

Exploring the Facet-engineered Anatase Nanoparticles for amplification of Sensitivity in Heavy Metal Ion Detection and Other Applications

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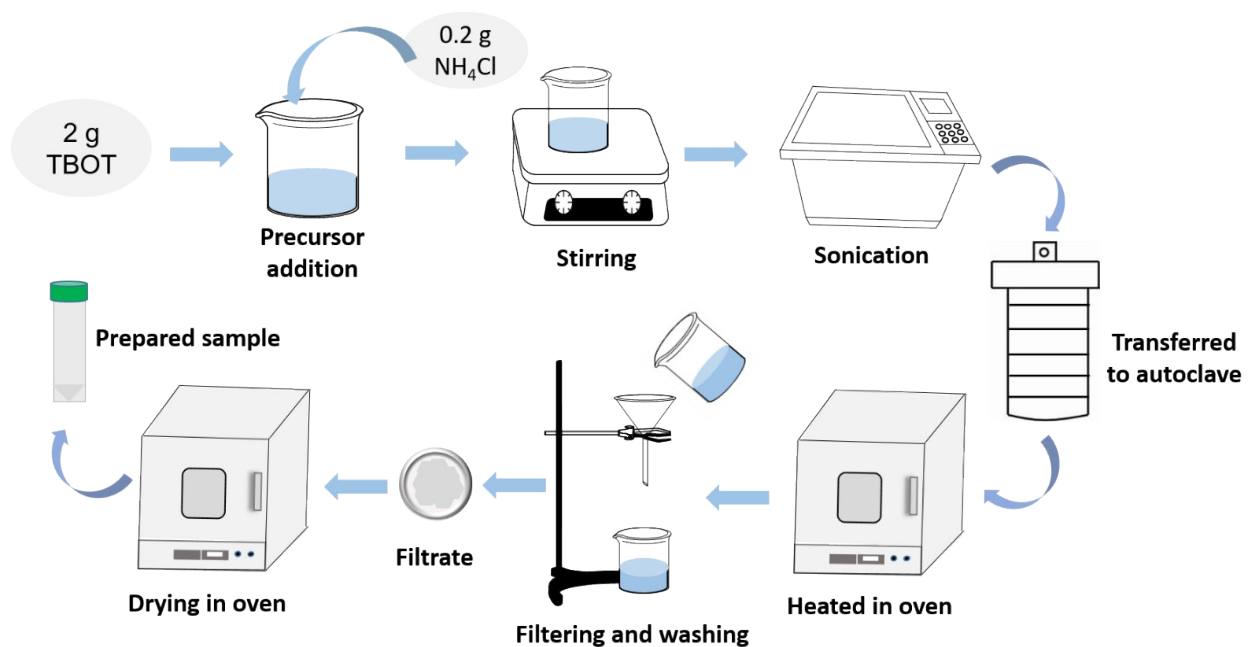


Figure S1: Schematic depiction of the synthesis procedure of {101}-faceted TiO_2 .

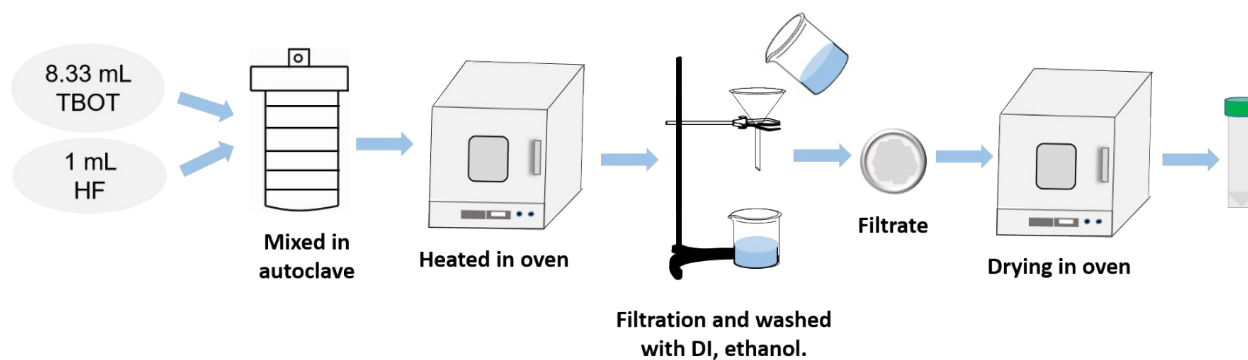


Figure S2: Schematic depiction of the synthesis procedure of {001}-faceted TiO_2 .

