

**Electronic Supplementary Information**

**Predictive Analysis of Organic Semiconductor  
Photodegradation by FTIR Spectroscopy  
with Multivariate Analysis**

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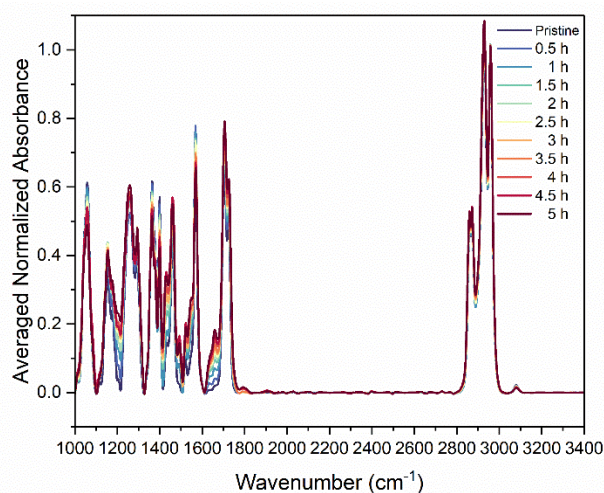
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## Table of Contents

I.	PTB7 ATR-FTIR Data – 1000-3400 cm <sup>-1</sup> , Averaged.....	S3
II.	PTB7 Vibrational Assignments.....	S3
III.	A Brief Primer on 2D-COS.....	S5
IV.	Statistical Analysis of Chemometric Results.....	S11
V.	Individual Test Dataset Accuracy Results.....	S13
VI.	References.....	S14

## I. PTB7 ATR-FTIR Data – 1000-3400 cm<sup>-1</sup>, Averaged



**Figure S1.** Averaged and normalized ATR-FTIR spectra of PTB7 spin cast on a ZnSe IRE (512 scans, 4 cm<sup>-1</sup> resolution, sample size n = 4 collected in triplicate) under 30 min interval exposures to photo-illumination from a solar simulator over the spectral range of 1000-3400 cm<sup>-1</sup>.

## II. PTB7 Vibrational Assignments

Parametric Model #7 Hamiltonian (PM7) available in the MOPAC interface in Chem3D was chosen as the semi-empirical quantum method for prediction of vibrational assignments based on its history of comparable predictions to density functional theory (DFT) using B3LYP methods for a wide range of organic species.<sup>1</sup> Separately, each subunit (BDT or FTT) was minimized either through PM7 or RM1 minimization until imaginary frequencies were no longer predicted. The predicted frequencies were then corrected with appropriate scaling factors.<sup>1</sup>

