

Supporting Information

Magnetic nanoparticles entrapped in lipid bilayers of liposomes and their effect on drug release in the presence of low-frequency magnetic field

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LF-AMF Setup



Figure S1. Picture of the broken toroidal magnet used to apply the LF-AMF.

- $A \approx 270$ mT
 - $B \approx B^I \approx 100$ mT
 - $C \approx C^{II} \approx 280$ mT
 - $D \approx D^I \approx D^{II} \approx D^{III} \approx 330$ mT
- 10 V; 8 A

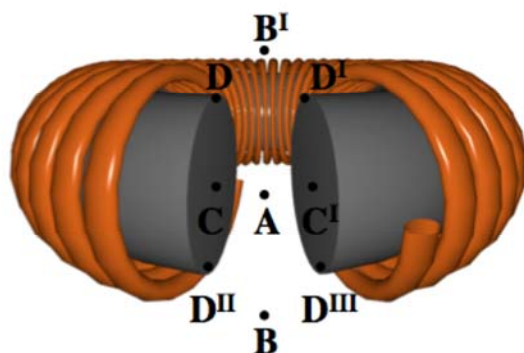
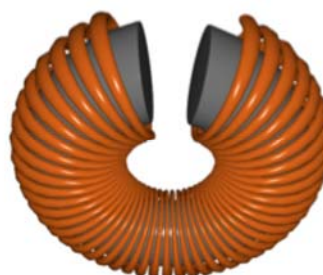


Figure S2. Magnetic field values at different positions of the broken toroidal magnet used to apply the LF-AMF. Magnetic field values were measured by means of a GM-07 Gaussmeter (HIRST Magnetic Instruments Ltd, UK).

DLS-size distribution of Cobalt-ferrite nanoparticles

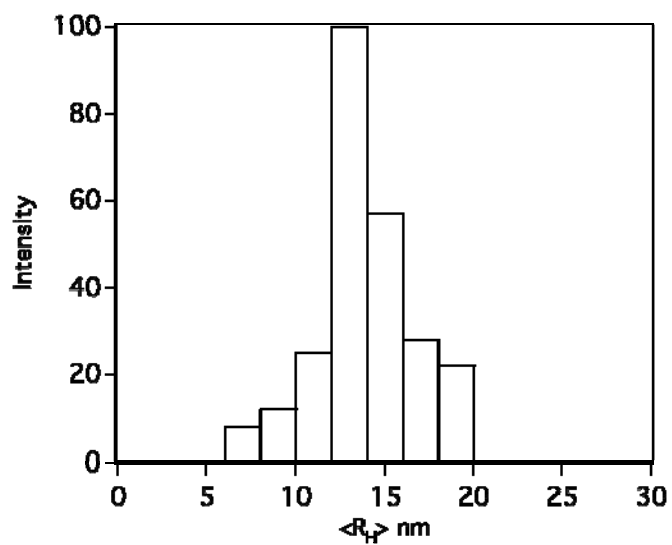


Figure S3. Size distribution of oleic oleic-coated Cobalt-ferrite nanoparticles obtained from CONTIN analysis of DLS results.

DLS-autocorrelation functions of magnetoliposomes

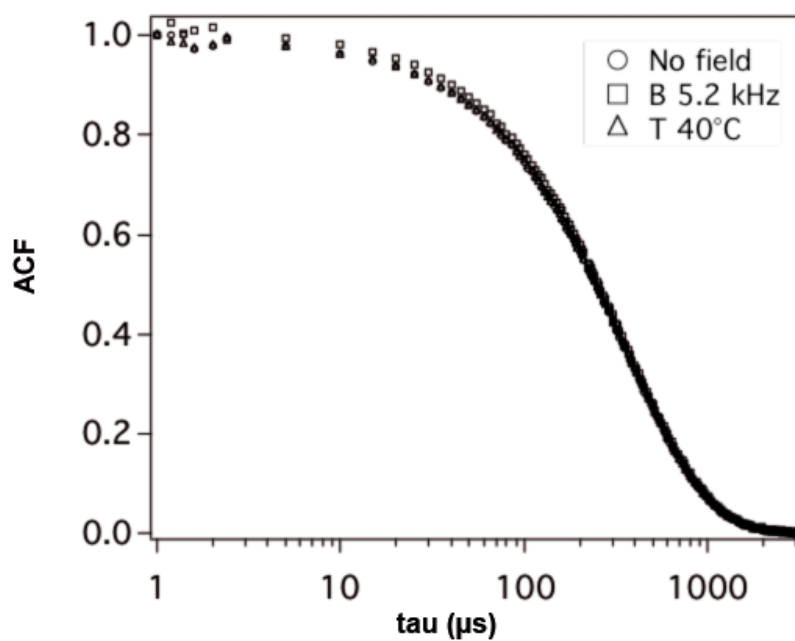


Figure S4. DLS normalized autocorrelation functions of fresh magnetoliposome solutions (sample B in Table 2): untreated sample at room temperature, sample exposed at 5.2 kHz for 50 min and sample incubated at $T=40^\circ\text{C}$ for 50 min.