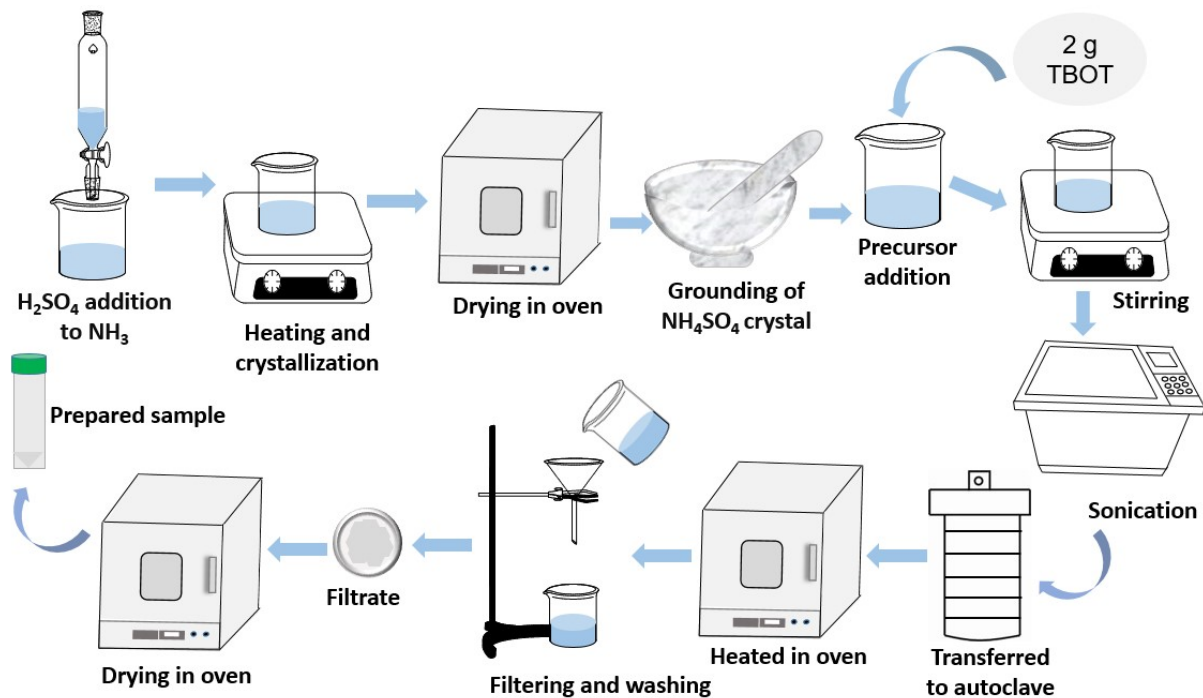


Figure S3: Schematic depiction of the synthesis procedure of {101}/{001} co-faceted TiO₂.

$$\text{Lattice parameter, } \frac{1}{(d_{hkl})^2} = \left(\frac{h^2 + k^2}{a^2} \right) + \frac{l^2}{c^2} \quad (\text{E1})$$

$$\text{Crystallite size, } D = \frac{K\lambda}{\beta \cos \theta} \quad (\text{E2})$$

$$\text{Dislocation density, } \delta = \frac{1}{(\text{Crystallite size})^2} \quad (\text{E3})$$

$$\text{Microstrain, } \epsilon = \frac{FWHM}{4 \tan(\theta)} \quad (\text{E4})$$

$$\text{Crystallinity index} = \frac{H(004) + H(200) + H(105)}{H(101)} \quad (\text{E5})$$

Here, D = size of crystallite; K = 0.9 = shape factor; h, k, and l = planes of the unit cell; λ = wavelength, θ = diffraction angle (degree), d_{hkl} = interplanar distance, β (in radian) = FWHM = full width at half maximum; H = height of the correlating plane's peak.

