# Supporting Information for

- <sup>2</sup> Simulation of solid-state phase transition in DL-methionine
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- 6 This PDF file includes:
- 7 Supporting text(Construction of collective variables)
- <sup>8</sup> Figs. S1 to S2
- 9 SI References

#### Supporting Information Text

#### 11 1. Construction of collective variables

This Supporting Information describes the technical details of the construction of the collective variables. In constructing the torsional CVs,  $t_{\alpha}$  and  $t_{\beta}$ , the torsional angles' periodicity has been considered. For the  $\alpha$  configuration, the dihedral angles range from 50° to 100° for the L-enantiomer and from -100° to -50° for the D-enantiomer. In the  $\beta$  configuration, these ranges are from 150° to 200° and from -200° to -150°, respectively. The fractions of D- and L- enantiomers that fall in either of the two ranges ( $t_{\alpha-D}$  and  $t_{\beta-D}$  for D and  $t_{\alpha-L}$ ,  $t_{\alpha-L}$  for L) is determined using the TORSIONS keyword in plumed (1–5) and are subsequently combined to obtain  $t_{\alpha}$  and  $t_{\beta}$  via

$$t_{\alpha} = 0.5t_{\alpha-D} + 0.5t_{\alpha-L}$$
[1]

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$$t_{\beta} = 0.5t_{\beta-D} + 0.5t_{\beta-L}.$$
 [2]

For the  $\alpha \to \beta$  transition, the  $t_{\alpha}$  varies from 0.52 to 0.09 while  $t_{\beta}$  varies from 0.09 to 0.52.

The CVs  $d_b^i$  and  $d_c^i$  measure the relative positioning of the bilayers during the phase transition with the minimum shifting along the "b" and "c" vectors. The  $d_b^i$  and  $d_c^i$  use the projected distances between sulfur atoms of opposing bilayers on the lattice vectors b and c, respectively. To write this in a mathematical notation, we label the different sulfur atoms of the D-molecules to indicate their order in the simulation cell along the three axes:  $S_{i,j,k}$ . This label remains throughout the simulation, regardless of their movement through the periodic boundary. Either the D or L-molecules should be included and thus labeled in Fig. S1. This is because including both enantiomers, causes the  $\alpha$  and  $\beta$  states to appear at the same values of  $d_b^i$  and  $d_b$ . In Fig. S1 sulfur atoms  $S_{i,j,k}$ , and  $S_{i+1,j,k}$  are in bilayers facing each other. An extra superscript label indicates that the position of the sulfur atoms is expressed in fractional coordinates with respect to the three lattice vectors of the simulation cell and only the component indicated by the label is considered. A variable  $d_b^i$  determines the shift between layers i and i + 1:

$$d_b^i = \frac{1}{n_c} \sum_{k=1}^{n_c} \sum_{j=1}^{n_b/2} (S_{i,j,k}^b - S_{i+1,j,k}^b)$$
[3]

with  $n_i$  the number of D-molecules in the direction *i*. Periodic boundary conditions are considered such that j' becomes  $|n_b - j'|$  for any  $j' > n_b$ . The equilibrium value for the  $\alpha$  form is around 0.5. Because of the periodic nature of the system, the transition towards  $\beta$  can either occur by increasing or decreasing this value. To account for this, we combine the values for the different layers in the following fashion:

$$d_b = \sum_{i=1}^{n_a/2} |d_b^i + 0.5|.$$
[4]

<sup>37</sup> Using  $d_b$  we account for the shifts along b and between all adjacent bilayers. Its equilibrium value is near 0 for  $\alpha$  and near 1 or <sup>38</sup> -1 for  $\beta$ . A similar collective variable is constructed for shifts along c. Here the equilibrium value for  $d_c^i$  is 0 in  $\alpha$  and -0.5 or 0.5 <sup>39</sup> in  $\beta$ .

Since a full six-dimensional space is too large to explore, we have further combined these six CVs into two CVs. One that 40 mostly concerns the changes in the (a, b) projection:  $d_b$  which is a combination of  $d_b^1$  and  $d_b^2$ . During the initialization of the 41 system, we force two bilayers to change simultaneously, since this leads to the least distorted final cells with the lowest final 42 (free) energies and the two CVs can easily be combined into one average shift. The changes in the (a, c)-plane mostly concern 43 shifts  $d_c^1$  and  $d_c^2$  and torsions  $t_{\alpha}$  and  $t_{\beta}$ . The latter two are highly correlated. Initial exploratory simulations in which the 44 system was pushed along on CV in the direction of its  $\beta$ -value showed that (i) both bilayers need to shift simultaneously for 45 the system not to get very slanted and distorted unit cells and (ii) the changes in  $d_c$  and torsions are highly correlated and 46 that changes in one CV lead to changes in the other as well. We hence combine all four CVs in a path collective variable 47 (PCV)(2, 4). This PCV has two properties: s which is the progress along the path from the fully-ordered  $\alpha$  form (s = 0) to the 48  $\beta$  form (s = 1). The property z is the deviation of the system from the path. The property s is the only CV that describes the 49 changes in (a, c) projection. The z is not a CV but we explain in Section 3.3 of the main paper how restraining it is essential to 50 obtain the free energy surface for a not disrupted simulation cell. 51

#### <sup>52</sup> 2. Schematic comparison between DL-Methionine and DL-aminoheptanoic acid in CV space

<sup>53</sup> DL-aminoheptanoic acid polymorphs (forms I to IV) are compared to the  $\alpha$ -DL-MET and  $\beta$ -DL-MET in CV space. The <sup>54</sup> packing and conformation of forms I and III are similar to the  $\alpha$  and  $\beta$  states respectively. Form V is not present in this figure <sup>55</sup> since it is highly disordered and can not be directly compared to DL-MET.

## α-DL-MET



Fig. S1. The  $\alpha$  polymorph with labeled sulfur atoms ( $S_{i,j,k}$ ) generates the CV representing the shifts. All torsions like the one indicated in purple are restrained to avoid highly slanted structures.



Fig. S2. The location of the DL-aminoheptanoic acid polymorphs in CV space in comparison with DL-MET  $\alpha$  and  $\beta$  polymorphs.

### 56 References

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