

Quantifying the Influence of EDTA on Polymer Nanoparticle Deposition and Retention in an Iron-oxide-coated Sand Column

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SUPPLEMENT

Figure S1¹⁸: Scanning Electron Microscope (JEOL JSM 6500F Field Emission Scanning Electron Microscope) images of uncoated and Fe-oxide-coated sands. Both sands are well rounded to sub-angular with localised rough surfaces and cracking on individual grains. Sand dimensions between 120 μm and 320 μm . (A) Uncoated quartz sand (Sigma-Aldrich, Dorset, England) showing dimensions of representative grains. (B) Iron-oxide coated sand showing dimensions of representative grain sizes. (C) Detail of smooth surface on uncoated sand. (D) Detail of smooth surface on iron-oxide-coated sand. (E) Detail of rough surface on uncoated sand. (F) Detail of rough surface on Iron-oxide coated sand. Note the greater abundance of micron to sub-micron-sized particles on coated sands.

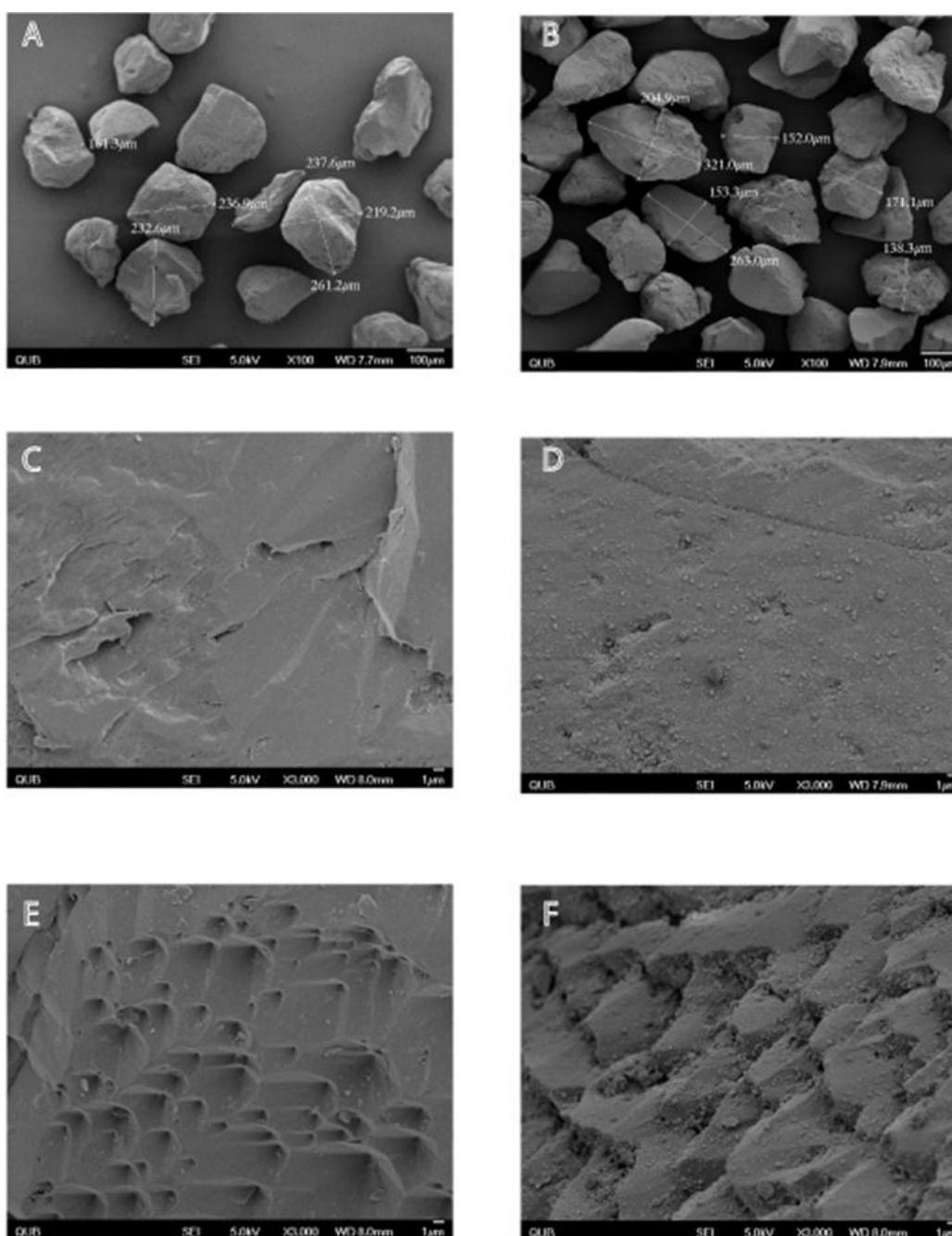


Figure S2: VWD optical signals of EDTA measured continuously in column effluent during a single pulse injection of EDTA through uncoated sand. Note that a plateau was developed at an altitude of about 266 (AU), corresponding to the optical signal of EDTA in the source reservoir.

