

**Single Particle ICP-MS Characterization of Magnetoliposomes:
Toward a Measurement of Number Distribution
of Encapsulated Magnetic Nanoparticles**

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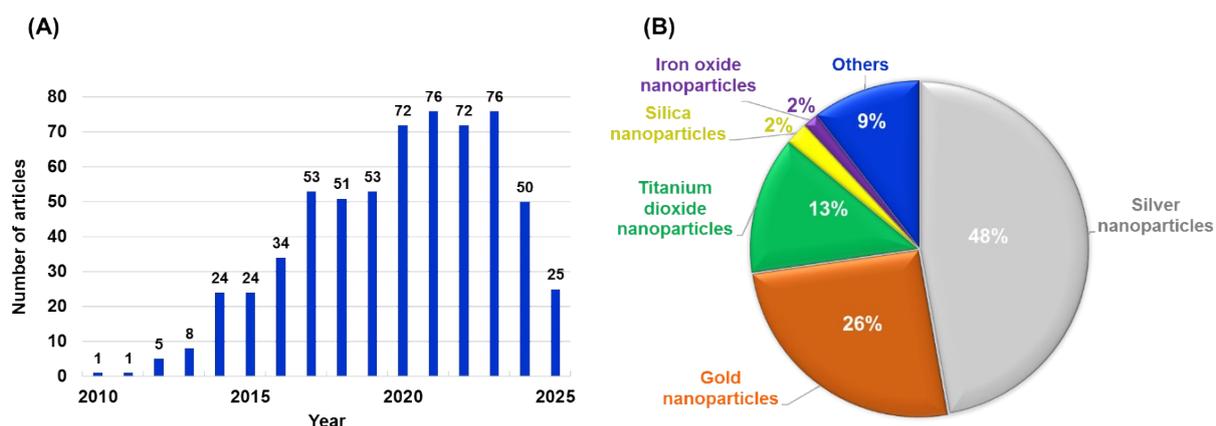
SI1. Evolution of the article number about the spICP-MS technique since 2010, and main types of NPs studied by this technique.

SI2. Equation of log-normal distribution.

SI3. Representation of spICP-MS raw data of MLs for four iron concentrations.

SI4. Detailed calculations of the average number of magnetic NPs per ML measured by ICP-MS.

SI1. Evolution of the article number about the spICP-MS technique since 2010, and main types of NPs studied by this technique.



(A) Evolution of the article number about the SP ICP-MS technique since 2010 (used keywords: “single particle ICP MS” or “single particle ICP-MS” or “SP ICP MS” or “SP ICP-MS”, source: Web of Science).

(B) Main types of nanoparticles (NPs) studied by this technique (used keywords: “single particle ICP MS” or “single particle ICP-MS” or “SP ICP MS” or “SP ICP-MS” and “silver nanoparticles” or “gold nanoparticles” or “titanium dioxide nanoparticles” or “silica nanoparticles” or “iron oxide nanoparticles” or “nanoparticles”, source: Web of Science).

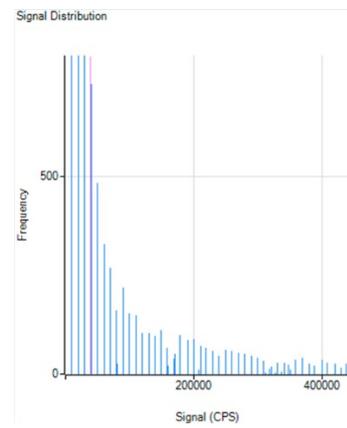
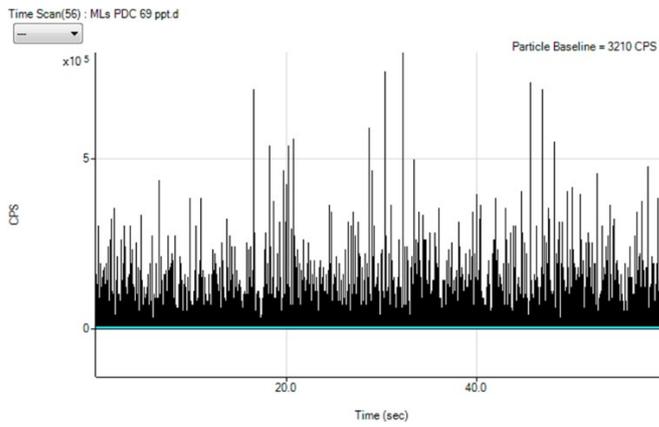
SI2. Equation of log-normal distribution.

