

NMR methods for characterizing molecular species within two immiscible solvents: application to SABRE-hyperpolarised species

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SUPPORTING INFORMATION

- **Figure S1 (page 2):** M_{xy} frequency response of a REBURP pulse of 1 ms calibrated to provide a 180° flip angle on-resonance.
- **Figure S2 (page 3):** Simulation of the slice selection scheme.
- **Figure S3 (page 4):** Time evolution of the acetonitrile ¹H NMR signal in each pair of slices of the biphasic sample (organic phase).
- **Figure S4 (page 5):** Time evolution of the acetonitrile ¹H NMR signal in each pair of slices of the biphasic sample (aqueous phase).
- **Figure S5 (pages 6-7):** Pulse sequence of the 3D CSI-DOSY experiment.
- **Figure S6 (page 8):** Self-diffusion curves extracted for acetonitrile in the different slices (12-31 range) of the sample.
- **Figure S7 (page 9):** Self-diffusion curves extracted for acetonitrile in the different slices (32-33 and 37-54 range) of the sample.
- **Figure S8 (page 10):** Self-diffusion profile for acetonitrile obtained with and without the correction of the γ -gradient strength along z .
- **Figure S9 (page 11):** Details of the Radsl-CSI experiments shown in Figure 7 of the main text.
- **Figure S10 (page 12):** Bruker pulse sequence of the Radsl-CSI.

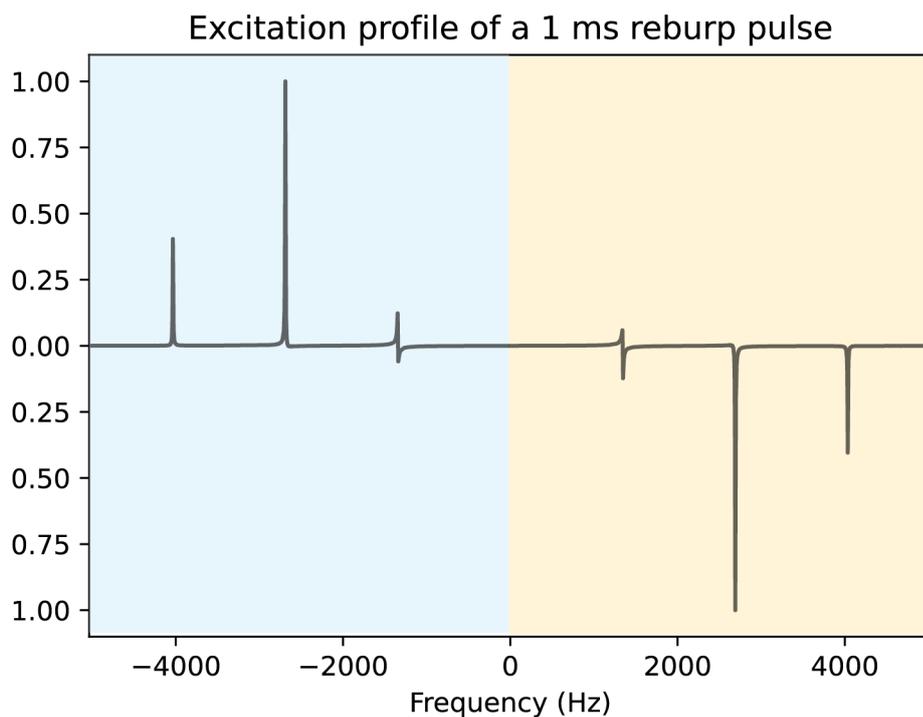


Figure S1: M_{xy} profile of a REBURP pulse of 1 ms calibrated to provide a 180° flip angle on-resonance. Simulation using trajectories on a Bloch sphere for 7 spins resonating at offsets -4035, -2690, -1345, 0, 1345, 2690, 4035 Hz. Blue and yellow background colours are added to simulate where could be the water and organic phases when the pulse is used simultaneously with a field gradient and the interface is set on-resonance as in OSDS.

