

## SUPPLEMENTARY INFORMATION

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**Determination of nine prohibited N-nitrosamines in cosmetic products by vortex-assisted dispersive liquid–liquid microextraction prior to gas chromatography-mass spectrometry**

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**Table S1.** Box-Behnken design for multivariate optimization of the critical variables.

Step	CHCl <sub>3</sub> volume (μL)		Vortex time (s)		Ionic strength (%NaCl, w/v)	
	Uncoded	Coded	Uncoded	Coded	Uncoded	Coded
1	60	-1	60	0	0	-1
2	150	1	60	0	0	-1
3	60	-1	60	0	10	1
4	150	1	60	0	10	1
5	60	-1	30	-1	5	0
6	150	1	30	-1	5	0
7	60	-1	90	1	5	0
8	150	1	90	1	5	0
9	105	0	30	-1	0	-1
10	105	0	30	-1	10	1
11	105	0	90	1	0	-1
12	105	0	90	1	10	1
13	105	0	60	0	5	0
14	105	0	60	0	5	0
15	105	0	60	0	5	0

## Box-Benhken design

Box-Benhken designs are a class of rotatable or nearly rotatable second-order designs used to generate high order response.

The total number of experiments required for the development of the Box-Benhken design ( $N$ ) is defined by the following equation:

$$N = 2k(k-1) + Cp \quad (1)$$

where  $k$  is the number of factors (i.e., 3), and  $Cp$  is the number of replicates of the central point. In this sense, performing 3 replicates of the central point and according to Equation (1), 15 experiments were required. As shown in Table 3, the range of each factor was defined between a high and low value.

The following quadratic polynomial equation was applied to evaluate the multiple linear regression for each response:

$$Y = \beta_0 + \sum \beta_i X_i + \sum \beta_{ii} X_i^2 + \sum \beta_{ij} X_i X_j + \varepsilon \quad (2)$$

where  $Y$  is the analytical response;  $\beta_0$  is the constant term;  $\beta_i$ ,  $\beta_{ii}$  and  $\beta_{ij}$  represent the regression coefficients of the design;  $x_i$  and  $x_j$  are the different variables; and  $\varepsilon$  is the residual error.

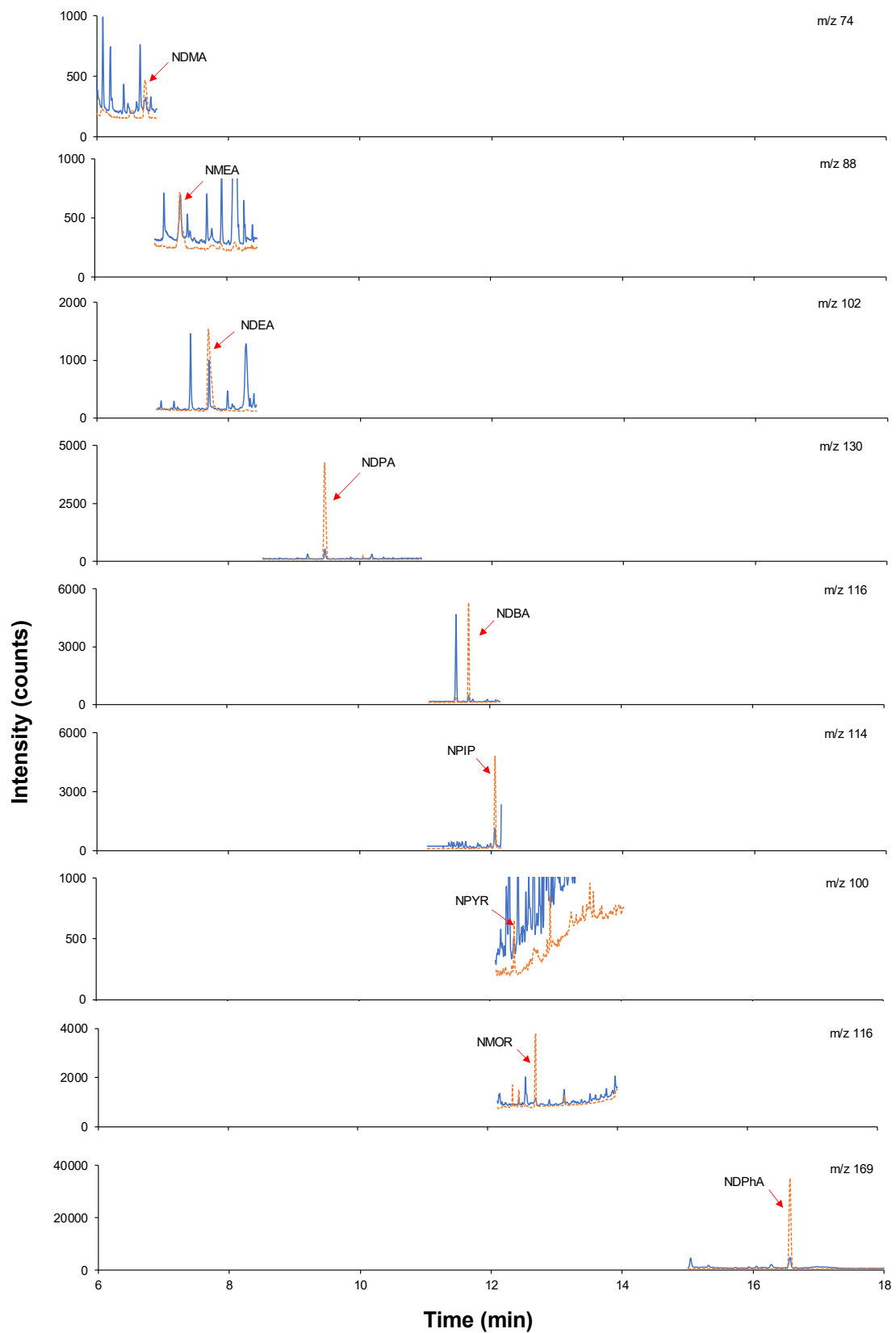
Afterwards, the global desirability of the experiment ( $D$ ) was applied to study the different responses and achieve the optimal extraction conditions to enhance the analytical responses of the target analytes:

$$D = (d_1(Y_1) \cdot d_2(Y_2) \cdots d_n(Y_n))^{1/n} \quad (3)$$

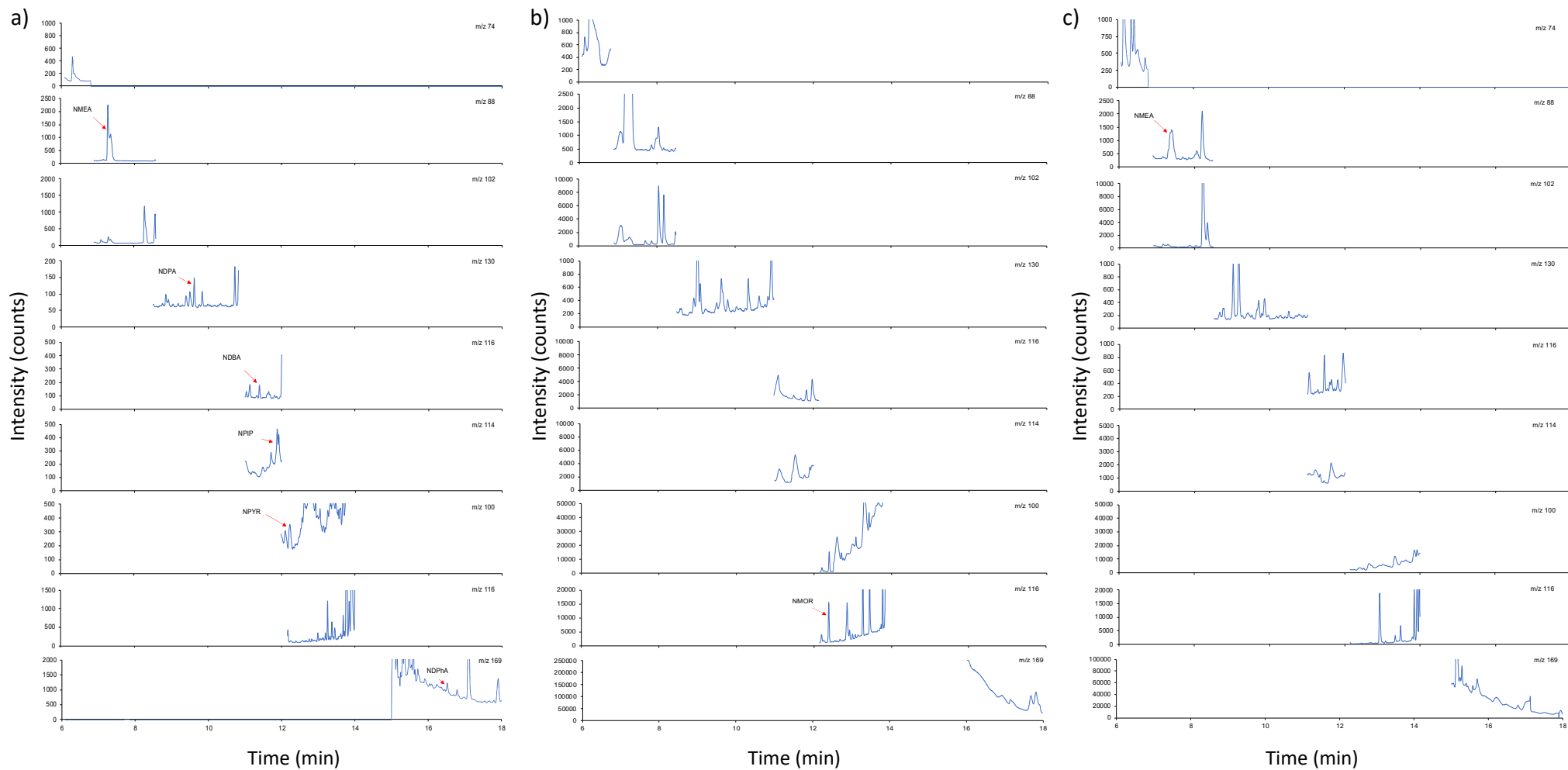
where  $n$  is the number of responses in the optimization process, and  $d_i(Y_i)$  is the individual desirability of each response in the experiment. The individual desirability is calculated as:

$$di = Y_i - Y_{\min} / Y_{\max} - Y_{\min} \quad (4)$$

Responses are ranked between 0 and 1, respectively, to define undesirable responses and fully desirable responses.



**Figure S1.** Chromatogram of a standard solution containing the analytes at  $10 \text{ ng mL}^{-1}$  subjected to the VA-DLLME procedure (dotted orange line), and (b) unextracted (continuous blue line).



**Figure S2.** Chromatograms of sample solutions subjected to the proposed VA-DLLME method: (a) aftersun gel, (b) body cream 1, and (c) body cream 2.