

## Ru-promoted perovskites as effective redox catalysts for CO<sub>2</sub> splitting and methane partial oxidation in a cyclic redox scheme

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- Fig. S1: DTG profiles of (a) LFM during CH<sub>4</sub>-TPR, (b) Ru-LFM during CH<sub>4</sub>-TPR, (c) LFM during CO<sub>2</sub>-TPO, (d) Ru-LFM during CO<sub>2</sub>-TPO, (e) LFM during H<sub>2</sub>-TPR, and (f) Ru-LFM during H<sub>2</sub>-TPR.
- Fig. S2: Fitting chart of the weight loss peaks for TPR/TPO experiments in Fig. S1 (R<sup>2</sup> ~ 0.85-0.99).
- Fig. S3: XRD spectra of LFM and Ru-impregnated LFM samples.
- Fig. S4: Weight loss/gain during CH<sub>4</sub> -TPR and CO<sub>2</sub> -TPO of Ru-LFM sample
- Fig. S5: H<sub>2</sub> / CO ratio during 120 cycles over Ru-LFM.
- Fig. S6: EDS mapping of fresh, post-100 cycles, and post-O<sub>2</sub> TPO Ru-LFM samples.

### Supplementary text:

### Definitions of conversions and selectivity:

$$CH_4 \text{ Conversion} = 100 \times \frac{CH_{4,in} - CH_{4,out}}{CH_{4,in}}$$

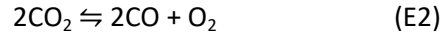
$$CO \text{ Selectivity} = 100 \times \frac{CO_{out}}{CO_{out} + CO_{2,out}}$$

$$CO_2 \text{ Conversion} = 100 \times \frac{CO_{2,in} - CO_{2,out}}{CO_{2,in}}$$

**Thermodynamics analysis of methane POx and CO<sub>2</sub>-Splitting reactions:** The dotted black lines in the Ellingham diagram (Fig.2) correspond to the variation of  $\Delta G$  with the temperature at a given  $P_{O_2}$  and these lines were drawn by using the following equation:

$$\Delta G = -RT \ln P_{O_2} \quad (E1)$$

Theoretical CO<sub>2</sub> conversion was calculated using the following set of equations:



$$K = \frac{P_{O_2} \left( \frac{P_{CO}}{P_{CO_2}} \right)^2}{P_o} \quad (E3)$$

$$CO_2 \text{ Conversion} = 100 \times \frac{\frac{P_{CO}}{P_{CO_2} + P_{CO}}}{1 + \frac{P_{CO}}{P_{CO_2}}} \quad (E4)$$

$$CO_2 \text{ Conversion} = 100 \times \frac{\frac{P_{CO}}{P_{CO_2}}}{1 + \frac{P_{CO}}{P_{CO_2}}} \quad (E5)$$

$$CO_2 \text{ Conversion} = 100 \times \frac{\frac{\sqrt{K}}{\sqrt{K} + \sqrt{\frac{P_{O_2}}{P_o}}}}{\sqrt{K} + \sqrt{\frac{P_{O_2}}{P_o}}} \quad (E6)$$

### Calculation of Gibbs free energy change ( $\Delta G$ )

Gibbs free energy change ( $\Delta G$ ) can be related to  $P_{O_2}$  (or oxygen chemical potential,  $u_{O_2}$ ) within specified  $\delta$  ranges.  $A_x A'_{1-x} B_y B'_{1-y} O_{3-\delta}$  oxygen carriers' redox thermodynamics can be described by their incremental Gibbs free energy as  $\Delta G_{\delta 1 \rightarrow \delta 2} = \Delta G_{\delta 2} - \Delta G_{\delta 1} + \left( \frac{\delta 2 - \delta 1}{2} \right) u_{O_2}$ , where  $\delta 1 \rightarrow \delta 2$  represent the