**Table S1:** Characteristic Frequencies and Assignments for Pristine PTB7.<sup>a</sup>

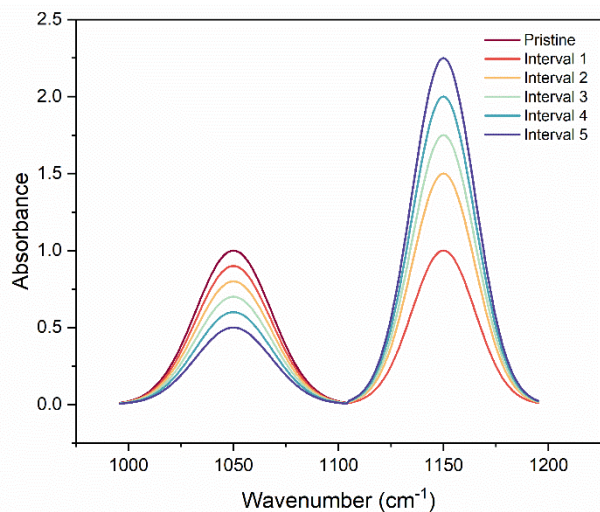
Predicted Frequency (cm <sup>-1</sup> )	Observed Frequency (cm <sup>-1</sup> )	Assignment <sup>b</sup>	Subunit
1008 1067	1057	$\nu_s(\text{C-O-C})_{\text{ether}} + \delta(\text{C-C-C})_{\text{Th}}$	FTT
1144 1166	1153 1176	$\nu(\text{C-C})_{\text{alkyl}} + \nu_s(\text{C-O-C})_{\text{ester}}$	BDT + FTT
1220 1279	1263	$\nu_{\text{as}}(\text{C-O-C})_{\text{ether}} + \nu_{\text{as}}(\text{C-O-C})_{\text{ester}} + \nu(\text{C-C-C})_{\text{TP}}$	FTT + BDT
1303 1318	1294	$\nu_{\text{as}}(\text{C-C-O})_{\text{ester}} + \delta(\text{CH}_2)_{\text{alkyl}}$	BDT + FTT
1348 1357	1365	$\nu(\text{C=C})_{\text{TP}}$	BDT
1380 1386	1400 1429	$\nu(\text{C=C})_{\phi \text{ ring}} + \nu(\text{C=C})_{\text{TP}}$	BDT
1452	1461	$\delta(\text{CH}_2)_{\text{alkyl}}$	FTT + BDT
1505 1589	1569	$\nu_s(\text{C-C-F})_{\text{T}} + \nu(\text{C=C})_{\phi \text{ ring}} + \nu(\text{C=C})_{\text{TP}} + \nu(\text{C=C})_{\text{T}}$	BDT + FTT
1630 1708 1734	1705	$\nu(\text{C=O})_{\text{ester}}$	FTT
1778 1806	1728	$\nu(\text{C=O})_{\text{ester}} + \nu_{\text{as}}(\text{C-C-F})_{\text{T}}$	FTT
2856	2860	$\nu(\text{CH}_2)_{\text{alkyl}}$	BDT + FTT
2876	2871	$\nu(\text{CH}_3)_{\text{alkyl}}$	BDT + FTT
2892	2929	$\nu(\text{CH}_2)_{\text{alkyl}}$	BDT + FTT
2960	2960	$\nu(\text{CH}_3)_{\text{alkyl}}$	BDT + FTT

<sup>a</sup>Vibrational assignments from references <sup>2, 3, 4, 5, 6, and 7</sup> and supplemented by PM7 semi-empirical quantum mechanical predictions performed separately on the BDT and FTT subunits in the MOPAC interface in Chem3D.

<sup>b</sup>Assignment notations:  $\nu$  = stretch,  $\delta$  = bend; ether = BDT alkyl ether side chains, ester = FTT alkyl ester side chains, alkyl = ether or ester-linked alkyl groups, Th = thieno ring of FTT, T = thiophene ring of FTT, TP = thiophene ring of BDT.

### III. A Brief Primer on 2D-COS

The flexibility and generality of correlation analysis allow the application of 2D-COS to any set of spectral data for which the system has been exposed to an external perturbation, such as radiant or thermal exposure, wherein the perturbation causes the magnitude (e.g. intensity, frequency) of spectral variables to change. Consider a photodegradation experiment of a polymer system wherein a series of FTIR spectra of the polymer is acquired at specific time intervals of radiant exposure, as shown in Figure S2. In this thought experiment, let's limit the region of interest to two spectral bands, one at 1050 cm<sup>-1</sup>



**Figure S2.** Artificially generated FTIR spectral data of a hypothetical polymer system exposed to cumulative intervals of light. The band centered at 1050 cm starts to decrease in intensity after the first interval of light exposure while the band centered at 1150 cm increases in intensity starting after the second light exposure. For this second band, the maroon trace representing the pristine spectrum is masked by the dark orange trace of representing the first light interval as no spectral change has occurred yet.

and the other at 1150 cm<sup>-1</sup>. Qualitative observation of the spectra reveals that the band at 1050 cm<sup>-1</sup> begins to decrease in intensity after the first interval of light exposure while the band at 1150 cm<sup>-1</sup> increases in intensity starting after the second light exposure interval.