$$f(x) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

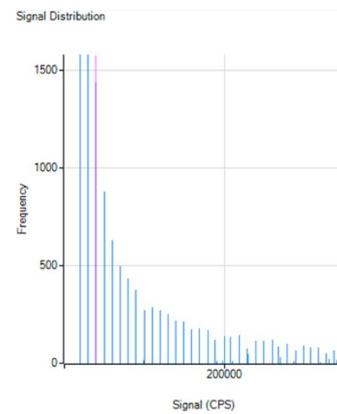
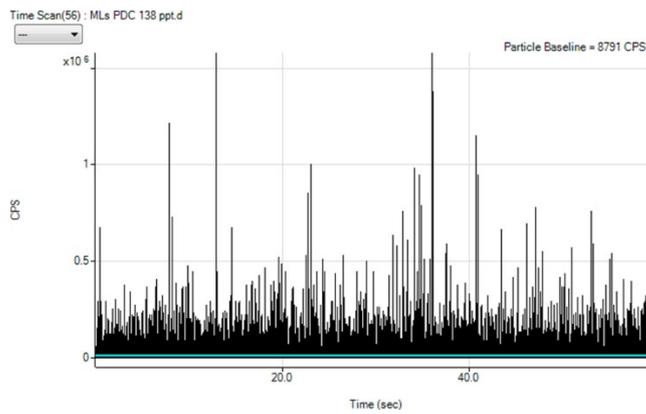
x: the magnetic nanoparticle number per magnetoliposome, μ : the mean (or expectation) of the distribution, and σ : the standard deviation of the distribution.

SI3. Representation of spICP-MS raw data of MLs for four iron concentrations in ppt.

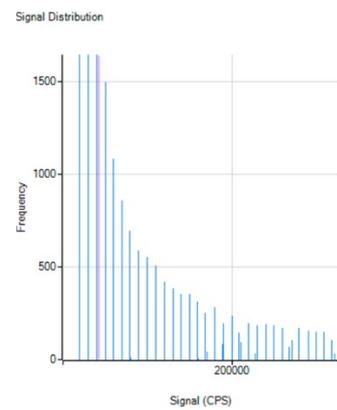
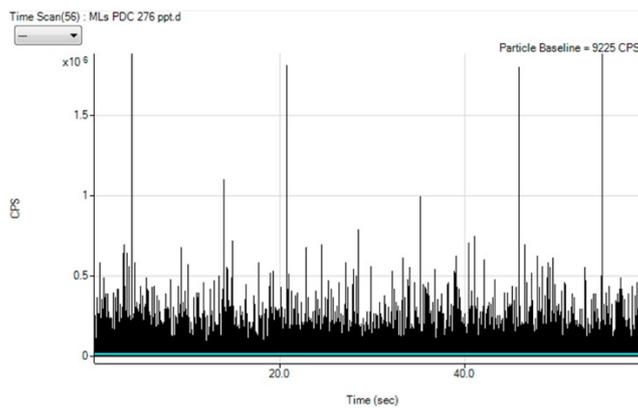
69 ppt



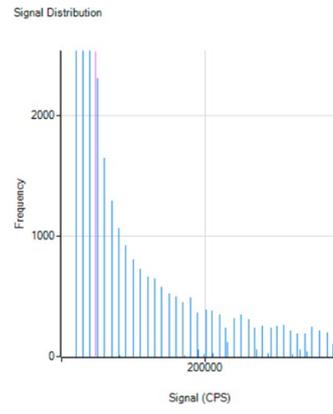
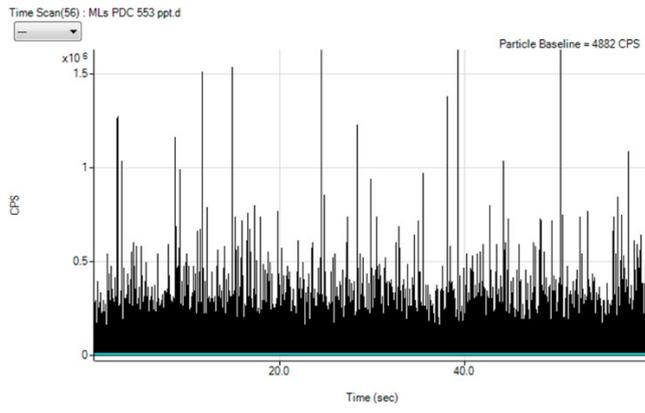
138 ppt



276 ppt



553 ppt



SI4. Detailed calculations of the average number of magnetic NPs per ML measured by ICP-MS.