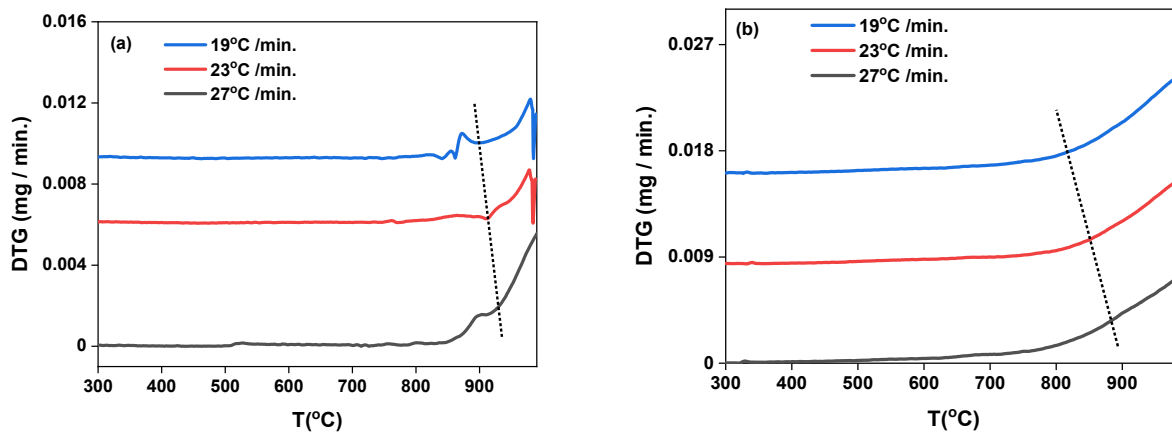
change of  $\delta$  value from  $\delta_1$  to  $\delta_2$ . The slope of the  $\delta$  vs.  $G$  curve thus describe the  $u_{O_2}$  within a vacancy concentration range at a given temperature. They can in turn be used to determine the feasibility and capacity of oxygen uptake and release within a given  $P_{O_2}$  and/ or temperature swings. As one can anticipate, too large or too small  $\Delta G_{\delta_1 \rightarrow \delta_2}$  will lead to less or over stable configurations. Therefore, a suitable  $\Delta G_{\delta_1 \rightarrow \delta_2}$  within an optimal range over a large  $\delta$  span would lead to a larger oxygen capacity. Previous experiments indicate that  $\delta$  usually varies in the range of 0.25– 0.5 in chemical processes. It is also noted that every 0.125 change in  $\delta$  correspond to roughly 1 wt% oxygen capacity.

### Calculation of activations energies

Activation energies for the  $CH_4$ -POx and  $CO_2$  splitting reactions were calculated using the Kissinger method:

$$\ln(\gamma T_p^{-2}) = -E_a(RT_o)^{-1} + \ln(AR E_a^{-1})$$

Where  $\gamma$ ,  $T_p$ ,  $A$ ,  $R$  and  $E_a$  represents the heating rate ( $^{\circ}K/min$ ), peak temperature (K), pre-exponential factor, general gas constant(J/mol.K), and the activation energy (kJ/mol), respectively. Various heating rates and peak temperatures from the Fig. S3 were fitted to determine the activation energies as indicated in the Fig. S4.