A dynamic spectrum ( $\tilde{y}(\nu, t)$ ) of this system can be formally defined as

$$\tilde{y}(\nu, t) = \begin{cases} y(\nu, t) - \bar{y}(\nu), & \text{for } T_{min} \leq t \leq T_{max} \\ 0, & \text{otherwise} \end{cases} \quad (\text{S.1})$$

where  $\nu$  is the wavenumber,  $t$  is time,  $\bar{y}(\nu)$  is the reference spectrum,  $T_{min}$  is the beginning of

spectral measurement, and  $T_{max}$  is the end of spectral measurement. Although the choice of the reference spectrum is not strictly defined and historically has been treated somewhat arbitrarily, selecting a reference spectrum too dissimilar from the spectra in the dataset complicates 2D-COS interpretation and can even lead to erroneous conclusions.<sup>8</sup> The average spectrum of the dataset often

serves as a good estimate of the “static” or constant component of the system with respect to the external perturbation; thus, choosing the average spectrum as the reference allows subtraction of the static component from the data, thereby facilitating 2D-COS interpretation.<sup>8,9</sup>

Once the dynamic spectrum has been calculated, the cross-correlation analysis can proceed. The generic definition of the 2D correlation intensity ( $X(\nu_1, \nu_2)$ ) is

$$X(\nu_1, \nu_2) = \langle \tilde{y}(\nu_1, t) \cdot \tilde{y}(\nu_2, t') \rangle \quad (\text{S.2})$$

where the brackets denote the cross-correlation function.  $X(\nu_1, \nu_2)$  is treated as a complex number function with two orthogonal components and is expressed as

$$X(\nu_1, \nu_2) = \Phi(\nu_1, \nu_2) + i\Psi(\nu_1, \nu_2) \quad (\text{S.3})$$

where the real ( $\Phi(\nu_1, \nu_2)$ ), or synchronous, component represents the coincidental intensity trends at any two given spectral variables, while the imaginary ( $i\Psi(\nu_1, \nu_2)$ ), or asynchronous, component represents the out-of-phase intensity variations at any two given spectral variables.

To generate the synchronous and asynchronous spectra via generalized 2D correlation analysis, the synchronous and asynchronous intensities are formally defined as

$$\Phi(\nu_1, \nu_2) + i\Psi(\nu_1, \nu_2) = \frac{1}{\pi(T_{max} - T_{min})} \int_0^\infty \tilde{Y}_1(\omega) \cdot \tilde{Y}_2^*(\omega) d\omega \quad (\text{S.4})$$

Simply put, this is a Fourier transformation of the dynamic spectrum carried out with respect to the external variable, e.g. time. For a given pair of spectral variables ( $\nu_1, \nu_2$ ),  $\tilde{Y}_1(\omega)$  represents the forward Fourier transform of spectral intensity changes occurring at  $\nu_1$ , while  $\tilde{Y}_2^*(\omega)$  is the complex conjugate of the spectral intensity changes occurring at  $\nu_2$ . These Fourier transformations are given by

$$\tilde{Y}_1(\omega) = \int_{-\infty}^\infty \tilde{y}(\nu_1, t) e^{-i\omega t} dt = \tilde{Y}_1^{Re}(\omega) + i\tilde{Y}_1^{Im}(\omega) \quad (\text{S.5})$$

and

$$\tilde{Y}_2^*(\omega) = \int_{-\infty}^{\infty} \tilde{y}(\nu_2, t) e^{i\omega t} dt = \tilde{Y}_2^{Re}(\omega) - i\tilde{Y}_2^{Im}(\omega) \quad (S.6)$$

where  $\tilde{Y}_1^{Re}(\omega)$  and  $\tilde{Y}_2^{Re}(\omega)$  are the real components of each Fourier transform and  $\tilde{Y}_1^{Im}(\omega)$  and  $\tilde{Y}_2^{Im}(\omega)$  are the imaginary components of each Fourier transform.

