

Supporting Information

Conformational, Crystalline and Rheological Properties of Poly(octadecyl-*co*-methyl acrylate) Statistically Random Copolymers

Xuejun Pan,^{1,3,†} Weiling Wu,^{4,†} Mo Zhu,^{1,†} Jixian Yang,¹ Zhi-Chao Yan^{2*} and Lianwei Li^{1,*}

¹College of Chemistry and Environmental Engineering, Shenzhen University, Shenzhen 518060, China

²School of Chemical Engineering and Light Industry, Guangdong University of Technology, Guangzhou 510006, China

³Department of Chemical Physics, University of Science and Technology of China, Hefei, Anhui 230026, China

⁴Shenzhen Key Laboratory of Polymer Science and Technology, Guangdong Research Center for Interfacial Engineering of Functional Materials, College of Materials Science and Engineering, Shenzhen University, Shenzhen 518055, China

* To whom corresponding should be addressed:

Zhi-Chao Yan: zcyan@gdut.edu.cn; Lianwei Li: lianweili@szu.edu.cn

Calculation of dn/dc Values for $P(\text{ODA}_x\text{-stat-MA}_y)_{N_b}$ copolymers. In this work, we used the classical additive rule to extract $(dn/dc)_{\text{comb}}$ for $P(\text{ODA}_x\text{-stat-MA}_y)_{N_b}$ copolymers. Before calculating $(dn/dc)_{\text{comb}}$, dn/dc of homopolymer PMA and PODA must be obtained first. First of all, for PtBA, the precursor chain of PMA, we already know that its real dn/dc value is 0.052 according to previous work.¹ Therefore, by using QD-SEC, we can know the absolute molar mass of PtBA, through which we can calculate the true N_b of PMA, thus we can know the true molar mass of the corresponding homopolymer PMA and PODA. Furthermore, we do know that the output value of M_w by QD-SEC is inversely proportional to the input value of $(dn/dc)_{\text{comb}}$ during the analysis process of QD-SEC data, which further leads to

$$M_{LS} = \Gamma / [(dn/dc)_{\text{comb}}] \quad (1)$$

where the pre-factor Γ is a feature parameter and Γ possesses a unique numerical value for a specific sample. More importantly, Γ for each $P(\text{ODA}_x\text{-stat-MA}_y)_{N_b}$ sample can be easily determined in QD-SEC measurement. By using equation 1, we can characterize PMA and PODA and calculate their dn/dc as 0.076 and 0.071 respectively, which are very close to the values given in literature and polymer handbook.²⁻³ In addition, the expression of copolymer $(dn/dc)_{\text{comb}}$ value can be expressed as follows:

$$\begin{aligned} (dn/dc)_{\text{comb}} &= wt\%_{\text{PMA}} (dn/dc)_{\text{PMA}} + wt\%_{\text{PODA}} (dn/dc)_{\text{PODA}} \\ &= \frac{M_{\text{MA}}(1-x)}{M_{\text{MA}}(1-x) + M_{\text{ODA}}x} (dn/dc)_{\text{PMA}} + \frac{M_{\text{ODA}}x}{M_{\text{MA}}(1-x) + M_{\text{ODA}}x} (dn/dc)_{\text{PODA}} \end{aligned} \quad (2)$$

M_{MA} : the molar mass of a monomer unit on backbone, and $M_{\text{MA}} = 86$ g/mol.

M_{ODA} : the molar mass of sidechain (ODA) and $M_{\text{ODA}} = 324$ g/mol.

x : the molar fraction of ODA.

$wt\%_{\text{PMA}}$: the mass percentage of PMA.

$wt\%_{\text{PODA}}$: the mass percentage of PODA.

$(dn/dc)_{\text{comb}}$: the refractive index increment of $P(\text{ODA}_x\text{-stat-MA}_y)_{N_b}$ polymers.

$(dn/dc)_{\text{PMA}}$: the refraction index increment of PMA, and $(dn/dc)_{\text{PMA}} = 0.076$ mL/g.

$(dn/dc)_{\text{PODA}}$: the refraction index increment of PODA, and $(dn/dc)_{\text{graft}} = 0.071$ mL/g.