Models for the fitting of SAXS data

Liposomes

The SAXS spectrum of liposome solution (control sample) has been fitted according to a model proposed by Nallet *et al*¹ for lamellar phases of amphiphilic bilayer, through the following equation:

$$I(Q) = \frac{2\pi P(Q)}{2(\delta_H + \delta_T)q^2} \quad (1)$$

where the form factor is given by:

$$P(Q) = \frac{4}{q^2} \left\{ \Delta\rho_H [\sin[q(\delta_H + \delta_T)] - \sin(q\delta_T)] + \Delta\rho_T \sin(q\delta_T) \right\}^2 \quad (2)$$

and δ_H is the head group thickness, δ_T is the tail length, $\Delta\rho_H$ ($\rho_H - \rho_{\text{solv}}$) and $\Delta\rho_T$ ($\rho_T - \rho_H$) are the scattering length density contrast, where ρ_H , ρ_T and ρ_{solv} are the scattering length density of head group, tail and solvent, respectively. In the fitting, the scattering length densities corresponding to the theoretical atomic compositions were used. In this model no inter-lamellar structure factor $S(Q)$ is included.

Magnetoliposomes

SAXS spectrum of magnetoliposomes has been modelled according to the following equation:

$$I(Q) = I_{\text{liposomes}} + I_{\text{MagNPs}} + I_{\text{bkg}} \quad (3)$$

where $I_{\text{liposomes}}$ is the scattering intensity from the liposomes, while I_{MagNPs} is the scattering intensity arising from magnetic nanoparticles arranged in fractal clusters and modelled according to the pearl necklace model². We previously used this model to describe polydisperse spherical nanoparticles with a core-shell structure, arranged into fractal clusters³. The spherical particles have a constant shell thickness and a core with a Schulz distribution of radii^{3,4}. The contribution to the total scattering intensity arising from these objects was calculated according to:

$$I_{\text{MagNPs}} = \phi P(Q) S(Q) \quad (4)$$

where ϕ is the particle volume fraction, $P(Q)$ is the form factor and $S(Q)$ is the interparticle structure factor accounting for the interparticle correlations. The form factor was modelled as:

$$P(Q) = (1/V_p) \int_0^\infty G(r_c) F^2(Qr_c) dr_c \quad (5)$$

$$F(Qr_c) = (4\pi/Q^3) (\rho_{\text{shell}} - \rho_{\text{core}}) \{ \rho_{\text{scaled}} j[Qr_c + (t/r_c)Qr_c] - j(Qr_c) \} \quad (6)$$

$$\rho_{\text{scaled}} = (\rho_{\text{solv}} - \rho_{\text{shell}})(\rho_{\text{core}} - \rho_{\text{shell}}) \quad (7)$$

$$j(Qr_c) = \sin(Qr_c) - (Qr_c) \cos(Qr_c) \quad (8)$$

where r_c is the core radius, t is the shell thickness, V_p is the particle volume, and ρ_{core} , ρ_{shell} and ρ_{solv} are the scattering length densities (SLDs) of the core, shell and solvent, respectively. In the fitting, the scattering length densities corresponding to the theoretical atomic compositions were used. The function

$G(r_c)$ is the normalized probability of finding a particle with a core radius between r_c and $r_c + dr_c$, and it accounts for the polydispersity of the cores according to a Schultz distribution^{5,6}

$$G(r_c) = \frac{r_c^Z}{\Gamma(Z+1)} \left(\frac{Z+1}{\langle r_c \rangle} \right)^{Z+1} \exp \left[-\frac{r_c}{r_{avg}} (Z+1) \right] \quad (9)$$

where $\Gamma(Z+1)$ is the gamma function and the parameter Z is related to the polydispersity σ_c of the core radius by the expression:

$$\sigma_c = \frac{(\langle r_c^2 \rangle - \langle r_c \rangle^2)^{1/2}}{\langle r_c \rangle} = \frac{1}{(Z+1)^{1/2}} \quad (10)$$

The interparticle structure factor $S(Q)$ describes how the scattering intensity is modulated by interference effects between radiation scattered by different scattering objects. In our case, it should account for the aggregation of the magnetic nanoparticles, in analogy with the distribution of micelles along the polypeptide backbone. Therefore, we used the same expression derived by Chen and Teixeira²:

$$S(Q) = 1 + \frac{D\Gamma(D-1)}{(Qr)^D} \sin[(D-1) \tan^{-1}(Q\xi)] \left(1 + \frac{1}{Q^2\xi^2} \right)^{(1-D)/2} \quad (11)$$

where r is the mean radius of the particles as resulting from the sum of the core radius r_c and the shell thickness t , Γ is the gamma function and ξ is the correlation length, i.e. a cut-off factor related to the dimensions of the aggregates that are eventually formed by the particles. D is the fractal dimension that describes the spatial distribution of the individual scatterers and it is related to their number $N(R)$ within a sphere of radius R through the equation:

$$N(R) = (R/r)^D \quad (12)$$

Magnetic Nanoparticles

SAXS spectrum of Magnetic Nanoparticles has been modelled in analogy to the I_{MagNPs} intensity in the case of magnetoliposomes. Owing to the low concentration of NPs in the dispersion, the interparticle structure factor $S(Q)$ in Equation 4 was set equal to 1. Apart from that, the fitting procedure and model are identical.

References

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- (2) Chen, S. H.; Teixeira, J. *Physical Review Letters* **1986**, *57*, 2583-2586.
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