$$\text{Relative intensity} = \frac{I_{(101)}}{I_{(004)} + I_{(200)} + I_{(105)}} \quad (\text{E6})$$

$$\text{Preference growth} = \frac{\text{Relative intensity}_{\text{sample}} - \text{Relative intensity}_{\text{standard}}}{\text{Relative intensity}_{\text{standard}}} \quad (\text{E7})$$

$$\text{Texture coefficient, } T_C = \frac{I/I_o}{N^{-1}} \left(\sum_n I/I_o \right)^{-1} \quad (\text{E8})$$

In this context, N represents the number of reflections, I_o signifies the average intensity of the plane as obtained from the JCPDS data, and I refers to the relative intensity of a specific plane as observed.

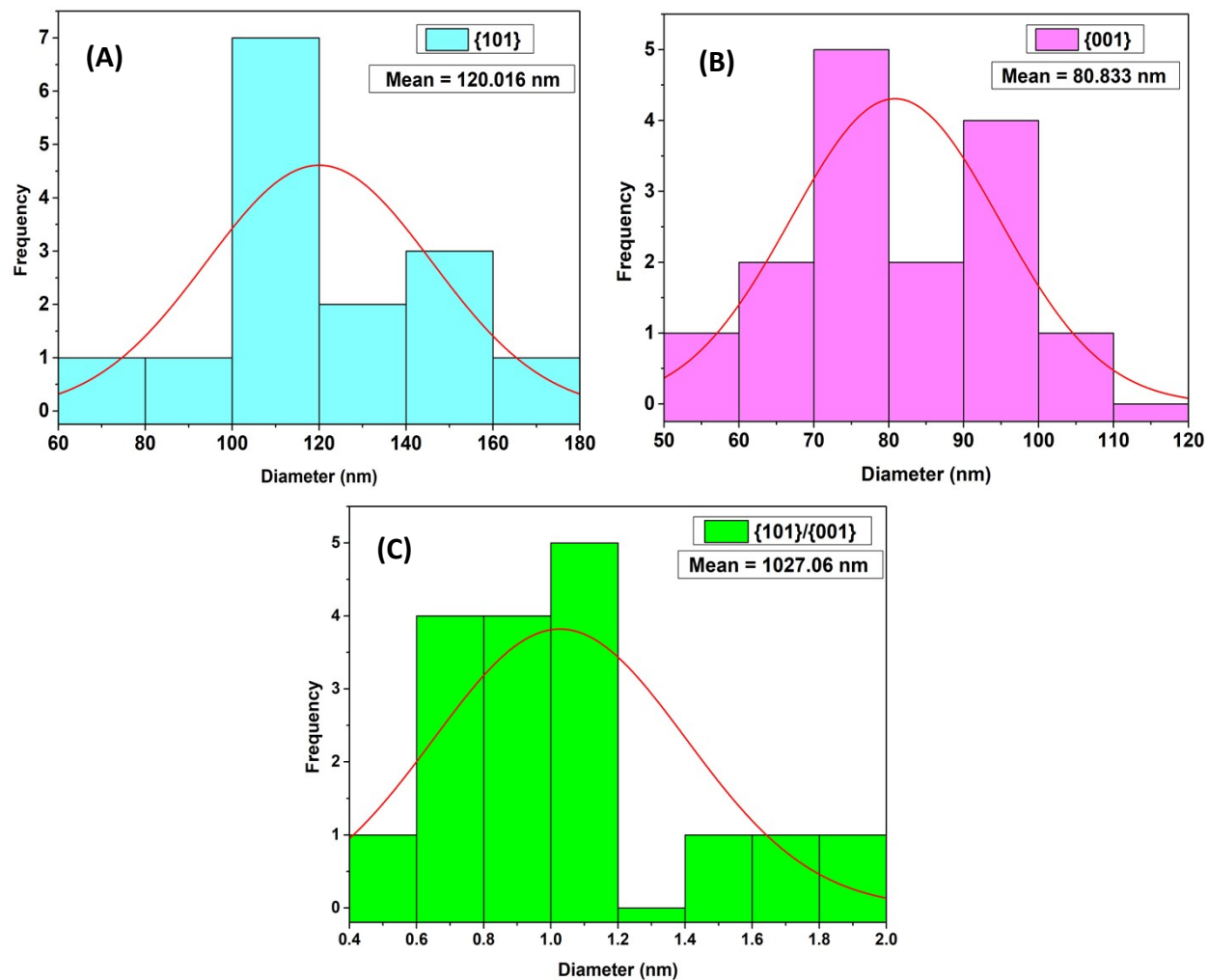
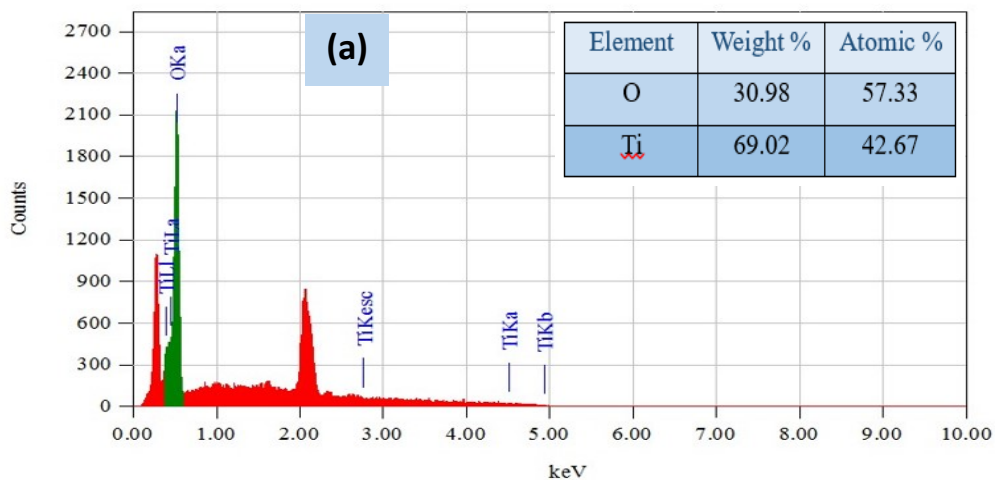