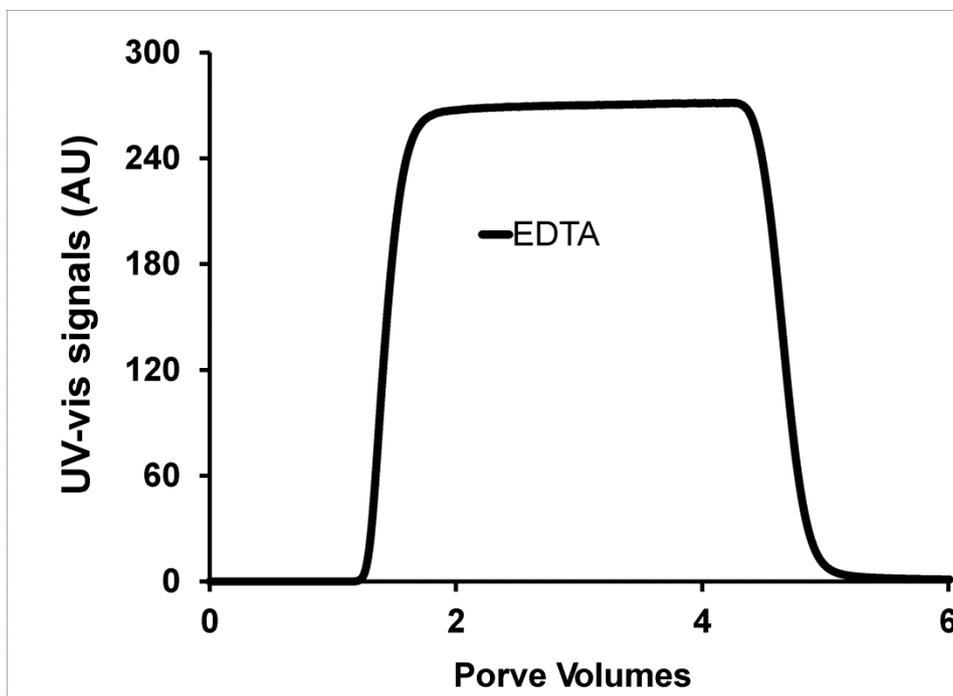


Figure S3¹⁸: Model validation based on experimental results of triple pulse nanoparticle injection. Top: nanoparticle BTCs used for model validation with the first pulse for model calibration and the rest pulses for model testing; Middle: model calibration on the first nanoparticle BTC; Bottom: application of calibrated model for predicting transport of nanoparticles in the second and third pulses. A close match between the model predicted and the experimental BTCs confirms the model's competency for predicting nanoparticle movement in this experimental system.