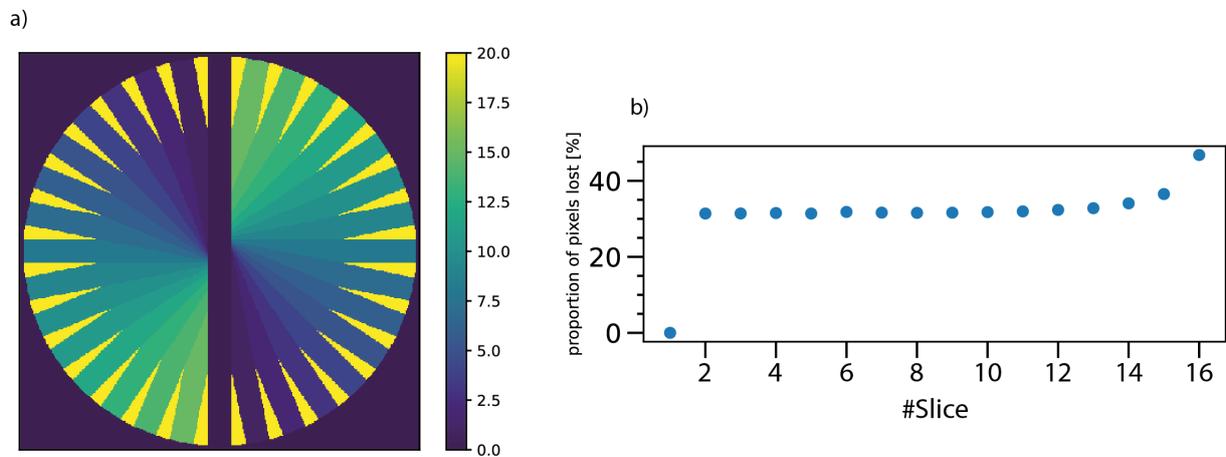


Figure S2: a) Simulation of the slice selection scheme. Slice order given by the viridis scale. (Simulation parameters: matrix size = 500x500 pixels, circle radius = 245 pixels, slice width = 30 pixels. These parameters are in accordance with those of the experiment), b) Plot showing the percentage of pixels already present in the previous slices. Transposed to the Radsl-CSI, this shows that for most slices, ca. 30% of the spins have already been excited. An optimised order ($\theta = \{0^\circ, 90^\circ, 45^\circ, 135^\circ \dots\}$) can also be chosen in order to decrease this loss.

