

Supporting Information

Anisotropy deformation behavior of multi-layer black phosphorus

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DFT Calculations

The initial crystal structure model of b-P was constructed using Materials Studio software, providing a basic framework for subsequent theoretical calculations. Subsequently, systematic calculations were performed using the Vienna Ab-initio Simulation Package (VASP) software [1,2]. In the calculation process, the Projected Augmented Wave (PAW) method was used to handle electron-ion interactions. Within the framework of the Generalized Gradient Approximation (GGA), the Perdew-Burke-Ernzerhof (PBE) functional was implemented for first-principles Density Functional Theory (DFT) calculations, so as to accurately describe the electronic structure and energy properties of the system [3–5]. Regarding the setting of calculation parameters: the cutoff energy for the plane-wave basis set was uniformly set to 450 eV to ensure the completeness of the basis set. The structure optimization followed strict convergence criteria: the system was considered to reach the lowest-energy stable structure when the residual force on all atoms was less than 0.01 eV/Å and the energy convergence threshold for the self-consistent iteration of the Kohn-Sham equations reached 10^{-4} eV. For the integration of the Brillouin zone, an $8 \times 1 \times 6$ Monkhorst-Pack k-point grid was used for sampling to balance calculation accuracy and efficiency [6]. For the important van der Waals interactions in layered materials, dispersion correction was implemented via the DFT-D3 method proposed by Grimme, ensuring the accurate description of interlayer interactions [7].

The relationship between energy and interlayer spacing during the sliding process is shown in Fig. S1(a). By analyzing the energy-interlayer spacing curves of each sliding step, the minimum energy point $E_{\min,X}$, the minimum energy of the initial state $E_{\min,0}$ and E_{Inf} can be determined respectively. The variation trends of E_s and E_c values corresponding to different sliding step numbers are shown in Fig. S1(b). Both curves exhibit a significant periodic wavelike variation characteristic. Characteristic energy extreme points appear in Step 3 and Step 7: the single-atom sliding energy barrier reaches the maximum value of $E_s=0.66\text{eV/atom}$ here; while the cleavage energy

achieves the minimum value of $E_c=0.87\text{eV}/\text{atom}$ at these points.

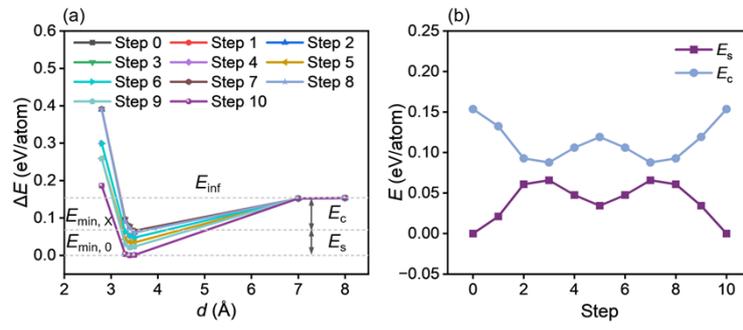


Fig. S1. The variation of E_s and E_c during the slip process

MD simulation

Table S1 Mechanical properties of multi-layered b-P

| Orientation | Strain rate (%) | Young's modulus (Gpa) | Fracture strength (Gpa) | Fracture strain (%) |
|-------------|-----------------|-----------------------|-------------------------|---------------------|
| Zigzag | 5×10^8 | 105.4 | 7.7 | 14.3 |
| Armchair | 5×10^8 | 22.3 | 3.8 | 23.2 |

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