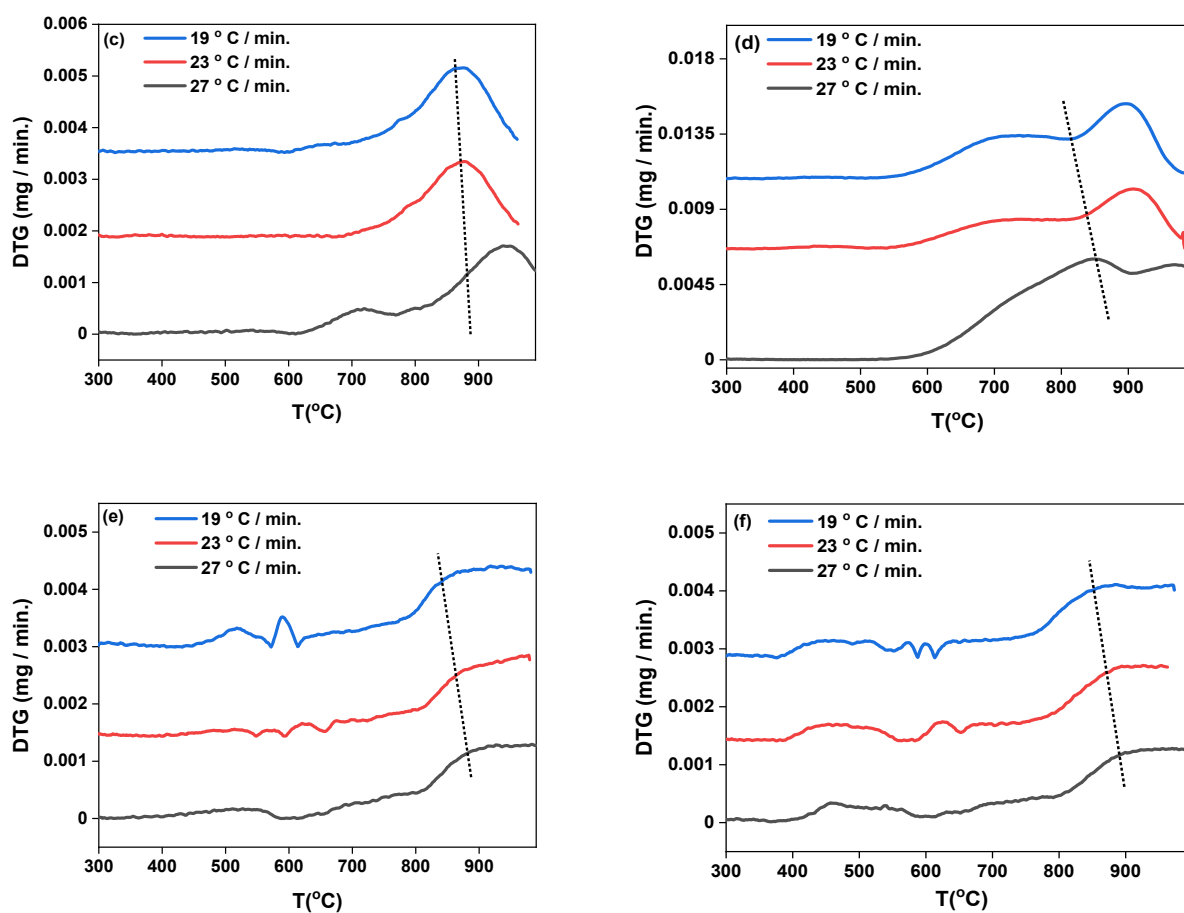


Fig. S1: DTG profiles of (a) LFM during CH<sub>4</sub>-TPR, (b) Ru-LFM during CH<sub>4</sub>-TPR, (c) LFM during CO<sub>2</sub>-TPO, (d) Ru-LFM during CO<sub>2</sub>-TPO, (e) LFM during H<sub>2</sub>-TPR, and (f) Ru-LFM during H<sub>2</sub>-TPR.