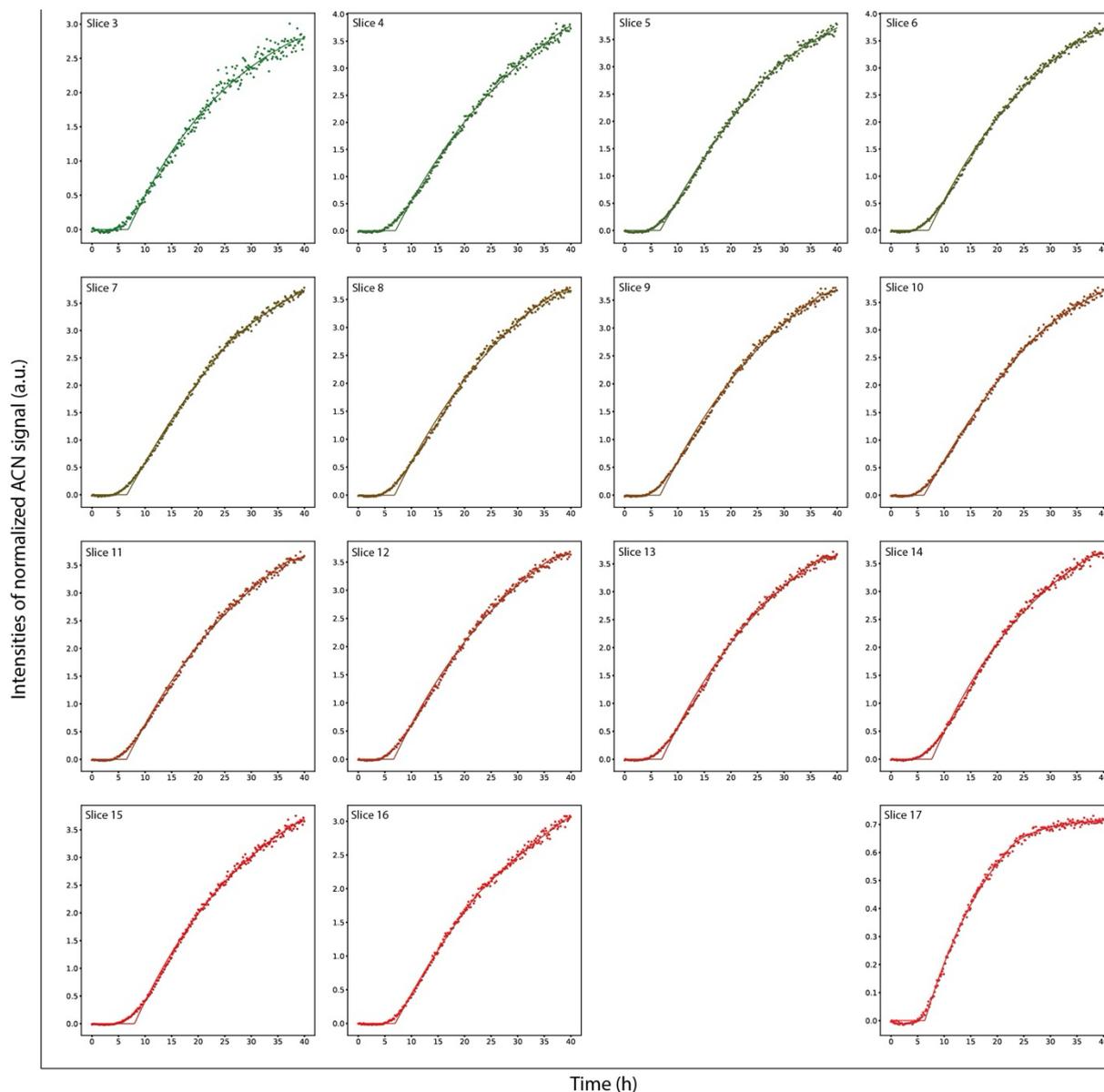


Figure S3: Time evolution of the acetonitrile ^1H NMR signal in each pair of z-slices of the biphasic sample (organic phase). Slice 3 represents the lowest slice usable for the CD_2Cl_2 phase, slice 17 is at the interface with the aqueous phase (the two lowest pairs of z-slices have been discarded). Distance between two pairs of slices: $\Delta z = 0.064$ cm. The curves consist of 278 datapoints, separated by a time interval of 8 min 33 s. The fit curves are superimposed.

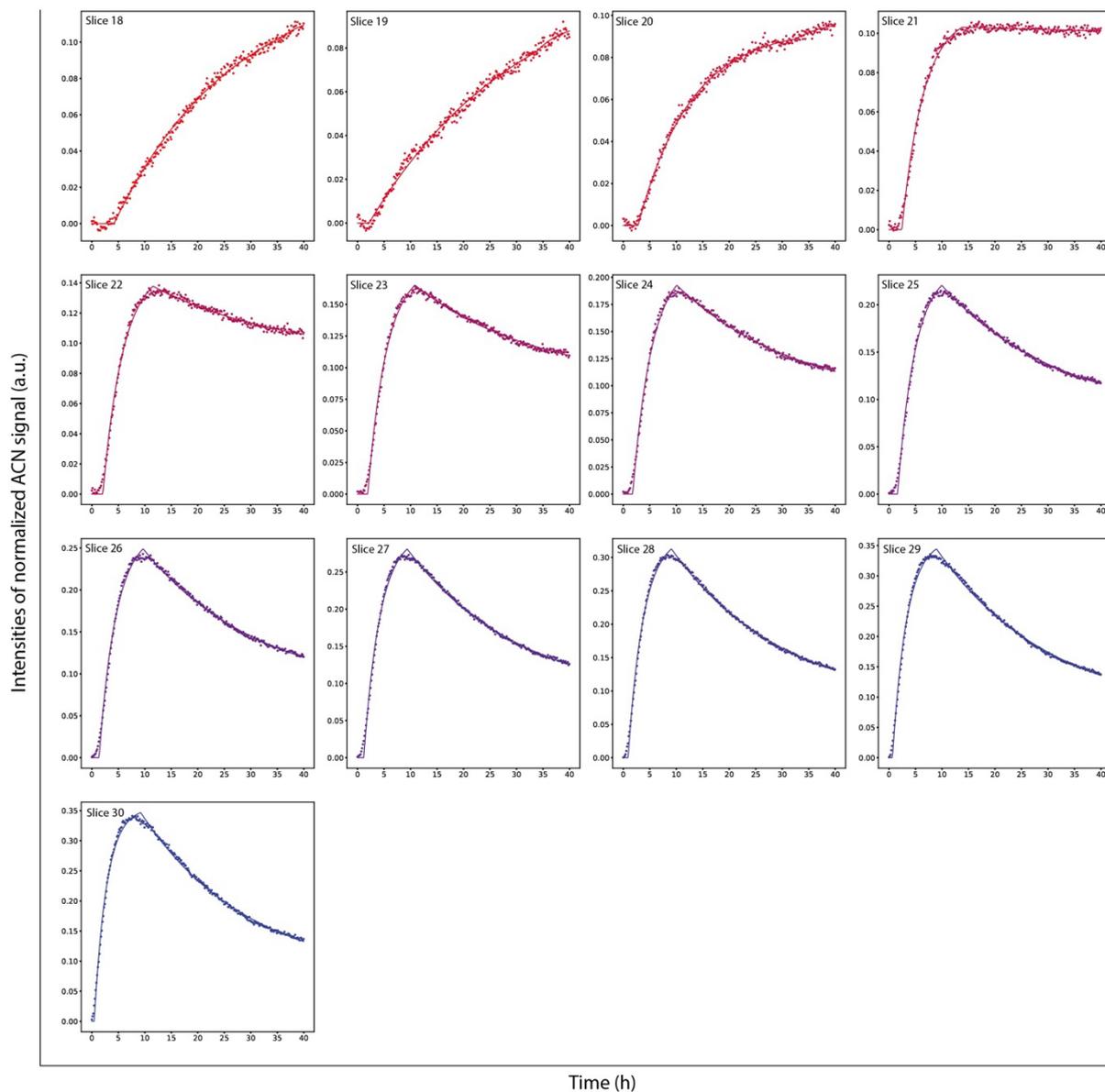


Figure S4: Time evolution of the acetonitrile ^1H NMR signal in each pair of z-slices of the biphasic sample (aqueous phase). Slice 30 is the highest usable for the D_2O phase (pairs of slices 31 and 32 have been discarded). Distance between two pairs of z-slices: $\Delta z = 0.064$ cm.