By using equation 2, we can calculate $(dn/dc)_{\text{comb}}$ of each sample. And inputting the corresponding $(dn/dc)_{\text{comb}}$ value into QD-SEC analysis software, we can get the corresponding absolute parameters of each sample. In addition to the molar mass given by QD-SEC, by using the x calculated by $^1\text{H-NMR}$ spectrum analysis, we can also calculate the theoretical molar mass based on $^1\text{H-NMR}$ information through the Equation 3:

$$M_{\text{NMR}} = N_b [M_{\text{MA}}(1-x) + M_{\text{ODA}}x] \quad (3)$$

All parameter information is summarized in Table S2-4.

Table S1. Summarized molecular parameters of four PtBA precursors determined by QD-SEC.

Sample	M_{w-LS} /(g/mol)	M_{p-LS} /(g/mol)	$\langle M_w/M_n \rangle$	N_b
PtBA ₃₄₅	4.05×10^4	4.12×10^4	1.08	345
PtBA ₁₁₀₀	1.25×10^5	1.41×10^5	1.13	1100
PtBA ₁₇₄₀	2.17×10^5	2.23×10^5	1.14	1740
PtBA ₂₇₅₀	3.49×10^3	3.52×10^5	1.23	2750

Table S2. Summarized molecular parameters of P(ODA_x-stat-MA_y)₃₄₅ polymers by QD-SEC and ¹H-NMR.

P(ODA _x -stat-MA _y) ₃₄₅	M_{p-NMR} /(g/mol)	M_{p-LS} /(g/mol)	$\langle M_w/M_n \rangle$	R_{η}/nm	$[\eta]$ /(mL/g)
0	2.97×10^4	2.97×10^4	1.06	4.46	21.80
0.29	4.65×10^4	5.31×10^5	1.14	5.68	25.95
0.47	6.14×10^4	6.84×10^4	1.12	6.23	25.60
0.68	7.92×10^4	8.58×10^4	1.12	6.72	24.72
0.87	8.83×10^5	1.01×10^5	1.08	6.97	24.08
0.99	1.11×10^5	1.11×10^5	1.10	7.27	23.45

Table S3. Summarized molecular parameters of P(ODA_x-stat-MA_y)₁₁₀₀ polymers by QD-SEC and ¹H-NMR.

P(ODA _x -stat-MA _y) ₁₁₀₀	M_{p-NMR} /(g/mol)	M_{p-LS} /(g/mol)	$\langle M_w/M_n \rangle$	R_{η}/nm	$[\eta]$ /(mL/g)
0	9.46×10^4	9.07×10^4	1.07	12.07	53.52
0.13	1.29×10^5	1.56×10^5	1.15	11.45	65.93
0.39	1.98×10^5	2.07×10^5	1.08	13.37	64.23
0.45	2.11×10^5	2.42×10^5	1.09	12.73	66.04
0.81	3.07×10^5	3.38×10^5	1.09	14.58	60.64
0.99	3.53×10^5	3.80×10^5	1.08	15.15	58.30

Table S4. Summarized molecular parameters of $P(\text{ODA}_x\text{-stat-MA}_y)_{1740}$ polymers by QD-SEC and $^1\text{H-NMR}$.

$P(\text{ODA}_x\text{-stat-MA}_y)_{1740}$	$M_{\text{P-NMR}}$ /(g/mol)	$M_{\text{P-LS}}$ /(g/mol)	$\langle M_w/M_n \rangle$	R_{η}/nm	$[\eta]$ /(mL/g)
0	1.50×10^5	1.53×10^5	1.11	13.46	68.32
0.23	2.46×10^5	2.39×10^5	1.18	15.13	86.42
0.46	3.41×10^5	3.27×10^5	1.19	16.13	82.91
0.65	4.20×10^5	4.31×10^5	1.16	17.48	79.58
0.86	5.05×10^5	5.00×10^5	1.15	18.36	77.95
0.97	5.53×10^5	5.58×10^5	1.15	18.89	74.87