Given the large frequency or energy range of typical spectral data and the need to calculate a correlation at every point of a 2D spectral plane, even fast Fourier transforms can take up large amounts of computational resources. To save computational time, different “shortcuts” can be taken to satisfactorily estimate the true 2D correlation intensity. For the example described here for which  $n$  spectral traces are collected at evenly spaced time intervals, the synchronous intensity is calculated through a cross-product calculation between the dynamic intensity changes at any two given wavenumbers  $\nu_1$  and  $\nu_2$ .

$$\Phi(\nu_1, \nu_2) = \frac{1}{n-1} \sum_{j=1}^n \tilde{y}_j(\nu_1) \cdot \tilde{y}_j(\nu_2) \quad (S.7)$$

Calculating the intensity of the asynchronous spectrum is a little more complex, but the Hilbert transformation of the dynamic spectrum can be utilized in lieu of a Fourier transform:

$$\Psi(\nu_1, \nu_2) = \frac{1}{n-1} \sum_{j=1}^n \tilde{y}_j(\nu_1) \cdot \sum_{k=1}^n N_{jk} \cdot \tilde{y}_k(\nu_2) \quad (S.8)$$

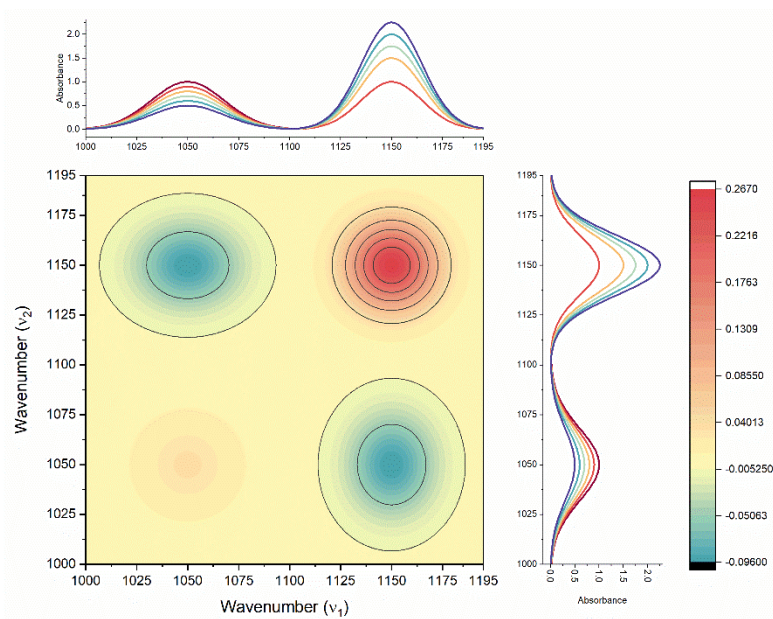
where  $N_{jk}$  is the element in the discrete Hilbert-Noda transformation matrix corresponding to the  $j$ th row and the  $k$ th column. This matrix is given by

$$N_{jk} = \begin{cases} 0, & \text{if } j = k \\ \frac{1}{\pi(k-i)}, & \text{otherwise} \end{cases} \quad (S.9)$$

These calculations facilitate the creation of 2D synchronous and asynchronous plots. Although both plots provide insight into the relationship between coordinate frequency pairs  $(\nu_1, \nu_2)$  upon exposure to the external perturbation, the information gained from each plot is complementary.

The synchronous plot provides information about correlated intensity changes due to the external perturbation at specific coordinate frequency pairs. These plots are symmetric across the diagonal line ( $\nu_1 = \nu_2$ ) and exhibit two types of contour peaks: autopeaks located on the diagonal and cross peaks located in frequency regions off the diagonal. Autopeaks are always positive in sign, and those with high intensity values represent frequencies where significant spectral changes occur in the form of peaks increasing or decreasing in intensity. The cross peaks located off the diagonal represent coordinate pairs of different frequencies where spectral intensity changes occur simultaneously or coincidentally. These peaks are positive when the spectral intensity changes at both frequencies in the same direction (both increasing or decreasing) and are negative when the spectral intensity changes occur in the opposite direction.