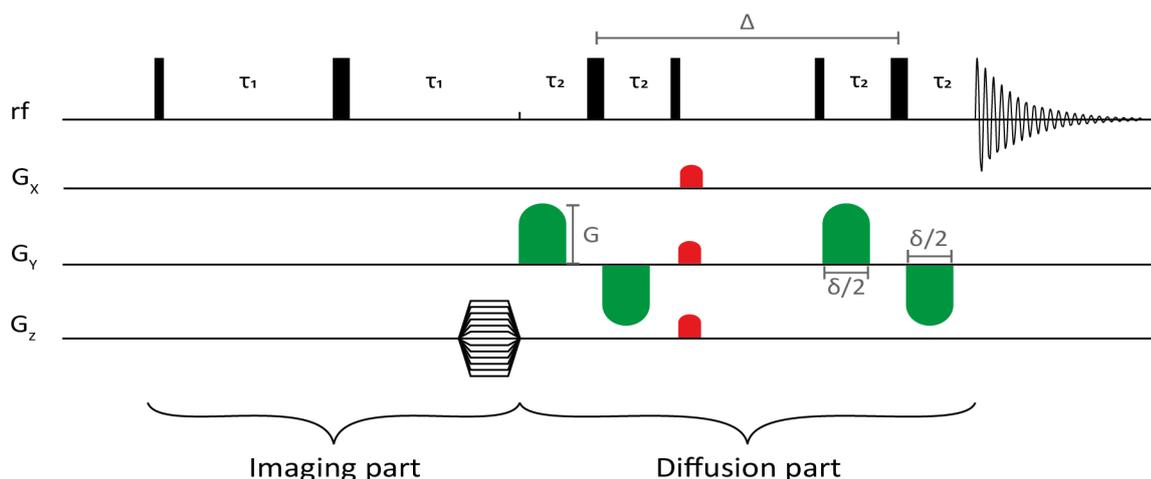


Figure S5: Pulse sequence of the 3D CSI-DOSY experiment. Direct dimension (F3): ^1H spectra; first indirect dimension (F1): spatial localization; second indirect dimension (F2): self-diffusion. On the rf channel, the narrow rectangles represent $\pi/2$ hard pulses, while the wider rectangles represent π pulses. For the CSI part, the phase gradient is applied along z. Bipolar diffusion gradients of duration δ and of double sine shape (in green) are employed along y, in stimulated echo mode to avoid too much T_2 relaxation. After the second $\pi/2$ pulse, when magnetization should only be on z, a purge gradient at the magic angle ($G_x = G_y = G_z$) is used (displayed in red). For the imaging part: $\tau_1 = 1.45$ ms, phase gradient duration 1.25 ms, F1 phase dimension made of 64 points from $-G_{\text{max}}$ to $G_{\text{max}} - \Delta G$, with $G_{\text{max}} = 2.43 \text{ G}\cdot\text{cm}^{-1}$ and the gradient increment $\Delta G = 0.08 \text{ G}\cdot\text{cm}^{-1}$. For the self-diffusion measurement: $\tau_2 = 0.7$ ms, $\Delta = 200$ ms, $\delta = 1$ ms, linear ramp of the diffusion gradients constituted by 16 nominal values from 1.79 to 25.13 $\text{G}\cdot\text{cm}^{-1}$.

```
; 3D CSI-DOSY
; BRUKER avance II-version
; written for a z-profile image (using a spin echo)
; and for the measurement of the diffusion in the y-direction
; (using a stimulated echo together with bipolar gradients)
```

```
#include <Avance.incl>
#include <Delay.incl>
#include <De.incl>
#include <Grad.incl>
```

```
define list<gradient> diff=<Difframp> ; list containing the y-gradient values
```

```
"DELTA=(d20-p1*2-p2-p30*2-d16*3-p19)" ; big Delta
"p2=2*p1"
```

```
lgrad r2d<2d> = td1
aqseq 312
```

```
1 ze
2 d8
3 d1 UNBLKGRAD
4 4u p1:f1 ; set pulse power on f1, the proton channel
  p1 ph1 ; exc. pulse
  50u
  d14
  d15
  p2 ph2
  d15
  d14 grad{(0)|(0)|(0)+r2d(cnst23)} ; phase-encoding along z
  50u groff
  p30:gp6*diff ; diffusion
```

```

d16
p2 ph4
p30:gp6*-1*diff
d16
p1 ph3
p19:gp7 ; purge gradient
d16
DELTA
p1 ph5
p30:gp6*diff
d16
p2 ph4
p30:gp6*-1*diff
d16
5u BLKGRAD
go=3 ph31
1m igrad r2d
d11 wr #0 if #0 zd
lo to 3 times td1 ; F1 (spatial) dimension loop
1m zgrad r2d
1m igrad diff
lo to 2 times td2 ; F2 (diffusion) dimension loop
exit