1) Determination of the number of magnetic nanoparticles in the final purified ML suspension

The mass of 1 magnetite nanoparticle can be expressed by:

$$m_{\text{magnetic nanoparticle}} = \rho_{\text{magnetite}} \times V_{\text{SPION}}$$

Where $\rho_{\text{magnetite}}$ is the volumic mass for magnetite (5.17g/cm³) and $V_{\text{magnetic nanoparticle}}$ is the volume of 1 magnetic nanoparticle with a diameter (d_{TEM}) of 10 nm.

The experimental concentration of iron (Fe) in the final ML suspension is given by the ICP-MS experiments. Thus, the concentration of magnetite (Fe₃O₄) in the ML suspension is obtained by considering the mass ratio (R), which is the inverse of “f” described in the manuscript, between iron and oxygen in magnetite:

$$R = \frac{3 \times M_{\text{Fe}}}{3 \times M_{\text{Fe}} + 4 \times M_{\text{O}}}$$

Where M_{Fe} and M_{O} are the molecular mass of iron and oxygen, respectively.

Thus, the experimental concentration of magnetite (Fe₃O₄) in the purified ML suspension is expressed by:

$$C_{\text{Fe}_3\text{O}_4} = \frac{C_{\text{Fe}}}{R}$$

Finally, the average number per liter of magnetic nanoparticles in the final purified ML suspension is given by the following formula:

$$n_{\text{magnetic nanoparticles}} = \frac{C_{\text{Fe}_3\text{O}_4}}{m_{\text{magnetic nanoparticles}}}$$

2) Determination of the number of MLs in the final purified ML suspension

First, the surface of 1 ML (S_{ML}) was calculated considering a ML diameter of 120 nm, according to DLS measurements.

The surface of 1 lipid head (S_{lipid}) was considered to be 0.7 nm², based on literature data for a DPPC head [1].

Thus, the number of lipids in 1 ML is given by the following formula:

$$n_{lipid/ML} = 2 \times \frac{S_{ML}}{S_{lipid\ corrected}} \times C$$

Where:

- $S_{lipid\ corrected}$ is the part of the ML surface which is occupied by 1 lipid head whose surface is S_{lipid} .
- The factor 2 stands for the lipid bilayers (2 different monolayers). Each one was considered to have the same amount of lipids.
- C is the compacity of a packing of an infinite number of circles on spheres. Based on the literature data [2,3], C was considered equal to 0.9069.

Finally, the experimental concentration of phosphorous (C_{Phosp}) in the final MLs suspension is given by the ICP-MS experiments.

Thus, the number of lipids per liter in the suspension is expressed by:

$$n_{lipid} = \frac{N_A \times C_{Phosphorus}}{0.95}$$

Where:

- N_A is the Avagadro number
- C_{Phosp} is the experimental phosphorous concentration (mol/L)
- The factor 0.95 comes from the fact that the 5% of DPTAP in the lipid formulation do not have phosphorous atoms.

Thus, the average number of ML in the final purified ML suspension is given by

$$n_{MLs} = \frac{n_{lipids}}{n_{lipids/ML}}$$

3) Determination of the number of magnetic nanoparticles per ML

Based on previous calculations in sub-sections (1) and (2), the number of magnetic nanoparticles per ML is expressed by the following formula:

$$n_{magnetic\ nanoparticles/ML} = \frac{n_{magnetic\ nanoparticles}}{n_{MLs}}$$

[1] Lis L. J., McAlister M., Fuller N., Rand R. P., Parsegian V. A., *Interactions between neutral phospholipid bilayer membranes*, *Biophysical Journal* , **37**, 657-65 (1982)

[2] Clare B. W., Keper D. L., *The optimal packing of circles on a sphere*, *Journal of Mathematical Chemistry*, **6**, 325-49 (1991)

[3] Clare B. W., Kepert D. L., *The closest packing of equal circles on a sphere*, *Proceedings of the Royal Society A*, **405**, 329-44 (1986)