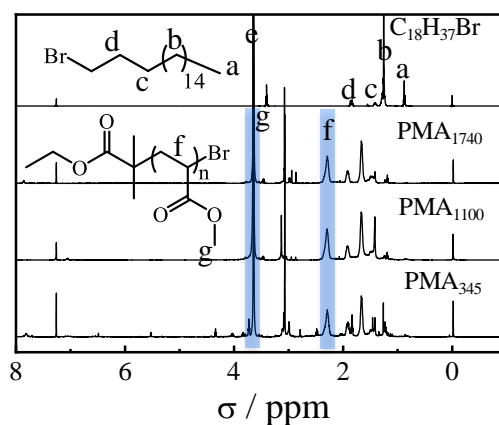


Figure S1. $^1\text{H-NMR}$ spectrum of polymethyl acrylate (PMA) with different backbone length ($N_b=345, 1100, 1740$) and side chain ($\text{C}_{18}\text{H}_{37}\text{Br}$) in CDCl_3 .

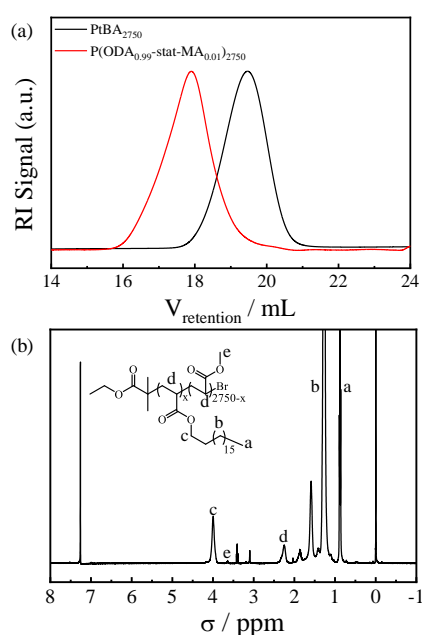


Figure S2. (a) SEC curves of PtBA_{2750} and $\text{P}(\text{ODA}_{0.99}\text{-stat-MA}_{0.01})_{2750}$ SEC. (b) $^1\text{H-NMR}$

spectra of P(ODA_{0.99}-stat-MA_{0.01})₂₇₅₀ in CDCl₃.

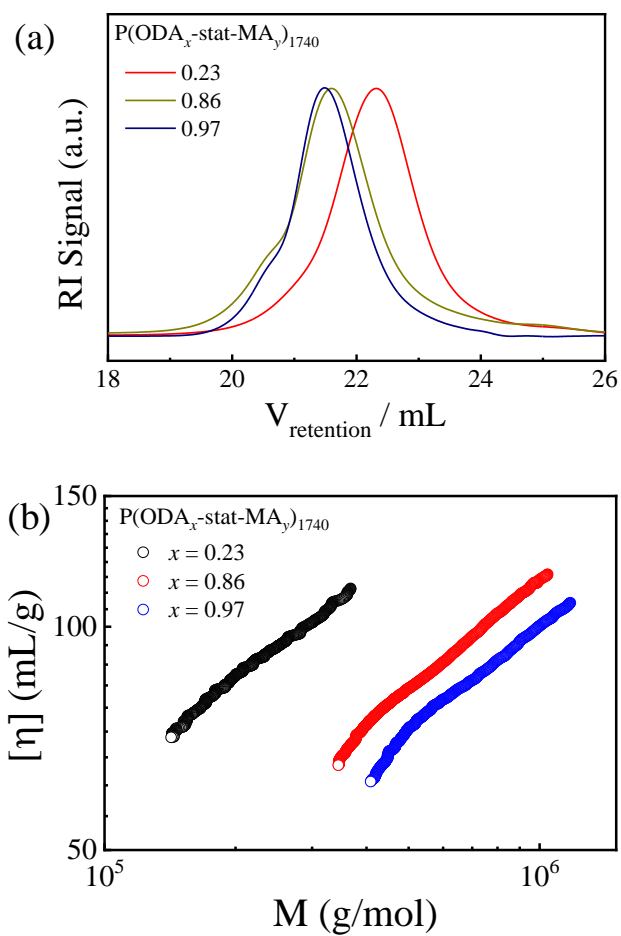


Figure S3. (a) SEC curves of P(ODA_x-stat-MA_y)₁₇₄₀ with three different x ($x = 0.23, 0.86, 0.97$). (b) Molar mass (M) dependences of intrinsic viscosity ($[\eta]$) for P(ODA_x-stat-MA_y)₁₇₄₀ with three different x ($x = 0.23, 0.86, 0.97$).