```

```

ph1=0
ph2=0 0 0 0 1 1 1 1 2 2 2 2 3 3 3 3
ph3=0 0 0 0 0 0 0 0 2 2 2 2 2 2 2 2
ph4=0 0 0 0 2 2 2 2
ph5=0 1 2 3
ph31=0 3 2 1 0 3 2 1 2 1 0 3 2 1 0 3

```

```

; gp6: bipolar gradient (for instance, gpy6 = 100)
; p11: power level for high power pulse
; p1: 90 degrees high power pulse
; p2: 180 degrees high power pulse
; p19: duration of the purge gradient
; p30: duration of bipolar diffusion gradients
; d14: duration of the phase encoding gradient
; d15: echo delay
; d16: delay for gradient recovery
; cnst23: constant for the phase z-gradient

```

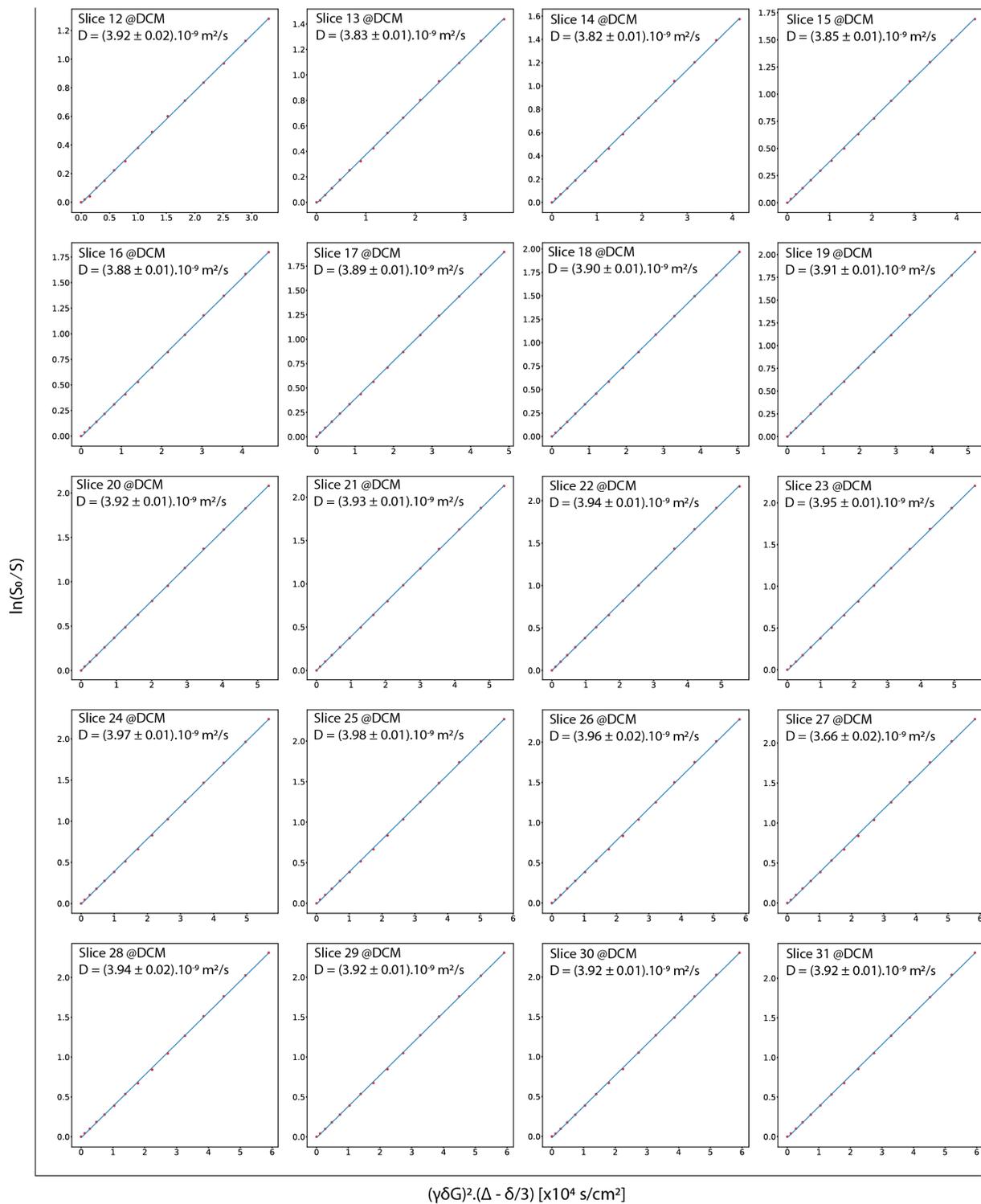


Figure S6: Self-diffusion curves extracted for acetonitrile in the different z-slices (12-31 range) of the sample. Between two slices $\Delta z = 0.039 \text{ cm}$. The logarithm of the ratio S_0/S is plotted as a function of $\beta = (\gamma\delta G)^2(\Delta - \delta/3)$, and the best-fit line is superimposed. Here S is the signal area for a given gradient value, while S_0 is the signal area for the minimal gradient used.