Figure S4: Histogram analysis of the synthesized {101}-faceted, {001}-faceted and {101}/{001} co-faceted TiO₂ samples.



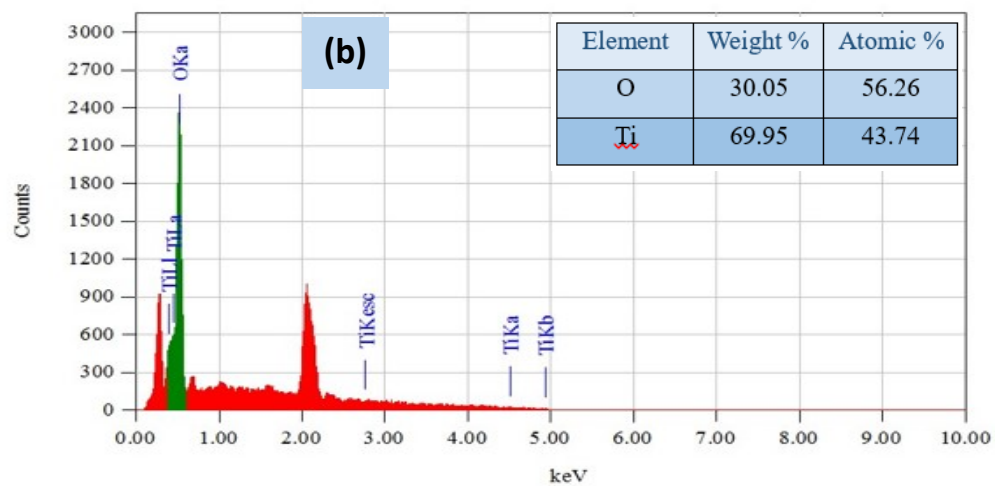


Figure S5: EDX spectra with elemental mapping of the synthesized (a) {101}-faceted (b) {001}-faceted TiO_2 samples