $\mathrm{O}^{*}$ reacts with another $\mathrm{H}_{2} \mathrm{O}$ to generate HOO*, which then dehydrogenates to $\mathrm{O}_{2}$.

The Gibbs free energy change for steps $1-4$ can be expressed as

$$
\begin{align*}
\Delta \mathrm{G}_{1} & =\Delta \mathrm{G}\left(\mathrm{OH}_{a d s}\right)-\mathrm{eU}+\Delta \mathrm{G}_{\mathrm{H}^{+}}(\mathrm{pH})  \tag{S5}\\
\Delta \mathrm{G}_{2} & =\Delta \mathrm{G}\left(\mathrm{O}_{a d s}\right)-\Delta \mathrm{G}\left(\mathrm{OH}_{a d s}\right)-\mathrm{eU}+\Delta \mathrm{G}_{\mathrm{H}^{+}}(\mathrm{pH})  \tag{S6}\\
\Delta \mathrm{G}_{3} & =\Delta \mathrm{G}\left(\mathrm{OOH}_{a d s}\right)-\Delta \mathrm{G}\left(\mathrm{O}_{a d s}\right)-\mathrm{eU}+\Delta \mathrm{G}_{\mathrm{H}}(\mathrm{pH})  \tag{S7}\\
\Delta \mathrm{G}_{4} & =4.92-\Delta \mathrm{G}\left(\mathrm{OOH}_{a d s}\right)-\mathrm{eU}+\Delta \mathrm{G}_{\mathrm{H}^{+}}(\mathrm{pH}) \tag{S8}
\end{align*}
$$

where U is the potential measured against normal hydrogen electrode (NHE) at standard conditions $(\mathrm{T}=298.15 \mathrm{~K}, \mathrm{P}=1 \mathrm{bar}, \mathrm{pH}=0)$. The free energy change of the protons relative to the above specified electrode at non-zero pH is represented by Nernst equation as $\Delta \mathrm{G}_{\mathrm{H}^{+}}(\mathrm{pH})=-\mathrm{k}_{\mathrm{B}} \mathrm{T} \ln (10) \times \mathrm{pH}$. The sum of $\Delta \mathrm{G}_{1-4}$ is fixed to the negative of experimental Gibbs free energy of formation of two water molecules $-2 \Delta \mathrm{~g}_{\mathrm{H}_{2} \mathrm{O}}^{\exp }=4 \times 1.23=4.92 \mathrm{eV}$ to avoid calculating the O bond energy, which is difficult to determine accurately within GGA-DFT. The Gibbs free energies of eqs 5-8 depend on the adsorption energies of $\mathrm{OH}^{*}, \mathrm{O}^{*}$, and $\mathrm{OOH}^{*}$. To compute the free energy change $(\Delta \mathrm{G})$ of each elementary step of electrochemical urea synthesis, we adopted the computational hydrogen electrode model developed by Nørskov et al. 1 ccording to which the $\Delta \mathrm{G}$ of an electrochemical reaction is defined as: $\Delta \mathrm{G}_{\mathrm{i}}=\Delta \mathrm{E}_{\mathrm{i}}+$ $\Delta \mathrm{ZPE}_{\mathrm{i}}-\mathrm{T} \Delta \mathrm{S}_{\mathrm{i}}$, where i means $\mathrm{OH}^{*}, \mathrm{O}^{*}$ and $\mathrm{OOH}^{*}$. ZPE and S are the zero-point energy and entropy corrections, respectively. The energy differences $\Delta \mathrm{E}_{\mathrm{i}}$ calculated relative to $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{H}_{2}($ at $\mathrm{U}=0$ and $\mathrm{pH}=0)$ as

$$
\begin{align*}
& \Delta \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{OH}^{*}\right)=\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{OH}^{*}\right)-\mathrm{E}\left({ }^{*}\right)-\left[\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2} \mathrm{O}\right)-1 / 2^{*} \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2}\right)\right]  \tag{S9}\\
& \Delta \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{O}^{*}\right)=\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{O}^{*}\right)-\mathrm{E}\left({ }^{*}\right)-\left[\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2} \mathrm{O}\right)-\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2}\right)\right] \tag{S10}
\end{align*}
$$

$$
\begin{equation*}
\Delta \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{OOH}^{*}\right)=\mathrm{E}_{\mathrm{DFT}}\left(\mathrm{OOH}^{*}\right)-\mathrm{E}(*)-\left[2^{*} \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2} \mathrm{O}\right)-3 / 2^{*} \mathrm{E}_{\mathrm{DFT}}\left(\mathrm{H}_{2}\right)\right] \tag{S11}
\end{equation*}
$$

The theoretical overpotential is then readily defined as:

$$
\begin{equation*}
\eta=\max \left[\Delta \mathrm{G}_{1}, \Delta \mathrm{G}_{2}, \Delta \mathrm{G}_{3}, \Delta \mathrm{G}_{4}\right] / \mathrm{e}-1.23[\mathrm{~V}] \tag{S12}
\end{equation*}
$$

The entropies of gas-phase $\mathrm{H}_{2}$ is obtained from the NIST database ${ }^{2}$ with the standard condition, and the adsorbed species were only taken vibrational entropy (Sv) into account, as shown in the following formula:

$$
\begin{equation*}
\mathrm{S}_{\mathrm{V}}=\sum_{\mathrm{i}} \mathrm{R}\left\{\frac{\mathrm{hv}_{\mathrm{i}}}{\mathrm{k}_{\mathrm{B}} \mathrm{~T}}\left[\exp \left(\frac{\mathrm{hv}_{i}}{\mathrm{k}_{\mathrm{B}} \mathrm{~T}}\right)-1\right]^{-1}-\ln \left[1-\exp \left(-\frac{h v_{\mathrm{i}}}{\mathrm{k}_{\mathrm{B}} T}\right)\right]\right\} \tag{S13}
\end{equation*}
$$

Among which $\mathrm{R}=8.314 \mathrm{~J} \cdot \mathrm{~mol}^{-1} \cdot \mathrm{~K}^{-1}, \mathrm{~T}=298.15 \mathrm{~K}, \mathrm{~h}=6.63 \times 10^{-34} \mathrm{~J} \cdot \mathrm{~s}, \mathrm{k}_{\mathrm{B}}=$ $1.38 \times 10^{-23} \mathrm{~J} \cdot \mathrm{~K}^{-1}$, i is the frequency number, $\mathrm{v}_{\mathrm{i}}$ is the vibrational frequency (unit is $\mathrm{cm}^{-1}$ ).

1. J. K. Nørskov, J. Rossmeisl, A. Logadottir, L. Lindqvist, J. R. Kitchin, T. Bligaard and H. Jónsson, J. Phys. Chem. B, 2004, 108, 17886-17892.
2. R. D. J. III, NIST Computational Chemistry Comparison and Benchmark Database, 2022.