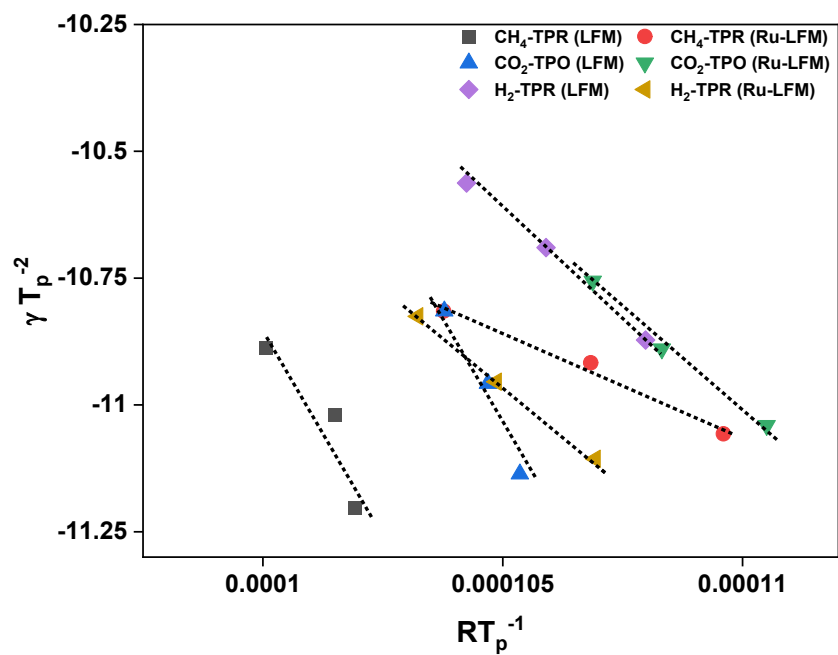


Fig. S2: Fitting chart of the weight loss peaks for TPR/TPO experiments in Fig. S3

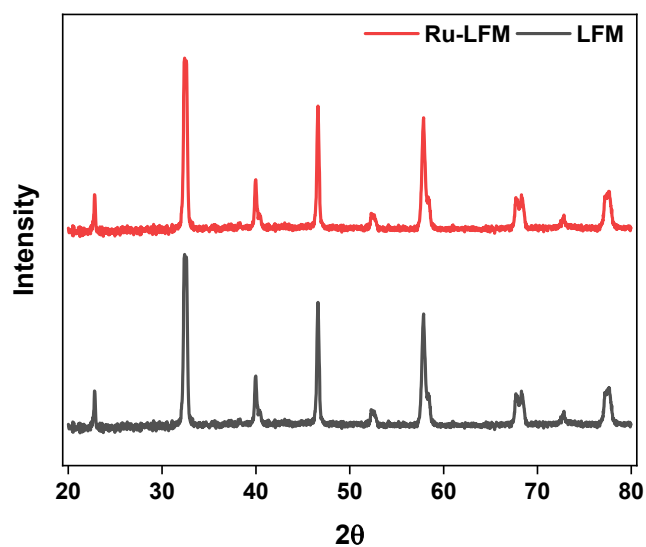


Fig. S3: XRD spectra of LFM and Ru impregnated LFM samples.

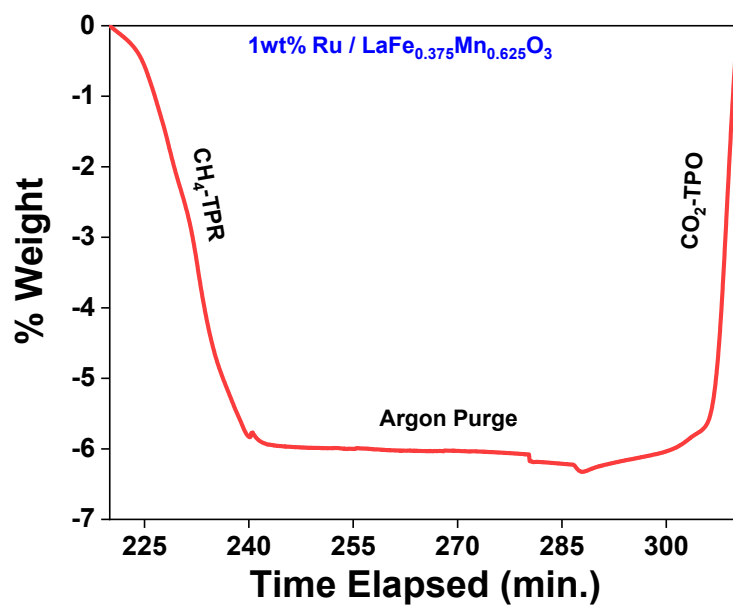


Fig. S4: Weight loss/gain during CH<sub>4</sub>-TPR and CO<sub>2</sub>-TPO of Ru-LFM sample.