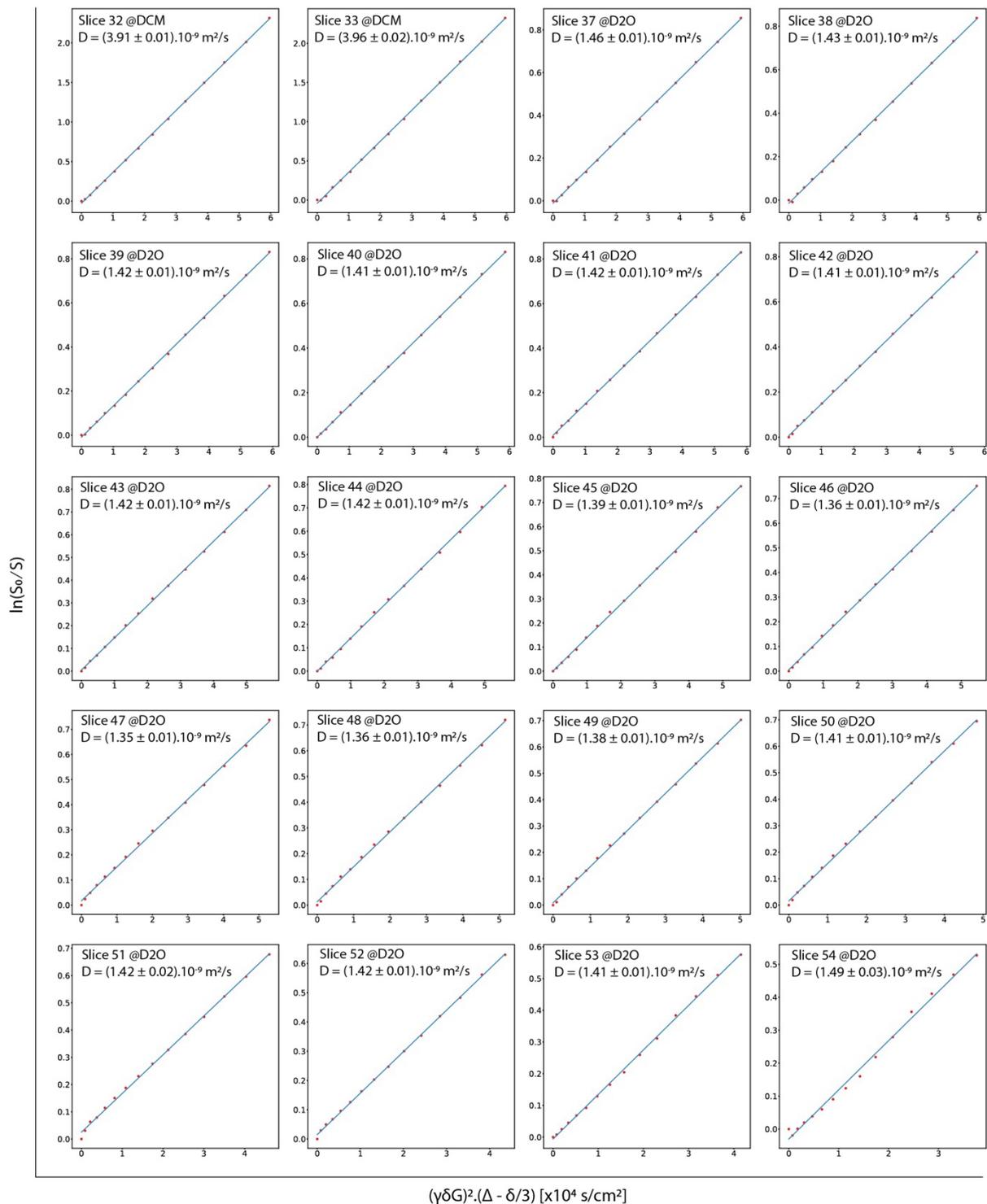


Figure S7: Self-diffusion curves extracted for acetonitrile in the different z-slices (32-33 and 37-54 range) of the sample. Between two slices $\Delta z = 0.039$ cm. The logarithm of the ratio S_0/S is plotted as a function of $\beta = (\gamma\delta G)^2(\Delta - \delta/3)$, and the best-fit line is superimposed. Here S is the signal area for a given gradient value, while S_0 is the signal area for the minimal gradient used.