The synchronous plot generated from the FTIR spectral data of the hypothetical polymer system of this example is shown in Figure S3. For clarity, the spectral traces are also shown along both X and Y axes. In this example, coordinate pairs with positively correlated intensity changes are red, pairs with negatively correlated intensity changes are blue, and pairs with no correlated intensity changes are yellow.

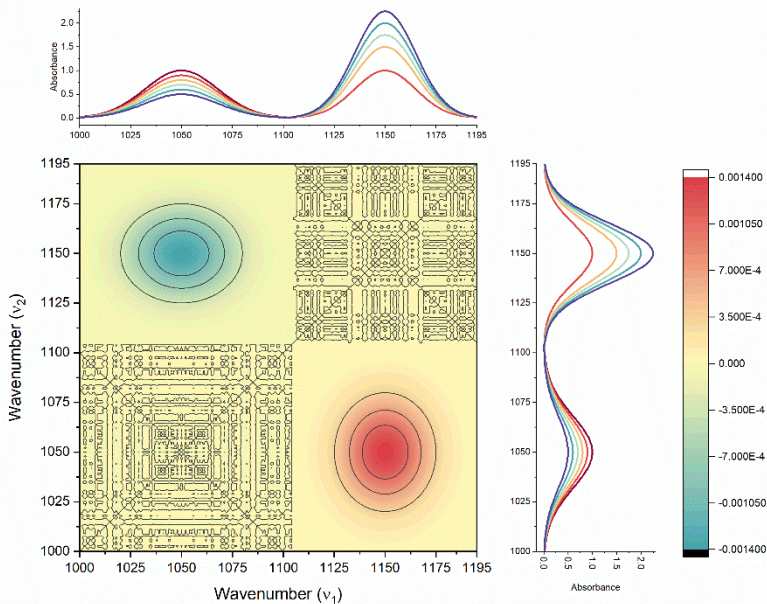


**Figure S3.** Synchronous plot generated from the simulated FTIR spectra.

Two autopeaks are present in this plot at (1050, 1050  $\text{cm}^{-1}$ ) and (1150, 1150  $\text{cm}^{-1}$ ), which correspond to the two peaks of interest in this hypothetical spectrum. The autopeak at (1150, 1150  $\text{cm}^{-1}$ ) is larger in magnitude, which implies that upon radiant exposure, the degree of spectral intensity change at 1150  $\text{cm}^{-1}$  is greater than the

spectral intensity change at  $1050\text{ cm}^{-1}$ . For this simplified example, the  $1150\text{ cm}^{-1}$  band does indeed undergo more dramatic spectral intensity change upon irradiation as shown in Figure S2. As expected, the cross peaks in this system are mirror images of each other at  $(1150, 1050\text{ cm}^{-1})$  and  $(1050, 1150\text{ cm}^{-1})$ . These peaks are negative because the two peaks change intensity in opposite directions. For cumulative radiant exposure intervals, the band at  $1050\text{ cm}^{-1}$  decreases in intensity while the band at  $1150\text{ cm}^{-1}$  increases. This simple example illustrates how 2D-COS can be utilized for systems with several peaks changing upon exposure to a perturbation and facilitate easier analysis of spectral changes.