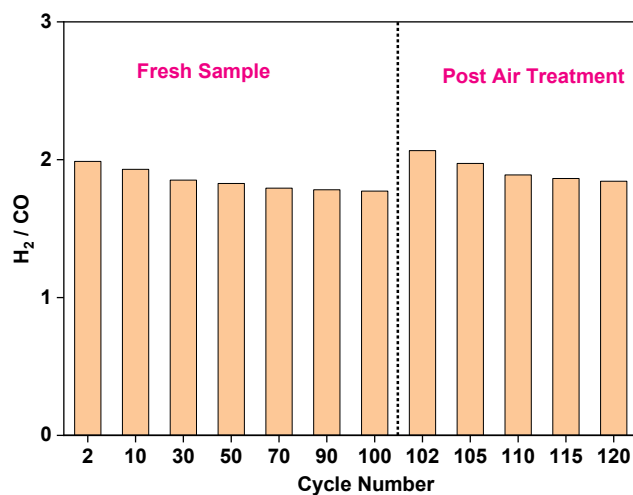
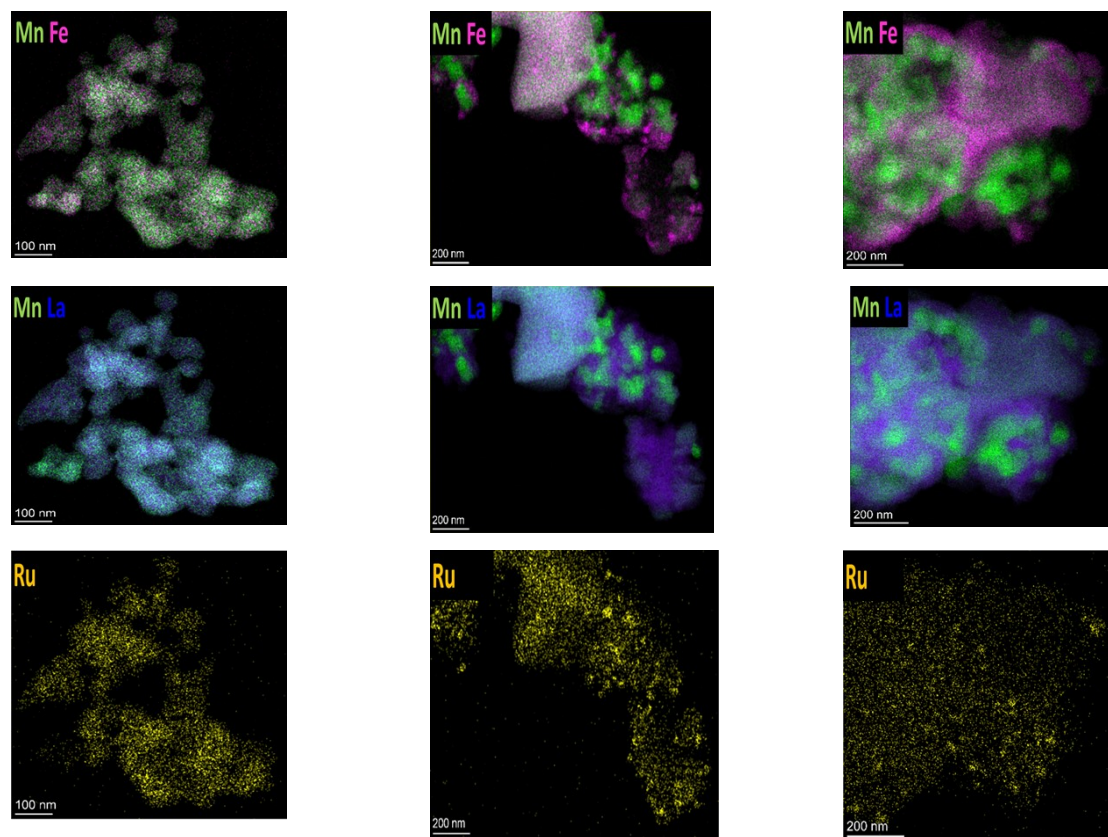


Fig. S5: H<sub>2</sub>/CO ratio during 120 cycles over Ru-LFM

Fresh Ru-LFM

Post-100 Cycles Ru-LFM

Post O<sub>2</sub>-TPO Ru-LFM



*Fig. S6: EDS mapping of fresh, post-100 cycles, and post-O<sub>2</sub> TPO Ru-LFM samples.*