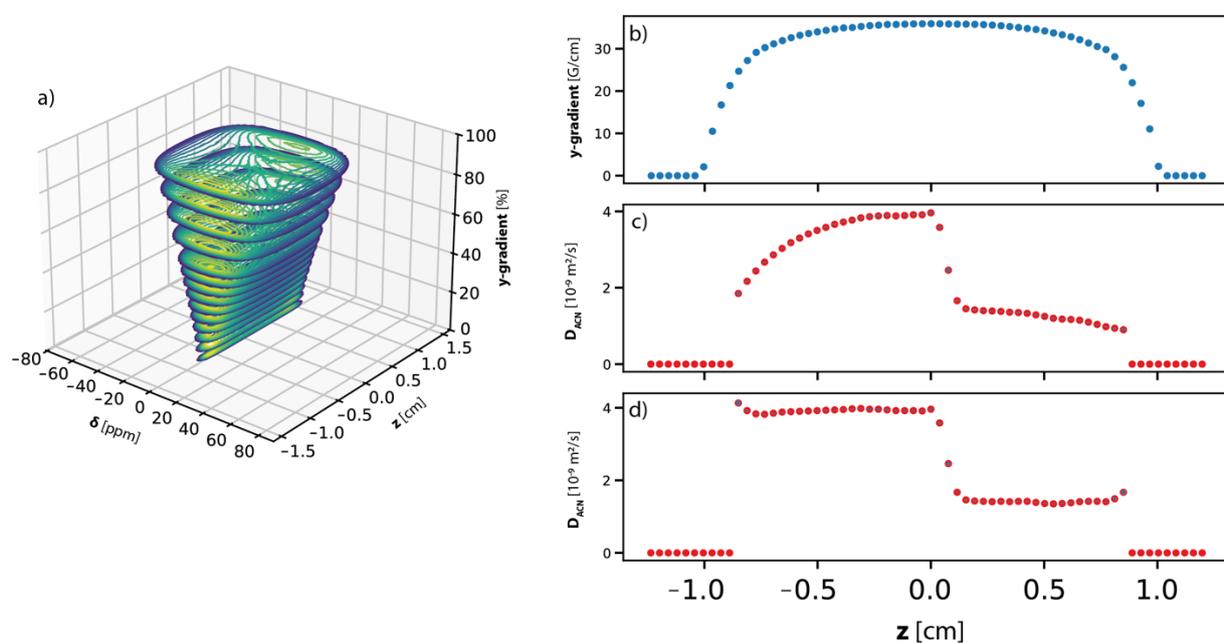


Figure S8: a) 3D-contour plot showing the signal spreading as a function of the y-gradient strength in percentage for different z coordinates; b) extracted y-gradient strength as a function of the position, expressed here as a function of the slice number (1, bottom of the tube; 64, top of the tube). The results are shown for acetonitrile, c) without and d) with the 2D corrected y-gradient strengths. The profile of the diffusion coefficient D is successfully flattened in each phase.