The asynchronous plot of generalized 2D-COS provides information about the time-dependent order of spectral changes. These plots only contain off-diagonal cross peak pairs that are mirror images of opposite sign across the diagonal. Asynchronous cross peaks result only from out-of-phase changes between two spectral variables, i.e. changes at a frequency pair that are delayed or accelerated with respect to one another. According to Noda's rule,<sup>10</sup> for an off-diagonal coordinate pair in the synchronous plot, a positive cross peak in the asynchronous plot indicates an intensity change at  $\nu_1$  that occurs largely before an intensity change at  $\nu_2$ . Conversely, a negative cross peak in the asynchronous plot is indicative of a change occurring predominantly at  $\nu_2$  before  $\nu_1$ . These rules are reversed if the corresponding off-diagonal coordinate pair in the synchronous plot has a negative value. While the asynchronous plots provide sensitive analysis for the differentiation of overlapped bands, they are more sensitive to noise and fluctuations in spectral baseline than their synchronous counterparts, which can make interpretation of complex systems difficult.<sup>11</sup>



**Figure S4.** Asynchronous plot generated from the simulated FTIR data.

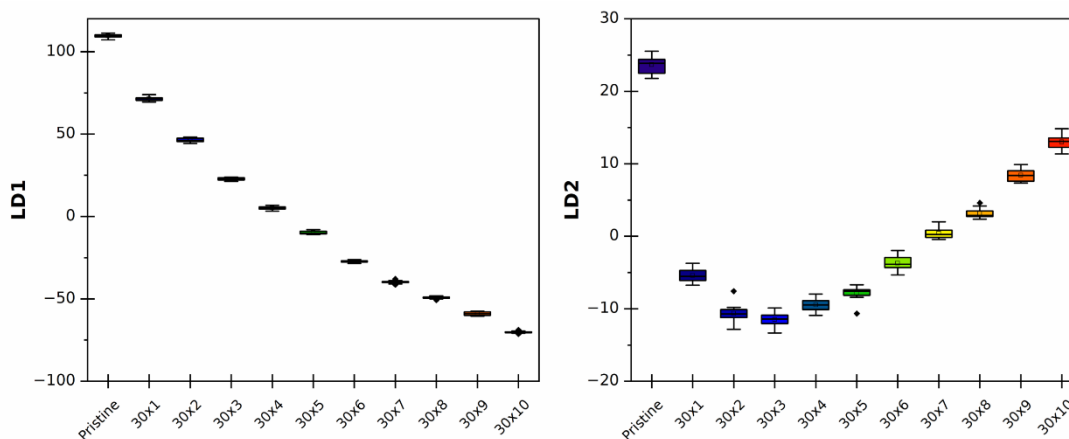
For this example, the asynchronous plot is shown below in Figure S4. The same color-coding system is utilized as above, with red representing positive values, blue representing negative values, and yellow representing no out-of-phase intensity changes. Predictably, there are no autopeaks in this plot since intensity changes occurring at a given frequency cannot change out

of phase with itself. Unlike the synchronous plot, noisy contour lines are observed which demonstrate the increased sensitivity of the asynchronous calculations to random baseline fluctuations. The cross peaks present occur at  $(1150, 1050 \text{ cm}^{-1})$  and  $(1050, 1150 \text{ cm}^{-1})$ , although they are opposite in sign. Analyzing the positive peak below the diagonal at  $(1150, 1050 \text{ cm}^{-1})$  and following Noda's rule, the positive peak should indicate spectral intensity change occurring first at  $1150 \text{ cm}^{-1}$  before  $1050 \text{ cm}^{-1}$ . However, since in the synchronous plot, the coordinate pair  $(1150, 1050 \text{ cm}^{-1})$  is negative in sign, the rule reverses, and instead, the correct conclusion is that intensity changes in the  $1050 \text{ cm}^{-1}$  band occur before the intensity changes in the  $1150 \text{ cm}^{-1}$  band. Indeed, upon close examination of the simulated dataset shown in Figure S2, the band at  $1050 \text{ cm}^{-1}$  starts decreasing in intensity after the first radiant exposure interval while the band at  $1150 \text{ cm}^{-1}$  doesn't start to increase in intensity until after the second exposure interval. This subtle difference would be difficult to parse out in a system where multiple bands change in intensity; this example again demonstrates the utility of 2D-COS.

