Electronic Supplementary Information

Fuel cell-powered microfluidic platform for Lab-on-a-Chip applications

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^e Department of Electronics, University of Barcelona, C/Martí i Franquès 1, 08028 Barcelona, Spain. Tel: +34 934037181 § These two authors contributed equally to this work. **ESI_Table S1.** Description of the different stages in the sample flow rate: (i) general description, (iii) transient analysis, and (iii) analysis of the fluidic resistance.



Longitudinal cross-section of the microfluidic device: Δn , moles of CO₂; V_0 , initial volume of CO₂; V_1 , sample volume; A_1 , sample chamber horizontal area; A_2 , interconnecting channel vertical area; L_2 interconnecting channel length; V_3 , analysis chamber volume; A_3 , analysis chamber horizontal area; A_4 exit channel vertical area; L_4 , exit channel length.

The following qualitative analysis assumes ideal situation, where CO_2 do not dissolve with the sample, and neither the gas nor the liquid sample produce any deformation on the PDMS channels. Then, for a given fuel cell regime (electric current *I*), a certain amount Δn of CO_2 will be produced and directly transformed into pressure at the CO_2 /sample interface. The pressure drop along the device can be linearly related with the volumetric flow rate through the fluidic resistance. According to those assumptions, then the analysis of the flow rate *Q* can be described as follows:

- A_1/A_2 and A_2/A_3 determine transients of Q in Region 1 and together with L_2 determine the transient time Δt of Region 1.
- V_3 determines Δt of Region 2.
- A_3/A_4 and A_4 to open space determine transients of Q in Region 3 and together with L_4 determine Δt of Region 3.
- V_1/V_3 determines Δt of Region 4.
- Q in Regions 2 and 4 is mainly determined by A_2 and L_2 , as that channel is the major contributor in the total fluidic resistance.









Schematic representation of the different components of the microfluidic device: V_1 , sample volume (30 μ L); A_1 , sample chamber horizontal area (π ·(2 mm)² = 4· π mm²); L_1 , sample chamber height (\approx 2 mm); A_2 , interconnecting channel transversal area (0.02 mm²); L_2 interconnecting channel length (13 mm); V_3 , analysis chamber volume (15 μ L); A_3 , analysis chamber horizontal area (π ·(2 mm)² = 4· π mm²); L_3 , analysis chamber height (\approx 1 mm); A_4 exit channel transversal area (0.02 mm²); L_4 , exit channel length (1 mm).

Variations in the pressure value at the CO₂/sample interface have been described above, and can be directly related with sample flow rate, according to the next expression:

$$\Delta P = (P_{interface \ CO_2/sample} - P_{atm}) = R_{total} \cdot Q$$

where:

$$R_{total} = R_1 + R_2 + R_3 + R_4 = k \cdot \left(\frac{L_1}{A_1} + \frac{L_2}{A_2} + \frac{L_3}{A_3} + \frac{L_4}{A_4}\right)$$
$$R_{total} = k \cdot (0.066 \ mm^{-1} + 650 \ mm^{-1} + 0.083 \ mm^{-1} + 50 \ mm^{-1})$$

Therefore, it can be concluded that in our design: $R_{total} \approx R_2$, thus, flow rate value (Q) in steady regions (Region 2 and Region 4 in Fig 4) is mainly controlled by the geometry of the connecting central microchannel.