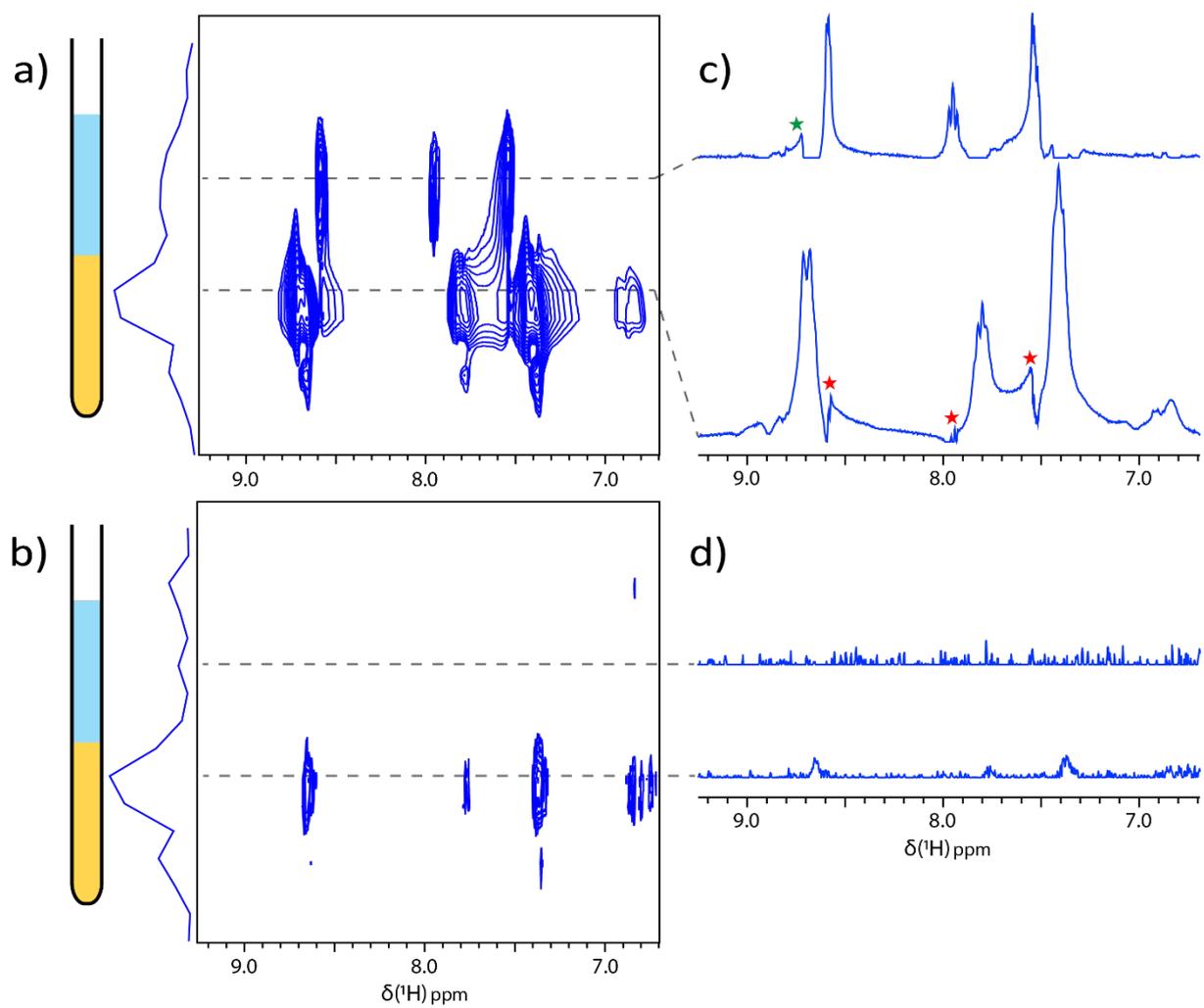


Figure S9. Details of the Radsl-CSI experiments shown in Figure 7 of the main text. a) Hyperpolarised and b) thermal contour plots, on which two magnitude mode spectra are extracted (bottom: in the organic phase; top: in the aqueous phase). On the hyperpolarised spectra, the stars indicate a residual signal arising from the other phase (insufficient spatial resolution). The data are in magnitude mode with subtraction of the first row.

```

; RadslCSI
; tested on AvanceII
; 2D-sequence (spectral – spatial)
; gradient-echo, z-profile, longitudinal slices

#include <Avance.incl>
#include <Delay.incl>
#include <De.incl>
#include <Grad.incl>

"d14=p11/2" ; can be modified to change the FOV
"cnst20=-cnst22*p11/(2*d14)"

lgrad cos = td1
lgrad sin = td1

define list<gradient> encoding = {0.0 -0.13 0.13 -0.25 0.25 -0.38 0.38 -0.5 0.5 -0.63 0.63 -0.75 0.75 -0.88 0.88 -1}
; normal = {-1.0 -0.88 -0.75 -0.63 -0.5 -0.38 -0.25 -0.13 0.0 0.13 0.25 0.38 0.5 0.63 0.75 0.88}
; partial = {0.0 0.13 0.25 0.38 0.5 0.63 0.75 0.88 1.0 1.13 1.25 1.38 1.5 1.63 1.75 1.88}
; shifted partial = {-0.25 -0.13 0.0 0.13 0.25 0.38 0.5 0.63 0.75 0.88 1.0 1.13 1.25 1.38 1.5 1.63}
; centric = {0.0 -0.13 0.13 -0.25 0.25 -0.38 0.38 -0.5 0.5 -0.63 0.63 -0.75 0.75 -0.88 0.88 -1}
; see (1)

1 ze
2 d1 UNBLKGRAD
4 4u p10:f1
5 d12 grad{cos(cnst22)|sin(cnst22)|(0)} ; slice gradient
6 p11:sp1:f1 ph1 ; soft excitation pulse (we use a Hamming-filtered sinc)
7 5u groff
5u
d14 grad{cos(cnst20)|sin(cnst20)|encoding(1)} ; phase-encoding gradient (and refocusing of the slice gradient)
5u groff
5u BLKGRAD
go=2 ph31
1m igrad encoding
1m igrad cos
1m igrad sin
d11 wr #0 if #0 zd
lo to 2 times td1
exit

ph1=0 2 2 0 1 3 3 1
ph31=0 2 2 0 1 3 3 1

; p10 : 0W
; spw1: f1 channel - shaped pulse power
; p11: f1 channel - excitation pulse length
; d14: encoding time
; cnst22: slice gradient strength (in % of the max. gradient)
; (1) encoding gradient: for the moment, has to be manually chosen between 'normal'  $[-G_{max}; +G_{max}]$ , 'partial'  $[0; 2G_{max}]$ ,
; 'shifted partial' (starts slightly before the center) or centric (0,  $+\Delta G$ ,  $-\Delta G$ , etc., with  $\Delta G$  the gradient increment).
; The lists are written such as  $G_{max} = 1\%$  with  $TD1 = 16$ ,  $d14 = 1.25$  ms and  $G_z = 60$  G/cm. Then,  $FOV = 2.5$  cm.

```

Figure S10. Bruker pulse sequence of the Radsl-CSI, tested on a Avance II and Topspin 3.0.