#### IV. Statistical Analysis of Chemometric Results

Using the training dataset, 40 principle components (PCs) were used to calculate two linear discriminants (LDs) which were then used to create a model to predict the degradation extent of PTB7 in unlabeled test datasets. Two spectral frequencies were utilized – 1300-1900  $\text{cm}^{-1}$  and 1000-3400  $\text{cm}^{-1}$ .

##### 1300-1900 $\text{cm}^{-1}$



**Figure S5.** Box plot analysis on LD1 and LD2 scores after PCA treatment from ATR-FTIR spectral data between 1300-1900  $\text{cm}^{-1}$  for PTB7 films under sequential 30 min radiant exposures.

**Table S2:** ANOVA of LD1 and LD2 scores calculated after PCA treatment from the FTIR spectral data between 1300-1900  $\text{cm}^{-1}$  for PTB7 films under sequential 30 min radiant exposures.

	LD1					LD2				
	DF	Sum of Squares	Mean Square	F Value	Prob>F	DF	Sum of Squares	Mean Square	F Value	Prob>F
<b>Model</b>	10	396867.05357	39686.70536	39686.70536	<0.0001	10	14995.4941	1499.54941	1499.54941	<0.0001
<b>Error</b>	121	121	1			121	121	1		
<b>Total</b>	131	396988.05357				131	15116.4941			

Null Hypothesis: The means of all levels are equal.

Alternative Hypothesis: The means of one or more levels are different.

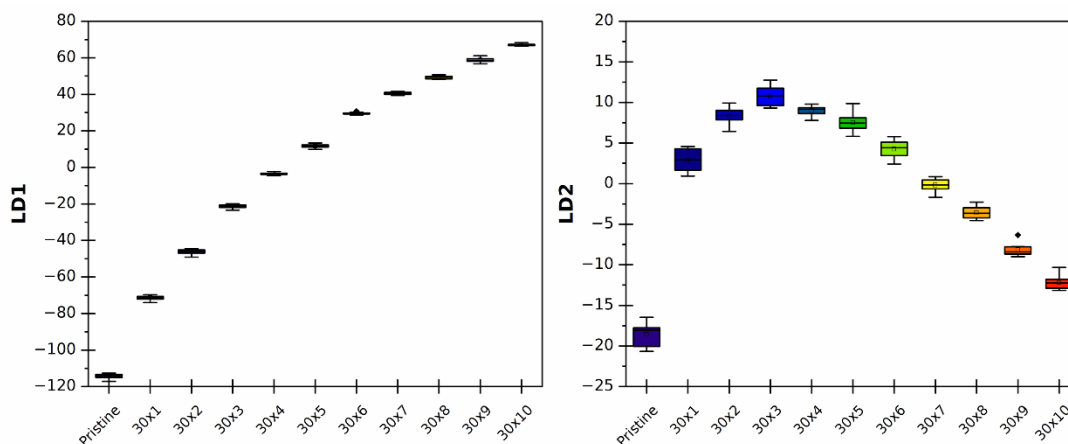
At the 0.05 level, the population means are significantly different.

**Table S3:** Post hoc Tukey’s test results for mean LD1 and LD2 values after PCA treatment between 1300-1900  $\text{cm}^{-1}$  for ATR-FTIR spectral data between 1300-1900  $\text{cm}^{-1}$  of PTB7 films under sequential 30 min radiant exposures.

LD1						LD2					
Sample	Mean	Groups				Sample	Mean	Groups			
Pristine	109.6167	A				Pristine	23.66228	A			
0.5 h	71.3999		B			0.5 h	12.98877		B		
1 h	46.31365			C		1 h	8.40632			C	
1.5 h	22.89186				D	1.5 h	3.15531				D
2 h	5.13377					2 h	0.39786				E
2.5 h	-9.79012					2.5 h	-3.72026				F
3 h	-27.30272					3 h	-5.42689				G
3.5 h	-39.73141					3.5 h	-7.83553				H
4 h	-49.35226					4 h	-9.46868				I
4.5 h	-58.93424					4.5 h	-10.64665				I
5 h	-70.24514					5 h	-11.51253				J

Means that do not share a letter are significantly different.