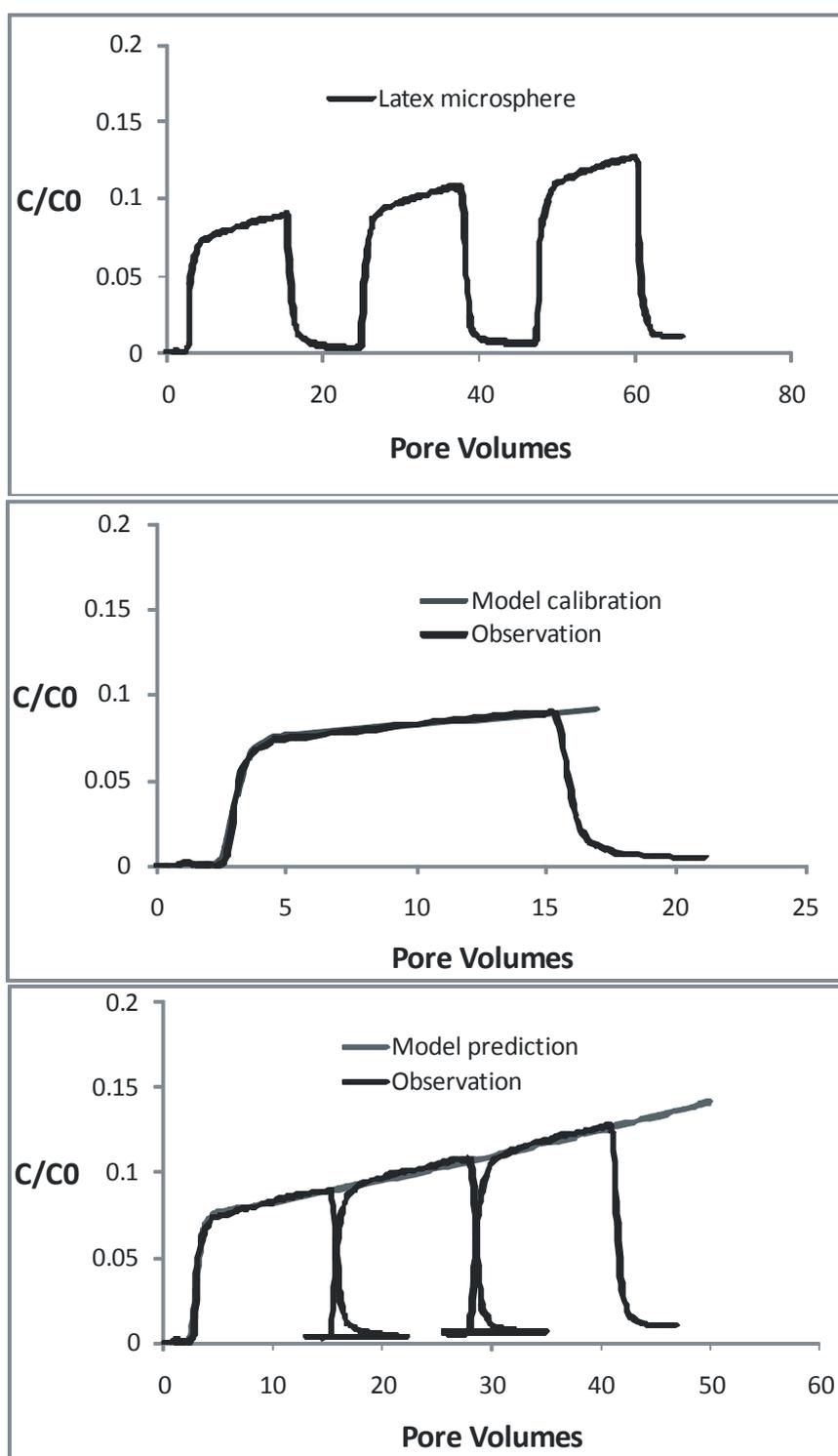


Table S1: Summary of formula and parameter values used in calculation of collision efficiency

Step 1--- Calculating theoretical single collector efficiency (η_0) for favorable deposition using the Filtration Model of Tufenkji and Elimelech⁴⁹

$$\eta_0 = \eta_D + \eta_I + \eta_G \quad (S1)$$

$$\eta_D = 2.4A_s^{1/3} N_R^{-0.081} N_{Pe}^{-0.715} N_{vdw}^{0.052} \quad (S2)$$

$$\eta_I = 0.55A_s N_R^{1.55} N_{Pe}^{-0.125} N_{vdw}^{0.125} \quad (S3)$$

$$\eta_G = 0.22N_R^{-0.24} N_G^{1.11} N_{vdw}^{0.053} \quad (S4)$$

Where

$$N_R = \frac{d_p}{d_c} \quad (S5)$$

$$N_{Pe} = (Ud_c)/D_\infty \quad (S6)$$

$$N_{vdw} = A/kT \quad (S7)$$

$$N_{gr} = \frac{4}{3} \frac{\pi a_p^4 (\rho_p - \rho_f) g}{kT} \quad (S8)$$

$$N_A = A/(12\pi\mu a_p^2 U) \quad (S9)$$

$$N_G = \frac{2}{9} \frac{a_p^2 (\rho_p - \rho_f) g}{\mu U} \quad (S10)$$

Model parameters: particle diameter ($d_p=200\text{nm}$), collector diameter ($d_c=0.125\text{mm}$), fluid approach velocity ($U=7.2\text{m/day}$), Hamaker constant ($A=1.98 \times 10^{-21}\text{J}$), fluid absolute temperature ($T=298\text{K}$), porosity ($f=0.39$).

Step 2--- Calculating single collector efficiency (η) based on experimental data using the approach of Yao et al.⁴⁸

$$\eta = -\frac{2d_c}{3L(1-f)} \ln(n_e/n_0) \quad (S11)$$

Model parameters: column length ($L=0.03\text{m}$), relative effluent concentration shown by the inflection point on experimental BTC ($\frac{n_e}{n_0} = 0.06$).

Step 3--- Calculating collision efficiency⁴⁹ (α)

$$\alpha = \eta/\eta_0 \quad (S12)$$