## Supporting materials

## Heterogeneous distribution of natural zinc isotopes in mice

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Ab initio calculations:

Isotopic exchange in chemical reactions can be represented by two half-reactions,

$$AX + Y \leftrightarrow AY + X \tag{1}$$

or

$$A'X + Y \leftrightarrow A'Y + X \tag{2}$$

where A and A' are the heavy and light isotopes of the element A, and X and Y represent ligands. The difference between half-reactions 1 and 2 corresponds to a reaction of isotopic exchange between AX and AY:

$$A'Y + AX \leftrightarrow A'X + AY \tag{3}$$

The isotope separation factor  $\alpha$  between AX and AY is defined as

$$\alpha = \frac{([A]/[A'])_Y}{([A]/[A'])_X}$$
(4)

where  $([A]/[A'])_X$  and  $([A]/[A'])_Y$  are the isotopic ratios A/A' measured in the complexes AX (and A'X) and AY (and A'Y), respectively. The isotope enrichment factor is defined as  $\alpha_m$ -1. Since  $\alpha$  is close to 1,  $\alpha$ -1 can be approximated as ln  $\alpha$ .

Deviations of isotopic ratios from a reference value in parts per 1000 are conventionally

defined as

$$\delta = \left[\frac{([A]/[A'])_{species}}{([A]/[A'])_{reference}} - 1\right] \times 1000$$
(5)

If AX (and A'X) is the major component in the system,  $\Sigma[A]/\Sigma[A']$  is approximated to be  $([A]/[A'])_X$  such that an approximation expression  $\delta \approx 10^3 \ln \alpha$  is suitable.

The standard theory of chemical isotope fractionation is based on mass-dependent isotopic differences in vibrational energies of isotopologues<sup>1,2</sup>. The isotope enrichment factor is proportional to

$$\left(\frac{1}{m'} - \frac{1}{m}\right) \tag{6}$$

with m and m' the masses of the heavy isotope and the light isotope, respectively.

The isotope enrichment ln  $\alpha$  due to intramolecular vibrations can be evaluated from the reduced partition function ratio (RPFR)  $\beta = (s/s')f$  defined as

$$ln\frac{s}{s'}f = ln\beta = \sum \left[lnb(u_i') - lnb(u_i)\right]$$
<sup>(7)</sup>

where the sum extends over all the molecular vibrational level with primed variables referring to the light isotopologue and

$$lnb(u_i) = -lnu_i + \frac{u_i}{2} + ln(1 - e^{-u_i})$$
(8)

In this equation,  $v_i$  stands for vibrational frequencies, *s* for the symmetry number of the molecule, and  $u_i = hv_i/kT$ . The isotope enrichment factor due to the molecular vibration can be evaluated from the frequencies summed over all the different modes. The partition function ratio (*s/s'*)*f* for isotopologues A'X and AX (A'Y and AY, respectively) is noted  $\beta_X$  ( $\beta_Y$ , respectively). In the isotopic exchange reaction 3, isotope fractionation can be estimated from the relation  $\ln \alpha \approx \ln \beta_Y - \ln \beta_X$ . An adequate approximation of fractionation factors between different Zn species may be obtained by the conventional mass-dependent theory. All the calculations were made for the <sup>66</sup>Zn/<sup>64</sup>Zn ratio.

In the present study, the optimized structures of Zn species were first determined for <sup>64</sup>Zn. The intramolecular vibrational frequencies  $v_i$  were calculated for each complex.  $\ln b(u_i')$  was determined by substituting  $v_i$  into Eq. (7). Then <sup>64</sup>Zn was replaced by <sup>66</sup>Zn

and the vibrational frequencies were calculated again for the same molecular structures to obtain  $\ln b(u_i)$ , from which  $\ln \beta$  was then determined.

## Computational details

Orbital geometries and vibrational frequencies of Zn-cysteine and Zn-histidine species were computed using density functional theory (DFT) as implemented by the Gaussian09 code<sup>3,4</sup>. The DFT method employed here is a hybrid density functional consisting of Becke's three-parameter non-local hybrid exchange potential (B3)<sup>5</sup> with Lee-Yang and Parr (LYP)<sup>6</sup> non-local functionals. In a quantum chemical study, the convergence of the reaction energies of Zn(II) species is excellent in 6-311+G(d,p) or higher basis sets<sup>7</sup>. Hence, the 6-311+G(d,p) basis set, which is an all-electron basis set, was chosen for H, C, N, O, S, and Zn. An "ultrafine" numerical integration grid was used and the SCF convergence criterion was set to  $10^{-8}$ . Zn-binding modes of the two amino acids were reproduced from the literature<sup>8</sup>. Hydration and/or coordination of anions to unoccupied coordination positions of Zn<sup>2+</sup> were neglected. Table S1: Zn isotopic composition of the different mouse organs. RBCs: red blood cells; PLN: peripheral lymph nodes; MLN: mesenteric lymph nodes. Each sample has been analysed one time. The analytical uncertainty is evaluated from replicate analyses of the same sample processed through the full procedure and is  $\pm 0.09\%$  (2 $\sigma$ ) for  $\delta^{66}$ Zn and 0.23% for  $\delta^{68}$ Zn<sup>32</sup>.

 Table S2: Optimized structure Cartesian coordinates of Zn-cysteine and

 Zn-histidine species.

Figure S1:  $\delta^{68}$ Zn vs  $\delta^{66}$ Zn for all the mouse organs analysed. The slope of the correlation is 1.94±0.06, which correspond to mass-dependent isotopic fractionation.

Figure S2: Molecular structure of Zn-cysteine and Zn-histidine species. (a)  $[Zn-Cys-H_{-1}]^+$ : H bound to S was substituted by Zn(II). (b)  $[Zn-Cys]^{2+}$ : H bound to S was substituted by Zn(II) and  $-NH_2$  was protonated by the dissociated  $H^+$ .(c)  $[Zn-His-H_{-1}]^+$ : H bound to N in the imidazole group was substituted by Zn(II). (d)

[Zn-His]<sup>2+</sup>: H bound to N in the imidazole group was substituted by Zn(II) and another

N in the group was protonated by the dissociated  $H^+$ .

## References

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