**1000-3400  $\text{cm}^{-1}$**



**Figure S6.** Box plot analysis on LD1 and LD2 scores after PCA treatment from ATR-FTIR spectral data between 1000-3400  $\text{cm}^{-1}$  for PTB7 films under sequential 30 min radiant exposures.

**Table S4:** ANOVA of LD1 and LD2 scores calculated after PCA treatment from the FTIR spectral data between 1000-3400  $\text{cm}^{-1}$  for PTB7 films under sequential 30 min radiant exposures.

	LD1					LD2				
	DF	Sum of Squares	Mean Square	F Value	Prob>F	DF	Sum of Squares	Mean Square	F Value	Prob>F
Model	10	405474.23547	40547.42355	40547.42355	<0.0001	10	11083.37454	1108.33745	1108.33745	<0.0001
Error	121	121	1			121	121	1		
Total	131	405595.23547				131	11204.37454			

Null Hypothesis: The means of all levels are equal.

Alternative Hypothesis: The means of one or more levels are different.

At the 0.05 level, the population means are significantly different.

**Table S5:** Post hoc Tukey’s test results for mean LD1 and LD2 values after PCA treatment between 1000-3400 cm<sup>-1</sup> for ATR-FTIR spectral data between 1300-1900 cm<sup>-1</sup> of PTB7 films under sequential 30 min radiant exposures.

LD1										LD2											
Sample	Mean	Groups								Sample	Mean	Groups									
5 h	67.11138	A								1.5	10.79532	A									
4.5 h	58.7491		B							2 h	8.9696		B								
4 h	49.3025			C						1 h	8.39373		B	C							
3.5 h	40.49622				D					2.5 h	7.49526			C							
3 h	29.45885					E				3 h	4.25203				D						
2.5 h	11.58379						F			0.5 h	2.83081					E					
2 h	-3.46536							G		3.5 h	-0.18296						F				
1.5 h	-21.29135								H	4 h	-3.60119							G			
1 h	-46.28844									I	4.5 h	-8.1692							H		
0.5 h	-71.3891										J	5 h	-12.202							I	
Pristine	-114.26759											K	Pristine	-18.5814							J

Means that do not share a letter are significantly different.

## V. Individual Test Dataset Accuracy Results

**Table S6:** Accuracy of PCA-LDA predictions grouping by total radiant exposure time for TD1 collected and processed by Researcher 1.

1300-1900 cm <sup>-1</sup>				1000-3400 cm <sup>-1</sup>			
±0 min	±30 min	±60 min	±90 min	±0 min	±30 min	±60 min	±90 min
51.5%	86.4%	98.5%	100.0%	68.2%	90.9%	100.0%	100.0%

**Table S7:** Accuracy of PCA-LDA predictions grouping by total radiant exposure time for TD2 processed by Researcher 2.

1300-1900 cm <sup>-1</sup>				1000-3400 cm <sup>-1</sup>			
±0 min	±30 min	±60 min	±90 min	±0 min	±30 min	±60 min	±90 min
83.3%	100.0%	100.0%	100.0%	56.1%	78.8%	83.3%	90.9%

**Table S8:** Accuracy of TD1 data for binary distinction between pristine and degraded PTB7 films for 1300-1900 cm<sup>-1</sup> and 1000-3400 cm<sup>-1</sup>.

1300-1900 cm <sup>-1</sup>	1000-3400 cm <sup>-1</sup>
100%	100%

**Table S9:** Accuracy of TD2 data for binary distinction between pristine and degraded PTB7 films for 1300-1900 cm<sup>-1</sup> and 1000-3400 cm<sup>-1</sup>.

1300-1900 cm <sup>-1</sup>	1000-3400 cm <sup>-1</sup>
100%	78.8%

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