In Figures S4a-e, the zero-shear viscosity was obtained by averaging the points in the shear rate independent regime, while the zero-shear viscosity in figure S4f was obtained by the Carreau fitting.⁴

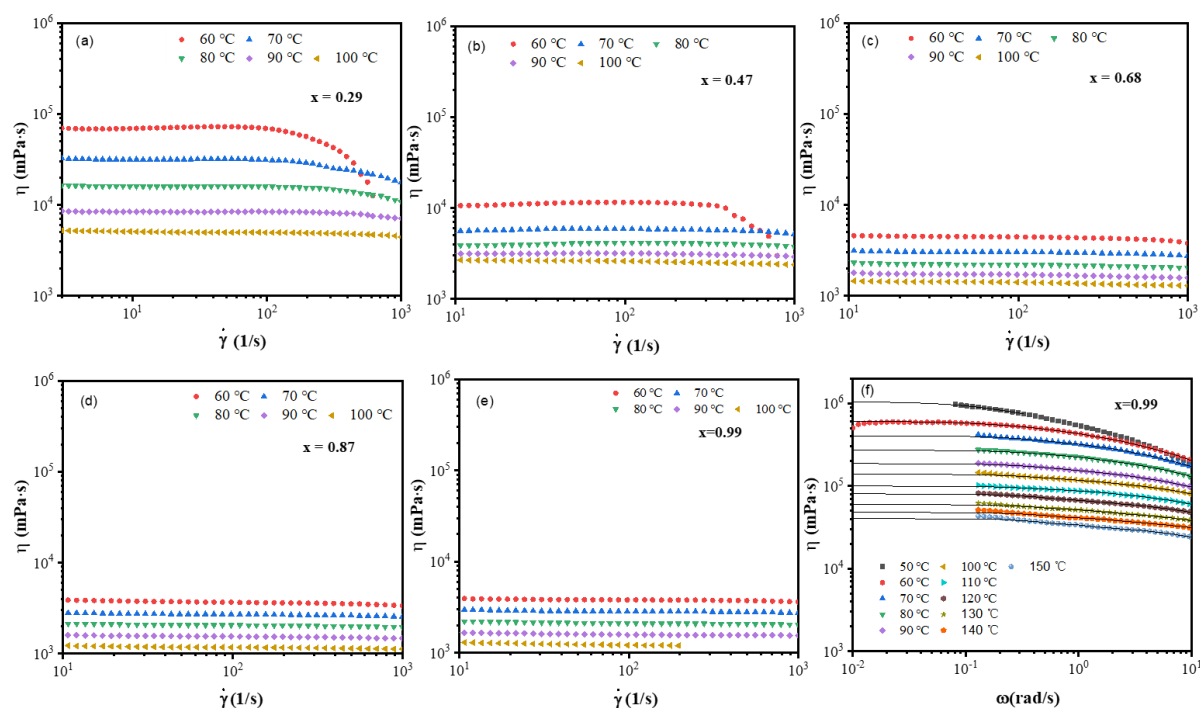


Figure S4. Viscosity (η) as a function of shear rate ($\dot{\gamma}$) for samples with (a) P(ODA_{0.29}-stat-MA_{0.71})₃₄₅, (b) P(ODA_{0.47}-stat-MA_{0.53})₃₄₅, (c) P(ODA_{0.68}-stat-MA_{0.32})₃₄₅, (d) P(ODA_{0.87}-stat-MA_{0.13})₃₄₅, (e) P(ODA_{0.99}-stat-MA_{0.01})₃₄₅ and (f) Viscosity (η) as a function of frequency (ω) for sample of P(ODA_{0.99}-stat-MA_{0.013})₂₇₅₀.

References

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